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%2.laboratorijas darbs
%Raimonds Neimanis 171REB112 - REBCO4, 1.kurss
%1.uzd atrisinat vienadojumu a + e^b*(x^2)-a*x = 100
syms a b x e
y = solve(a+e^b*x^2-a*x == 100)
y = solve(a+e^b*x^2-a*x == 100,x)
pretty (y)
%2.uzd atrast F(x)-?
% f(x)=(cos(2x)*(5x+8)), x[-4pi,4pi].
syms x
y = cos(2*x)*(5*x+8)
y_int = int(y)
x = [-4*pi:0.01:4*pi];
y_vect = vectorize(y);
y_vect_int = vectorize(y_int);
y_num = eval(y_vect);
y_num_int = eval(y_vect_int);
plot(x,y_num,x,y_num_int)
ylim([-60 60]);
y_ltx = latex(y);
y_int_ltx = latex(y_int);
h = legend(['$',y_ltx,'$'], ['$ ',y_int_ltx,'$']);
set(h,'Interpreter','latex')
%Secinajumi:Ko es saprastu?
%1)Pirmkart es atradiju ortusa savu lab.darba variantu.
%2)Ar komandiem 'syms' un 'solve' risinaju savu dotu vienadojumu a + e^b*(x^2)-a*x = 100
%3)2 uzdevuma bija dota izteiksme y = cos(2*x)*(5*x+8), kur vajag atrast F(x) -?
%4)Pec tam ar komandu x = [-4*pi:0.01:4*pi]; defineju x skaitla vektoru
%5)Talak javeic izteiksmes vektorizāciju(jaieliek "." pirms reizinajuma,dalijuma, utt)
%6)x vietā jāliek skaitļu vektors
%7)% eval ir reāla laika interpretatora funkcija
%8)uzzimesim ar komandu plot
%9)Obligati japievieno anotaciju ar komandiem y_ltx = latex(y);y_int_ltx
%= latex(y_int);h =
%legend(['$',y_ltx,'$'], ['$ ',y_int_ltx,'$']);set(h,'Interpreter','latex') ,
%lai butu viegli orienteties grafika

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y =

$$\frac{(a + (400e^b + a^2 - 4ae^b)^{1/2})}{(2e^b)}$$

$$\frac{(a - (400e^b + a^2 - 4ae^b)^{1/2})}{(2e^b)}$$

y =

$$\frac{(a + (400e^b + a^2 - 4ae^b)^{1/2})}{(2e^b)}$$

$$\frac{(a - (400e^b + a^2 - 4ae^b)^{1/2})}{(2e^b)}$$

$$\frac{\sqrt{a + \sqrt{400e^b + a^2 - 4ae^b}}}{2e^b}$$

$$\frac{\sqrt{a - \sqrt{400e^b + a^2 - 4ae^b}}}{2e^b}$$

y =

$\cos(2x) * (5x + 8)$

y_int =

$(5\cos(2x))/4 + 4\sin(2x) + (5x\sin(2x))/2$

□

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