

Introduction to Software Testing

(2nd edition)

Chapter 7.1, 7.2

Overview Graph Coverage Criteria

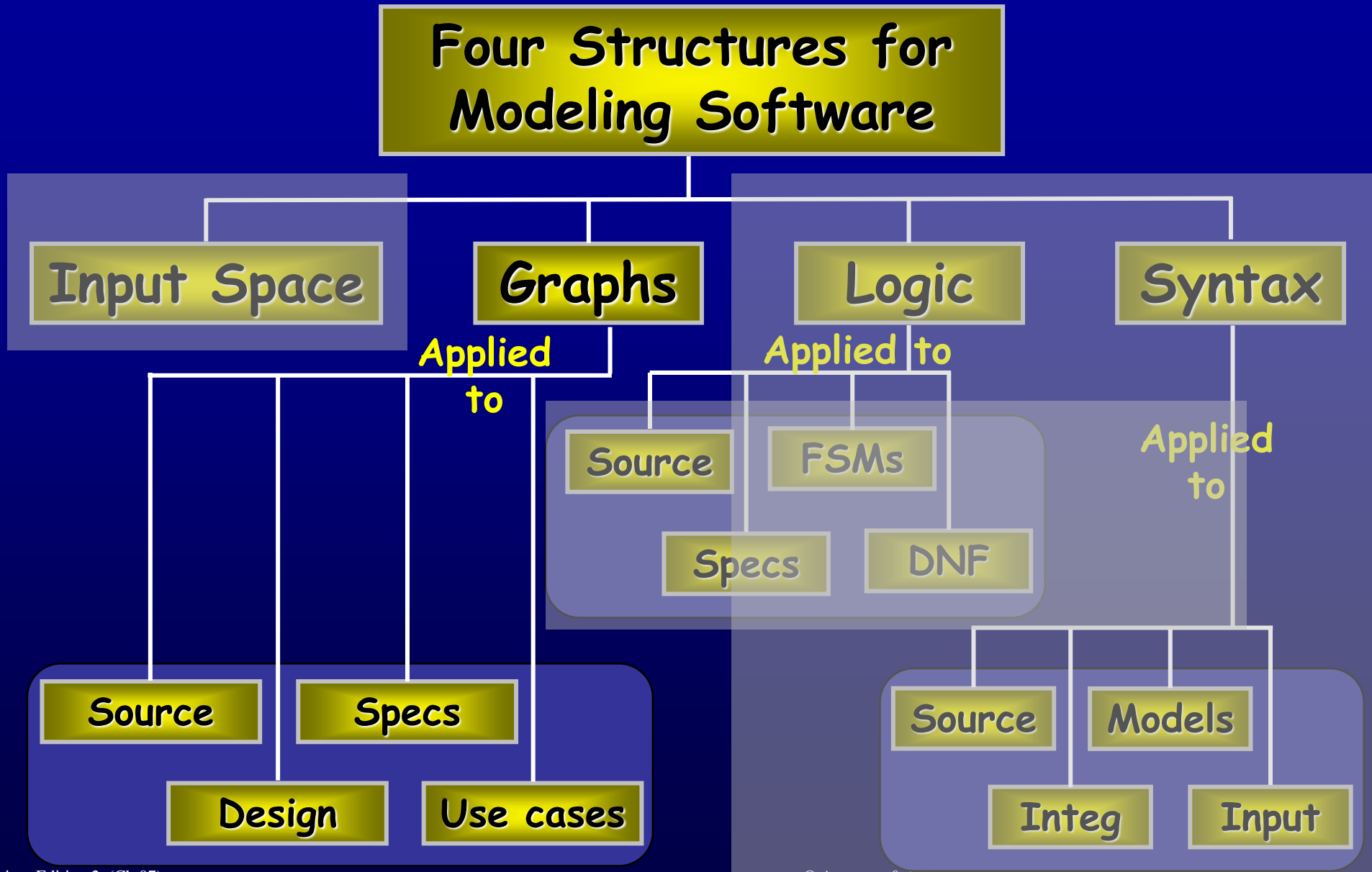
(active class version)

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<http://www.cs.gmu.edu/~offutt/softwaretest/>

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Ch. 7 : Graph Coverage



Covering Graphs (7.1)

- Graphs are the most **commonly** used structure for testing
- Graphs can come from **many sources**
 - Control flow graphs
 - Design structure
 - FSMs and statecharts
 - Use cases
- Tests usually are intended to “**cover**” the graph in some way

Definition of a Graph

- A set N of **nodes**, N is not empty
- A set N_0 of **initial nodes**, N_0 is not empty
- A set N_f of **final nodes**, N_f is not empty
- A set E of **edges**, each edge from one node to another
 - (n_i, n_j) , i is **predecessor**, j is **successor**

Is this a
graph?



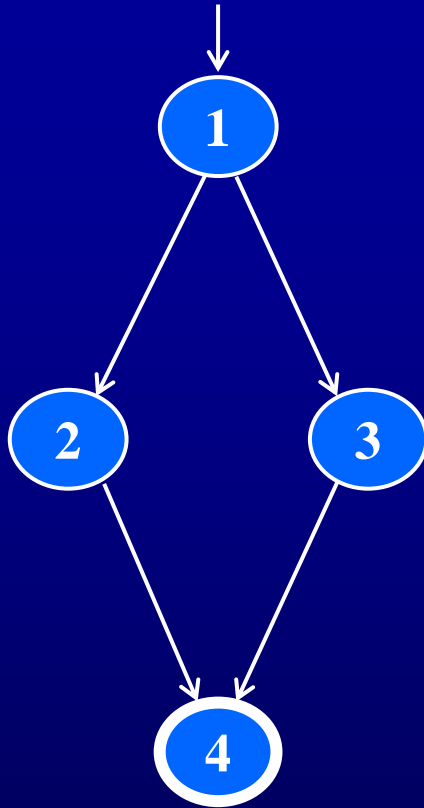
$N_0 = \{ 1 \}$

$N_f = \{ 1 \}$

$E = \{ \}$

Yes

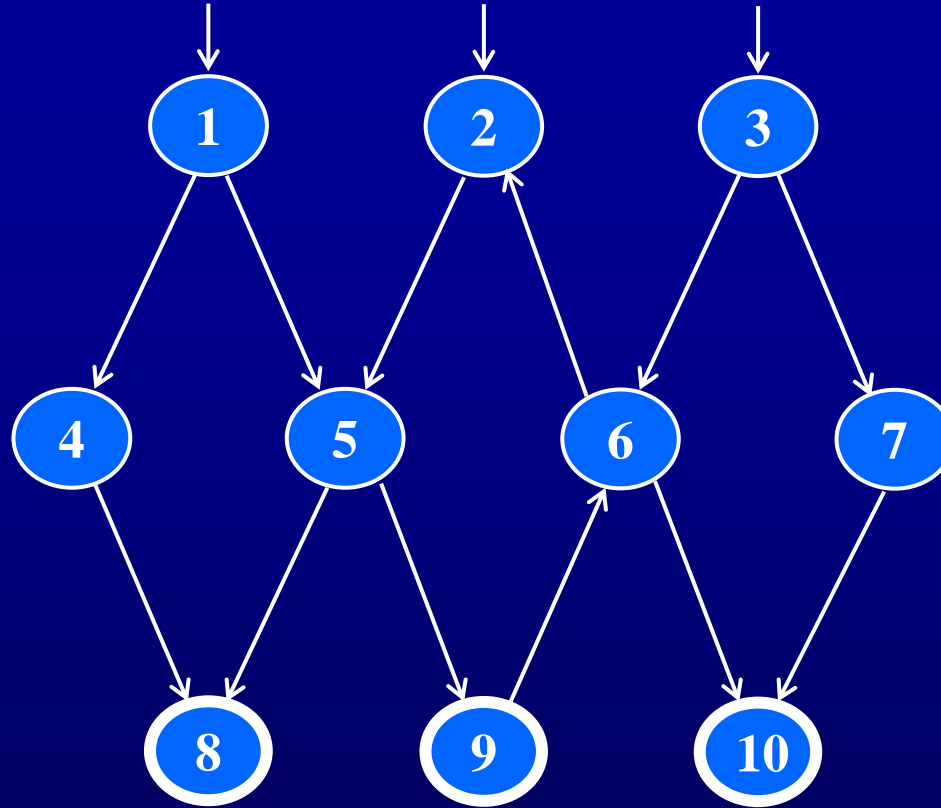
Example Graphs



$N_0 = \{ 1 \}$

$N_f = \{ 4 \}$

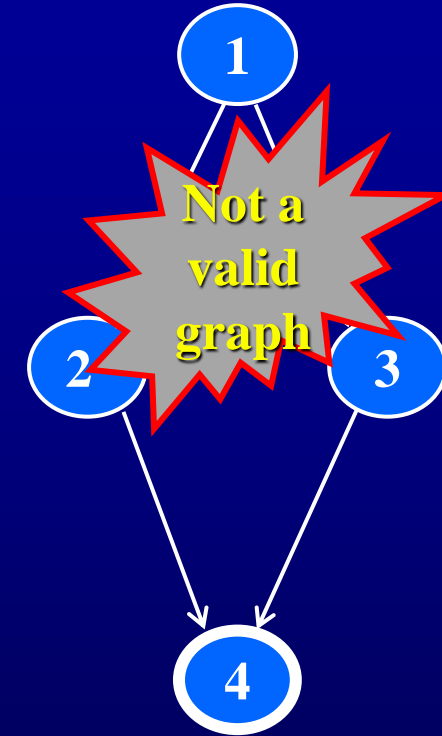
$E = \{ (1, 2), (1, 3), (2, 4), (3, 4) \}$



$N_0 = \{ 1, 2, 3 \}$

$N_f = \{ 8, 9, 10 \}$

$E = \{ (1, 4), (1, 5), (2, 5), (3, 6), (3, 7), (4, 8), (5, 8), (5, 9), (6, 2), (6, 10), (7, 10), (9, 6) \}$



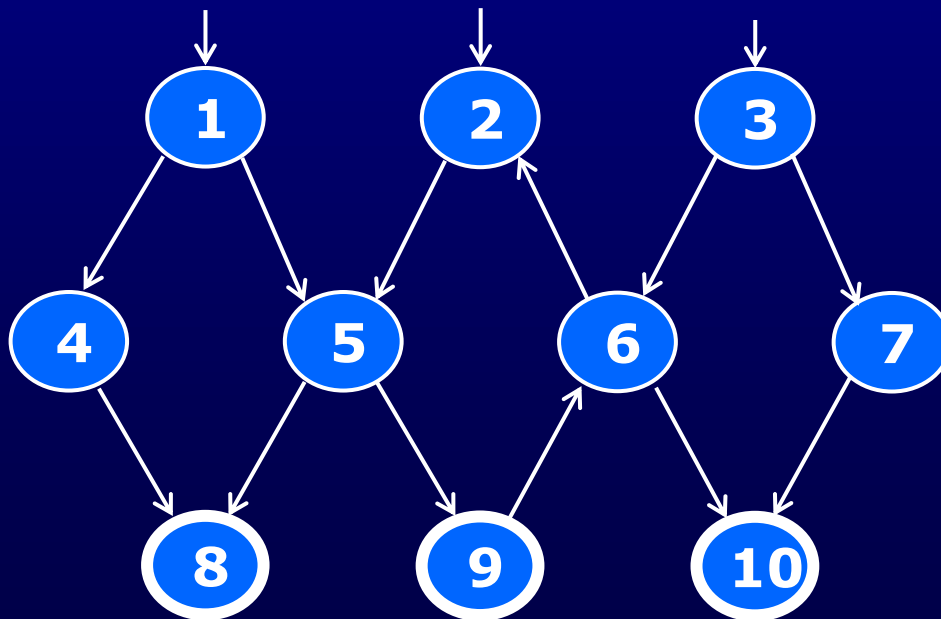
$N_0 = \{ \}$

$N_f = \{ 4 \}$

$E = \{ (1, 2), (1, 3), (2, 4), (3, 4) \}$

Paths in Graphs

- **Path** : A sequence of nodes – $[n_1, n_2, \dots, n_M]$
 - Each pair of nodes is an edge
- **Length** : The number of edges
 - A single node is a path of length 0
- **Subpath** : A subsequence of nodes in p is a subpath of p



A Few Paths

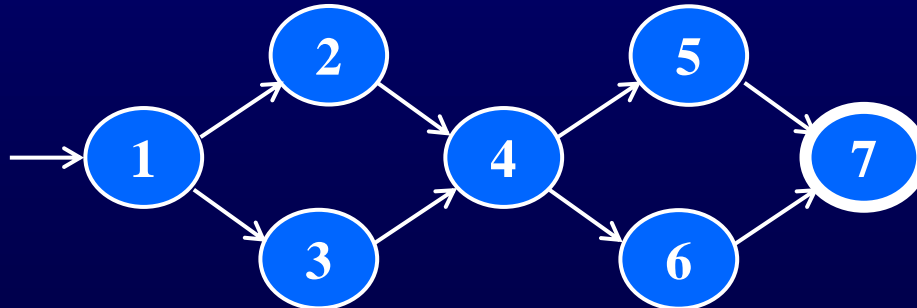
[1, 4, 8]

[2, 5, 9, 6, 2]

[3, 7, 10]

Test Paths and SESEs

- **Test Path** : A path that starts at an initial node and ends at a final node
- Test paths represent execution of test cases
 - Some test paths can be executed by many tests
 - Some test paths cannot be executed by any tests
- **SESE graphs** : All test paths start at a single node and end at another node
 - Single-entry, single-exit
 - N0 and Nf have exactly one node



Double-diamond graph

Four test paths

[1, 2, 4, 5, 7]
[1, 2, 4, 6, 7]
[1, 3, 4, 5, 7]
[1, 3, 4, 6, 7]

Visiting and Touring

- **Visit** : A test path p **visits** node n if n is in p
A test path p **visits** edge e if e is in p
- **Tour** : A test path p **tours** subpath q if q is a subpath of p

Test path [1, 2, 4, 5, 7]

Visits nodes ? 1, 2, 4, 5, 7

Visits edges ? (1,2), (2,4), (4, 5), (5, 7)

**Tours subpaths ? [1,2,4], [2,4,5], [4,5,7], [1,2,4,5],
[2,4,5,7], [1,2,4,5,7]**

(Also, each edge is technically a subpath)

Tests and Test Paths

- **path** (t) : The test path executed by test t
- **path** (T) : The set of test paths executed by the set of tests T
- Each test executes **one and only one** test path
 - Complete execution from a start node to an final node
- A location in a graph (node or edge) can be **reached** from another location if there is a sequence of edges from the first location to the second
 - **Syntactic reach** : A subpath exists in the graph
 - **Semantic reach** : A test exists that can execute that subpath
 - This distinction becomes important in **section 7.3**

```
if (x > 7 and y > 5)
{
    if (x < 0)
        print "Hi there";
    else
        print "Bye there";
}
```

Testing and Covering Graphs (7.2)

- We use graphs in testing as follows :
 - Develop a model of the software as a graph
 - Require tests to visit or tour specific sets of nodes, edges or subpaths
- **Test Requirements (TR)** : Describe properties of test paths
- **Test Criterion** : Rules that define test requirements
- **Satisfaction** : *Given a set TR of test requirements for a criterion C , a set of tests T satisfies C on a graph if and only if for every test requirement in TR , there is a test path in $path(T)$ that meets the test requirement tr*
- **Structural Coverage Criteria** : Defined on a graph just in terms of nodes and edges
- **Data Flow Coverage Criteria** : Requires a graph to be annotated with references to variables

Node and Edge Coverage

- The first (and simplest) two criteria require that each node and edge in a graph be executed

Node Coverage (NC) : Test set T satisfies node coverage on graph G iff for every syntactically reachable node n in N , there is some path p in $path(T)$ such that p visits n .

- This statement is a bit cumbersome, so we abbreviate it in terms of the set of test requirements

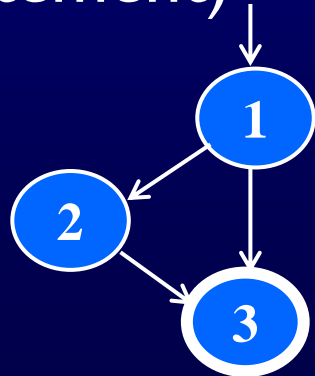
Node Coverage (NC) : TR contains each reachable node in G .

Node and Edge Coverage

- Edge coverage is slightly stronger than node coverage

Edge Coverage (EC) : TR contains each reachable path of length up to l , inclusive, in G .

- The phrase “length up to l ” allows for graphs with one node and no edges
- NC and EC are only different when there is an edge and another subpath between a pair of nodes (as in an “if-else” statement)



Node Coverage : ? TR = { 1, 2, 3 }

Test Path = [1, 2, 3]

Edge Coverage : ? TR = { (1, 2), (1, 3), (2, 3) }

**Test Paths = [1, 2, 3]
[1, 3]**

Example 1

```
if (x < y)
{
    y = 0;
    x = x+1;
}
else
{
    x = y;
}
```

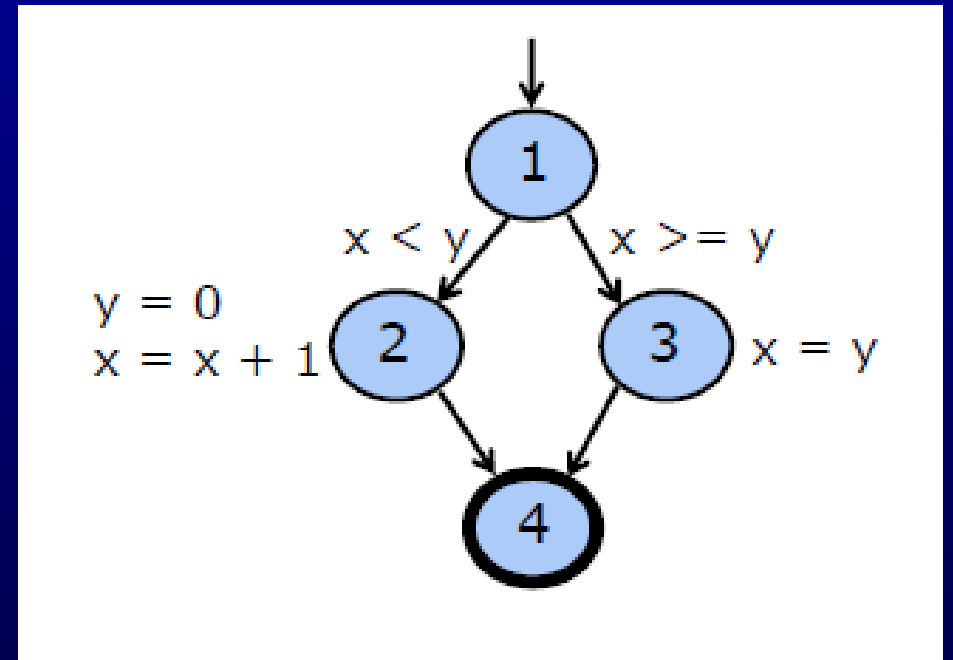
■ Basic blocks (nodes)

- 1: if (x < y) → entry node
- 2: y=0; x = x+1;
- 3: x = y;
- 4: implicit *return* after else block → exit node

```
if (x < y)
{
    y = 0;
    x = x+1;
}
else
{
    x = y;
}
```

■ Control Flows(edges)

- $1 \rightarrow 2$
- $1 \rightarrow 3$
- $2 \rightarrow 4$
- $3 \rightarrow 4$




```

if (x < y)
{
    y = 0;
    x = x+1;
}
else
{
    x = y;
}

```

■ Applying Node Coverage (NC)

- Test Requirement: {1,2,3,4}

- Test Paths:

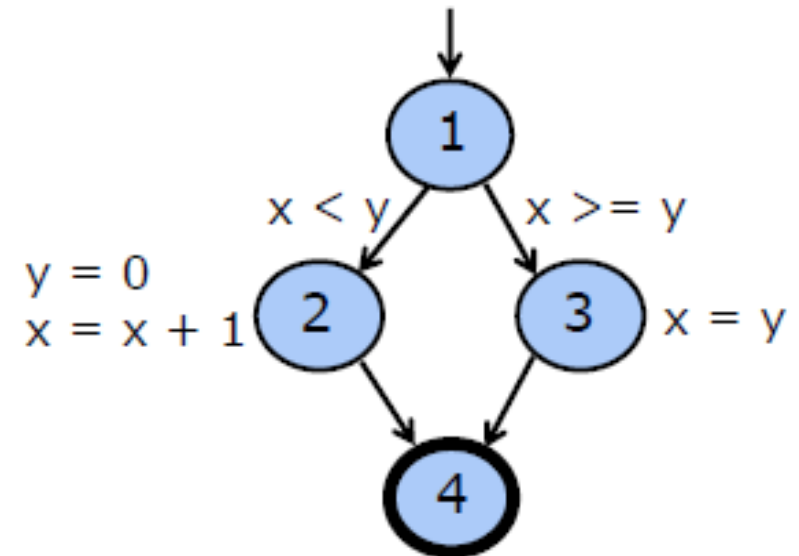
- T1 → [1,2,4]

- T2 → [1,3,4]

- Test case values:

- T1 → x=1 , y=2

- T2 → x=3 , y=2



Paths of Length 1 and 0

- A graph with **only one node** will not have any edges



- It may seem trivial, but formally, Edge Coverage needs to require Node Coverage on this graph
- Otherwise, Edge Coverage will not subsume Node Coverage
 - So we define “**length up to 1**” instead of simply “length 1”
- We have the same issue with graphs that only have **one edge** – for Edge-Pair Coverage ...

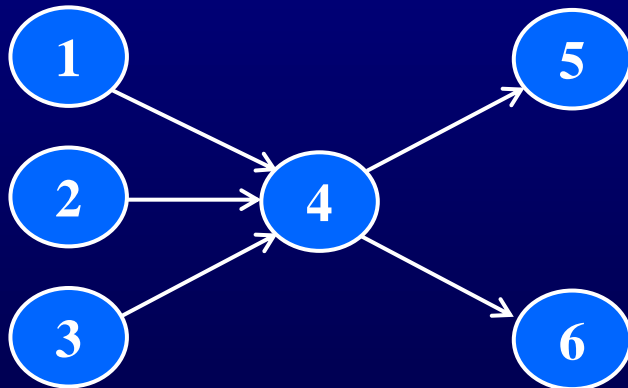


Covering Multiple Edges

- Edge-pair coverage requires **pairs of edges**, or subpaths of length 2

Edge-Pair Coverage (EPC) : TR contains each reachable path of length up to 2, inclusive, in G.

- The phrase “**length up to 2**” is used to include graphs that have less than 2 edges



Edge-Pair Coverage : ?

TR = { [1,4,5], [1,4,6], [2,4,5], [2,4,6], [3,4,5], [3,4,6] }

- The logical extension is to require **all paths** ...