```
In [1]: import pandas as pd
   import numpy as np
   import matplotlib as mpl
   import scipy.stats as stats
   from IPython.display import display

In [2]: dfs = pd.read_excel("clinical data.xlsx", sheet_name=None)
   dfs = [dfs[key] for key in dfs.keys()]

SIZES = list(map(lambda x: int(x.split()[0]), dfs[0].columns))
   COLORS = mpl.colormaps["viridis"](np.linspace(0.8,0.2,5))

display(dfs[0].head())
   display(dfs[1].head())
```

	30 um CSC (mC/cm^2)	50 um CSC (mC/cm^2)	100 um CSC (mC/cm^2)	150 um CSC (mC/cm^2)	200 um CSC (mC/cm^2)
0	20.3	22.3	25.8	30.7	40.3
1	21.4	21.8	28.6	33.5	45.8
2	17.8	23.7	30.8	29.9	48.9
3	19.5	19.9	27.5	34.2	47.8
4	18.2	26.7	22.5	36.8	50.3

	Sex	Device Type	RR Before Stim (breaths/min)	RR After Stim (breaths/min)
0	М	30 um	12.4	13.2
1	М	30 um	14.6	14.5
2	М	30 um	13.8	15.3
3	F	30 um	20.4	20.5
4	М	30 um	19.5	19.3

## Charge storage capacity (CSC) data analysis

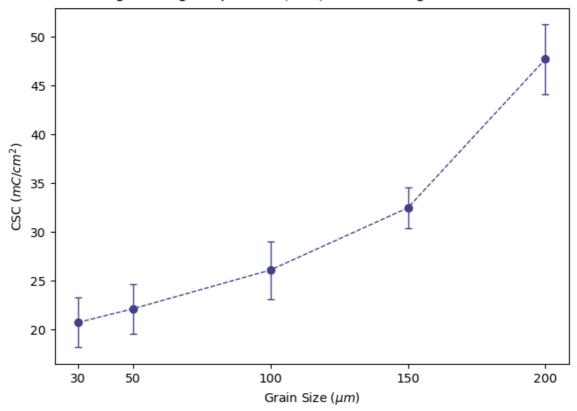
```
In [3]: fig = plt.figure(layout='constrained')
    ax = fig.subplots()

plt.errorbar(SIZES, dfs[0].mean(), yerr=dfs[0].std(), fmt="o--", color=COLO
    RS[-1], linewidth=1, capsize=3)

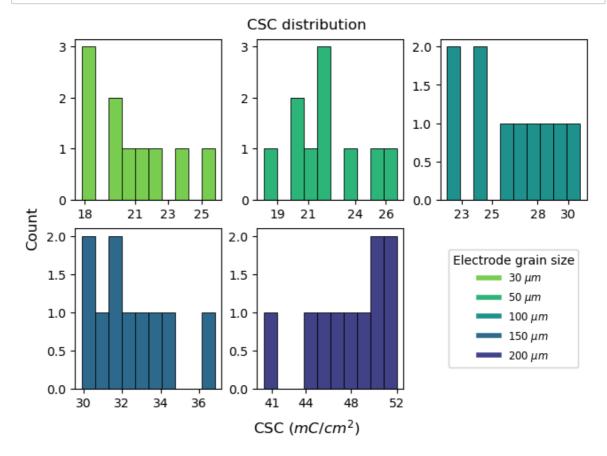
ax.set_xticks(SIZES)
    plt.xlabel(r"Grain Size ($\mu m $)")
    plt.ylabel(r"CSC ($mC / cm^2$)")
    plt.suptitle("Charge Storage Capacities (CSC) of different grain sizes")

plt.show()
```

## Charge Storage Capacities (CSC) of different grain sizes



```
In [17]:
         # fig, ax = plt.subplots(2, 3, constrained_layout=True)
         # ax[-1,-1].remove()
         # dfs[0].hist(color=COLORS[1], edgecolor="black", linewidth=0.6, grid=Fals
         e, ax=ax.ravel()[:5])
         # plt.show()
         fig, axs = plt.subplots(2, 3, constrained_layout=True)
         for i in range(5):
             ax = axs[i//3, i\%3]
             ax.set_xticks([*map(int, np.linspace(min(dfs[0].iloc[:,i])+1, max(dfs
         [0].iloc[:,i]), 4))])
             dfs[0].iloc[:,i].hist(color=COLORS[i], edgecolor="black", linewidth=0.
         6, grid=False, ax=ax)
         axs[-1,-1].legend(handles=[mpl.lines.Line2D([0], [0], color=COLORS[i], lw=
         4) for i in range(5)],
                            labels=[f"{s} " + r"$\mu m$" for s in SIZES],
                            title="Electrode grain size", loc='center', fontsize='sma
         11')
         axs[-1,-1].axis('off')
         plt.suptitle("CSC distribution")
         fig.supxlabel(r"CSC ($mC/cm^2$)")
         fig.supylabel("Count")
         plt.show()
```



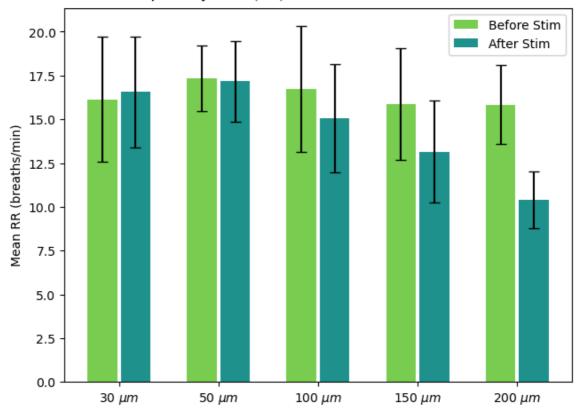
```
In [5]:
        for s in SIZES:
            print(f'{s} um results:',stats.shapiro(dfs[0][f'{s} um CSC (mC/cm^
        2)']))
        30 um results: ShapiroResult(statistic=0.9328032026562041, pvalue=0.476024
        092422507)
        50 um results: ShapiroResult(statistic=0.9760439838911069, pvalue=0.940547
        3935027514)
        100 um results: ShapiroResult(statistic=0.9655971797048837, pvalue=0.84729
        58347825618)
        150 um results: ShapiroResult(statistic=0.9451249190117598, pvalue=0.61131
        02692071415)
        200 um results: ShapiroResult(statistic=0.9362101152731511, pvalue=0.51166
        26187473816)
In [6]: # Normal ANOVA since data is normally dsitributed
        stats.f_oneway(*[dfs[0][f'{s} um CSC (mC/cm^2)'] for s in SIZES])
Out[6]: F_onewayResult(statistic=154.68559817778555, pvalue=1.1071633494384018e-2
        5)
In [7]: #Post-hoc test - Bonferroni Correction
        ca = 0.05/(len(SIZES) * (len(SIZES) - 1) / 2)
        print('Corrected alpha: ', ca)
        for s1 in SIZES:
            for s2 in SIZES:
                if s1 >= s2: continue
                ttest = stats.ttest_ind(dfs[0][f'{s1} um CSC (mC/cm^2)'], dfs[0]
        [f'{s2} um CSC (mC/cm^2)'])
                if ttest.pvalue < ca:</pre>
                    print(f'{s1} to {s2} um:', ttest)
        Corrected alpha: 0.005
        30 to 100 um: TtestResult(statistic=-4.335205691273846, pvalue=0.000398740
        90748587927, df=18.0)
        30 to 150 um: TtestResult(statistic=-11.278270467655549, pvalue=1.36068851
        4765877e-09, df=18.0)
        30 to 200 um: TtestResult(statistic=-19.327223580439796, pvalue=1.73742200
        6649516e-13, df=18.0)
        50 to 100 um: TtestResult(statistic=-3.2115027875604283, pvalue=0.00483854
        7495565712, df=18.0)
        50 to 150 um: TtestResult(statistic=-9.9619759760067, pvalue=9.46990337522
        1132e-09, df=18.0)
        50 to 200 um: TtestResult(statistic=-18.353302859444454, pvalue=4.22225242
        30316623e-13, df=18.0)
        100 to 150 um: TtestResult(statistic=-5.597274462202518, pvalue=2.59769040
        3472827e-05, df=18.0)
        100 to 200 um: TtestResult(statistic=-14.700795652942427, pvalue=1.8049759
        788069715e-11, df=18.0)
        150 to 200 um: TtestResult(statistic=-11.653299469182894, pvalue=8.0784424
        33116009e-10, df=18.0)
```

<sup>⇒</sup> All devices axcept 30 and 50 are different from eachother

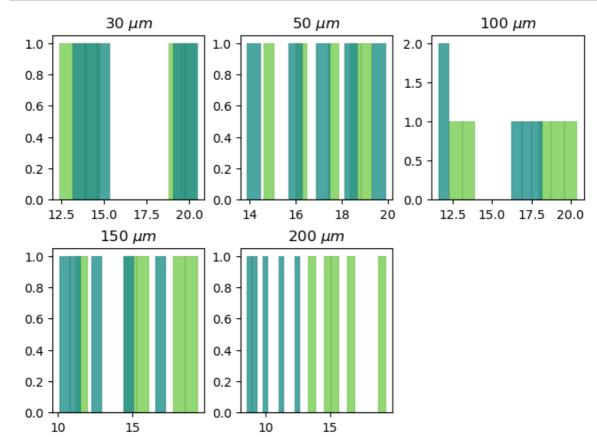
## Respiratory rate (RR) data analysis

```
In [8]:
        fig = plt.figure(layout='constrained')
        means = np.array([
            dfs[1][['RR Before Stim (breaths/min)','RR After Stim (breaths/min)']]
            [dfs[1]['Device Type'] == f"{s} um"].mean() for s in SIZES
        ]).flatten()
        stds = np.array([
            dfs[1][['RR Before Stim (breaths/min)','RR After Stim (breaths/min)']]
            [dfs[1]['Device Type'] == f"{s} um"].std() for s in SIZES
        ]).flatten()
        plt.bar(range(1,15,3), means[::2],
                yerr=stds[::2], color=COLORS[0], capsize=4, width=0.9)
        plt.bar(range(2,15,3), means[1::2],
                yerr=stds[1::2], color=COLORS[2], capsize=4, width=0.9)
        plt.legend(['Before Stim','After Stim'])
        plt.ylabel(r"Mean RR (breaths/min)")
        plt.xticks(np.arange(1.5, 14, 3),[f'{s} ' + r"$\mu m$" for s in SIZES])
        plt.suptitle("Mean Respiratory Rate (RR) before and after stimultation")
        plt.show()
```

## Mean Respiratory Rate (RR) before and after stimultation



```
In [9]: fig, axs = plt.subplots(2, 3, layout="constrained")
    axs[-1,-1].remove()
    axs = axs.ravel()
    for i, s in enumerate(SIZES):
        axs[i].hist(dfs[1]['RR Before Stim (breaths/min)'][dfs[1]['Device Typ
    e'] == f'{s} um'], edgecolor="black", alpha=0.8, linewidth=0.1, color=COLOR
    S[0])
        axs[i].hist(dfs[1]['RR After Stim (breaths/min)'][dfs[1]['Device Type']
        == f'{s} um'], edgecolor="black", alpha=0.8, linewidth=0.1, color=COLORS
    [2])
        axs[i].title.set_text(f"{s} " + r"$\mu m$")
        plt.show()
```



5 samples per electrode is not enough to determine normality. Therfore, we use a Wilcoxon statistic

```
In [10]:
         for s in SIZES:
             print(f"{s} um", stats.wilcoxon(dfs[1]['RR Before Stim (breaths/min)']
          [dfs[1]['Device Type'] == f'{s} um'],
                        dfs[1]['RR After Stim (breaths/min)'][dfs[1]['Device Type'] =
         = f'{s} um']))
         30 um WilcoxonResult(statistic=4.0, pvalue=0.4375)
         50 um WilcoxonResult(statistic=3.0, pvalue=0.4652088184521418)
         100 um WilcoxonResult(statistic=0.0, pvalue=0.0625)
         150 um WilcoxonResult(statistic=0.0, pvalue=0.0625)
         200 um WilcoxonResult(statistic=0.0, pvalue=0.0625)
         /nix/store/1nznx3yrv1lz0r1z49mwxxqjsfzikdrw-python3.12-scipy-1.14.0/lib/py
         thon3.12/site-packages/scipy/stats/_wilcoxon.py:199: UserWarning: Sample s
         ize too small for normal approximation.
           temp = _wilcoxon_iv(x, y, zero_method, correction, alternative, method,
         axis)
```

 $\Rightarrow$  All devices except 30 and 50 are different from eachother