

10.2 1s Complement (2/3)

- Technique to negate a value: **invert all the bits**.
- Largest value: $01111111 = +127_{10}$
- Smallest value: $10000000 = -127_{10}$
- Zeros:
 $00000000 = +0_{10}$
 $11111111 = -0_{10}$
- Range (for 8 bits): -127_{10} to $+127_{10}$
- Range (for n bits): $-(2^{n-1} - 1)$ to $2^{n-1} - 1$
- The **most significant bit (MSB)** still represents the sign: 0 for positive, 1 for negative.

10.3 2s Complement (2/3)

- Technique to negate a value: **invert all the bits**, then **add 1**.
- Largest value: $01111111 = +127_{10}$
- Smallest value: $10000000 = -128_{10}$
- Zero: $00000000 = +0_{10}$
- Range (for 8 bits): -128_{10} to $+127_{10}$
- Range (for n bits): -2^{n-1} to $2^{n-1} - 1$
- The **most significant bit (MSB)** still represents the sign: 0 for positive, 1 for negative.



10.8 Excess Representation (1/2)

- Besides sign-and-magnitude and complement schemes, the **excess representation** is another scheme.
- It allows the range of values to be distributed evenly between the positive and negative values, by a simple translation (addition/subtraction).
- Example: **Excess-4 representation on 3-bit numbers**. See table on the right.

<i>Excess-4 Representation</i>	<i>Value</i>
000	-4
001	-3
010	-2
011	-1
100	0
101	1
110	2
111	3



11.2 IEEE 754 Floating-Point Rep. (3/4)

- 3 components: **sign**, **exponent** and **mantissa (fraction)**



- Sign bit: 0 for positive, 1 for negative.
- Mantissa is **normalised** with an implicit leading bit 1
 - $110.1_2 \rightarrow \text{normalised} \rightarrow 1.101_2 \times 2^2 \rightarrow$ only **101** is stored in the mantissa field
 - $0.00101101_2 \rightarrow \text{normalised} \rightarrow 1.01101_2 \times 2^{-3} \rightarrow$ only **01101** is stored in the mantissa field



11.2 IEEE 754 Floating-Point Rep. (2/4)

- 3 components: **sign**, **exponent** and **mantissa (fraction)**



- The base (radix) is assumed to be 2.
- Two formats:
 - Single-precision (32 bits)**: 1-bit sign, 8-bit exponent with bias 127 (excess-127), 23-bit mantissa
 - Double-precision (64 bits)**: 1-bit sign, 11-bit exponent with bias 1023 (excess-1023), and 52-bit mantissa
- We will focus on the single-precision format
- Reading
 - DLD pages 32 - 33
 - IEEE standard 754 floating point numbers:
<http://steve.hollasch.net/cgindex/coding/ieeefloat.html>

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Function Prototype

- It is a good practice to put **function prototypes** at the top of the program, before the main() function, to inform the compiler of the functions that your program may use and their return types and parameter types.
- **A function prototype includes only the function's return type, the function's name, and the data types of the parameters** (names of parameters are optional).
- Function definitions to follow after the main() function.
- Without function prototypes, you will get error/warning messages from the compiler.

