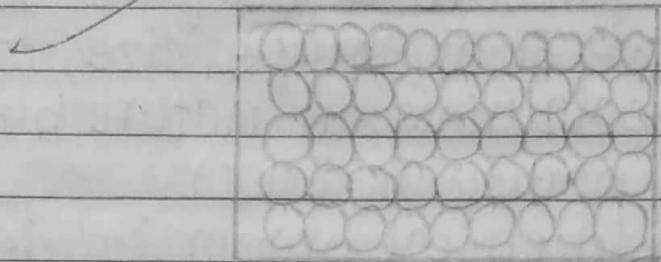


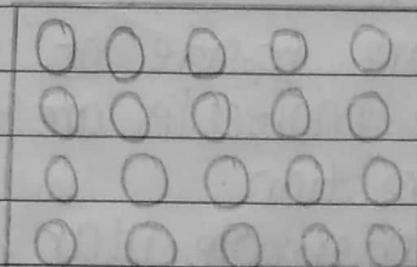
## State of Matter

Matter: Any thing that has mass is called matter. Matter are further classified into solid state, liquid state & gas state.

Solid state: The matter whose molecules are very tightly packed & has fixed shape & size. There is very small intermolecular space between these. They have high density & strong intermolecular force. Structure of solid state:-

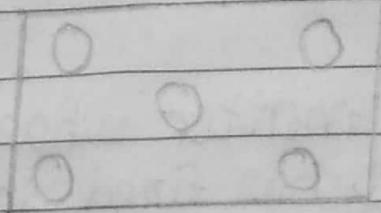


Liquid state: The state of matter in which molecules can flow (mobile) is called liquid state. There is intermolecular distance greater than solid but less than gas. They do not have fixed shape & size. They acquire the volume of vessels. Structure of liquid state:-



Gases state: The state of matter in which molecules can blow (mobile) in all possible directions called gases state. There is large intermolecular

far distance between the molecules greater than solid & liquid.  
structure of gas:-



### Characterized of gases

- 1) All the gaseous molecules expand from high pressure to lower pressure & acquire volume of vessel.
- 2) They don't have fixed shape, size, volume. Most of gases are colourless in nature but  $\text{Cl}_2, \text{F}_2, \text{Br}_2, \text{I}_2$  has their particular colour.
- 3) The physical & chemical properties depend upon temperature & pressure.
- 4) Gaseous molecules are compressible in nature & some gases are combustible in nature.

### Kinetic molecular theory of gases (4 marks)

To study physical properties of these gaseous molecules K.E give some basic postulates which are given below:-

- 1) All the gases are made of small particles called molecules. These molecules are moving randomly to all possible direction.
- 2) There is large intermolecular distance between these gaseous molecules.
- 3) The collision between these gaseous molecules is perfectly elastic. (It means that there no loss of energy.)

- 4) The average kinetic energy of these gaseous molecules is directly proportional to absolute temperature.
- 5) The pressure applied by these gaseous molecules on the wall of container due to continuous bombardment.
- 6) There is no effect of gravity on these gases molecules.

All the gaseous molecules have almost same physical properties. To study about their physical properties following generalization is made:

\* Boyle's law (5 marks)

In 1662 AD, Robert Boyle's study about relationship between volume of given mass of gas & pressure at constant temperature.

According to Boyle's law "volume of given mass of gas is inversely proportional to pressure of given gas at constant temperature."

Mathematically,  $V \propto \frac{1}{P}$  at constant temperature.

For gas A

Let  $P_1$  &  $V_1$  is pressure & volume of gas A.

According to Boyle's law,

$$V_1 \propto \frac{1}{P_1}$$

$$V_1 = \frac{k}{P_1}$$

$$P_1 V_1 = k \quad \textcircled{I}$$

Combining eq<sup>n</sup> I & II,

$$P_1 V_1 = P_2 V_2$$

$$\therefore \frac{P_1}{P_2} = \frac{V_2}{V_1}$$

For gas B.

Let  $P_2$  &  $V_2$  is pressure & volume of gas B.

According to Boyle's law

$$V_2 \propto \frac{1}{P_2}$$

$$V_2 = \frac{k}{P_2}$$

$$P_2 V_2 = k \quad \textcircled{II}$$

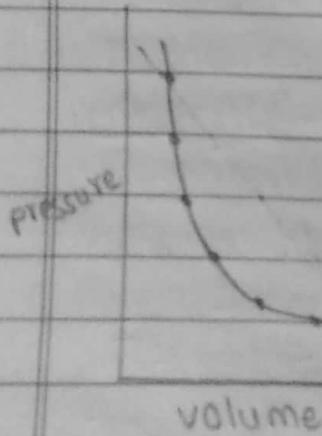
Graphical Representation of Boyle's Law

1) Volume vs pressure graph

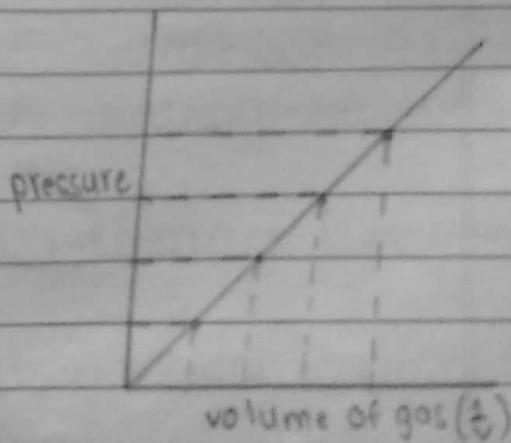
When volume of certain mass of gas is plotted against pressure hyperbolic curve is obtain.

2) Pressure vs  $\frac{1}{V}$  graph

When pressure of given gas is plotted against  $(\frac{1}{V})$  a linear straight line is obtained.



1)



2)

2) Pressure x volume vs pressure graph

When pressure volume product ( $PV$ ) is plotted against pressure then a straight line is obtained parallel to axis.

pressure graph →

Significance of Boyle's law

- 1) Boyle's law prove mathematically, that gases are compressible in nature.
- 2) It gives relationship between volume of given mass & gas & pressure at constant temperature.
- 3) It also give relationship between pressure of gas with density of given mass of gas.

$$\frac{m}{v} \propto \frac{1}{P}$$

$$\frac{m}{v} = \frac{k}{P}$$

$$P \times m = k \times v$$

$$\therefore P = \frac{k}{m} \times v$$

$$\therefore P \propto v$$

2) Charle's law

Alexander charle's 1787 AD give relationship between volume of certain mass of gas with temperature at constant pressure.

According to charle's law "At constant pressure, volume of given mass of gas increases or decreases by  $\frac{1}{273}$  of volume at  $0^\circ\text{C}$  for each rise or fall in

temperature."

$$V_1 = V_0 + \frac{1}{273} \times V_0$$

$$V_2 = V_0 + \frac{2}{273} \times V_0$$

$$V_3 = V_0 + \frac{3}{273} \times V_0$$

$$V_t = V_0 + \frac{t}{273} \times V_0$$

$$= V_0 \left[ 1 + \frac{t}{273} \right]$$

$$V_t = V_0 \left[ \frac{273 + t}{273} \right]$$

Or,

"Volume of given mass of gas is proportional to temperature at constant pressure.  
i.e.  $V \propto T$

$$V = kT \text{ [at constant]}$$

For gas A

If  $v_1$  &  $T_1$  are volume & temperature of gas A.

According to charle's law

$v_1 \propto T_1$  at constant pressure

$$v_1 = kT_1$$

$$\frac{v_1}{T_1} = k \quad \textcircled{1}$$

For gas B

If  $v_2$  &  $T_2$  are volume & temperature of gas B,

According to charle's law

$v_2 \propto T_2$  at constant pressure

$$v_2 = kT_2$$

$$\frac{v_2}{T_2} = k \quad \textcircled{2}$$

Comparing eq<sup>n</sup>  $\textcircled{1}$  &  $\textcircled{2}$

$$\frac{v_1}{T_1} = \frac{v_2}{T_2}$$

$$\frac{v_1}{v_2} = \frac{T_1}{T_2}$$

This is required combine gas equation of charle's law.

One litre of gas at  $0^{\circ}\text{C}$  is heated to  $100^{\circ}\text{C}$  keeping pressure constant. What is new volume at  $100^{\circ}\text{C}$ ?

Given,

$$\text{Volume } (V_1) = 1 \text{ litre}$$

$$\text{Temperature } (T_1) = 0 + 273 \\ = 273 \text{ K}$$

$$\text{Volume } (V_2) = ?$$

$$\text{Temperature } (T_2) = 100 + 273 \\ = 373 \text{ K}$$

From Charle's law,

$$\frac{V_1}{T_1} = \frac{V_2}{T_2}$$

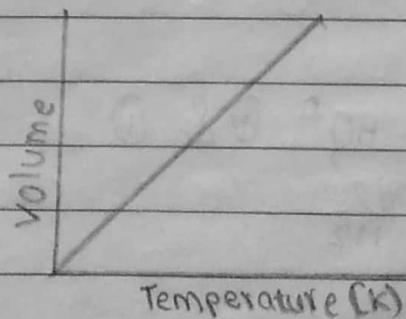
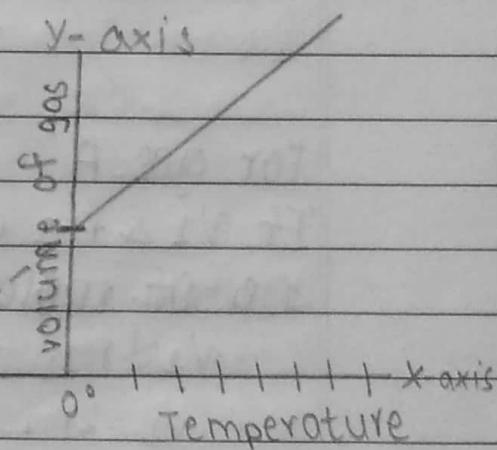
$$\frac{1}{273} = \frac{V_2}{373}$$

$$V_2 = \frac{1}{273} \times 373$$

$$V_2 = 1.36 \text{ litre}$$

Graphical representation of Charle's law

At temperature  $0^{\circ}\text{C}$  volume of gas is not zero on cooling gas below  $0^{\circ}\text{C}$  it start to liquidify & finally get solidify. The lowest temperature at which R.F of gas become zero (ceased) called absolute temperature (-273°C).



## Signification of Charles's law

- 1) It gives concept about relationship between volume of given mass of gas with temperature.
- 2) It also gives concept about the temperature at which gas become liquid & solid.
- 3) Charles's law is applied in hot air balloon. Higher the temperature of gas higher volume of gas.

## 3) Avogadro's law

This law gives relationship between volume of different gas & no. of molecules at constant temperature & pressure.

"Equal volume of different gas contain equal no. of molecules at constant temperature & pressure"

$n \rightarrow$  no. of moles (no. of molecules)

$V \propto n$  at constant temperature & pressure

$$V = kn$$

For gas A

If  $V_1$  &  $n_1$  are volume &  
no. of moles of gas A

$$V_1 \propto n_1$$

$$V_1 = kn_1$$

$$\frac{V_1}{n_1} = k \quad \text{--- (i)}$$

For gas B

If  $V_2$  &  $n_2$  are volume &  
no. of moles of gas B

$$V_2 \propto n_2$$

$$V_2 = kn_2$$

$$\frac{V_2}{n_2} = k \quad \text{--- (ii)}$$

Combining eq<sup>n</sup> (i) & (ii)

$$\frac{V_1}{n_1} = \frac{V_2}{n_2}$$

volume of gas

Graphical representation of Avogadro's law.

1 mole of gas =  $6.023 \times 10^{23}$  molecules at NTP  
(Avogadro number)

5 mole of gas =  $5 \times (6.023 \times 10^{23})$  molecules

0.5 mole of gas =  $0.5 \times 6.023 \times 10^{23}$  molecules

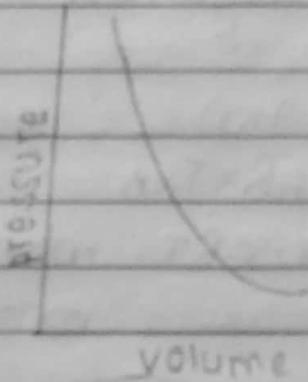
### Ideal gas equation

The equation which gives relationship between Boyle's law, Charles law & Avogadro's law is

1) Boyle's law <sup>called ideal gas equation. It is also called combined gas equation.</sup>

According to Boyle's law "volume of given mass of gas is inversely proportional to pressure of given gas at constant temperature."

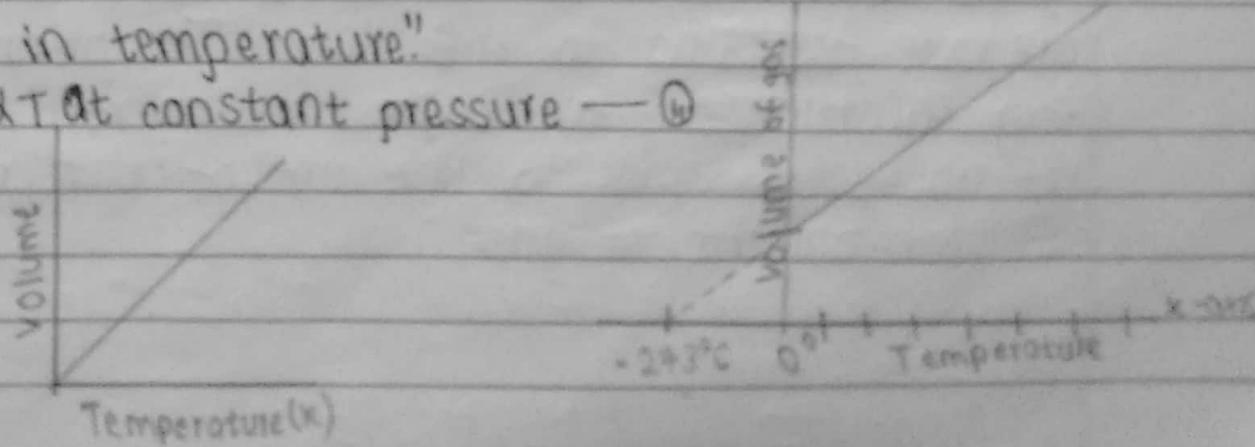
$$V \propto \frac{1}{P} \text{ at constant temperature - ①}$$



### 2) Charles' law

According to Charles' law "At constant pressure, volume of given mass of gas increases or decreases by  $\frac{1}{273}$  of volume at  $0^\circ\text{C}$  for each rise or fall in temperature."

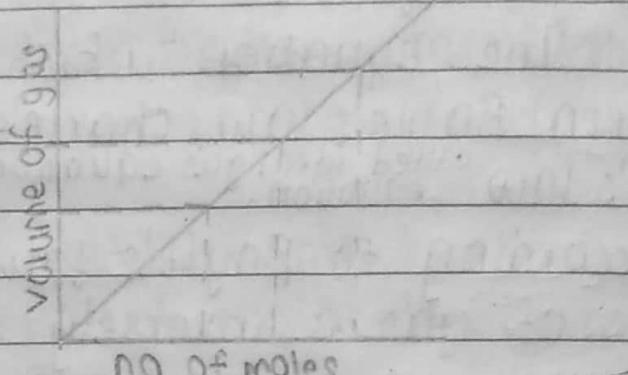
$$V \propto T \text{ at constant pressure - ②}$$



### 3) Avogadro law

According to Avogadro law, "Equal volume of different gases contain equal no of molecules at constant temperature & pressure."

$V \propto n$  at constant temperature & pressure - (ii)



combining eq<sup>n</sup> ①, ② & ③,

$$V \propto \frac{1}{P} \times T \times n$$

$nR$  is constant

$$PV = kT \times n$$

$$PV = R \times T \times n$$

$\therefore PV = nRT$  where  $n$  is no of moles,  $R$  is universal gas constant &  $T$  is temperature.

Dalton law of partial pressure (4 marks)

John Dalton in 1807 AD put forward the law to calculate the total pressure of gaseous mixture from the partial pressure of the constituent gases. This law is known as Dalton's law of partial pressure. According to this law "Temperature remaining constant, the total pressure exerted by mixture of gases is equal to the sum of partial pressure of component of gases".

If  $P_1, P_2, P_3$  &  $P_4$  are the partial pressure of gas 1, gas 2, gas 3 & gas 4 respectively.

$$P_T = P_1 + P_2 + P_3 + P_4 \text{ at constant temperature}$$

From ideal gas eq<sup>n</sup>

$$P_TV = n_1 RT$$

$$\frac{P_T}{V} = \frac{n_1 RT}{V}$$

$P_1$	$P_2$	
$P_3$	$P_4$	— 5L

$$\frac{n_1 RT}{V} = \frac{n_1 RT}{V} + \frac{n_2 RT}{V} + \frac{n_3 RT}{V} + \frac{n_4 RT}{V}$$

$$\frac{RT}{V} (n_1) = \frac{RT}{V} (n_1 + n_2 + n_3 + n_4)$$

$$n_1 = n_1 + n_2 + n_3 + n_4$$

Hence, Dalton law is also use to calculate total no of moles of gases mixture.

### Application of Dalton's Law

i) It is used to calculate the partial pressure of different gas if total pressure is known at constant temperature.

~~$$P_T = P_A + P_B + P_{\text{unknown}}$$~~

~~$$P_T - P_A - P_B = P_{\text{unknown}}$$~~

ii) It is also used to relate no. of moles of gaseous mixture from pressure at constant temperature.

~~$$n_1 = n_1 + n_2 + n_3$$~~

iii) It is also used to calculate pressure of dry gas from moisture of gas.

$$P_{\text{moisture}} = P_{\text{dry gas}} + P_{\text{water vapour}}$$

$$P_{\text{moisture}} - P_{\text{water vapour}} = P_{\text{dry gas}}$$

### 5) Graham's law of Diffusion (4 marks)

Thomas Graham studied the rate of diffusion of different gases. He observed that lighter gas diffuse faster than denser gas. By his studies, he formulated law called "Graham's law of diffusion".

"Under constant temperature & pressure, the rates of diffusion of different gases are inversely proportional to square root of their densities".

$$r_d \propto \frac{1}{\sqrt{d}}$$

where,  $r_d \rightarrow$  rate of diffusion of gas  
 $d \rightarrow$  density of given gas.

gas A

If  $r_1$  is rate of diffusion of gas A &  $d_1$  is density of gas A.

$$r_1 \propto \frac{1}{\sqrt{d_1}}$$

$$\frac{r_1}{\sqrt{d_1}} = k \quad \text{--- (i)}$$

gas B

If  $r_2$  is rate of diffusion of gas B &  $d_2$  is density of gas B.

$$r_2 \propto \frac{1}{\sqrt{d_2}}$$

$$\frac{r_2}{\sqrt{d_2}} = k \quad \text{--- (ii)}$$

Dividing eq<sup>2</sup> (ii) by eq<sup>2</sup> (i)

$$\frac{r_2}{r_1} = \frac{k}{\sqrt{d_2}} \times \frac{\sqrt{d_1}}{k}$$

$$\frac{r_2}{r_1} = \frac{k}{\sqrt{d_2}} \times \frac{\sqrt{d_1}}{k}$$

$$\frac{r_2}{r_1} = \frac{\frac{1}{\sqrt{d_2}}}{\frac{1}{\sqrt{d_1}}} = \frac{\sqrt{d_1}}{\sqrt{d_2}}$$

$$\therefore \frac{r_2}{r_1} = \sqrt{\frac{d_1}{d_2}} \quad \text{--- (iii)}$$

vapour density  $\times 2 =$  molecular mass

$$d \times 2 = M$$

$$d_1 = \frac{m_1}{2}$$

$$d_2 = \frac{m_2}{2}$$

From eq<sup>2</sup> (1)

$$\frac{r_2}{r_1} = \sqrt{\frac{m_1}{m_2}}$$

$$\frac{r_2}{r_1} = \sqrt{\frac{m_1}{m_2}}$$

$r_2$  → rate of diffusion of gas B

$r_1$  → rate of diffusion of gas A

$m_1$  → molecular mass of gas A

$m_2$  → molecular mass of gas B

Again, rate of diffusion <sup>is defined</sup> as the volume of gas diffuse per unit time.

$$r = \frac{\text{volume of gas diffused}}{\text{time taken}} = \frac{v}{t}$$

If volume are equal then

$$\frac{r_1}{t_1} = \frac{v}{t_1} \quad \frac{r_2}{t_2} = \frac{v}{t_2}$$

We have,

$$\frac{r_2}{r_1} = \sqrt{\frac{m_1}{m_2}}$$

$$\frac{v}{t_2} = \sqrt{\frac{m_1}{m_2}}$$

$$\frac{v}{t_1} = \sqrt{\frac{m_2}{m_1}} = \sqrt{\frac{d_2}{d_1}}$$

$$\therefore \frac{r_1}{r_2} = \sqrt{\frac{d_2}{d_1}}$$

Application of graham's law

- To find density & molecular mass of unknown gas.
- To separate the two gases having different densities for their mixture.

## Boyle's Law

### Type - 1

Date / /

Page No.

- 1) A gas occupies 100 cc at pressure of 340 mm of mercury. What will be volume at pressure of 1000 assuming that temperature to be constant.

Given,

Case I

$$V_1 = 100 \text{ cc}$$

$$P_1 = 340 \text{ mmHg}$$

Using Boyle's law,

$$P_1 V_1 = P_2 V_2$$

$$(340 \text{ mmHg}) \times 100 \text{ cc} = (1000 \text{ mmHg}) \times V_2$$

$$\therefore V_2 = 34 \text{ cc}$$

Case II

$$P_2 = 1000 \text{ mmHg}$$

$$V_2 = ?$$

### Type - 2

- 2) A vessel contain 250 ml of a gas at 650 mm Hg. The gas is compressed to 150 ml at constant temperature. Find out pressure of compressed gas.

Given,

Case I

$$\text{Volume of gas } (V_1) = 250 \text{ ml}$$

$$\text{Pressure of gas } (P_1) = 650 \text{ mmHg}$$

Using Boyle's law ,

$$P_1 V_1 = P_2 V_2$$

$$\frac{P_1 V_1}{V_2} = P_2$$

$$\therefore P_2 = 250 \text{ mmHg}$$

Case II

$$\text{Volume of } \overset{\text{compressed}}{\text{gas}} (V_2) = 150 \text{ ml}$$

$$\text{pressure of compressed gas } (P_2) ?$$

### Type - 3

- 3) A gas occupies a certain volume under pressure of  $10^3$  torr. What pressure will be required to compressed gas to the volume to  $(\frac{1}{3})^{\text{rd}}$  at constant pressure.

### Case I

Volume of gas ( $V_1$ ) =  $V$   
 Pressure of gas ( $P_1$ ) =  $10^3$  torr

Using Boyle's law,

$$P_1 V_1 = P_2 V_2$$

$$P_2 = \frac{P_1 V_1}{V_2}$$

$$P_2 = \frac{10^3 \times V}{\frac{1}{3} V}$$

$$P_2 = 10^3 \times 3$$

$$\therefore P_2 = 3000 \text{ torr}$$

### Case II

Volume of gas ( $V_2$ ) =  $\frac{1}{3} V$   
 Pressure of gas ( $P_2$ ) = ?

### Charle's law

#### Type : 1

A gas occupies 350 ml at  $40^\circ C$ . Calculate temp at which volume of gas become 400 ml. Assume that pressure remain constant.

Given,

case I

$$\text{Temperature}(T_1) = 40 + 273$$

$$\text{volume}(V_1) = 350 \text{ ml} = 313 \text{ K}$$

Applying charle's law,

$$\frac{V_1}{T_1} = \frac{V_2}{T_2}$$

$$350 = 400$$

$$313 = T_2$$

$$\therefore T_2 = 357.71 \text{ K}$$

#### Case II

$$\text{Temperature}(T_2) = ?$$

$$\text{volume}(V_2) = 400 \text{ ml}$$

### Type - 2

100 ml of nitrogen collected at  $27^\circ C$  & 650 mm pressure are cooled at to  $-65^\circ C$  under a pressure of 710 mm. Find out volume occupied by the gas.

Case I

Volume of  $N_2$  gas ( $V_1$ ) = 100 ml

Temperature ( $T_1$ ) =  $27 + 273$   
= 300 K

Pressure ( $P_1$ ) = 650 mm

Combine gas eq<sup>2</sup>,

$$\frac{P_1 V_1}{T_1} = \frac{P_2 V_2}{T_2}$$

$$\frac{650 \times 100}{300} = \frac{710 \times V_2}{208}$$

$$\therefore V_2 = 63.47 \text{ ml}$$

Case II

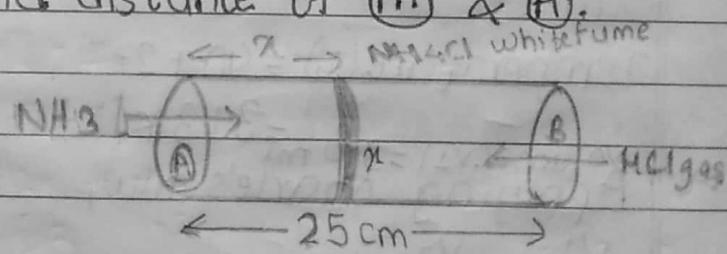
Volume of  $N_2$  ( $V_2$ ) = ?

Temperature ( $T_2$ ) =  $-65 + 273$   
= 208

Pressure of  $N_2$  ( $P_2$ ) = 710 mm

Type: 3

A straight glass tube of length 25 cm has two inlets A & B.  $NH_3$  gas through the inlets are allowed to enter the tube at same time - white fumes of  $NH_4Cl$  appears at point m inside the tube. Find distance of (m) & (A).



For  $NH_3$ ,

$$r_1 = \frac{\text{distance travel}}{\text{time}} = \frac{x}{t}$$

Molecular mass ( $m_1$ ) of  $NH_3$

$$= 14 + 3$$

$$= 17 \text{ amu}$$

For  $HCl$

$$r_2 = \frac{\text{distance travel by } HCl}{\text{time}} = \frac{(25-x)}{t}$$

Molecular mass ( $m_2$ ) of  $HCl$

$$= 36.5 \text{ amu}$$

By using graham's law of diffusion.

$$\frac{r_1}{r_2} = \sqrt{\frac{m_2}{m_1}}$$

$$\frac{n}{t} = \sqrt{36.5}$$

$$\frac{(25-n)}{t} = \sqrt{17}$$

$$\frac{n}{25-n} = 1.46$$

$$n = 36.5 - 1.46n$$

$$2.46n = 36.5$$

$$\therefore n = 14.83 \text{ cm},$$

Type: 4 A saturated hydrocarbon ( $C_nH_{2n+2}$ ) diffuse through porous membrane twice fast as  $SO_2$  gas. Determine the molecular formula of hydrocarbon.

Sol:

Hydrocarbon ( $C_nH_{2n+2}$ )

molecular mass =  $m_1$

rate of diffusion of  $(C_nH_{2n+2}) = 2r$  rate of diffusion of  $SO_2 = r$

Sulphurdioxide  $SO_2$

molecular mass ( $m_2$ ) = 64

By use of graham's law,

$$\frac{r_H}{r_{SO_2}} = \sqrt{\frac{m_2}{m_1}}$$

$$\frac{2r}{r} = \sqrt{\frac{64}{m_1}}$$

$$2 = \sqrt{\frac{64}{m_1}}$$

$$\therefore m_1 = 16$$

$$\text{Now, } n \times C + (2n+2) \times H = 16$$

$$n \times 12 + (2n+2) \times 1 = 16$$

$$12n + 2n + 2 = 16$$

$$14n = 14$$

$$\therefore n = 1$$

$$\text{Now, } C_nH_{2n+2}$$

$$= C_1H_{2 \times 1 + 2} = CH_4$$

A saturated hydrocarbon ( $C_nH_{2n+2}$ ) diffuse through porous membrane thrice fast as  $CO_2$  gas. Determine the molecular formula of hydrocarbon.

Saturated hydrocarbon ( $C_nH_{2n+2}$ )      carbondioxide ( $CO_2$ ),  
 molecular mass =  $m_1$       molecular mass = 44  
 rate of diffusion ( $C_nH_{2n+2}$ ) =  $3r$       rate of diffusion of  $CO_2$  =  $r$

By the use of graham's law,

$$\frac{r_H}{r_{CO_2}} = \sqrt{\frac{m_2}{m_1}}$$

$$\frac{3r}{r} = \sqrt{\frac{44}{m_1}}$$

$$3 = \frac{44}{m_1}$$

$$\therefore m_1 = 4.8$$

$$\text{Now, } n \times C + (2n+2) \times H = 4.8$$

$$n \times 12 + (2n+2) \times 1 = 4.8$$

$$12n + 2n + 2 = 4.8$$

$$14n = 4.8 - 2$$

$$\therefore n = 0.2$$

$$\begin{aligned} \text{Now, } C_nH_{2n+2} &= C_0.2H_{2 \times 0.5 + 2} \\ &= C_0.2H_6 \end{aligned}$$

*Octane  
Carbide  
0.1*

1) What is ideal gas?

→ The gas which obey ideal gas equation at all temperature and pressure. It is hypothetical gas which is used to study the properties of the real gas.

Some properties of ideal gas

- The distance between the molecules of the ideal gas is very far from each other.
- The collision between the gases molecules are perfectly elastic.

2) What is real gas?

→ The gas which does not obey the ideal gas equation at all temperature & pressure. It only obey at low pressure & high temperature.

Some properties of real gas are given below:-

a) The distance between the gaseous molecules are not very far from each other & the collision between the gases molecules is not perfectly elastic.

3) Why the rate of diffusion of the carbon dioxide is greater than the rate of diffusion of the sulphur dioxide.

→ The rate of diffusion of any gas is inversely proportional to the square root of molecular mass of gas.

$$R_1 \propto \frac{1}{\sqrt{m}}$$

The molecular mass of  $\text{CO}_2$  gas is 44 while  $\text{SO}_2$  gas

is 64. Higher the molecular mass, lower the rate of diffusion.

Q) What is diffusion of gases? Is it same or different from effusion. State Graham's law of diffusion. Prove that  $\frac{t_2}{t_1} = \sqrt{\frac{m_2}{m_1}} \cdot (1+1+2+2)$

→ The process of spreading of gases molecules at all possible directions from high pressure to low pressure at all possible direction is diffusion of gases. It is different from effusion because effusion is the process of concentrating of gases molecules from low to high pressure.

The reverse process of diffusion is called effusion.

Graham's law of diffusion states that "Under constant temperature & pressure, the rate of diffusion of different gases are inversely proportional to square root of their densities".

Prove that -  $\frac{t_2}{t_1} = \sqrt{\frac{m_2}{m_1}}$   
SoP:

Let  $r_1$  is rate of diffusion of gas A &  $t_1$  is time taken.

If volumes are equal then,

$$r_1 = \frac{V}{t_1}$$

$$r_2 = \frac{V}{t_2}$$

Let,  $r_2$  is rate of diffusion of gas B &  $t_2$  is time taken.

We have,

$$\frac{r_1}{r_2} = \sqrt{\frac{m_1}{m_2}}$$

$$\frac{\frac{V}{t_1}}{\frac{V}{t_2}} = \sqrt{\frac{m_1}{m_2}}$$

$$\therefore \frac{t_2}{t_1} = \sqrt{\frac{m_2}{m_1}}$$

5) A balloon can hold 1000 cc of air before bursting. The balloon can hold 975 cc of air at  $5^{\circ}\text{C}$ . Will it burst when taken to a house at  $25^{\circ}\text{C}$ ? Assume that pressure of gas in the balloon remain constant?

Case I

$$\text{Volume of gas } (V_1) = 975 \text{ cc}$$

$$\begin{aligned} \text{Temperature } (T_1) &= 5 + 273 \\ &= 278 \text{ K} \end{aligned}$$

Case II

$$\text{Volume of gas } (V_2) = ?$$

$$\begin{aligned} \text{Temperature } (T_2) &= 25 + 273 \\ &= 298 \text{ K} \end{aligned}$$

According to Charles' law,

$$\frac{V_1}{V_2} = \frac{T_1}{T_2}$$

$$\frac{975}{V_2} = \frac{278}{298}$$

$$\therefore V_2 = 1045.12 \text{ cc}$$

But the capacity of balloon is 1000 cc. Hence, balloon will burst if it is taken to house at  $25^{\circ}\text{C}$ .

6) How long will it take 600 ml of H<sub>2</sub> gas to diffuse through a porous membrane if 300 ml of O<sub>2</sub> diffuse through it in 10 min under similar condition?

$$\text{Volume of H}_2\text{ gas } (V_H) = 600 \text{ ml}$$

$$\text{Volume of O}_2\text{ gas } (V_O) = 300 \text{ ml}$$

$$\text{Rate of diffusion } (R_H) \Rightarrow$$

$$\text{Time of O}_2\text{ gas } (T_O) = 10 \text{ min}$$

$$\text{Time of H}_2\text{ gas } (T_H) = ?$$

$$\text{Now, } \frac{r_H}{r_O} = \sqrt{\frac{m_O}{m_H}}$$

$$\frac{\frac{V_H}{t_H}}{\frac{V_O}{t_O}} = \sqrt{\frac{m_O}{m_H}}$$

$$\frac{V_H \times t_O}{t_H \times V_O} = \sqrt{\frac{m_O}{m_H}}$$

$$\frac{600 \times (10 \times 60)}{t_H \times 300} = \sqrt{\frac{32}{2}}$$

$$\therefore t_H = 300 \text{ sec} = 5 \text{ min}$$