

Pairwise Augmented GANs with Adversarial Reconstruction Loss

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Generative Adversarial Networks (GANs)

Input: x_1, \dots, x_n - real samples from $p^*(x)$

GAN:

- generator $G_\theta : z \rightarrow x$, $z \sim p(z)$ - samples objects from a noise
- discriminator $D_\psi : x \rightarrow [0, 1]$ - classifies real objects from generated ones

Goal: match the generator's distribution $p_\theta(x)$ to $p^*(x)$

Discriminator's objective:

$$\mathbb{E}_{p^*(x)} \log D_\psi(x) + \mathbb{E}_{p(z)} \log(1 - D_\psi(G_\theta(z))) \rightarrow \max_{\psi}$$

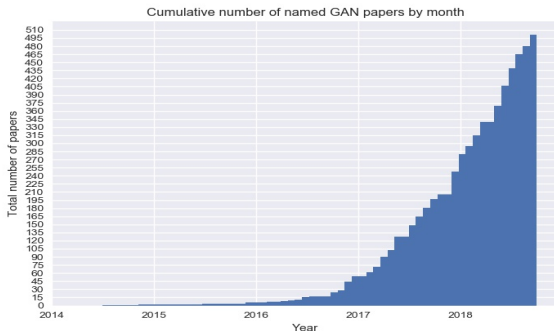
Generator's objective:

$$\mathbb{E}_{p(z)} \log D_\psi(G_\theta(z)) \rightarrow \max_{\theta}$$

GAN Advantages

The idea of adversarial learning is **very fruitful**:

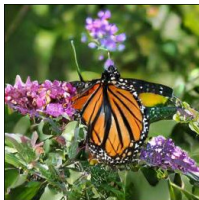
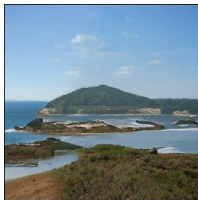
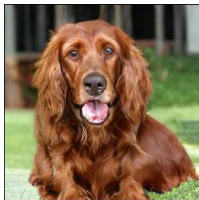
- To date, there are more than 500 different GAN models¹
- Many applications in computer vision
- Around 6000 cites to the original paper of Goodfellow et al.



¹<https://github.com/hindupuravinash/the-gan-zoo>

GAN Advantages

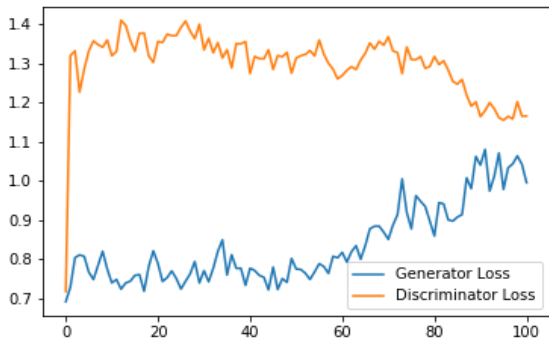
GAN generates **high quality** images



GAN Drawbacks

It is **hard** to train:

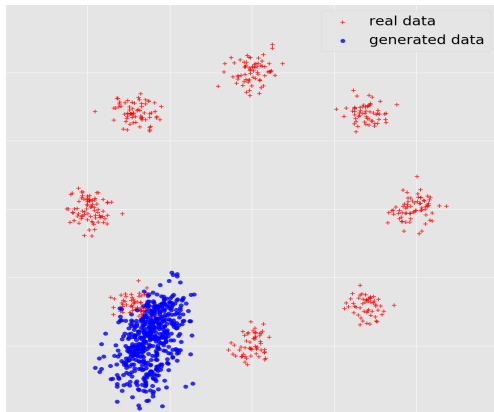
- training process can be unstable
- there is no stopping criteria except for a visual judgement



GAN Drawbacks

Mode collapsing problem:

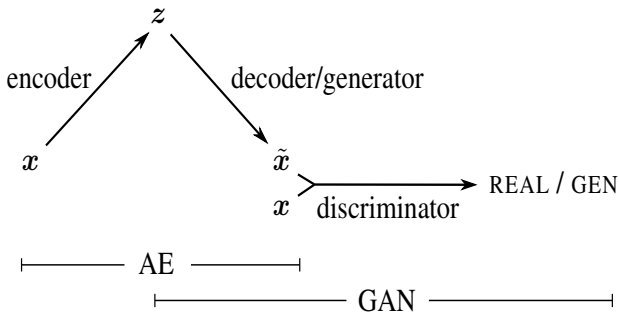
- generator samples only a small subset of training dataset



GAN Drawbacks

There is no **inverse mapping**:

- there is no **encoder** which maps the generated image to the corresponding noise vector
- such auto-encoding property has many applications, e.g. image editing, image inpainting, etc.



Introducing Encoder Part

Encoder $E_\varphi : x \rightarrow z$ maps input image to the corresponding latent vector.

Objective for the encoder: to have **good reconstructions**, i.e.,

$$G_\theta(E_\varphi(x)) \approx x$$

Reconstruction Loss

Standard reconstruction losses:

- $\|x - y\|_2^2$ - L_2 loss;
- $\|x - y\|_1^2$ - L_1 loss;
- $\|\Phi(x) - \Phi(y)\|_2^2$ - perceptual loss where $\Phi(\cdot)$ is the output of intermediate layers of a pretrained network (e.g. VGG)

Many bidirectional GANs use them:

- AGE,
- α -GANs,
- Cycle-GANs,
- ALICE,
- MINE,
- SVAE

Drawbacks of Standard Losses

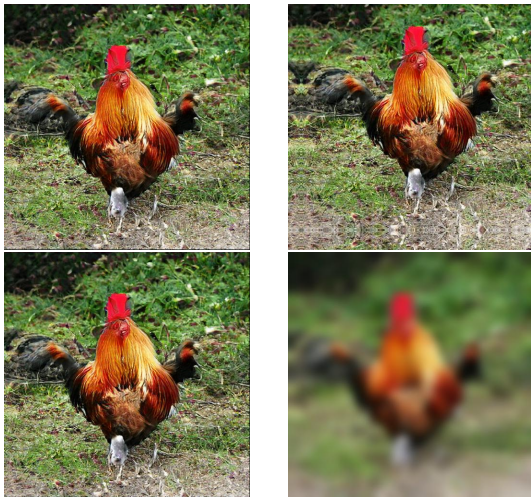


Figure: First column is original, second is augmentation

Drawbacks of Standard Losses

Loss	Blur	Pad + crop
L_1	0.21	0.4
L_2	0.074	0.26
Perceptual-123	2.24	3.52
Perceptual-345	9.02	13.79

Drawbacks of L_1 and L_2

- The space of pixels is very noisy and does not capture the perceptual similarity of images
- L_1 and L_2 encourage the exact coincidence of images rather than a content-wise similarity
- L_1 and L_2 enforce auto-encoding model to recover too many unnecessary details of the source object

Drawbacks of Perceptual Loss

- The choice of intermediate layers and their weights is heuristic
- First layers have the same problems as L_1 and L_2 , deep layers lose local details of the image
- Necessity of an additional pretrained network

Augmentation Function

An augmentation function $a(\cdot) : x \rightarrow y$ is a stochastic transformation of input image

Examples:

- Gaussian blur;
- contrast;
- combination of padding and random crop

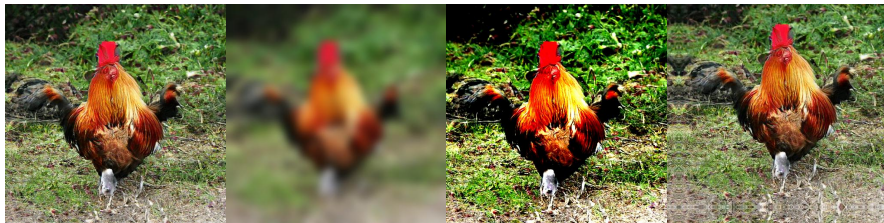


Figure: Original, Blur, Contrast, Pad+Crop

Conditional Distributions

Mappings $G_\theta(z)$, $E_\varphi(x)$ and $a(x)$ induce the following conditional distributions:

- $p_\theta(x|z)$ over outputs of the generator $G_\theta(z)$ given z ;
- $q_\varphi(z|x)$ over outputs of the encoder $E_\varphi(x)$ given x ;
- $r(y|x)$ over the augmentations $a(x)$ given a source object x .

Discriminator on Pairs

Two classes of pairs:

- **real** class: (x, y) from $p^*(x)r(y|x)$, i.e., x is real, $y = a(x)$ is its augmentation;
- **fake** class: (x, y) from $p^*(x)p_{\theta, \varphi}(y|x) = p^*(x) \int p_{\theta}(y|z)q_{\varphi}(z|x)dz$, i.e., x is real, $y = G_{\theta}(E_{\varphi}(x))$ is its reconstruction

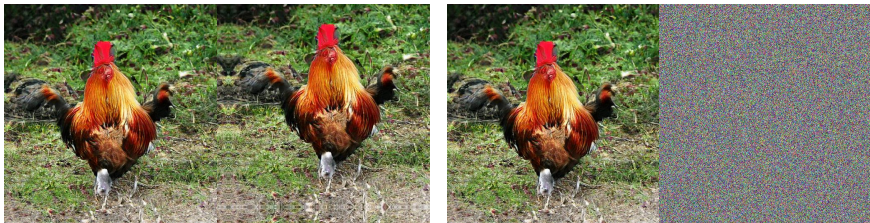


Figure: Left - real pair, right - fake pair

Discriminator on Pairs

Discriminator $D_\tau(x, y)$ classifies mentioned two classes of pairs.

Discriminator's objective:

$$\mathbb{E}_{p^*(x)r(y|x)} \log D_\tau(x, y) + \mathbb{E}_{p^*(x)p_{\theta, \varphi}(y|x)} \log(1 - D_\tau(x, y)) \rightarrow \max_{\tau}$$

Generator's objective:

$$\mathbb{E}_{p^*(x)p_{\theta, \varphi}(y|x)} \log D_\tau(x, y) \rightarrow \max_{\theta}$$

Encoder's objective:

$$\mathbb{E}_{p^*(x)p_{\theta, \varphi}(y|x)} \log D_\tau(x, y) \rightarrow \max_{\varphi}$$

It is crucial to use augmentation pairs!

Matching Encoder to Prior

- Outputs of $E_\varphi(x)$ for real images can be very far from the prior distribution $p(z)$.
- G_θ should generate good images both for samples from the prior $p(z)$ and for outputs of E_φ .
- As a result, it will lead to unstable training of G_θ

Therefore we introduce the third discriminator $D_\zeta(z)$ for matching E_φ to the prior $p(z)$.

Discriminator's objective:

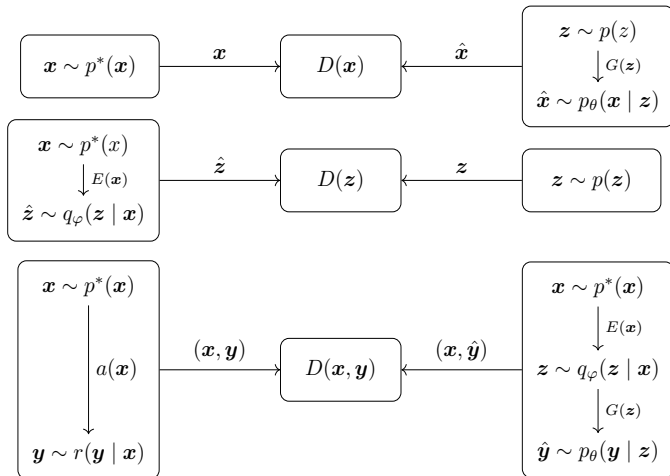
$$\mathbb{E}_{p(z)} \log D_\zeta(z) + \mathbb{E}_{p^*(x)} \log(1 - D_\zeta(E_\varphi(x))) \rightarrow \max_{\zeta}$$

Encoder's objective:

$$\mathbb{E}_{p^*(x)} \log D_\zeta(E_\varphi(x)) \rightarrow \max_{\varphi}$$

PAGAN Diagram

The diagram of Pairwise Augmented GAN (PAGAN) model:



PAGAN Algorithm

Algorithm 1 The PAGAN training algorithm.

$\theta, \varphi, \psi, \zeta, \tau \leftarrow$ initialize network parameters

repeat

$$\mathbf{x}^{(1)}, \dots, \mathbf{x}^{(N)} \sim p^*(\mathbf{x})$$

▷ Draw N samples from the dataset and the prior

$$\mathbf{z}^{(1)}, \dots, \mathbf{z}^{(N)} \sim p(\mathbf{z})$$

$$\hat{\mathbf{z}}^{(i)} \sim q_\varphi(\mathbf{z} \mid \mathbf{x} = \mathbf{x}^{(i)}), \quad i = 1, \dots, N$$

▷ Sample from the conditionals

$$\mathbf{x}_{pr}^{(j)} \sim p_\theta(\mathbf{x} \mid \mathbf{z} = \mathbf{z}^{(j)}), \quad j = 1, \dots, N$$

$$\mathbf{x}_{rec}^{(i)} \sim p_\theta(\mathbf{x} \mid \mathbf{z} = \hat{\mathbf{z}}^{(i)}), \quad j = 1, \dots, N$$

$$\mathbf{x}_{aug}^{(i)} \sim r(\mathbf{y} \mid \mathbf{x} = \mathbf{x}^{(i)}), \quad j = 1, \dots, N$$

$$\mathcal{L}_d^x \leftarrow -\frac{1}{N} \sum_{i=1}^N \log D(\mathbf{x}^{(i)}) - \frac{1}{N} \sum_{j=1}^N \log (1 - D(\mathbf{x}_{pr}^{(j)})) \quad \triangleright \text{Compute discriminator loss}$$

$$\mathcal{L}_d^z \leftarrow -\frac{1}{N} \sum_{i=1}^N \log D(\mathbf{z}^{(i)}) - \frac{1}{N} \sum_{j=1}^N \log (1 - D(\hat{\mathbf{z}}^{(j)}))$$

$$\mathcal{L}_d^{xx} \leftarrow -\frac{1}{N} \sum_{i=1}^N \log D(\mathbf{x}^{(i)}, \mathbf{x}_{aug}^{(i)}) - \frac{1}{N} \sum_{j=1}^N \log (1 - D(\mathbf{x}^{(j)}, \mathbf{x}_{rec}^{(j)}))$$

$$\mathcal{L}_g \leftarrow -\frac{1}{N} \sum_{i=1}^N \log D(\mathbf{x}_{pr}^{(i)}) - \frac{1}{N} \sum_{j=1}^N \log D(\mathbf{x}^{(j)}, \mathbf{x}_{rec}^{(j)}) \quad \triangleright \text{Compute generator loss}$$

$$\mathcal{L}_e \leftarrow -\frac{1}{N} \sum_{i=1}^N \log D(\hat{\mathbf{z}}^{(i)}) - \frac{1}{N} \sum_{j=1}^N \log D(\mathbf{x}^{(j)}, \mathbf{x}_{rec}^{(j)}) \quad \triangleright \text{Compute encoder loss}$$

$$\psi \leftarrow \psi - \nabla_\psi \mathcal{L}_d^x, \quad \zeta \leftarrow \zeta - \nabla_\zeta \mathcal{L}_d^z \quad \triangleright \text{Gradient update on discriminator networks}$$

$$\tau \leftarrow \tau - \nabla_\tau \mathcal{L}_d^{xx}$$

$$\theta \leftarrow \theta - \nabla_\theta \mathcal{L}_g, \quad \varphi \leftarrow \varphi - \nabla_\varphi \mathcal{L}_e \quad \triangleright \text{Gradient update on generator-encoder networks}$$

until convergence

Samples and Reconstructions



Figure: Samples and reconstructions of Pagan model for CIFAR10 dataset.

Inception Score, Fréchet Inception Distance (FID)

Model	FID	Inception Score
WAE-GAN	87.7	4.18 ± 0.04
ALI		5.34 ± 0.04
AGE	39.51	5.9 ± 0.04
ALICE		6.02 ± 0.03
S-VAE		6.055
α -GANs		6.2
AS-VAE		6.3
PD-WGAN	33.0	6.70 ± 0.09
PAGAN (ours)	32.84	6.56 ± 0.06

Reconstruction Inception Dissimilarity

- As we showed, standard reconstruction losses are not good metric for evaluating reconstruction quality
- We introduced a novel metric Reconstruction Inception Dissimilarity (RID) which is based on a pre-trained classification network:

$$RID = \exp \{ \mathbb{E}_{x \sim \mathcal{D}} D_{\text{KL}}(p(y|x) \| p(y|G(E(x)))) \}$$

where $p(y|x)$ is a pre-trained classifier that estimates the label distribution given an image.

RID Results

Model	RMSE	RID
AUG	8.89	1.57 ± 0.02
VAE	5.85	44.33 ± 2.27
SVAE	8.59	38.13 ± 1.92
AGE	6.675	19.02 ± 0.84
PAGANs	8.12	13.01 ± 0.82

Ablation Study

Model	FID	IS	RID
PAGAN	32.84	6.56 \pm 0.06	13.01 \pm 0.82
PAGAN-L1	76.73	4.46 \pm 0.03	30.94 \pm 1.58
PAGAN-NOAUG	111.151	4.23 \pm 0.06	50.15 \pm 2.71

Choice of Augmentation

Augmentation		IS	FID	RID
crop+padding	0	3.35±0.03	108.81	
	0.05	5.62±0.01	45.60	14.70±1.08
	0.1	6.56±0.09	37.20	12.75±0.75
	0.15	6.16±0.03	39.38	12.25±0.71
	0.2	6.16±0.19	39.18	13.86±0.72
Blur		2.15±0.01	200.66	32.92±1.46
Contrast		4.18±0.01	101.27	50.02±2.10

Conclusion

- We propose a novel auto-encoding generative model
- We introduce an augmented adversarial loss based on the discriminator on pairs
- We propose Reconstruction Inception Dissimilarity as an alternative metric for evaluating reconstruction quality
- Our model shows good results on sampling from the prior and on encoding real images