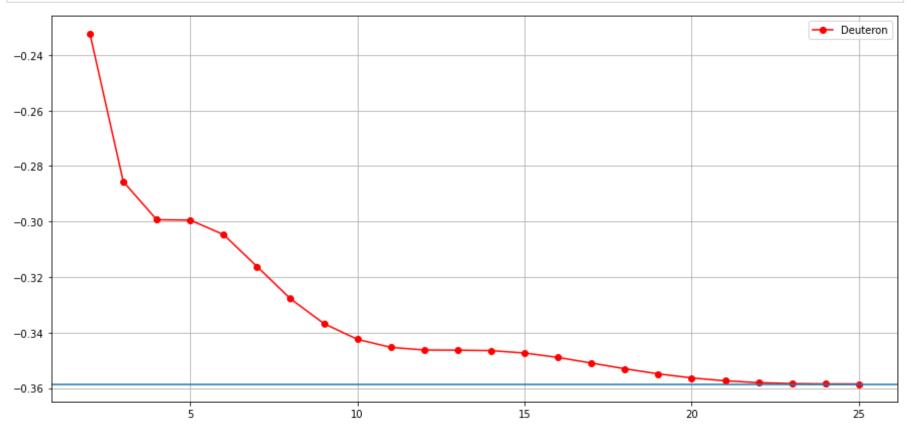
```
In [6]:
         import numpy as np
         from scipy.special import eval genlaguerre, genlaguerre
         from scipy.integrate import quad
         from scipy.special import factorial, factorial2
         N = 25
         mu = 1000
         nu = 1
         # Parte confrontata
         omega = 2*nu/mu
         E = dict()
         prefac = [np.sqrt(
                     np.sqrt( 2* np.power(nu, 3)/np.pi) * \
                     (np.power(2, n+3)*factorial(n)/factorial2(2*n+1))) for n in range(N)]
         def phi(r, n):
             return prefac[n]*np.exp( -nu* np.power(r, 2) ) * \
                    eval genlaguerre(n, 0.5, 2*nu*np.power(r, 2))
         def V(r):
             return -nu*omega*np.power(r,2) + \
                     np.power(r, -1)*(7.39*np.exp(-1*3.11*r) - 3.22*np.exp(-1.555*r))
         def integrand(r, i, j):
             ret = np.power(r, 2) * V(r) * phi(r, i) * phi(r, j)
             return ret
```

```
def norm(r, i, j):
    ret = phi(r, i) * phi(r, j)
    return ret
```

```
In [7]:
         H = np.zeros((N,N))
         for i in range(H.shape[0]):
             for j in range(i, H.shape[1]):
                 int f, err = quad(integrand, 0, 100, args=(i, j), limit=100)
                 H[i, j] = int f
                 H[j, i] = H[i, j]
                 if i == j:
                     H[i, j] += omega*(2*i + 1.5)
         E[str(nu)] = np.zeros(N)
         for i in range(N, 0, -1):
             eigenvalues, eigenvectors = np.linalg.eig(H[:i, :i])
             E[str(nu)][i-1] = np.min(eigenvalues)
```

```
plt.axhline(-0.35852776)
plt.legend()
plt.grid();
```



```
In [9]: E
```

```
Out[9]: {'1': array([ 0.37977175, -0.2322012 , -0.28562152, -0.2993647 , -0.29947612, -0.30471819, -0.3162215 , -0.32785038, -0.33676119, -0.34244726, -0.34533995, -0.34629346, -0.34635785, -0.34652188, -0.34737985, -0.34897587, -0.35099453, -0.35305997, -0.35489716, -0.3563589 , -0.35740127, -0.35805285, -0.35838915, -0.35851154, -0.35852776])}
```

