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**Algorithm 1** Multivariate Generalization of Wald-Wolfowitz Test

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**Ensure:**  $\text{length}(\text{matrix}) = \text{length}(\text{labels})$

$\text{matrix}$

$\text{labels}$

$n_{\text{perm}} \leftarrow 1000$

$G \leftarrow \text{graph}(\text{matrix}, \text{labels})$

$MST \leftarrow MST(G)$

$\text{domain} \leftarrow V(MST)$

▷ vertices of MST

$\vec{runs} = 0_{n_{\text{perm}}}$

**while**  $i \leq n_{\text{perm}}$  **do**

$\text{randperm} \leftarrow \text{sample}(\text{domain})$

▷ random sample of vertices

$MST_2 \leftarrow MST$

▷ Initialize new copy of MST

$V(MST_2) \leftarrow \text{randperm}$

$\text{runs}[itr] \leftarrow 1 + \text{neighboringverticesof } MST_2 \neq$

**end while**

$sdruns \leftarrow \sigma_{runs}$

$W_{\text{perm}} \leftarrow \frac{runs - \mu_{runs}}{sdruns}$

$runs - true \leftarrow 1 + \text{neighboringverticesof } MST \neq$

$sdruns2 \leftarrow \sigma_{runs2}$

$W - true \leftarrow \frac{runs - true - \mu_{runs - true}}{sdruns2}$

$pvalue \leftarrow \frac{(W_{\text{perm}} \leq W - true) + 1}{\text{length}(W_{\text{perm}}) + 1}$  **return**  $pvalue, W - true, W_{\text{perm}}$

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