```
input: (1) sample point matrix X \in \mathbb{R}^p, Y \in \mathbb{R}^q of size N (2) point
                z_x \in \mathbb{R}^p, z_y \in \mathbb{R}^q
    output: test statistic T, dependent on chosen test, and p-value P
 1 function T, P = TEST(X, Y, z_x, z_y)
        for i~in~1:N~\mathbf{do} /* compute distance matrices
                                                                                                  */
             /* remember to exclude sample points used as centre
                  points prior to computation
             \begin{array}{l} \operatorname{dx} \leftarrow \|X_i - z_x\| \\ \operatorname{dy} \leftarrow \|Y_i - z_y\| \end{array}
 5
             D_x[i] \leftarrow \mathsf{dx}
 6
             D_y[i] \leftarrow \mathsf{dy}
 7
        end
 8
         /* apply univariate test to distance matrices
                                                                                                  */
 9
        \mathbf{if} \ \mathit{test} = \mathit{Kolmogorov}\text{-}\mathit{Smirnov} \ \mathbf{then}
10
             /* T is the largest distance between edf of \mathcal{D}_x and \mathcal{D}_y
11
             T,P = \mathtt{scipy.stats.kstest}(D_x,D_y)
12
13
        end
        {f else} \ {f if} \ test = {\it Cramer-Von Mises} \ {f then}
14
         T, P = \text{scipy.stats.cramervonmises\_2samp}(D_x, D_y)
15
16
        \mathbf{end}
17 end
```