

**Input:** Input

- $v_{in}$  - the volume to operate on
- $n_x$  - x neighborhood to filter over
- $n_y$  - y neighborhood to filter over
- $n_z$  - z neighborhood to filter over
- p - the percentile for the adaptive threshold
- minSigma - the minimum standard deviation of the neighborhood

**Output:** Output

- $v_{out}$  - The filtered volume

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1 subXLen =  $v_{in}.shape[0]/s_x$ 
2 subYLen =  $v_{in}.shape[1]/s_y$ 
3 subZLen =  $v_{in}.shape[2]/s_z$ 
4 for  $xInc/in1, ..., s$  do
5     for  $yInc/in1, ..., s$  do
6         for  $zInc/in1, ..., s$  do
7             origSubVolume =  $v_{in}$  centered at  $xInc, yInc, zInc$  with neighborhood  $x+-subXLen/2,$ 
                 $y+-subYLen/2, z+-subZLen/2$ 
8             subVolume = origSubVolume
9             a = 0
10            curSigma = stdDev(subVolume)
11            while  $curSigma < minSigma$  do
12                a+=1
13                subVolume =  $v_{in}$  centered at  $xInc, yInc, zInc$  with neighborhood  $x+-subXLen/2 + a,$ 
                     $y+-subYLen/2 + a, z+-subZLen/2 + a$ 
14                curSigma = stdDev(subVolume)
15            subThresh = binaryThreshold(subVol, p)
16             $v_{out}[origSubVolume] = subThresh[origSubVolume]$ 
17 return  $v_{out}$ 

```