Continuous-time discrete-space models for animal movement

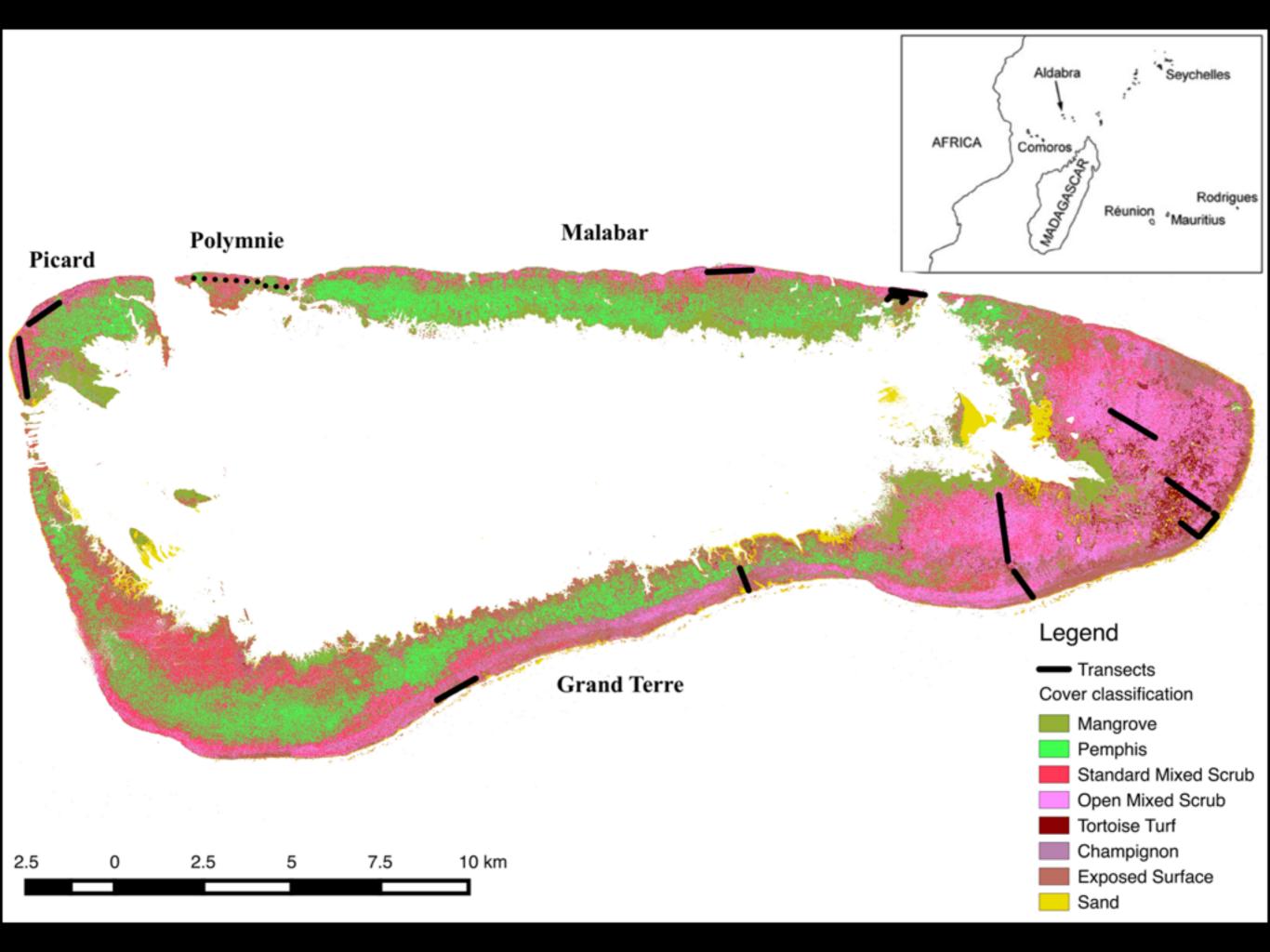


EM Hanks, MB Hooten & MW Alldredge (2015) Ann. Appl. Stat. 9(1): 145–165

Why this paper?

Seed dispersal on Aldabra Atoll





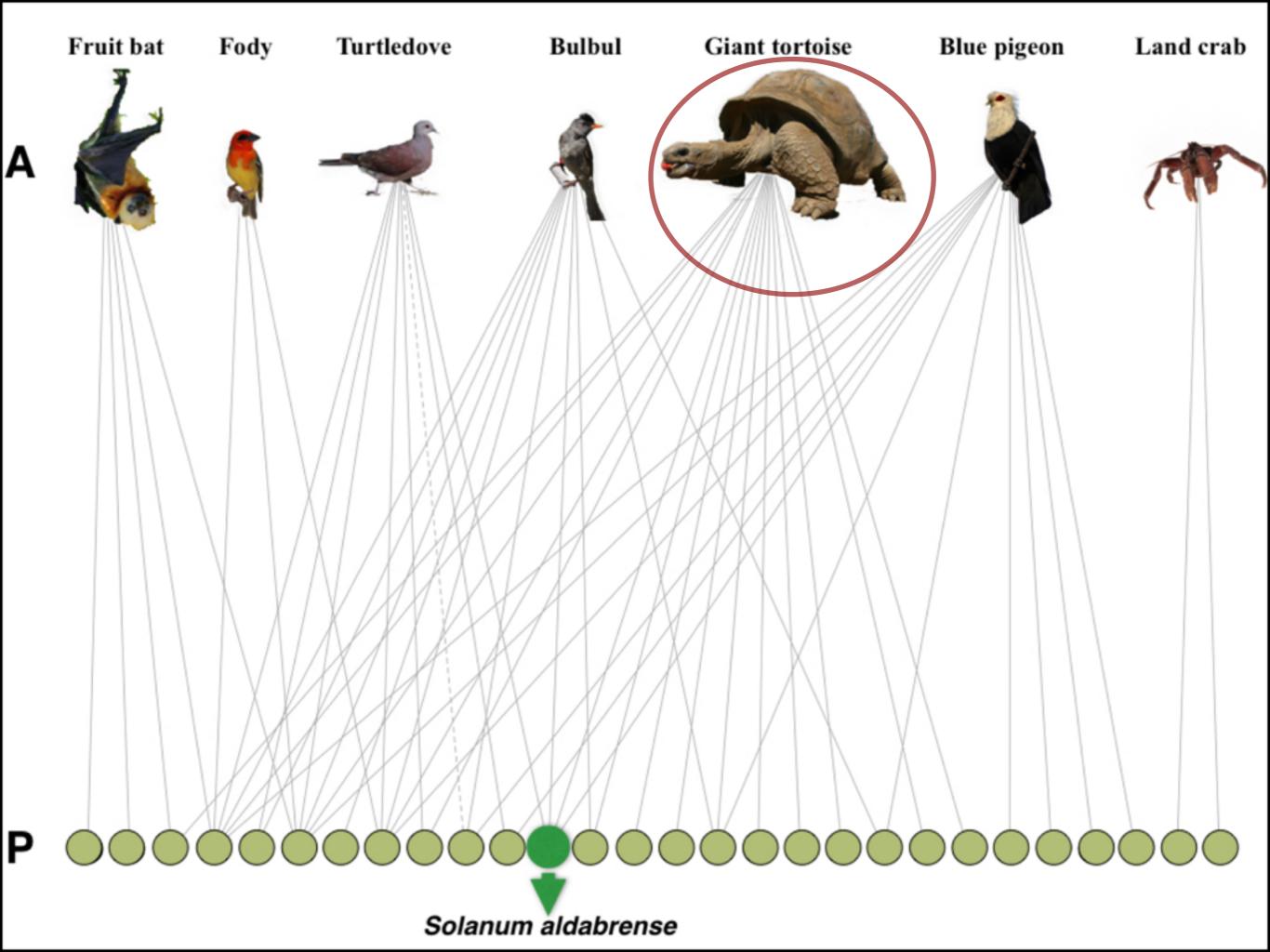
Seed dispersal on Aldabra Atoll

Structure of the seed dispersal network

Factors influencing frugivore movement

Predicting animal-mediated seed deposition





Seed dispersal on Aldabra Atoll

Structure of the seed dispersal network

Factors influencing frugivore movement

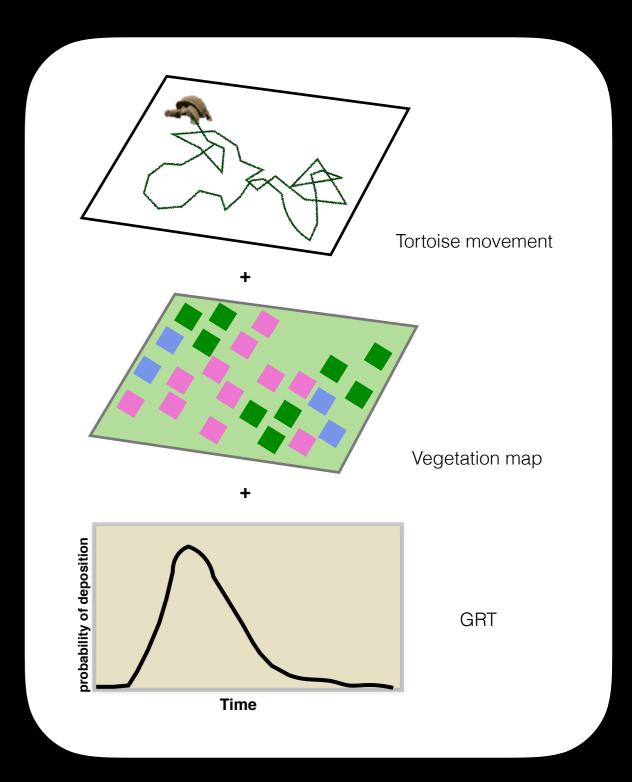
Predicting animal-mediated seed deposition



Data for model parameterisation Seed deposition probability map Tortoise movement Vegetation map **Model validation: Field test** probability of deposition **GRT** Time GPS points

So, I'm looking to integrate the following variables:

- Habitat (vegetation)
 - Discrete (cover type; 2 m² res.)
 - Temporal (?) (NDVI; 2-week res.)
- Giant tortoise
 - Movement behaviour (GPS-fixes; 1h res.)
 - Gut retention time (GRT; feeding trials)



Back to the CTDS model...

The Annals of Applied Statistics 2015, Vol. 9, No. 1, 145–165

DOI: 10.1214/14-AOAS803

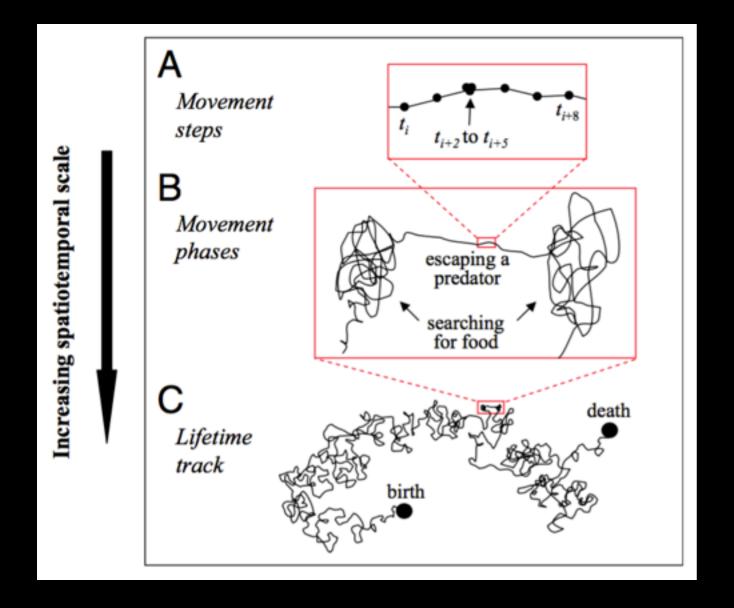
In the Public Domain

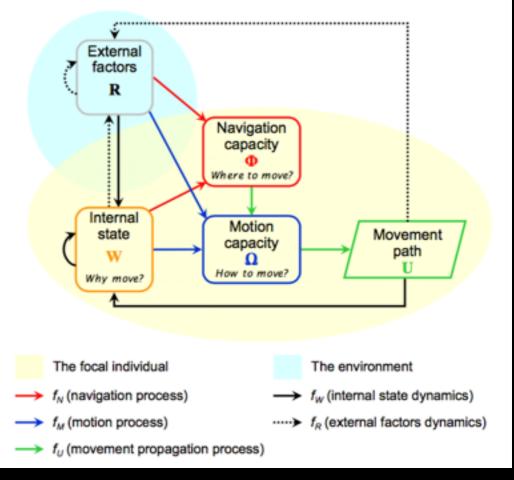
CONTINUOUS-TIME DISCRETE-SPACE MODELS FOR ANIMAL MOVEMENT

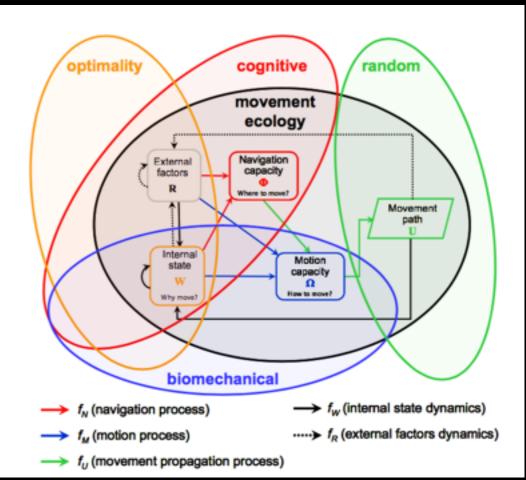
By Ephraim M. Hanks*, Mevin B. Hooten^{†,‡} and Mat W. Alldredge[§]

Animal movement behaviour:

■ It's Complicated



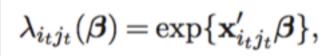




The framework:

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CONTINUOUS-TIME DISCRETE-SPACE MODELS FOR ANIMAL MOVEMENT



$$[\tau_t|\boldsymbol{\beta}] = \lambda_{i_t}(\boldsymbol{\beta}) \exp\{-\tau_t \lambda_{i_t}(\boldsymbol{\beta})\}.$$



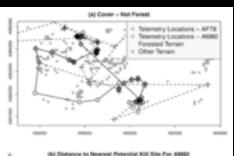
 $[\mathbf{Z}, \boldsymbol{\tau}|\boldsymbol{\beta}] \propto \prod_{i \in \mathcal{I}} [\lambda_{i_t j_t}^{z_{i_t j_t}}(\boldsymbol{\beta}) \exp\{-\tau_t \lambda_{i_t j_t}(\boldsymbol{\beta})\}],$

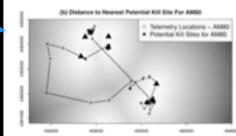
 $E(\boldsymbol{\beta}|\mathbf{S}) \approx E_{\tilde{\mathbf{S}}|\mathbf{S}}(E(\boldsymbol{\beta}|\tilde{\mathbf{S}}))$

$$Var(\boldsymbol{\beta}|\mathbf{S}) \approx E_{\tilde{\mathbf{S}}|\mathbf{S}}(Var(\boldsymbol{\beta}|\tilde{\mathbf{S}})) + Var_{\tilde{\mathbf{S}}|\mathbf{S}}(E(\boldsymbol{\beta}|\tilde{\mathbf{S}})).$$

 $\hat{\alpha}_{\text{lasso}} = \max_{\alpha} \left\{ \log[\mathbf{Z}, \boldsymbol{\tau} | \alpha] - \gamma \sum |\alpha_k| \right\}$

CAP (Fit)t~),





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> CONTINUOUS-TIME DISCRETE-SPACE MODELS FOR ANIMAL MOVEMENT

- 1. Continuous-time Markov chain models for animal movement
 - And GLM representation & analysis
- 2. Inference on CTDS model parameters using telemetry data
- 3. Time-varying behaviour & variable selection
- 4. Drivers of animal movement

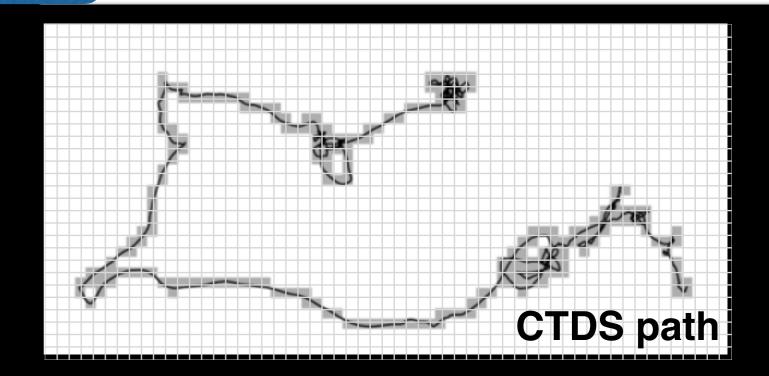
Continuous-time Markov chain models

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CONTINUOUS-TIME DISCRETE-SPACE MODELS FOR ANIMAL MOVEMENT

CTDS path, $\tilde{S} = (g, \tau)$

$$\begin{split} & g \text{rid cells,} \\ & \textbf{g} = \left(G_{i1},\,G_{i2},\,...,\,G_{it}\right) \\ & \text{residence time in g,} \\ & \textbf{T} = \left(\tau_1,\,\tau_2,\,...,\,\tau_t\right) \end{split}$$



G_{it} to G_{jt} transition rate at time t, $\lambda_{itjt}(\beta) = exp\{x'_{itjt}\beta\}$

 $\textbf{\textit{Xitjt}}$ is a vector containing covariates related to drivers of movement specific to cells G_{it} & G_{ij}

\beta is a vector of parameters that define how each of the covariates **\mathbb{x}_{itjt}** are correlated with animal movement

Latent variable representation for GLM analysis

Example with mountain lion (*Puma concolor*)

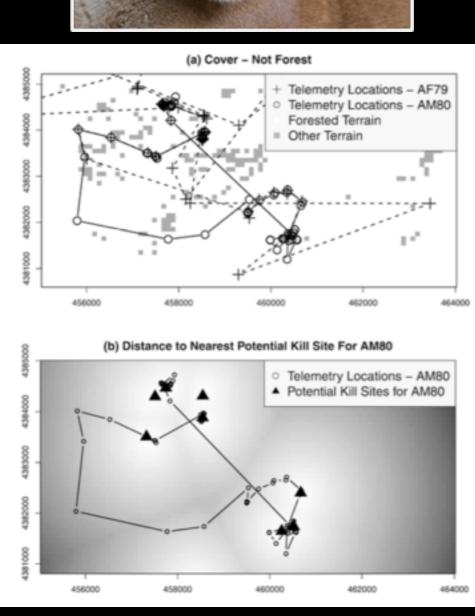
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CONTINUOUS-TIME DISCRETE-SPACE MODELS FOR ANIMAL MOVEMENT

CTDS

- 2-week GPS-location data
- Land cover (vegetation)
- Kill site (directional)
- Recent movement (directional)
- CTCRW model fit
- Simulation study





CTDS: What's new?

Modelling

- 1. Builds on the use of Bayesian approaches for modelling animal movement
- 2. Continuous-time Markov Chain Model=> Generalised Linear Model via latent variable representation
- 3. Joint modelling of location-based & directional drivers of movement
- 4. Use of time-varying coefficient instead of state-switching to ∆behaviour~time
- 5. Variable selection using lasso penalty (regularisation)

CTDS: What's new?

Advantages

- More computationally efficient than currently available models (great for big data!)
- Data for reproducibility available
 - transferable to other systems
- Authors are reachable (EM Hanks)

So...