

Sunday, March 5, 2023 3:00 PM

This is how it is defined in the slides

Q3: 4, by using the rules given, we should reach 4 ticks

Binary to decimal

76543210	
0001110	

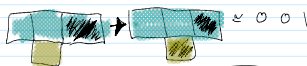
$$(1x^2^9) + (1x^2^3) + (1x^2^2) + (0x^2^1)$$
$$16 + 8 + 4 + 2 = 30$$

 answer

 =  = 1
 =  = 0

[illegible]

We can determine how to fill out the
Current Spot, highlighted Yellow, by once figuring out the rules



We repeat the steps we did in Question 5

- figure out the rules, then apply the after the last row
- rules will be different, since it's a different problem

Not sure why given that the
rule is boundary \neq reflection

0		→		0
1		→		0
2		→		1
3		→		1
4		→		0
5		→		0
6		→		1
7		→		0

$$(1 \times 2^6) + (1 \times 2^3) + (1 \times 2^2)$$
$$or \quad 8 + 4 + 4 = \boxed{16}$$

Diagram illustrating the calculation of the dot product $w_1 \cdot w_1$ for the first input vector w_1 . The input vector is shown as a 2x2 grid of values: $\begin{bmatrix} 1 & 1 \\ 1 & 1 \end{bmatrix}$. The output is calculated as $w_1 \cdot w_1 = 1 \cdot 1 + 1 \cdot 1 = 2$.

2 5 9 30 6 9 8 71

2 5 9 3 8 4 6 0 7 1

Reversion mutation focuses on reversing the order from a certain spot

From the possible answers provided, this followed the correct reverse order

$\boxed{348 \ 531 \ 579}$ or $\boxed{076 \ 421 \ 824}$

A two point crossover was done after 3rd bit and 6th bit

DON'T CHANGE | CHANGE | DON'T CHANGE

13. $L=5$ $\rho=0.2$

Step 1: apply $(1-P)^L$

$$(1-0.2)^5 =$$

Step 2 subtract

$$1 - 0.32728 = 0.67272$$

We only care about the probability of one chromosome changing not all of them
So we can use the formula in the step one, this is used for probability of not changing

Once we get the result of the probability of not changing, we can subtract it by 1, since we only care about one of them changing not all

19. $\frac{\sum f_i}{\sum f_i} = \frac{7}{11+12+9+20+17+30+8+14} = \frac{7}{121} \rightarrow 0.057$
0.06

We use the fitness formula in order to figure it out , it is given in the first slides : intelligence and evolution

15.

$$\begin{array}{c|c|c|c|c|c} X_1 = & A & B & C & D & E & F \\ \hline & 5 & 8 & 9 & 6 & 0 & 9 \end{array} \quad \begin{array}{c|c|c|c|c|c} X_3 = & A & B & C & D & E & F \\ \hline & 1 & 3 & 9 & 0 & 4 & 1 \end{array}$$

$$\begin{array}{c|c|c|c|c|c} X_2 = & A & B & C & D & E & F \\ \hline & 5 & 6 & 6 & 1 & 6 & 0 \end{array} \quad \begin{array}{c|c|c|c|c|c} X_4 = & A & B & C & D & E & F \\ \hline & 9 & 0 & 9 & 2 & 6 & 1 \end{array}$$

$$F(X) = (a+c+e) - (b+d+f)$$
$$X1 \quad 5+4+0 - 8+6+9 = 14$$

a. $x_4, x_2, x_3, x_1 \longrightarrow x_2 = (5+8+6) - (6+1+0) = 12$

One point cross over 1st $\frac{1}{2}$ 2nd fitness

$$^3x_3 = (1+9+4) - (3+0+1) = 10$$

$$^1 x_9 = (9+9+6) - (0+2+1) = 21$$

b. 909 160, 568 261

Two point crossover between 2nd fitness & 3rd fitness

c. 569060, 138191

$$f(x) = (a+c+e) - (b+d+f)$$

$$(9+9+6) - (0+1+0) = 23$$

Thrs
is the highest
value after doing
doing the others and
only option

A	B	C	D	E	F
9	0	9	1	6	0
5	6	8	2	0	1
5	6	9	0	6	0
1	3	8	1	9	1

Q9. w, w, B

If alive neighbors = 3 or 2, indicated spot stay alive, otherwise dies if
 If dead cell has only 3 neighbors alive then it becomes alive

1. example becomes dies because it has too many neighbors (W)
2. Dies because it has no neighbors
3. Becomes alive because it has exactly three neighbors

Q10. 0.00016

$(1 - p)^t$ probability of not happening

$(p)^t$ probability of happening

We use this rule

$(0.16)^6 = 0.00016$