

Ranking and Prediction of Amazon Fine Food based on Costumer's rating and review

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User's rating and review is one of the explicit ways to determine product's popularity. In this project, we are trying to process the Amazon Fine Food Reviews such that the result can be used to predict the rating based on review.

Basic statistics of the dataset

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	Rating	Word(Processed)
Mean	4.18	255
Minimum	1	7
Maximum	5	14425

System Structure

There are mainly three stages in our system :

Stage 1 Pre-processing the dataset.

Stage 2 Using MapReduce, find the first hundred k -shingles,
 $1 \leq k \leq 5$, of each rating, $1 \leq \text{rating} \leq 5$.

Stage 3 Do prediction of rating based on the review input to the system.

Algorithm 1: Pre-processing

```
while There exists next row inside Reviews.csv do  
    Extract Rating and Text;  
    Lower Text and remove some stopwords and  
        punctuation;  
    Returning line with format Rating, word1, word2, ...;  
end
```

Example result from Stage 1

Original data :

Id	ProductId	UserId	ProfileName	HelpfulnessNumerator	HelpfulnessDenominator	Score	Time	Summary	Text
1	B001E4KFG0	A3SGXH7AUHU8GW	delmartian	1	1	5	1303862400	Good Quality Dog Food,I have bought...	
2	B00813GRG4	A1D87F6ZCVE5NK	dll pa	0	0	1	1346976000	Not as Advertised,"Product arrived labeled...	
3	B000LQOCH0	ABXLMWJIXXAIN	"Natalia Corres	""	Natalia Corres	""	1,1,4,1219017600	""	"Delight"" says it all","This is a confection...
4	B000UA0QIQ	A395BORC6FGVXV	Karl	3	3	2	1307923200	Cough Medicine,If you are looking...	

Result data :

Score, Text

5,bought vitality canned dog food products good quality product looks...
1,product arrived labeled jumbo salted peanuts the peanuts actually...
4,confection centuries it light pillowy citrus gelatin nuts in case filberts...
2,looking secret ingredient robitussin believe it got addition root...

Algorithm 2: MapReduce (Mapper)

```
while There exists next row inside Preprocessed.csv do  
  | for  $k \leftarrow 1$  to 5 do  
  |   | Find all k-shingles;  
  |   | for Each shingle found do  
  |   |   | Return  $\langle \langle \text{rating}, k, \text{shingle} \rangle, 1 \rangle$ ;  
  |   | end  
  | end  
end
```

Algorithm 2: MapReduce (Reducer)

```
forall tuples with key  $\langle \text{rating}, k, \text{shingle} \rangle$  do  
    frequency = sum of all tuple values;  
    Return  $\langle \text{rating}, k, \text{frequency}, \text{shingle} \rangle$ ;  
end
```


Exmaple result from Stage 2

Result from MapReduce :

Score	k	frequency	shingle
3	4	23	food freshly openedpi likes
1	2	238	br tried
2	1	1601	say
3	4	27	coffeetea love organic coffee

Algorithm 3: Prediction using length-k shingles

```
Load the records from Shingle Database;  
Find all k-shingles in the input text;  
foreach shingle do  
    | Collect all records of shingle from database;  
    | Append to RecordsFound;  
end  
if RecordsFound is not empty then  
    | score = weighted average of RecordsFound;  
else  
    | score = average of all records in database;  
end  
return score;
```

Stage 3 Prediction

Prediction Example

Database:

Score	k	frequency	shingle
5	1	68	good
4	1	35	good
5	1	57	really

Input: *this is really good*

Score:

$$\frac{5 \times 68 + 4 \times 35 + 5 \times 57}{68 + 35 + 57} = 4.78125$$

Stage 3 Prediction

Using shingles of different lengths, we got different performances:

Shingle Length	Mean Squared Error
1	0.228009
2	0.328691
3	0.418788
4	0.442992
5	0.444860

But we need to respect shingles of different length. How?

Regression Model

Regression model

System of linear equation :

$$\begin{aligned}y_1 &= \beta_0 + \beta_1 x_1 + \cdots + \beta_5 x_5 \\y_2 &= \beta_0 + \beta_1 x_1 + \cdots + \beta_5 x_5 \\&\vdots \\y_n &= \beta_0 + \beta_1 x_1 + \cdots + \beta_5 x_5\end{aligned}\tag{1}$$

In matrix form :

$$\mathbf{Y} = \beta_0 + \beta \cdot \mathbf{X}$$

where

\mathbf{Y} is a $n \times 1$ matrix,

β_0 is a $n \times 1$ matrix,

β is a 5×1 matrix,

\mathbf{X} is a $n \times 5$ matrix.

Complexity

key computation step:

- $\mathbf{X}^T \mathbf{X}$ in $O(n \times k^2)$
- $(\mathbf{X}^T \mathbf{X})^{-1}$ in $O(k^3)$

As $n \gg k$, the overall complexity is $O(n)$.

Demostration

Conculsion