$$m{x}_i = \left(\begin{array}{c} X_{
m e} \\ Y_{
m e} \\ \theta_{
m e} \end{array} \right)^T$$
 (1)

$$\ell_i = \sqrt{(X_e - X_i + a_i C - b_i S)^2 + (Y_e - Y_i + b_i C + a_i S)^2}$$
 (2)

$$\dot{\ell}_i = \frac{\ell_i}{\mathbf{x}_e} \dot{\mathbf{x}}_e = \mathbf{J}_i \dot{\mathbf{x}}_e \tag{3}$$

$$J_{i} = \begin{pmatrix} \frac{2X_{e}-2X_{i}+2a_{i}C-2b_{i}S}{2\sqrt{(X_{e}-X_{i}+a_{i}C-b_{i}S)^{2}+(Y_{e}-Y_{i}+b_{i}C+a_{i}S)^{2}}} \\ \frac{2Y_{e}-2Y_{i}+2b_{i}C+2a_{i}S}{2\sqrt{(X_{e}-X_{i}+a_{i}C-b_{i}S)^{2}+(Y_{e}-Y_{i}+b_{i}C+a_{i}S)^{2}}} \\ -\frac{2(b_{i}C+a_{i}S)(X_{e}-X_{i}+a_{i}C-b_{i}S)-2(a_{i}C-b_{i}S)(Y_{e}-Y_{i}+b_{i}C+a_{i}S)}{2\sqrt{(X_{e}-X_{i}+a_{i}C-b_{i}S)^{2}+(Y_{e}-Y_{i}+b_{i}C+a_{i}S)^{2}}} \end{pmatrix}$$
(4)