

**NANYANG  
TECHNOLOGICAL  
UNIVERSITY**  

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**SINGAPORE**

# CZ2003 Computer Graphics and Visualisation

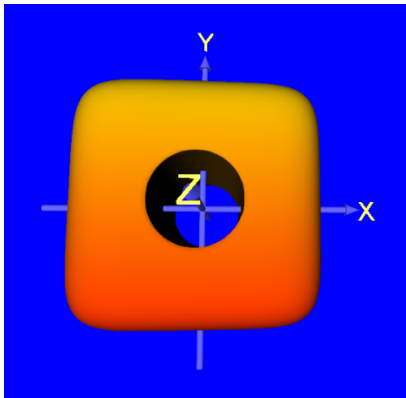
## Experiment 4: Implicit Solids

Name: Ngo Jun Hao Jason

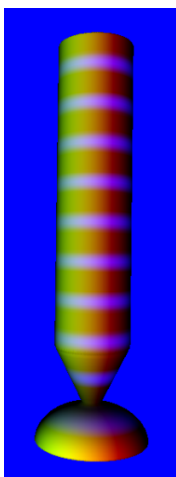
Matriculation Number: XXXXXXXXXX

Lab Group: XXX

## Exercise 1



## Exercise 2



- plane halfspace
  - $y > 0$
- ellipsoid
  - $1 - (x/a)^2 - (y/b)^2 - (z/c)^2 > 0$
- cylinder
  - $1 - (x/a)^2 - (y/b)^2 > 0$
- cone
  - $(z/c)^2 - (x/a)^2 - (y/b)^2 > 0$
  
- start with infinite cylinder with radius 1 going through x-z plane:
  - $1 - (x/1)^2 - (z/1)^2 > 0$
  - $\text{infCylinder} = 1 - (x/1)^2 - (z/1)^2$
- plane halfspace used to cut bottom of infinite cylinder:
  - $y > 1$ 
    - $y - 1 > 0$
  - $\text{bottomPlane} = y - 1$
- half-infinite cylinder:

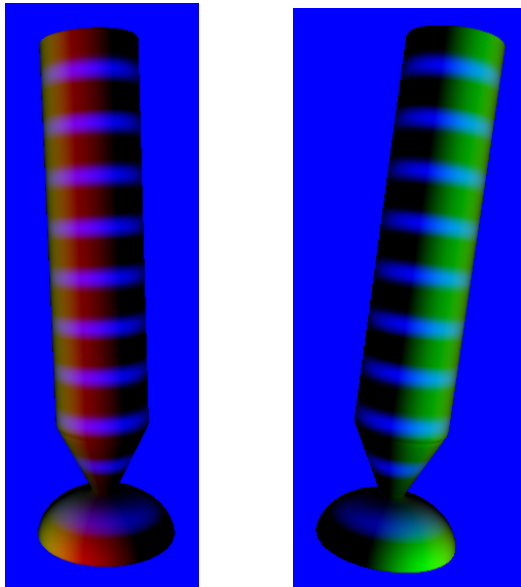
- o  $\min(\text{infCylinder}, \text{bottomPlane}) > 0$
- plane halfspace used to cut top of half-infinite cylinder:
  - o  $y < 2$ 
    - $2 - y > 0$
  - o  $\text{topPlane} = 2 - y$
- finite cylinder:
  - o  $\min(\min(\text{infCylinder}, \text{bottomPlane}), \text{topPlane}) > 0$
  - o  $\text{cylinder} = \min(\min(\text{infCylinder}, \text{bottomPlane}), \text{topPlane})$
- infinite cone with height of 2, radius of 1, going through x-z plane:
  - o  $(y/2)^2 - (x/1)^2 - (z/1)^2 > 0$
  - o  $\text{infCone} = (y/2)^2 - (x/1)^2 - (z/1)^2$
- plane halfspace used to cut bottom of infinite cone:
  - o  $y > 0$
  - o  $\text{bottomPlane} = y$
- half-infinite cone:
  - o  $\min(\text{infCone}, \text{bottomPlane}) > 0$
- plane halfspace used to cut top of half-infinite cone:
  - o  $y < 1$ 
    - $1 - y > 0$
  - o  $\text{topPlane} = 1 - y$
- finite cone:
  - o  $\min(\min(\text{infCone}, \text{bottomPlane}), \text{topPlane}) > 0$
  - o  $\text{cone} = \min(\min(\text{infCone}, \text{bottomPlane}), \text{topPlane})$
- pencil:
  - o  $\max(\text{cylinder}, \text{cone}) > 0$
  - o  $\text{pencil} = \max(\text{cylinder}, \text{cone})$
- ellipsoid with radius of 1.5 in x- and z-direction, radius of 1 in y-direction, and offset of 0.5 in negative y-direction :
  - o  $1 - (x/1.5)^2 - ((y+0.5)/1)^2 - (z/1.5)^2 > 0$
  - o  $\text{ellipsoid} = 1 - (x/1.5)^2 - ((y+0.5)/1)^2 - (z/1.5)^2$
- plane halfspace used to cut bottom of ellipsoid:
  - o  $y > -0.5$ 
    - $y + 0.5 > 0$
  - o  $\text{bottomPlane} = y + 0.5$
- half-ellipsoid:
  - o  $\min(\text{ellipsoid}, \text{bottomPlane}) > 0$
  - o  $\text{pencilStand} = \min(\text{ellipsoid}, \text{bottomPlane})$
- pencilOnStand (final shape):

- o  $\max(\text{pencil}, \text{pencilStand}) > 0$
- o  $\text{pencilOnStand} = \max(\text{pencil}, \text{pencilStand})$

### Exercise 3

- bounding box centre: 0 5 0
- bounding box size: 3 12 3
- resolution: [150 150 150]

### Exercise 4



- $r = (u + w)/2$
- $g = w$
- $b = \sin(2\pi \cdot v)$

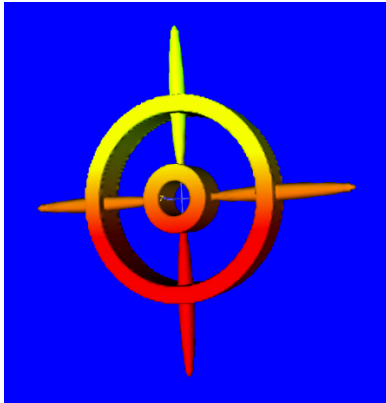
### Exercise 5

- refer to the folder “Created\_Shapes”

### Exercise 6

- refer to this report

## Additional Shape



- ship's steering wheel (under the folder "Created\_Shapes")
  - o I have trouble rendering the slanted rods, so I left them out
    - it was possible to render 1 of them at a time, but not as a whole
  - o code for one slant rod:
    - $\text{slant\_slice} = \min(x+0.3-y, y-x+0.3);$
    - $\text{depth\_slice} = \min(z+0.3, 0.3-z);$
    - $\text{intermediate\_slice} = \min(\text{depth\_slice}, \text{slant\_slice});$
    - $\text{end\_slice} = \min(y+x-1, 8-x-y);$
    - $\text{north\_east\_rod} = \min(\text{intermediate\_slice}, \text{end\_slice});$