

opera singer would have to produce a high harmonic with what frequency to shatter the glass with a resonant vibration as shown in Figure P18.32?

### Section 18.5 Standing Waves in Air Columns

- 33.** Calculate the length of a pipe that has a fundamental frequency of 240 Hz assuming the pipe is (a) closed at one end and (b) open at both ends.
- 34.** The overall length of a piccolo is 32.0 cm. The resonating air column is open at both ends. (a) Find the frequency of the lowest note a piccolo can sound. (b) Opening holes in the side of a piccolo effectively shortens the length of the resonant column. Assume the highest note a piccolo can sound is 4 000 Hz. Find the distance between adjacent antinodes for this mode of vibration.
- 35.** The fundamental frequency of an open organ pipe corresponds to middle C (261.6 Hz on the chromatic musical scale). The third resonance of a closed organ pipe has the same frequency. What is the length of (a) the open pipe and (b) the closed pipe?
- 36.** The longest pipe on a certain organ is 4.88 m. What is the fundamental frequency (at 0.00°C) if the pipe is (a) closed at one end and (b) open at each end? (c) What will be the frequencies at 20.0°C?
- 37.** An air column in a glass tube is open at one end and closed at the other by a movable piston. The air in the tube is warmed above room temperature, and a 384-Hz tuning fork is held at the open end. Resonance is heard when the piston is at a distance  $d_1 = 22.8$  cm from the open end and again when it is at a distance  $d_2 = 68.3$  cm from the open end. (a) What speed of sound is implied by these data? (b) How far from the open end will the piston be when the next resonance is heard?
- 38.** A tuning fork with a frequency of  $f = 512$  Hz is placed near the top of the tube shown in Figure P18.38. The water level is lowered so that the length  $L$  slowly increases from an initial value of 20.0 cm. Determine the next two values of  $L$  that correspond to resonant modes.
- 39.** With a particular fingering, a flute produces a note with frequency 880 Hz at 20.0°C. The flute is open at both ends. (a) Find the air column length. (b) At the beginning of the halftime performance at a late-season football game, the ambient temperature is  $-5.00^\circ\text{C}$  and the flutist has not had a chance to warm up her instrument. Find the frequency the flute produces under these conditions.
- 40.** A shower stall has dimensions  $86.0\text{ cm} \times 86.0\text{ cm} \times 210\text{ cm}$ . Assume the stall acts as a pipe closed at both ends, with nodes at opposite sides. Assume singing voices range from 130 Hz to 2 000 Hz and let the speed of sound in the hot air be 355 m/s. For someone singing in this shower, which frequencies would sound the richest (because of resonance)?

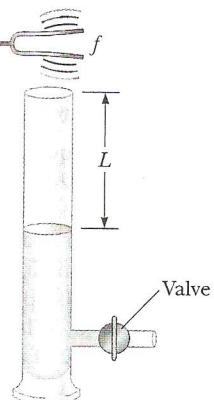


Figure P18.38

- 41.** As shown in Figure P18.41, water is pumped into a tall, vertical cylinder at a volume flow rate  $R = 1.00\text{ L/min}$ . The radius of the cylinder is  $r = 5.00\text{ cm}$ , and at the open top of the cylinder a tuning fork is vibrating with a frequency  $f = 512\text{ Hz}$ . As the water rises, what time interval elapses between successive resonances?

- 42. S** As shown in Figure P18.41, water is pumped into a tall, vertical cylinder at a volume flow rate  $R$ . The radius of the cylinder is  $r$ , and at the open top of the cylinder a tuning fork is vibrating with a frequency  $f$ . As the water rises, what time interval elapses between successive resonances?

- 43. M** Two adjacent natural frequencies of an organ pipe are determined to be 550 Hz and 650 Hz. Calculate (a) the fundamental frequency and (b) the length of this pipe.

- 44. Q/C** A tunnel under a river is 2.00 km long. (a) At what frequencies can the air in the tunnel resonate? (b) Explain whether it would be good to make a rule against blowing your car horn when you are in the tunnel.

- 45.** A student uses an audio oscillator of adjustable frequency to measure the depth of a water well. The student reports hearing two successive resonances at 51.87 Hz and 59.85 Hz. (a) How deep is the well? (b) How many antinodes are in the standing wave at 51.87 Hz?

- 46.** *Why is the following situation impossible?* A student is listening to the sounds from an air column that is 0.730 m long. He doesn't know if the column is open at both ends or open at only one end. He hears resonance from the air column at frequencies 235 Hz and 587 Hz.

### Section 18.6 Standing Waves in Rods and Membranes

- 47.** An aluminum rod 1.60 m long is held at its center. It is stroked with a rosin-coated cloth to set up a longitudinal vibration. The speed of sound in a thin rod of aluminum is 5 100 m/s. (a) What is the fundamental frequency of the waves established in the rod? (b) What harmonics are set up in the rod held in this manner? (c) **What If?** What would be the fundamental frequency if the rod were copper, in which the speed of sound is 3 560 m/s?
- 48.** An aluminum rod is clamped one-fourth of the way along its length and set into longitudinal vibration by a variable-frequency driving source. The lowest frequency that produces resonance is 4 400 Hz. The speed of sound in an aluminum rod is 5 100 m/s. Determine the length of the rod.

### Section 18.7 Beats: Interference in Time

- 49. M** In certain ranges of a piano keyboard, more than one string is tuned to the same note to provide extra loudness. For example, the note at 110 Hz has two strings at this frequency. If one string slips from its normal tension of 600 N to 540 N, what beat frequency is heard when the hammer strikes the two strings simultaneously?

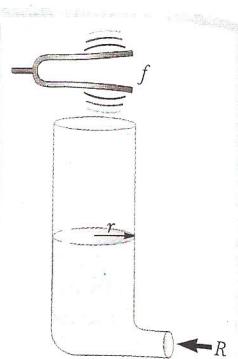


Figure P18.41  
Problems 41 and 42.

11. A flowerpot is knocked off a window ledge from a height  $d = 20.0$  m above the sidewalk as shown in Figure P17.11. It falls toward an unsuspecting man of height  $h = 1.75$  m who is standing below. Assume the man requires a time interval of  $\Delta t = 0.300$  s to respond to the warning. How close to the sidewalk can the flowerpot fall before it is too late for a warning shouted from the balcony to reach the man in time?

12. **S** A flowerpot is knocked off a balcony from a height  $d$  above the sidewalk as shown in Figure P17.11. It falls toward an unsuspecting man of height  $h$  who is standing below. Assume the man requires a time interval of  $\Delta t$  to respond to the warning. How close to the sidewalk can the flowerpot fall before it is too late for a warning shouted from the balcony to reach the man in time? Use the symbol  $v$  for the speed of sound.
13. The speed of sound in air (in meters per second) depends on temperature according to the approximate expression

$$v = 331.5 + 0.607T_C$$

where  $T_C$  is the Celsius temperature. In dry air, the temperature decreases about  $1^\circ\text{C}$  for every 150-m rise in altitude. (a) Assume this change is constant up to an altitude of 9 000 m. What time interval is required for the sound from an airplane flying at 9 000 m to reach the ground on a day when the ground temperature is  $30^\circ\text{C}$ ? (b) **What If?** Compare your answer with the time interval required for the sound to travel from an airplane flying at  $30^\circ\text{C}$ . Which time interval is

longer? At a constant speed search-and-rescue plane flies horizontally at a constant speed of 200 m/s. When the plane is directly above the ocean, it receives the sound of a horn blowing from a ship. By the time the plane reaches the ship, it has traveled a distance equal to half its altitude above the ocean. Assuming it takes the sound 2.00 s to reach the plane, determine (a) the speed of the plane and (b) its altitude.

15. A cowboy stands on horizontal ground between two parallel, vertical cliffs. He is not midway between the cliffs. He fires a shot and hears its echoes. The second echo arrives 1.92 s after the first and 1.47 s before the third. Consider only the sound traveling parallel to the ground and reflecting from the cliffs. (a) What is the distance between the cliffs? (b) **What If?** If he can hear a fourth echo, how long after the third echo does it arrive?
16. **S** A sound wave moves down a cylinder as in Active Figure 17.2. Show that the pressure variation of the wave is described by  $\Delta P = \pm \rho v \omega \sqrt{s_{\text{max}}^2 - s^2}$ , where  $s = s(x, t)$  is given by Equation 17.1.
17. **QC** A hammer strikes one end of a thick iron rail of length 8.50 m. A microphone located at the opposite end of the rail detects two pulses of sound, one that travels through the air and a longitudinal wave that travels through the rail. (a) Which pulse reaches the microphone

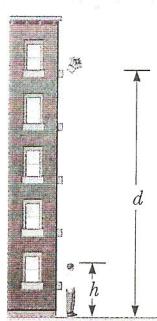


Figure P17.11

Problems 11 and 12.

first? (b) Find the separation in time between the arrivals of the two pulses.

### Section 17.3 Intensity of Periodic Sound Waves

18. The area of a typical eardrum is about  $5.00 \times 10^{-5} \text{ m}^2$ . (a) Calculate the average sound power incident on an eardrum at the threshold of pain, which corresponds to an intensity of  $1.00 \text{ W/m}^2$ . (b) How much energy is transferred to the eardrum exposed to this sound for 1.00 min?
19. Calculate the sound level (in decibels) of a sound wave that has an intensity of  $4.00 \mu\text{W/m}^2$ .
20. The sound intensity at a distance of 16 m from a noisy generator is measured to be  $0.25 \text{ W/m}^2$ . What is the sound intensity at a distance of 28 m from the generator?
21. The intensity of a sound wave at a fixed distance from a speaker vibrating at 1.00 kHz is  $0.600 \text{ W/m}^2$ . (a) Determine the intensity that results if the frequency is increased to 2.50 kHz while a constant displacement amplitude is maintained. (b) Calculate the intensity if the frequency is reduced to 0.500 kHz and the displacement amplitude is doubled.
22. **S** The intensity of a sound wave at a fixed distance from a speaker vibrating at a frequency  $f$  is  $I$ . (a) Determine the intensity that results if the frequency is increased to  $f'$  while a constant displacement amplitude is maintained. (b) Calculate the intensity if the frequency is reduced to  $f/2$  and the displacement amplitude is doubled.
23. A person wears a hearing aid that uniformly increases the sound level of all audible frequencies of sound by 30.0 dB. The hearing aid picks up sound having a frequency of 250 Hz at an intensity of  $3.0 \times 10^{-11} \text{ W/m}^2$ . What is the intensity delivered to the eardrum?
24. A sound wave from a police siren has an intensity of  $100.0 \text{ W/m}^2$  at a certain point; a second sound wave from a nearby ambulance has an intensity level that is 10 dB greater than the police siren's sound wave at the same point. What is the sound level of the sound wave due to the ambulance?
25. The power output of a certain public-address speaker is 6.00 W. Suppose it broadcasts equally in all directions. (a) Within what distance from the speaker would the sound be painful to the ear? (b) At what distance from the speaker would the sound be barely audible?
26. As the people sing in church, the sound level everywhere inside is 101 dB. No sound is transmitted through the massive walls, but all the windows and doors are open on a summer morning. Their total area is  $22.0 \text{ m}^2$ . (a) How much sound energy is radiated through the windows and doors in 20.0 min? (b) Suppose the ground is a good reflector and sound radiates from the church uniformly in all horizontal and upward directions. Find the sound level 1.00 km away.
27. The most soaring vocal melody is in Johann Sebastian Bach's Mass in B Minor. In one section, the basses, tenors, altos, and sopranos carry the melody from a low D to a high A. In concert pitch, these notes are now assigned frequencies of 146.8 Hz and 880.0 Hz. Find the wavelengths of (a) the initial note and (b) the final note. Assume the cho-

- rus sings the melody with a uniform sound level of 75.0 dB. Find the pressure amplitudes of (c) the initial note and (d) the final note. Find the displacement amplitudes of (e) the initial note and (f) the final note.
28. **S** Show that the difference between decibel levels  $\beta_1$  and  $\beta_2$  of a sound is related to the ratio of the distances  $r_1$  and  $r_2$  from the sound source by

$$\beta_2 - \beta_1 = 20 \log \left( \frac{r_1}{r_2} \right)$$

29. **M** A family ice show is held at an enclosed arena. The skaters perform to music with level 80.0 dB. This level is too loud for your baby, who yells at 75.0 dB. (a) What total sound intensity engulfs you? (b) What is the combined sound level?
30. Two small speakers emit sound waves of different frequencies equally in all directions. Speaker A has an output of 1.00 mW, and speaker B has an output of 1.50 mW. Determine the sound level (in decibels) at point C in Figure P17.30 assuming (a) only speaker A emits sound, (b) only speaker B emits sound, and (c) both speakers emit sound.

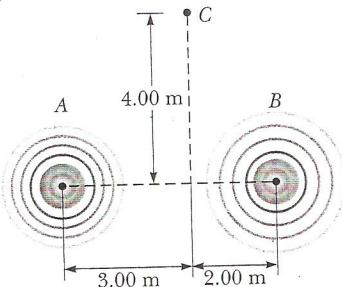


Figure P17.30

31. **M** A firework charge is detonated many meters above the ground. At a distance of  $d_1 = 500$  m from the explosion, the acoustic pressure reaches a maximum of  $\Delta P_{\max} = 10.0$  Pa (Fig. P17.31). Assume the speed of sound is constant at 343 m/s throughout the atmosphere over the region considered, the ground absorbs all the sound falling on it, and the air absorbs sound energy as described by the rate 7.00 dB/km. What is the sound level (in decibels) at a distance of  $d_2 = 4.00 \times 10^3$  m from the explosion?

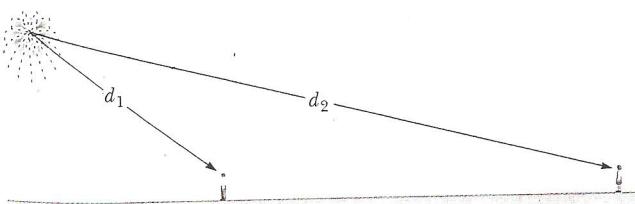


Figure P17.31

32. A firework's rocket explodes at a height of 100 m above the ground. An observer on the ground directly under the explosion experiences an average sound intensity of  $7.00 \times 10^{-2}$  W/m<sup>2</sup> for 0.200 s. (a) What is the total amount of energy transferred away from the explosion by sound? (b) What is the sound level (in decibels) heard by the observer?

33. The sound level at a distance of 3.00 m from a source is 120 dB. At what distance is the sound level (a) 100 dB and (b) 10.0 dB?
34. *Why is the following situation impossible?* It is early on a Saturday morning, and much to your displeasure your next-door neighbor starts mowing his lawn. As you try to get back to sleep, your next-door neighbor on the other side of your house also begins to mow the lawn with an identical mower the same distance away. This situation annoys you greatly because the total sound now has twice the loudness it had when only one neighbor was mowing.

#### Section 17.4 The Doppler Effect

35. A driver travels northbound on a highway at a speed of 25.0 m/s. A police car, traveling southbound at a speed of 40.0 m/s, approaches with its siren producing sound at a frequency of 2500 Hz. (a) What frequency does the driver observe as the police car approaches? (b) What frequency does the driver detect after the police car passes him? (c) Repeat parts (a) and (b) for the case when the police car is behind the driver and travels northbound.
36. **GP** Submarine A travels horizontally at 11.0 m/s through ocean water. It emits a sonar signal of frequency  $f = 5.27 \times 10^3$  Hz in the forward direction. Submarine B is in front of submarine A and traveling at 3.00 m/s relative to the water in the same direction as submarine A. A crewman in submarine B uses his equipment to detect the sound waves ("pings") from submarine A. We wish to determine what is heard by the crewman in submarine B. (a) An observer on which submarine detects a frequency  $f'$  as described by Equation 17.19? (b) In Equation 17.19, should the sign of  $v_s$  be positive or negative? (c) In Equation 17.19, should the sign of  $v_o$  be positive or negative? (d) In Equation 17.19, what speed of sound should be used? (e) Find the frequency of the sound detected by the crewman on submarine B.
37. An ambulance moving at 42 m/s sounds its siren whose frequency is 450 Hz. A car is moving in the same direction as the ambulance at 25 m/s. What frequency does a person in the car hear (a) as the ambulance approaches the car? (b) After the ambulance passes the car?
38. When high-energy charged particles move through a transparent medium with a speed greater than the speed of light in that medium, a shock wave, or bow wave, of light is produced. This phenomenon is called the *Cerenkov effect*. When a nuclear reactor is shielded by a large pool of water, Cerenkov radiation can be seen as a blue glow in the vicinity of the reactor core due to high-speed electrons moving through the water (Fig. 17.38). In a particular case, the Cerenkov radiation produces a wave front with an apex half-angle of 53.0°. Calculate the speed of the electrons in the water. The speed of light in water is  $2.25 \times 10^8$  m/s.



Figure P17.38

allowed value of  $n$  for a sphere of nonzero size? (c) What is the radius of the largest sphere that will produce a standing wave on the string? (d) What happens if a larger sphere is used?

62. **Q|C Review.** The top end of a yo-yo string is held stationary. The yo-yo itself is much more massive than the string. It starts from rest and moves down with constant acceleration  $0.800 \text{ m/s}^2$  as it unwinds from the string. The rubbing of the string against the edge of the yo-yo excites transverse standing-wave vibrations in the string. Both ends of the string are nodes even as the length of the string increases. Consider the instant 1.20 s after the motion begins from rest. (a) Show that the rate of change with time of the wavelength of the fundamental mode of oscillation is  $1.92 \text{ m/s}$ . (b) **What if?** Is the rate of change of the wavelength of the second harmonic also  $1.92 \text{ m/s}$  at this moment? Explain your answer. (c) **What if?** The experiment is repeated after more mass has been added to the yo-yo body. The mass distribution is kept the same so that the yo-yo still moves with downward acceleration  $0.800 \text{ m/s}^2$ . At the 1.20-s point in this case, is the rate of change of the fundamental wavelength of the string vibration still equal to  $1.92 \text{ m/s}$ ? Explain. (d) Is the rate of change of the second harmonic wavelength the same as in part (b)? Explain.

63. On a marimba (Fig. P18.63), the wooden bar that sounds a tone when struck vibrates in a transverse standing wave having three antinodes and two nodes. The lowest-frequency note is  $87.0 \text{ Hz}$ , produced by a bar  $40.0 \text{ cm}$  long. (a) Find the speed of transverse waves on the bar. (b) A resonant pipe suspended vertically below the center of the bar enhances the loudness of the emitted sound. If the pipe is open at the top end only, what length of the pipe is required to resonate with the bar in part (a)?



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Figure P18.63

64. A nylon string has mass  $5.50 \text{ g}$  and length  $L = 86.0 \text{ cm}$ . The lower end is tied to the floor, and the upper end is tied to a small set of wheels through a slot in a track on which the wheels move (Fig. P18.64). The wheels have a mass that is negligible compared with that of the string, and they roll without friction on the track so that the upper end of the string is essentially free. At equilibrium, the string is vertical and

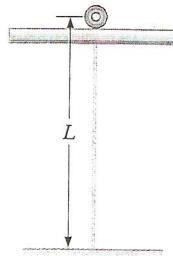


Figure P18.64

motionless. When it is carrying a small-amplitude wave, you may assume the string is always under uniform tension  $1.30 \text{ N}$ . (a) Find the speed of transverse waves on the string. (b) The string's vibration possibilities are a set of standing-wave states, each with a node at the fixed bottom end and an antinode at the free top end. Find the node-antinode distances for each of the three simplest states. (c) Find the frequency of each of these states.

65. Two train whistles have identical frequencies of  $180 \text{ Hz}$ . When one train is at rest in the station and the other is moving nearby, a commuter standing on the station platform hears beats with a frequency of  $2.00 \text{ beats/s}$  when the whistles operate together. What are the two possible speeds and directions the moving train can have?
66. Two wires are welded together end to end. The wires are made of the same material, but the diameter of one is twice that of the other. They are subjected to a tension of  $4.60 \text{ N}$ . The thin wire has a length of  $40.0 \text{ cm}$  and a linear mass density of  $2.00 \text{ g/m}$ . The combination is fixed at both ends and vibrated in such a way that two antinodes are present, with the node between them being right at the weld. (a) What is the frequency of vibration? (b) What is the length of the thick wire?
67. A string of linear density  $1.60 \text{ g/m}$  is stretched between clamps  $48.0 \text{ cm}$  apart. The string does not stretch appreciably as the tension in it is steadily raised from  $15.0 \text{ N}$  at  $t = 0$  to  $25.0 \text{ N}$  at  $t = 3.50 \text{ s}$ . Therefore, the tension as a function of time is given by the expression  $T = 15.0 + 10.0t/3.50$ , where  $T$  is in newtons and  $t$  is in seconds. The string is vibrating in its fundamental mode throughout this process. Find the number of oscillations it completes during the  $3.50\text{-s}$  interval.
68. **S** A standing wave is set up in a string of variable length and tension by a vibrator of variable frequency. Both ends of the string are fixed. When the vibrator has a frequency  $f$ , in a string of length  $L$  and under tension  $T$ ,  $n$  antinodes are set up in the string. (a) If the length of the string is doubled, by what factor should the frequency be changed so that the same number of antinodes is produced? (b) If the frequency and length are held constant, what tension will produce  $n + 1$  antinodes? (c) If the frequency is tripled and the length of the string is halved, by what factor should the tension be changed so that twice as many antinodes are produced?
69. Two waves are described by the wave functions
- $$y_1(x, t) = 5.00 \sin(2.00x - 10.0t)$$
- $$y_2(x, t) = 10.0 \cos(2.00x - 10.0t)$$
- where  $x$ ,  $y_1$ , and  $y_2$  are in meters and  $t$  is in seconds. (a) Show that the wave resulting from their superposition can be expressed as a single sine function. (b) Determine the amplitude and phase angle for this sinusoidal wave.
70. A flute is designed so that it produces a frequency of  $261.6 \text{ Hz}$ , middle C, when all the holes are covered and the temperature is  $20.0^\circ\text{C}$ . (a) Consider the flute as a pipe that is open at both ends. Find the length of the flute, assuming middle C is the fundamental. (b) A second player, nearby in a colder room, also attempts to play middle C on an