

Assignment #: Silver Springs Model

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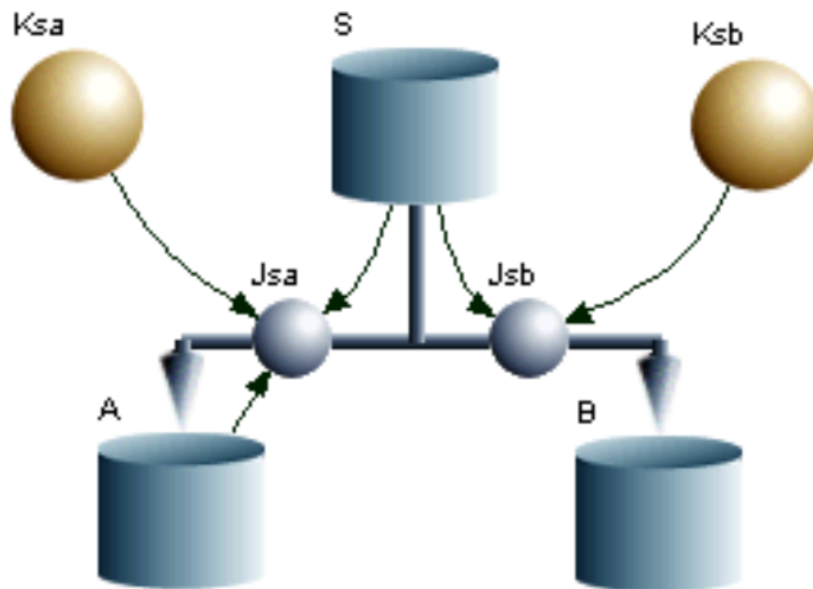
March 8, 2017

1 A Brief Introduction

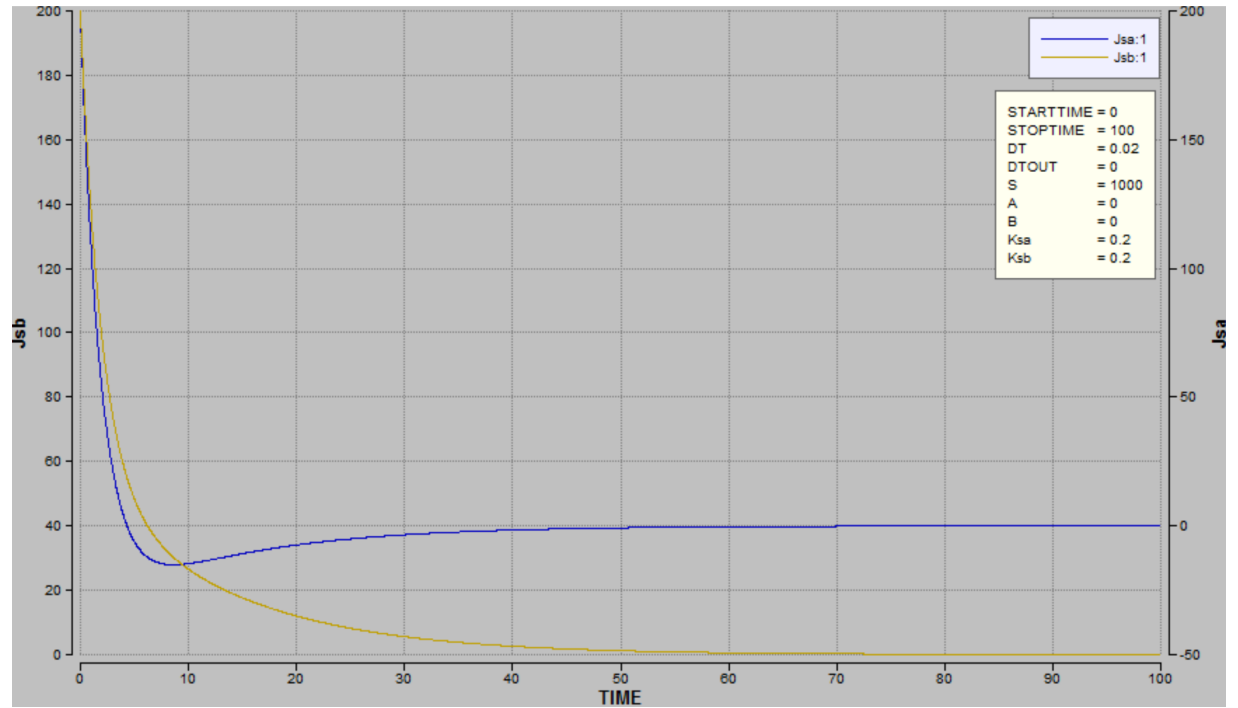
In this model,

2 Results

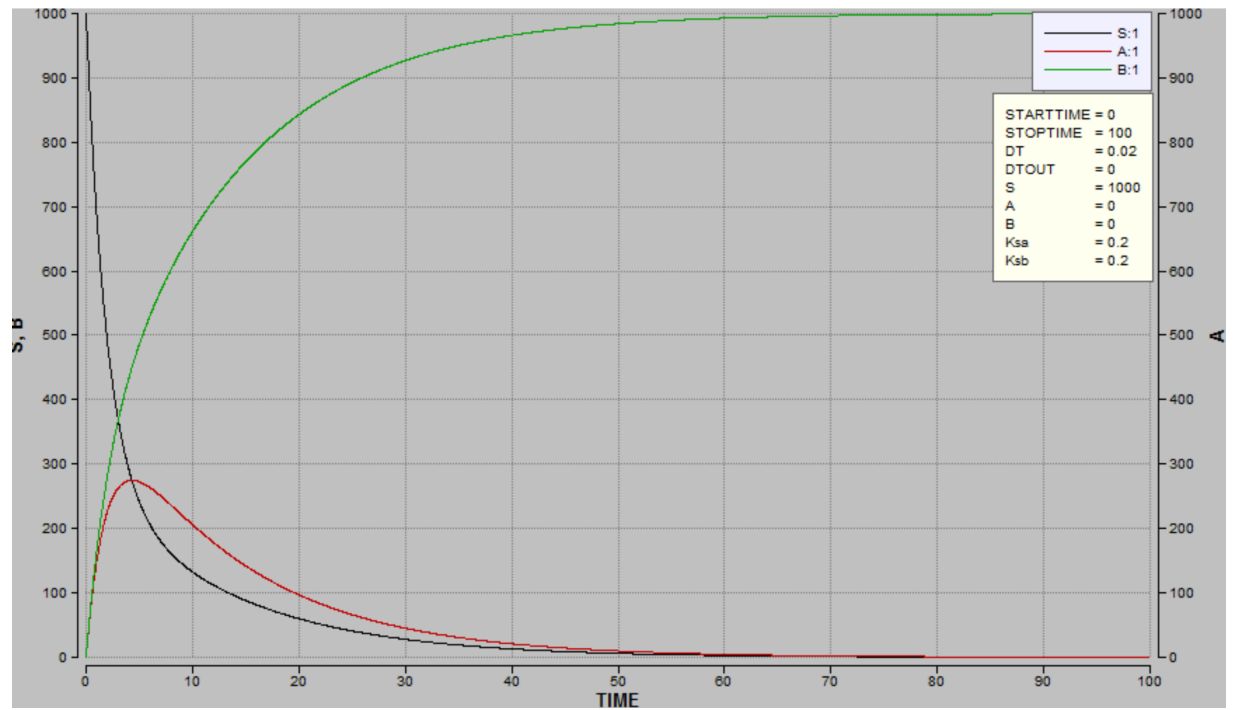
2.0.1 Compartment Model



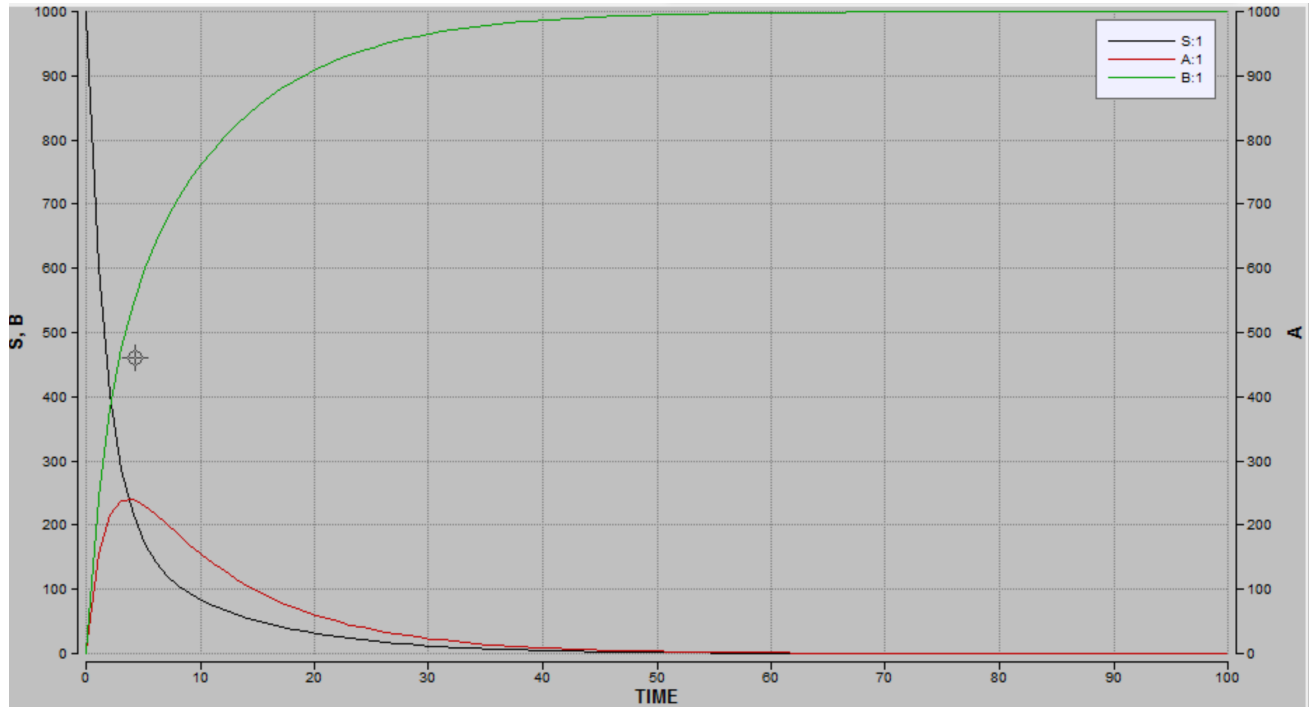
2.0.2 Flow vs Time



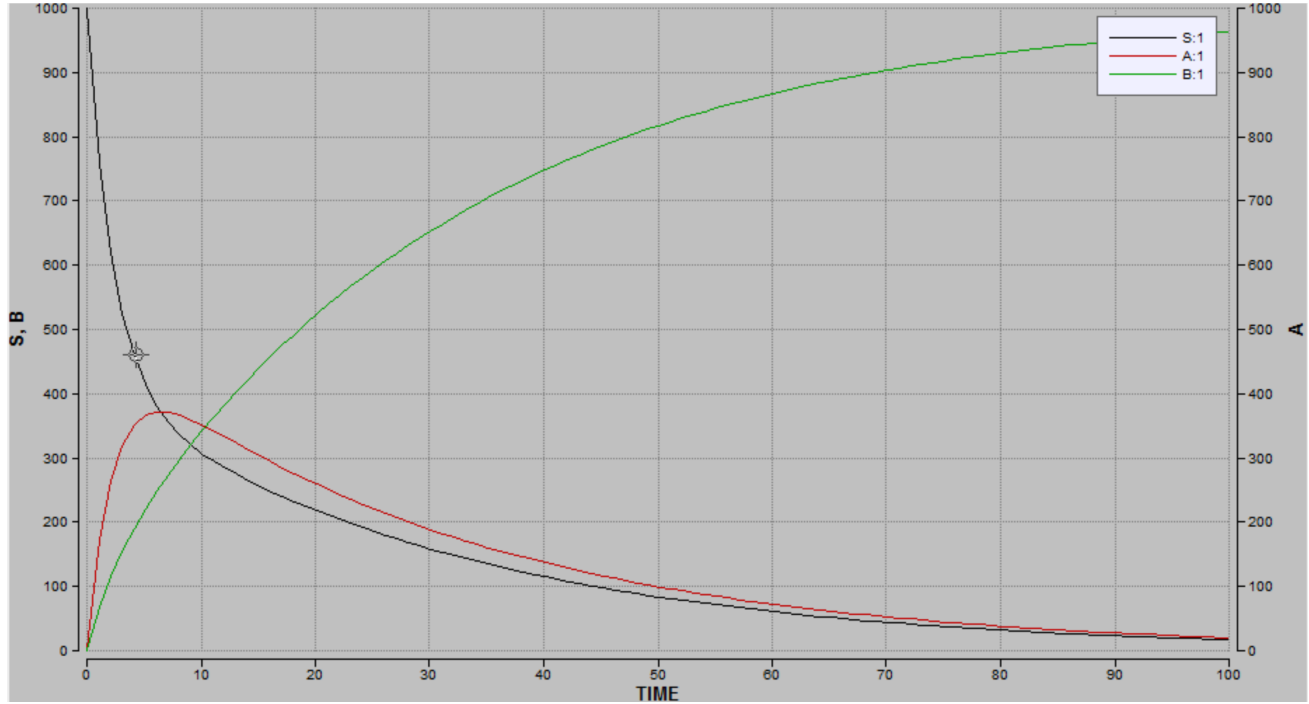
2.1 Reservoir level Over Time



2.2 $K_{sb} > K_{sa}$



2.3 $K_{sb} < K_{sa}$



3 Conclusion

From my observations, when the graph of S intersects with a graph from either A or B , it presents an equilibrium of the two compartment volume. When the K_{sb} value is greater than the K_{sa} , compartment B fills up at a faster pace. When the K_{sb} value is less than the K_{sa} , compartment A will have a higher volume than B up to when the graph of A intersects with the graph of B. In conclusion, when S decreases both graph of A and B increases; however, the graph of A will begin to decrease when it intersects with S.

4 Appendix

{Top model}

{Reservoirs}

$$d/dt (S) = - J_{sa} - J_{sb}$$

$$\text{INIT } S = 1000$$

$$d/dt (A) = + J_{sa}$$

$$\text{INIT } A = 0$$

$$d/dt (B) = + J_{sb}$$

$$\text{INIT } B = 0$$

{Flows}

$$J_{sa} = K_{sa} * (S - A)$$

$$J_{sb} = K_{sb} * S$$

{Functions}

$$K_{sa} = 0.2$$

$$K_{sb} = 0.2$$

{Globals}

{End Globals}