

Component	Equation	Description
Continuity equation	$\frac{\partial \rho}{\partial t} + \nabla(\rho \vec{v}) = 0$ <p>where ρ= water density, \vec{v} = velocity vector, ∇=gradient operator</p>	Account for the flux of mass going into a defined area and the flux of mass leaving the defined area
The momentum equations	$\frac{\partial \vec{v}}{\partial t} = \vec{g} - \frac{1}{\rho} \nabla p + \nu \nabla^2 \vec{v} - 2\vec{\Omega} \times \vec{v} + \vec{F}$ <p>where g=gravitational force, p=water pressure, ∇^2= Laplacian operator, Ω=angular velocity of the earth, F=external forces, ν=kinematic viscosity</p>	Navier–Stokes equation, valid for incompressible Newtonian flows
The advection equation	$J_a = C\vec{v}$ <p>where J_a=advective flux density, C=pollutant concentration</p>	Provide information for the horizontal transport by flows of pollutants; this is a primary transport process in the longitudinal direction in the rivers and estuaries
The dispersion equation	$J = -D \frac{dC}{dx}$ <p>where J=dispersive mass flux density, D=diffusion coefficient, x=the distance</p>	Provide information for the horizontal spreading by reducing the gradient of material concentration
Tidal equation	$\eta(t) = a_0 + \sum_{k=1}^N \left[a_k \cos\left(\frac{2\pi}{T_k} t\right) + b_k \sin\left(\frac{2\pi}{T_k} t\right) \right] + \eta_0(t)$ <p>where $\eta(t)$= tidal elevation, t= time, a_0=mean value of $\eta(t)$, a_k and b_k=constant, T_k= the tidal period of k_{th} tidal constituent, N=number of tidal constituents, $\eta_0(t)$= residual signal other than the periodic components</p>	Provide information of water level over the tidal cycle in the tidal estuaries