## Support Vector Machine Classifier in Predicting a Pulsar Star

SVMs are supervised machine learning learning algorithms that are used for classification and regression purposes. In this project, I am going to predict the given star is **Pulsar Star** or not.

### 1. Introduction to SVM

**Support Vector Machines** (SVMs in short) are machine learning algorithms that are used for classification and regression purposes. An SVM classifier builds a model that assigns new data points to one of the given categories. Thus, it can be viewed as a non-probabilistic binary linear classifier.

SVMs can be used for linear classification purposes. In addition to performing linear classification, SVMs can efficiently perform a non-linear classification using the kernel trick. It enable us to implicitly map the inputs into high dimensional feature spaces.

### 2. SVMs Intution

Some SVM terminology

#### Hyperplane:

Hyperplane is the decision boundary that is used to separate the data points of different classes in a feature space. In the case of linear classifications, it will be a linear equation i.e. wx+b = 0.

#### Support Vectors:

Support vectors are the closest data points to the hyperplane, which makes a critical role in deciding the hyperplane and margin.

#### Margin:

Margin is the distance between the support vector and hyperplane. The main objective of the support vector machine algorithm is to maximize the margin. The wider margin indicates better classification performance.

#### Kernel:

Kernel is the mathematical function, which is used in SVM to map the original input data points into high-dimensional feature spaces, so, that the hyperplane can be easily found out even if the data points are not linearly separable in the original input space. Some of the common kernel functions are linear, polynomial, radial basis function(RBF), and sigmoid.

#### Hard Margin:

The maximum-margin hyperplane or the hard margin hyperplane is a hyperplane that properly separates the data points of different categories without any misclassifications.

#### Soft Margin:

When the data is not perfectly separable or contains outliers, SVM permits a soft margin technique. Each data point has a slack variable introduced by the soft-margin SVM formulation, which softens the strict margin requirement and permits certain misclassifications or violations. It discovers a compromise between increasing the margin and reducing violations.

#### C:

Margin maximisation and misclassification fines are balanced by the regularisation parameter C in SVM. The penalty for going over the margin or misclassifying data items is decided by it. A stricter penalty is imposed with a greater value of C, which results in a smaller margin and perhaps fewer misclassifications.

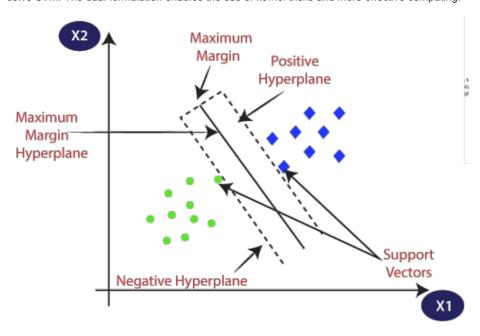
#### Hinge Loss:

A typical loss function in SVMs is hinge loss. It punishes incorrect classifications or margin violations. The objective function in SVM is frequently formed by combining it with the regularisation term.

#### **Dual Problem:**

A dual Problem of the optimisation problem that requires locating the Lagrange multipliers related to the support vectors can be used to

solve SVM. The dual formulation enables the use of kernel tricks and more effective computing.



### 3. Kernal Trick

Kernel trick is a technique used in machine learning, especially with support vector machines (SVMs), to transform data into a higher-dimensional space without explicitly calculating the coordinates in that space. This transformation is performed using a kernel function.

Here's a simple way to understand it:

- 1. Imagine you have some data points that are not easily separable in their current form in a two-dimensional space (like on a piece of paper).
- 2. The kernel trick allows you to mathematically "lift" these data points into a higher-dimensional space (imagine they're now above the paper), where they might become more separable.
- 3. In this higher-dimensional space, it's easier to draw a straight line or any other shape to separate the data into different categories.
- 4. Even though you can't visualize this higher-dimensional space, the kernel trick allows the SVM (or another machine learning algorithm) to work with this transformed data without actually calculating the positions of the data points in the higher-dimensional space. It uses a mathematical function (the kernel) to determine how they relate to each other.

So, the kernel trick is a way to make complex data separable by transforming it into a higher-dimensional space while keeping the calculations efficient in the original space. It's a powerful tool in machine learning for solving problems where the data is not easily separated using simple lines or curves in its original form.

Types of Kernel trick:-

1. Linear Kernel: The linear kernel is the simplest kernel and represents a linear transformation. It's often used when the data is already linearly separable.

Equation: K(x, y) = x \* y

2. Polynomial Kernel: The polynomial kernel is used to map data into a higher-dimensional space with a polynomial function.

Equation:  $K(x, y) = (x * y + c)^d$ 

where 'c' is a constant and 'd' is the degree of the polynomial.

3. Radial Basis Function (RBF) Kernel: The RBF kernel is also known as the Gaussian kernel. It maps data into an infinite-dimensional space, making it highly flexible for capturing complex relationships.

Equation:  $K(x, y) = \exp(-\gamma * ||x - y||^2)$ 

where 'y' is a positive constant.

4. Sigmoid Kernel: The sigmoid kernel maps data into a higher-dimensional space using a hyperbolic tangent function.

Equation:  $K(x, y) = tanh(\alpha x y + c)$ 

where ' $\alpha$ ' and 'c' are constants.

5. Custom Kernels: In addition to the standard kernels, you can create custom kernels tailored to your specific data and problem. These custom kernels are designed to capture the unique characteristics of your dataset.

| TABLE I. | DIEGEDENT VEDNEI | FUNCTIONS OF SVM    |
|----------|------------------|---------------------|
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|            | Formula   | Parameters | Merits   |
|------------|---|------------|--|
| Linear     | $K(x, x_i) = x \cdot x_i$                       | /          | It is only used when the sample is separable in low dimensional space. |
| Polynomial | $K(x, x_i) = [\gamma * (x \cdot x_i) + coef]^d$ | γ, coef, d | global kernels   |
| RBF        | $K(x, x_i) = \exp(-\gamma *   x - x_i  ^2)$     | γ.         | good local performance   |
| Sigmoid    | $K(x, x_i) = \tanh(\gamma(x \cdot x_i) + coef)$ | γ, coef    | needs to meet certain conditions                                       |

The choice of kernel function depends on the nature of your data and the problem you are trying to solve. Different kernels can have a significant impact on the performance of your machine learning model, so it's essential to experiment and choose the one that works best for your specific task.

## 4. Dataset description

I have used the Predicting a Pulsar Star dataset for this project.

This dataset is about identifying pulsar stars, which are a rare type of neutron star that emits detectable radio waves here on Earth. Pulsars are interesting for scientific research as they can provide insights into space-time, the interstellar medium, and states of matter. In this dataset, the goal is to use classification algorithms to distinguish between two types of examples: real pulsar stars (positive class) and fake signals caused by interference or noise (negative class). The dataset contains information about eight different characteristics for each candidate, like statistics from the pulse profile and DM-SNR curve, and it uses these attributes to classify whether a candidate is a pulsar (1) or not (0)...

The data set shared here contains 16,259 spurious examples caused by RFI/noise, and 1,639 real pulsar examples. Each row lists the variables first, and the class label is the final entry. The class labels used are 0 (negative) and 1 (positive).

#### Attribute Information:

Each candidate is described by 8 continuous variables, and a single class variable. The first four are simple statistics obtained from the integrated pulse profile. The remaining four variables are similarly obtained from the DM-SNR curve. These are summarised below:

- 1. Mean of the integrated profile.
- 2. Standard deviation of the integrated profile.
- 3. Excess kurtosis of the integrated profile.
- 4. Skewness of the integrated profile.
- 5. Mean of the DM-SNR curve.
- 6. Standard deviation of the DM-SNR curve.
- 7. Excess kurtosis of the DM-SNR curve.
- 8. Skewness of the DM-SNR curve.
- 9. Class

## 5. Import Libraries

```
import numpy as np
import pandas as pd

import matplotlib.pyplot as plt
import seaborn as sns
%matplotlib inline
```

## 6. Import dataset

## 7. Exploratory data analysis

```
In [3]: df.shape
          (17898, 9)
 Out[3]:
 In [4]: df.head()
 Out[4]:
                                         Excess kurtosis
                                Standard
              Mean of the
                                                         Skewness of
                                                                        Mean of
                                                                                      Standard
                                                                                                      Excess
                                                                                                              Skewness of
                                                  of the
                          deviation of the
                                                                                                              the DM-SNR target_class
               integrated
                                                        the integrated
                                                                        the DM-
                                                                                 deviation of the
                                                                                                kurtosis of the
                                              integrated
                  profile
                        integrated profile
                                                              profile
                                                                      SNR curve
                                                                                  DM-SNR curve
                                                                                                DM-SNR curve
                                                                                                                    curve
                                                 profile
              140.562500
                               55.683782
                                               -0.234571
                                                            -0.699648
                                                                       3.199833
                                                                                      19.110426
                                                                                                     7.975532
                                                                                                                74.242225
                                                                                                                                    0
              102.507812
                               58.882430
                                               0.465318
                                                            -0.515088
                                                                       1.677258
                                                                                      14.860146
                                                                                                    10.576487
                                                                                                                127.393580
                                                                                                                                    0
              103.015625
                               39.341649
                                               0.323328
                                                            1.051164
                                                                       3.121237
                                                                                      21.744669
                                                                                                     7.735822
                                                                                                                63.171909
                                                                                                                                    0
          2
          3
              136.750000
                               57.178449
                                               -0.068415
                                                            -0.636238
                                                                       3.642977
                                                                                      20.959280
                                                                                                     6.896499
                                                                                                                53.593661
                                                                                                                                    0
               88.726562
                               40.672225
                                               0.600866
                                                            1.123492
                                                                       1.178930
                                                                                      11.468720
                                                                                                    14.269573
                                                                                                               252.567306
                                                                                                                                    0
 In [5]: df.columns
 Out[5]: Index([' Mean of the integrated profile',
                    Standard deviation of the integrated profile',
                    Excess kurtosis of the integrated profile'
                  ' Skewness of the integrated profile', ' Mean of the DM-SNR curve',
                    Standard deviation of the DM-SNR curve',
                  ' Excess kurtosis of the DM-SNR curve', ' Skewness of the DM-SNR curve',
                  'target_class'],
                 dtype='object')
 In [6]: # remove leading spaces from column names
          df.columns = df.columns.str.strip()
 In [7]: df.columns
 \operatorname{Out}[7]: Index(['Mean of the integrated profile',
                   'Standard deviation of the integrated profile',
                  'Excess kurtosis of the integrated profile',
                  'Skewness of the integrated profile', 'Mean of the DM-SNR curve',
                  'Standard deviation of the DM-SNR curve',
'Excess kurtosis of the DM-SNR curve', 'Skewness of the DM-SNR curve',
                  'target_class'],
                 dtype='object')
 In [8]: # rename column names
          df.columns = ['IP Mean', 'IP Sd', 'IP Kurtosis', 'IP Skewness',
                           'DM-SNR Mean', 'DM-SNR Sd', 'DM-SNR Kurtosis', 'DM-SNR Skewness', 'target class']
 In [9]: # check distribution of target class column
          df['target class'].value counts()
                16259
 Out[9]:
                 1639
          Name: target_class, dtype: int64
In [10]: # view the percentage distribution of target class column
          df['target_class'].value_counts() / float(len(df))
                0.908426
Out[10]:
                0.091574
          Name: target_class, dtype: float64
          Here we can see that class label 0 and 1 is 90.84% and 9.16%. So, this is a class imbalanced problem.
In [11]: # view summary of dataset
          df.info()
```

```
RangeIndex: 17898 entries, 0 to 17897
         Data columns (total 9 columns):
          #
             Column
                              Non-Null Count Dtype
                               -----
             IP Mean
          0
                              17898 non-null float64
              IP Sd
                               17898 non-null float64
          2
              IP Kurtosis
                               17898 non-null float64
              IP Skewness
                               17898 non-null
          3
                                              float64
          4
             DM-SNR Mean
                               17898 non-null
                                              float64
          5
                               17898 non-null
              DM-SNR Sd
                                              float64
             DM-SNR Kurtosis 17898 non-null
                                              float64
          6
              DM-SNR Skewness 17898 non-null float64
          7
          8
             target class
                               17898 non-null int64
         dtypes: float64(8), int64(1)
         memory usage: 1.2 MB
In [12]: # check for missing values in variables
         df.isnull().sum()
         IP Mean
                            0
Out[12]:
         IP Sd
                            0
         IP Kurtosis
                            0
         IP Skewness
                            0
                            0
         DM-SNR Mean
         DM-SNR Sd
                            0
         DM-SNR Kurtosis
                            0
         DM-SNR Skewness
                            0
         target_class
                            0
         dtype: int64
         Summary fo dataset
```

• There are 9 numerical variables in the dataset.

<class 'pandas.core.frame.DataFrame'>

- 8 are continuous variables and 1 is discrete variable.
- The discrete variable is target class variable. It is also the target variable.
- There are no missing values in the dataset.

```
In [13]: # view summary statistics in numerical variables
round(df.describe(),2)

Out[13]: IP Mean IP Sd IP Kurtosis IP Skewness DM-SNR Mean DM-SNR Sd DM-SNR Kurtosis DM-SNR Skewness target_class
```

IP Mean IP Sd IP Kurtosis IP Skewness DM-SNR Mean DM-SNR Sd DM-SNR Kurtosis DM-SNR Skewness target class count 17898.00 17898.00 17898.00 17898.00 17898.00 17898.00 17898.00 17898.00 17898.00 mean 111.08 46.55 0.48 1.77 12.61 26.33 8.30 104.86 0.09 25.65 6.84 1.06 6.17 29.47 19.47 4.51 106.51 0.29 std min 5.81 24.77 -1.88 -1.79 0.21 7.37 -3.14 -1.98 0.00 25% 100.93 42.38 0.03 -0.19 1.92 14.44 5.78 34.96 0.00 50% 115.08 46.95 0.22 0.20 2.80 18.46 8.43 83.06 0.00 75% 127.09 51.02 0.47 0.93 5.46 28.43 10.70 139.31 0.00 192.62 98.78 8.07 68.10 223.39 110.64 34.54 1191.00 1.00 max

```
In [14]: # draw boxplots to visualize outliers
         plt.figure(figsize = (20,20))
         plt.subplot(4,2,1)
         fig = df.boxplot(column = 'IP Mean')
         fig.set_ylabel('IP Mean')
         plt.subplot(4,2,2)
         fig = df.boxplot(column = 'IP Sd')
         fig.set ylabel('IP Sd')
         plt.subplot(4,2,3)
         fig = df.boxplot(column = 'IP Kurtosis')
         fig.set_ylabel('IP Kurtosis')
         plt.subplot(4,2,4)
         fig = df.boxplot(column = 'IP Skewness')
         fig.set_ylabel('IP Skewness')
         plt.subplot(4,2,5)
         fig = df.boxplot(column = 'DM-SNR Mean')
         fig.set_ylabel('DM-SNR Mean')
```

```
plt.subplot(4, 2, 6)
fig = df.boxplot(column='DM-SNR Sd')
            fig.set_ylabel('DM-SNR Sd')
            plt.subplot(4,2,7)
            fig = df.boxplot(column = 'DM-SNR Kurtosis')
            fig.set_ylabel('DM-SNR Kurtosis')
            plt.subplot(4, 2, 8)
            fig = df.boxplot(column='DM-SNR Skewness')
            fig.set_ylabel('DM-SNR Skewness')
           Text(0, 0.5, 'DM-SNR Skewness')
Out[14]:
                                                                                        100
             150
                                                                                        80
             125
            IP Mean
                                                                                        60
              75
                                                                                        50
              50
              25
                                                                                        70
                                                                                        60
                                                                                        50
                                                                                        20
                                                                                        10
                                            IP Kurtosis
                                                                                                                      IP Skewness
             200
                                                                                        100
                                                                                     bS
                                                                                     SNR
            DM-SNR 100
                                                                                        60
                                                                                     DM
              50
                                           DM-SNR Mean
                                                                                                                      DM-SNR Sd
              35
                                                                                       1200
              30
                                                                                       1000
              25
                                                                                       800
```

#### Handel outliers with SVMs

DM-SNR Kurtosis

Hard-Margin SVM is strict and doesn't tolerate mistakes or outliers. Soft-Margin SVM is more flexible, allowing some mistakes with a penalty controlled by 'C'. When you have outliers, use a high 'C' in the Soft-Margin SVM to handle them.

400 200

DM-SNR Skewness

#### Check the distribution of Variables

DM-SNR Kurtosis

If they are normal or skewed.

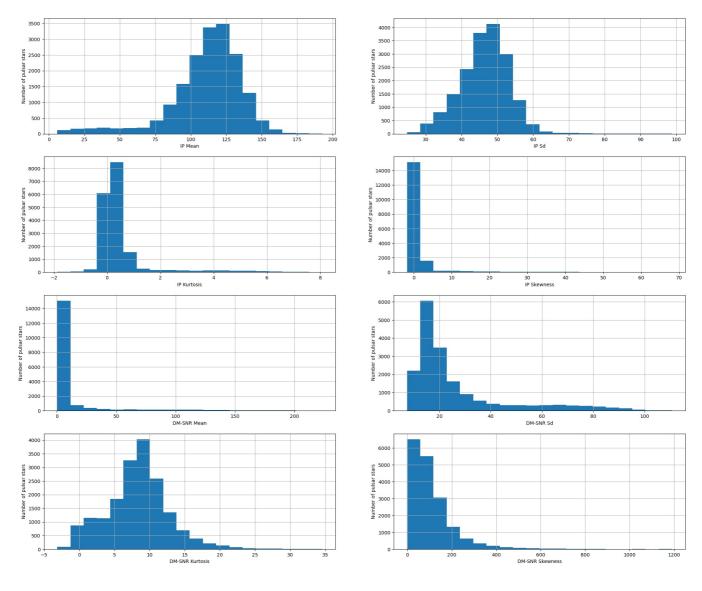
```
In [15]: # plot histogram to check distribution

plt.figure(figsize=(24,20))

plt.subplot(4, 2, 1)
fig = df['IP Mean'].hist(bins=20)
```

```
fig.set_xlabel('IP Mean')
fig.set_ylabel('Number of pulsar stars')
plt.subplot(4, 2, 2)
fig = df['IP Sd'].hist(bins=20)
fig.set_xlabel('IP Sd')
fig.set_ylabel('Number of pulsar stars')
plt.subplot(4, 2, 3)
fig = df['IP Kurtosis'].hist(bins=20)
fig.set_xlabel('IP Kurtosis')
fig.set_ylabel('Number of pulsar stars')
plt.subplot(4, 2, 4)
fig = df['IP Skewness'].hist(bins=20)
fig.set_xlabel('IP Skewness')
fig.set_ylabel('Number of pulsar stars')
plt.subplot(4, 2, 5)
fig = df['DM-SNR Mean'].hist(bins=20)
fig.set_xlabel('DM-SNR Mean')
fig.set ylabel('Number of pulsar stars')
plt.subplot(4, 2, 6)
fig = df['DM-SNR Sd'].hist(bins=20)
fig.set_xlabel('DM-SNR Sd')
fig.set ylabel('Number of pulsar stars')
plt.subplot(4, 2, 7)
fig = df['DM-SNR Kurtosis'].hist(bins=20)
fig.set_xlabel('DM-SNR Kurtosis')
fig.set ylabel('Number of pulsar stars')
plt.subplot(4, 2, 8)
fig = df['DM-SNR Skewness'].hist(bins=20)
fig.set_xlabel('DM-SNR Skewness')
fig.set_ylabel('Number of pulsar stars')
```

Out[15]: Text(0, 0.5, 'Number of pulsar stars')



8. Declare feature vector and target variable

```
In [16]: X = df.drop(['target_class'], axis=1)

y = df['target_class']
```

## 9. Split data into separate training and test set

```
In [17]: # split X and y into training and testing sets
    from sklearn.model_selection import train_test_split
    X_train, X_test, y_train, y_test = train_test_split(X, y, test_size = 0.2, random_state = 0)
In [18]: # check the shape of X_train and X_test
    X_train.shape, X_test.shape
Out[18]: ((14318, 8), (3580, 8))
```

## 10. Feature Scaling

```
In [19]: cols = X_train.columns
    from sklearn.preprocessing import StandardScaler
    scaler = StandardScaler()
    X_train = scaler.fit_transform(X_train)
    X_test = scaler.transform(X_test)

In [20]: X_train = pd.DataFrame(X_train, columns=[cols])
    X_test = pd.DataFrame(X_test, columns=[cols])
```

### 11. Run SVM with default hyperparameters

Default hyperparameter means C=1.0, kernel= rbf and gamma= auto among other parameters.

```
In [21]: # import SVC classifier
from sklearn.svm import SVC

# import metrics to compute accuracy
from sklearn.metrics import accuracy_score

# instantiate classifier with default hyperparameters
svc=SVC()

# fit classifier to training set
svc.fit(X_train,y_train)

# make predictions on test set
y_pred=svc.predict(X_test)

# compute and print accuracy score
print('Model accuracy score with default hyperparameters: {0:0.4f}'. format(accuracy_score(y_test, y_pred)))
```

Model accuracy score with default hyperparameters: 0.9827

#### Run SVM with rbf kernel and C=100.0

We have seen that there are outliers in our dataset. So, we should increase the value of C as higher C means fewer outliers. So, I will run SVM with kernel= rbf and C=100.0.

```
In [22]: # instantiate classifier with rbf kernel and C=100
svc=SVC(C=100.0)

# fit classifier to training set
svc.fit(X_train,y_train)

# make predictions on test set
y_pred=svc.predict(X_test)
```

```
# compute and print accuracy score
print('Model accuracy score with rbf kernel and C=100.0 : {0:0.4f}'. format(accuracy_score(y_test, y_pred)))
```

Model accuracy score with rbf kernel and C=100.0 : 0.9832

We can see that we obtain a higher accuracy with C=100.0 as higher C means less outliers.

Now, I will further increase the value of C=1000.0 and check accuracy.

#### Run SVM with rbf kernel and C=1000.0

```
In [23]: # instantiate classifier with rbf kernel and C=1000
svc=SVC(C=1000.0)

# fit classifier to training set
svc.fit(X_train,y_train)

# make predictions on test set
y_pred=svc.predict(X_test)

# compute and print accuracy score
print('Model accuracy score with rbf kernel and C=1000.0 : {0:0.4f}'. format(accuracy_score(y_test, y_pred)))
```

Model accuracy score with rbf kernel and C=1000.0 : 0.9816

Accuracy had decreased when C=1000

### 12. Run SVM with linear kernel

Run SVM with kernel and C = 1.0

```
In [24]: # instantiate classifier with linear kernel and C=1.0
linear_SVC = SVC(kernel = 'linear',C=1.0)

#fit classifier to training set
linear_SVC.fit(X_train, y_train)

#Make predictions on test set
y_pred_test = linear_SVC.predict(X_test)

#Compute and print accuracy score
print('Model accuracy score with linear Kernel and C=1.0 : {0:0.4f}'.format(accuracy_score(y_test,y_pred_test)))

Model accuracy score with linear Kernel and C=1.0 : 0.9830
```

#### SVM with linear kernel and C=100.0

#### SVM with linear kernel and C=1000.0

```
In [28]: # instantiate classifier with linear kernel and C=1.0
linear_SVC1000 = SVC(kernel = 'linear', C=1000.0)

#fit classifier to training set
linear_SVC1000.fit(X_train, y_train)

#Make predictions on test set
y_pred_test = linear_SVC1000.predict(X_test)

#Compute and print accuracy score
print('Model accuracy score with linear Kernel and C=1000.0 : {0:0.4f}'.format(accuracy_score(y_test,y_pred_test))
```

Model accuracy score with linear Kernel and C=1.0: 0.9832

Now we can see that the accuracy is increased when c=100 and 1000

#### Comparing the train accuracy

```
In [30]: y_pred_train = linear_SVC.predict(X_train)
```

```
print('Training accuracy : {0:0.4f}'.format(accuracy_score(X_train,y_pred_train)))
Training accuracy : 0.9785
```

#### Checking for overfitting and underfitting

```
In [34]: # print the scores on training and test set
    print('Training set score: {:.4f}'.format(linear_SVC.score(X_train, y_train))) # This is same as above calculate
    print('Test set score: {:.4f}'.format(linear_SVC.score(X_test, y_test)))
    Training set score: 0.9785
    Test set score: 0.9832
```

There is no proble of overfitting and underfitting

#### Comparing model with null accuracy

The model accuracy is 0.9832 but we cannot say our model is very good based on the accuracy only so we compare it with null accuracy.

In simple words, null accuracy in machine learning is like the easiest way to guess the outcome. It's the accuracy you'd achieve if you just guessed the most common answer for every question. It's a basic reference point to see if your machine learning model is doing better than just guessing the obvious answer. If your model's accuracy is not much better than the null accuracy, it may not be very useful.

We can see that the occurences of most frequent class 0 is 3306. So, we can calculate null accuracy by dividing 3306 by total number of occurences.

```
In [37]: # Check null accuracy score
null_accuracy = (3306/(3306+274))
print('Null accuracy score : {0:0.4f}'.format(null_accuracy))
```

Null accuracy score : 0.9235

We can see that our model accuracy score is 0.9830 but null accuracy score is 0.9235. So, we can conclude that our SVM classifier is doing a very good job in predicting the class labels.

## 13. SVM with polynomial kernel

#### Polynomial kernel and C=1.0

```
In [39]: # instantiate classifier with polynomial kernel and C=1.0
poly_svc = SVC(kernel = 'poly', C=1.0)

# fit classifier to training set
poly_svc.fit(X_train, y_train)

# Make predictions om test set
y_pred = poly_svc.predict(X_test)

# Compute and print the accuracy
print('Model accuracy with polynomial kernel and C=1.0 is : {0:0.4f}'.format(accuracy_score(y_test,y_pred)))
```

Model accuracy with polynomial kernel and C=1.0 is : 0.9807  $\,$ 

#### Polynomial kernel with C=100.0

```
In [41]: #instantiate classifier with polynomial kernel and C=100.0
poly_svc100 = SVC(kernel = 'poly',C=100.0)

# Fit classifier to training set
poly_svc100.fit(X_train, y_train)

# prediction
y_pred = poly_svc100.predict(X_test)

#Print accuracy
print("Accuracy with polynomial kernel and C= 100.0 is : {0:0.4f}".format(accuracy_score(y_pred,y_test)))
```

### 14. SVM with sigmoid kernel

#### Sigmoid kernel and C=1.0

```
In [42]: # instantiate classifier with sigmoid kernel and C=1.0
sigmoid_svc=SVC(kernel='sigmoid', C=1.0)

# fit classifier to training set
sigmoid_svc.fit(X_train,y_train)

# make predictions on test set
y_pred=sigmoid_svc.predict(X_test)

# compute and print accuracy score
print('Model accuracy score with sigmoid kernel and C=1.0 : {0:0.4f}'. format(accuracy_score(y_test, y_pred)))
Model accuracy score with sigmoid kernel and C=1.0 : 0.8858
```

#### Sigmoid kernel and C=100.0

```
In [43]: # instantiate classifier with sigmoid kernel and C=100.0
sigmoid_svc100=SVC(kernel='sigmoid', C=100.0)

# fit classifier to training set
sigmoid_svc100.fit(X_train,y_train)

# make predictions on test set
y_pred=sigmoid_svc100.predict(X_test)

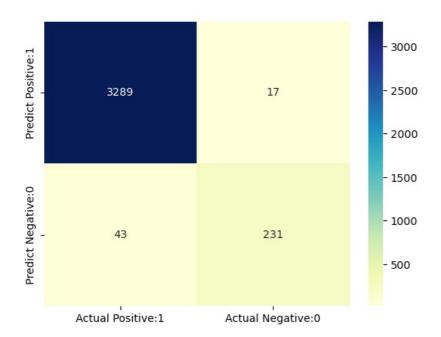
# compute and print accuracy score
print('Model accuracy score with sigmoid kernel and C=100.0 : {0:0.4f}'. format(accuracy_score(y_test, y_pred))

Model accuracy score with sigmoid kernel and C=100.0 : 0.8855
```

From above observations we can see taht rbf anf linear kernel with C=100.0 gives higher accuracy. Based on the above analysis we can conclude that our classification model accuracy is very good. Our model is doing a very good job in terms of predicting the class labels.

But this is not true because we have imbalanced dataset. In an imbalanced dataset, accuracy can be misleading. A better metric to evaluate model performance is the confusion matrix, which helps us understand the distribution of true positive, true negative, false positive, and false negative predictions. It provides more insight into the classifier's performance, especially in scenarios where one class is dominant.

### 15. Confusion Matrix



### 16. Classification metrices

```
In [46]: from sklearn.metrics import classification_report
         print(classification_report(y_test, y_pred_test))
                                    recall f1-score
                       precision
                                                        support
                    0
                            0.99
                                       0.99
                                                 0.99
                                                           3306
                            0.93
                                      0.84
                                                 0.89
                                                            274
                                                 0.98
             accuracy
                                                           3580
                                       0.92
                            0.96
                                                 0.94
                                                           3580
            macro avg
         weighted avg
                            0.98
                                       0.98
                                                 0.98
                                                           3580
```

# 17. Hyperparameter Optimization using GridSearch CV

```
scoring = 'accuracy',
                                    cv = 5,
                                    verbose=0)
         grid search.fit(X train, y train)
         ▶ GridSearchCV
Out[47]:
          ▶ estimator: SVC
                ► SVC
In [48]: # examine the best model
         # best score achieved during the GridSearchCV
         print('GridSearch CV best score : {:.4f}\n\n'.format(grid search.best score ))
         # print parameters that give the best results
         print('Parameters that give the best results :','\n\n', (grid_search.best_params_))
         # print estimator that was chosen by the GridSearch
         print('\n\nEstimator that was chosen by the search :','\n\n', (grid_search.best_estimator_))
         GridSearch CV best score : 0.9793
         Parameters that give the best results :
          {'C': 10, 'gamma': 0.3, 'kernel': 'rbf'}
         Estimator that was chosen by the search :
          SVC(C=10, gamma=0.3)
In [49]: # calculate GridSearch CV score on test set
         print('GridSearch CV score on test set: {0:0.4f}'.format(grid search.score(X test, y test)))
         GridSearch CV score on test set: 0.9835
```

param grid = parameters,

### 18. Conclusion

- 1. Accuracy is higher with rbf and linear kernel with C=100 which is 0.9832 and also from confusion matrix we get the different accuracy
- 2. After performing hyperparameter tuning the accuracy is increased form 0.9832 to 0.9835.So, GridSearch CV helps to identify the parameters that will improve the performance for this particular model.

### 19. Reference

https://www.kaggle.com/code/prashant111/svm-classifier-tutorial#12.-Run-SVM-with-default-hyperparameters-

### Thank You!!

In [ ]:

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