# **Animation & Simulation**

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- Another model-based animation
  - Key-framing
  - Parametric methods
  - Physically-based methods
  - Behavioural, cognitive processes
    - High-level, based on reliable animation techniques at lower levels
    - Relieve animators from not-so-important animations
    - A way of automating animation generation
    - Cognitive: individual and group levels

- Cognitive modelling
  - Rule-based
    - <condition, behaviour> with motion databases
    - Logic and reasoning -> traditional AI
  - Machine learning
    - No specific rules but only data correlations
    - Causation detection (harder)
  - Deep learning
    - Brutal learning from a large amount of data
    - A working progress

Aggregate Behaviours

Туре	Number of Elements	Incorporated Physics	Intelligence
Particles	$10^2 - 10^4$	Much—with environment	None
Flocks	$10^{1}-10^{3}$	Some—with environment and other elements	Limited
Crowds	10 <sup>1</sup> –10 <sup>2</sup>	Usually little physics, but depends on interaction with environment	Varies from little to much

- Primitive Behaviours
  - Flocking
    - Fish schools, bird flocks, etc.
    - Highly coordinated low-level behaviours
    - Global behaviours can be approximated by local behaviours
    - [Reynolds 87]: avoid collisions and staying part of the flock
      - Each agent needs to avoid colliding with neighbouring agents
      - Each agent needs to follow the general formation

- Primitive Behaviours
  - Flocking
    - Local control: physics, perception, reasoning and reaction
      - Physics: like particles
      - Perception: perceived environment
      - Reasoning and reaction: intelligence

- Primitive Behaviours
  - Flocking
    - Perception

Be aware of itself and two or three of its neighbors

Be aware of what is in front of it and have a limited for

Have a distance-limited fov

Be influenced by objects within the line of sight

Be influenced by objects based on distance and size (angle subtended in the fov)

Be affected by things using an inverse distance-squared or distance-cubed weighting function

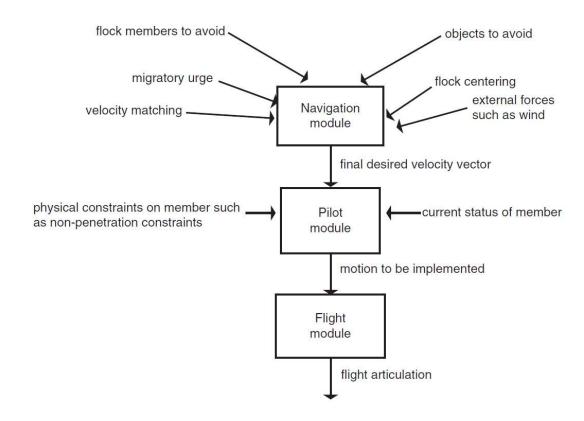
Have a general migratory urge but no global objective

Not follow a designated leader

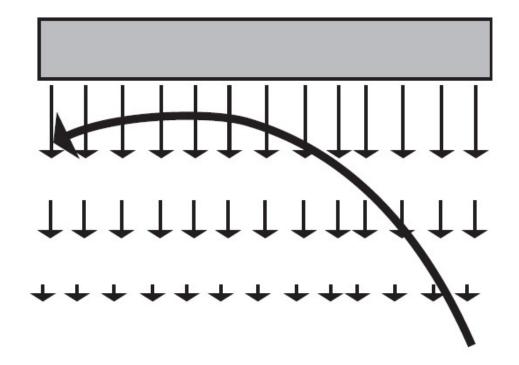
Not have knowledge about a global flock center

- Primitive Behaviours
  - Flocking
    - Interacting with other members
      - Attraction and repulsion
    - Interaction with the environment
      - Collisions
    - Global control
      - Direction, speed, etc.
    - Flock leaders
      - For others to follow
    - Negotiate the motion
      - Optimisation with respect to all afore-mentioned constraints

- Primitive Behaviours
  - Flocking

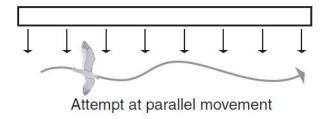


- Primitive Behaviours
  - Flocking
    - Collisions

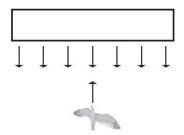


- Primitive Behaviours
  - Flocking
    - Collisions
      - problems

Cannot fly in parallel

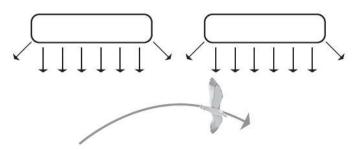


Might give velocity singularity



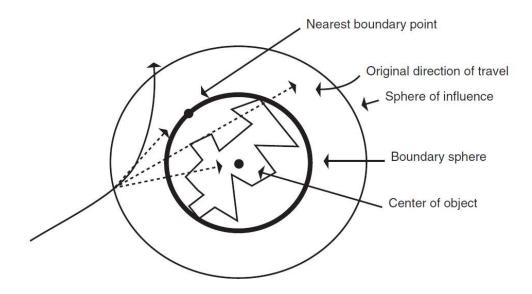
Attempt to fly directly toward a surface

Cannot fly through a passageway



Attempt at finding a passageway

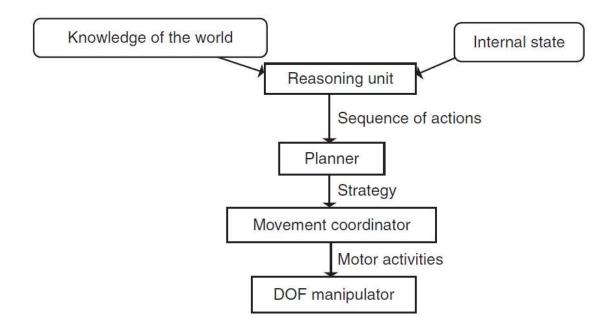
- Primitive Behaviours
  - Flocking
    - Collisions
      - solutions



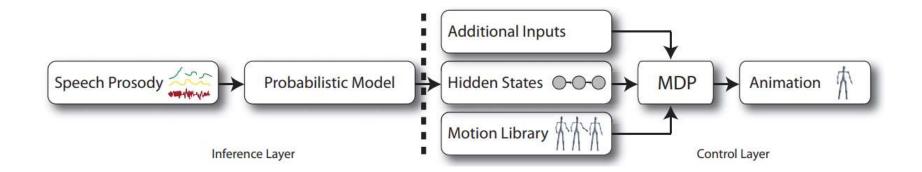
- Primitive Behaviours
  - Flocking
    - Splitting and rejoining
      - No good automatic solutions
    - Formation Control

https://www.youtube.com/watch?v=bFU0kK306u4&feature=youtu.be

Modelling intelligent behaviours

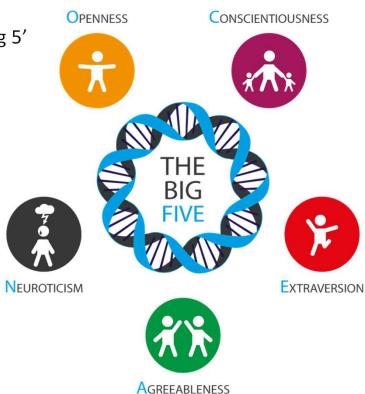


- Modelling intelligent behaviours
  - Expression and gestures
    - [Levine et al. SIGGRAPH 2010]

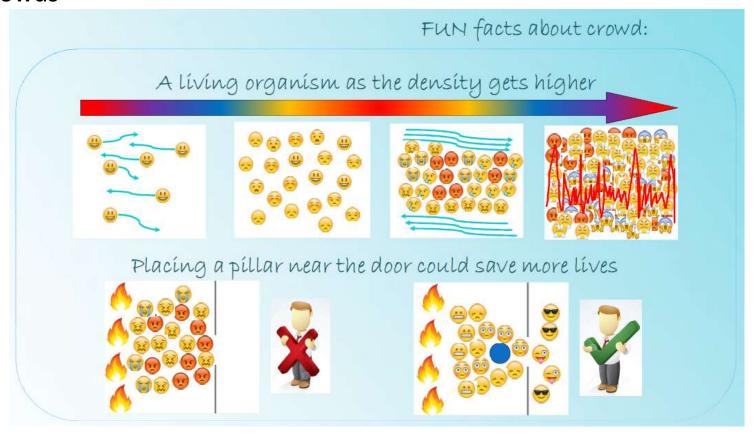


https://www.youtube.com/watch?v=k140CcKUirc

- Modelling intelligent behaviours
  - Personalities and emotions
    - OCEAN or Five-Factor Model or 'big 5'



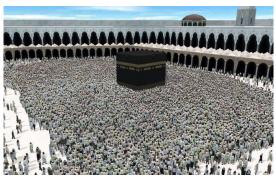
• Crowds

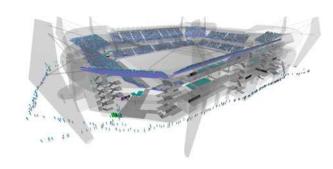


• Crowds



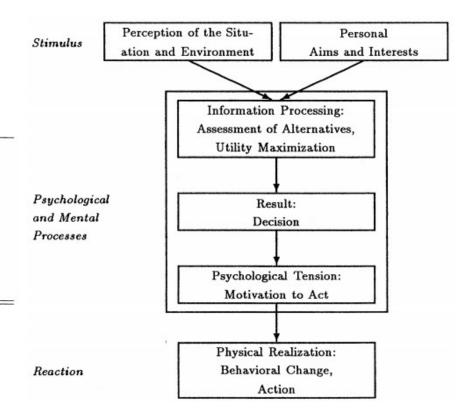






- Crowds
  - [Helbing and Molar 1995]

Stimulus	simple or standard situations	complex or new situations
Reaction	automatic reaction, reflex	result of evaluation decision process
Characterization	well predictable	probabilistic
Modeling concept	social force model, etc.	decision theore- tical model, etc.
Example	$egin{array}{c} \mathbf{pedestrian} \ \mathbf{motion} \end{array}$	destination choice by pedestrians



- Crowds
  - [Helbing and Molar 1995]: social force
  - Particle systems

Target position Current position  $\vec{e}_{lpha}(t) := rac{ec{r}_{lpha}^k - ec{r}_{lpha}(t)}{\|ec{r}_{lpha}^k - ec{r}_{lpha}(t)\|}$ 

Desired velocity current velocity  $ec{F}^{\,0}_{lpha}(ec{v}_{lpha},v_{lpha}^{0}ec{e}_{lpha}):=rac{1}{ au_{lpha}}(v_{lpha}^{0}ec{e}_{lpha}-ec{v}_{lpha})$ 

- Crowds
  - [Helbing and Molar 1995]: social force
  - Particle systems

Inter-agent Repulsion

Inter-agent distance

$$\vec{f}_{\alpha\beta}(\vec{r}_{\alpha\beta}) := -\nabla_{\vec{r}_{\alpha\beta}} V_{\alpha\beta}[b(\vec{r}_{\alpha\beta})] \qquad 2b := \sqrt{(\|\vec{r}_{\alpha\beta}\| + \|\vec{r}_{\alpha\beta} - v_{\beta} \Delta t \, \vec{e}_{\beta}\|)^2 - (v_{\beta} \Delta t)^2}$$

Elliptic potential

$$2b_{\mathbf{r}} = \sqrt{(\|\vec{r}_{\alpha\beta}\| + \|\vec{r}_{\alpha\beta} - v_{\beta} \, \Delta t \, \vec{e}_{\beta}\|)^2 - (v_{\beta} \, \Delta t)^2}$$

Semiminor axis

$$ec{r}_{lphaeta} := ec{r}_{lpha} - ec{r}_{eta}$$

B'

**Env-agent Repulsion** 

$$\vec{F}_{\alpha B}(\vec{r}_{\alpha B}) := -\nabla_{\vec{r}_{\alpha B}} U_{\alpha B}(\|\vec{r}_{\alpha B}\|)$$

- Crowds
  - [Helbing and Molar 1995]: social force
  - Particle systems

attractive effects  $\vec{f}_{\alpha i}$  at places  $\vec{r}_i$ 

$$(\vec{r}_{\alpha i} := \vec{r}_{\alpha} - \vec{r}_{i})$$

$$\vec{f}_{\alpha i}(\|\vec{r}_{\alpha i}\|, t) := -\nabla_{\vec{r}_{\alpha i}} W_{\alpha i}(\|\vec{r}_{\alpha i}\|, t)$$

monotonic increasing potentials  $W_{\alpha i}(\|\vec{r}_{\alpha i}\|, t)$ 

- Crowds
  - [Helbing and Molar 1995]: social force
  - Particle systems

Modified repulsion and attraction (decay in time)

Situations located behind a pedestrian

$$\vec{F}_{\alpha\beta}(\vec{e}_{\alpha},\vec{r}_{\alpha}-\vec{r}_{\beta}):=w(\vec{e}_{\alpha},-\vec{f}_{\alpha\beta})\vec{f}_{\alpha\beta}(\vec{r}_{\alpha}-\vec{r}_{\beta})\,,$$

$$\vec{F}_{\alpha i}(\vec{e}_{\alpha}, \vec{r}_{\alpha} - \vec{r}_{i}, t) := w(\vec{e}_{\alpha}, \vec{f}_{\alpha i}) \vec{f}_{\alpha i}(\vec{r}_{\alpha} - \vec{r}_{i}, t) .$$

$$w(\vec{e}, \vec{f}) := \begin{cases} 1 \text{ if } \vec{e} \cdot \vec{f} \ge ||\vec{f}|| \cos \varphi & \text{Situations located behind a pedestrian} \\ c \text{ otherwise.} & \text{will have a weaker influence } c \text{ with } 0 < c < 1. \end{cases}$$

- Crowds
  - [Helbing and Molar 1995]: social force
  - Particle systems

Add everything up

$$\begin{split} \vec{F}_{\alpha}(t) &:= \vec{F}_{\alpha}^{\,0}(\vec{v}_{\alpha}, v_{\alpha}^{\,0}\vec{e}_{\alpha}) + \sum_{\beta} \vec{F}_{\alpha\beta}(\vec{e}_{\alpha}, \vec{r}_{\alpha} - \vec{r}_{\beta}) \\ &+ \sum_{B} \vec{F}_{\alpha B}(\vec{e}_{\alpha}, \vec{r}_{\alpha} - \vec{r}_{B}^{\,\alpha}) + \sum_{i} \vec{F}_{\alpha i}(\vec{e}_{\alpha}, \vec{r}_{\alpha} - \vec{r}_{i}, t) \end{split}$$

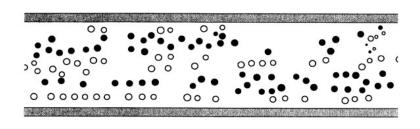
The *social force model* is now defined by

$$\frac{d\vec{w}_{\alpha}}{dt} := \vec{F}_{\alpha}(t) + fluctuations.$$

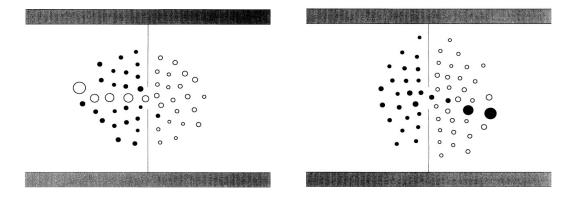
- Crowds
  - [Helbing and Molar 1995]: social force
  - Particle systems-implementation details

$$\begin{split} V_{\alpha\beta}(b) &= V_{\alpha\beta}^0 \mathrm{e}^{-b/\sigma} \,, \qquad U_{\alpha B}(\|\vec{r}_{\alpha B}\|) = U_{\alpha B}^0 \mathrm{e}^{-\|\vec{r}_{\alpha B}\|/R} \\ \mathrm{with} \ V_{\alpha\beta}^0 &= 2.1 \mathrm{m}^2 \mathrm{s}^{-2}, \ \sigma = 0.3 \mathrm{m} \ \mathrm{and} \ U_{\alpha B}^0 = 10 \mathrm{m}^2 \mathrm{s}^{-2}, \ R = 0.2 \mathrm{m} \end{split}$$

- Crowds
  - [Helbing and Molar 1995]: social force
  - Particle systems-simulations



Two-way corridor



Two-way door, alternating in capturing the door