## Week 6 Topic 4:

# Parameter Tuning in UMAP

(Uniform Manifold Approximation and Projection)

Saygin Ileri, Bjørnar Ørjansen Kaarevik, Tortein, Nordgård-Hansen, Andreas Raja Goklas Sitorus

# what is UMAP? why use it?

• a dimension reduction technique in ML. (recent development, 2018)

 can be used for visualization for complex (high-dimensional) datasets. Gain more insight!

similar theory and usage to t-SNE.

• competitive with t-SNE for visualization quality and preservation of global structure, much faster algorithm.

# why use UMAP?

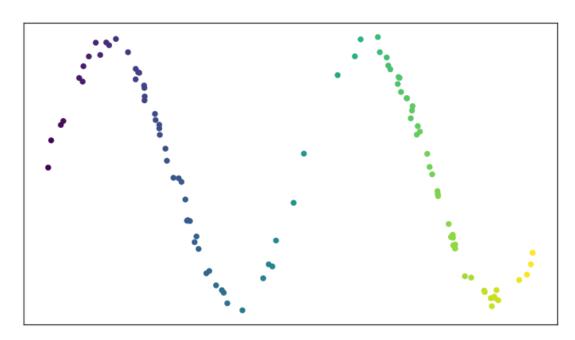
- captures both **local** and **global nonlinear** relationships (best for data with intricate patterns)
- better preserves the local structure (important for clustering tasks)
- adaptive parameterization
  adjust the trade-off (local/global structure)
- better handles with noise
- faster: 784 -> 3 dimension in 4 mins (t-SNE: 27mins)

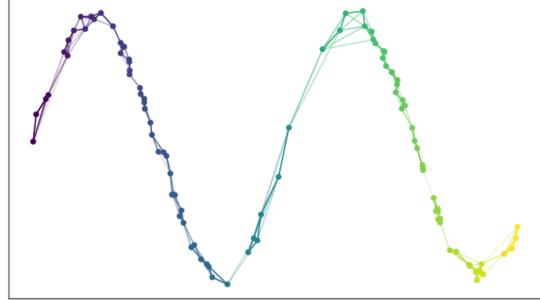
# The Essence of UMAP

"Preserve the topological data embedded in the fuzzy simplicial set defined by the pseudo-metrics inherent to the dataset"

# UMAP is trying to learn the manifold where the data comes from

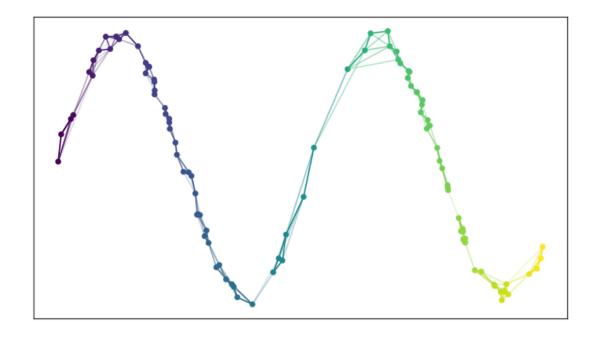
Assumption: Uniform distribution on the manifold with respect to the "appropriate" metric





# Locally, the "appropriate" metric can be swapped with the metric of the ambient space

- Each datapoint gets its own pseudo-metric
- Each metric defines a topology (notion of closeness)
- These topologies are all incompatible
- UMAP combines the incompatible topologies into a single topological structure



# Actually, we work with a weighted graph

#### The UMAP weighted graph

- Each vertex has k neighbours
- Each edge is a fuzzy connection
- The weight is the fuzzy membership strength
- This means "how likely is the connection to be real"

### General graph algorithms

- Construction:Construct a weighted graph
- **2. Visualization:** Compute layout of the graph

# Hyperparameters during construction and visualization can be tuned

#### Construction

- Number of neighbours
  - Local/global tradeoff
- Metric (distance function)

#### **Visualization**

- Target dimension
- Minimum distance
  - Local/global tradeoff
- (Number of training epochs)

## Implementation and Results

#### Objective:

- Reduce the dimension of the dataset and visualize it into 2D and 3D graph
- Visualize the effect of the hyperparameter change to the dimension reduction results

#### Dataset used for the code implementation:

- MNIST dataset
  - o 28 x 28 pixels images, flattened into a vector of length **784 features**
  - o Labels: 0, 1, 2, 3, 4, 5, 6, 7, 8, 9

### UMAP for Supervised Dimension Reduction and Metric Learning

- Python library
- Source: https://umap-learn.readthedocs.io/en/latest/supervised.html#umap-on-fashion-mnist

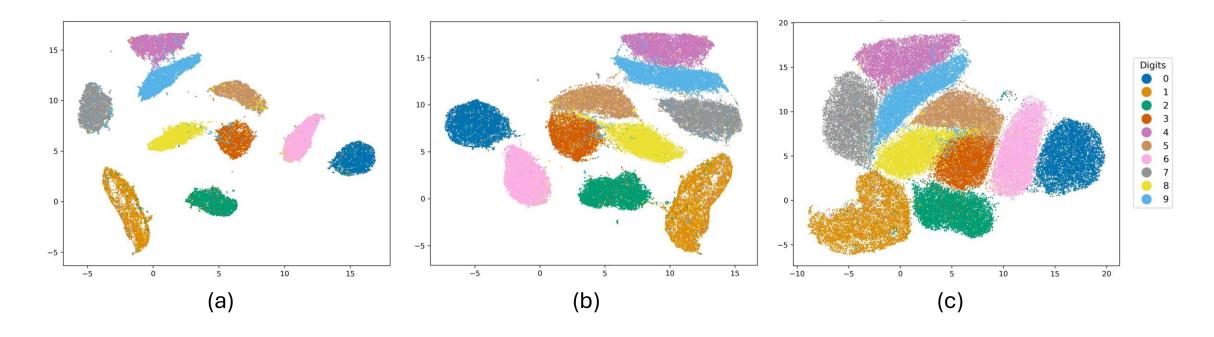
Dataset used for the code implementation:

- n\_neighbors: Number of nearest neighbors to consider, balancing local vs. global structure.
- min\_dist: Minimum distance between points in reduced space, controlling point spread.
- n\_components: Number of output dimensions (e.g., 2D or 3D).
- metric: Distance metric for computing point similarities (e.g., "euclidean").



## Effect on changing the min\_dist - 2D Graph

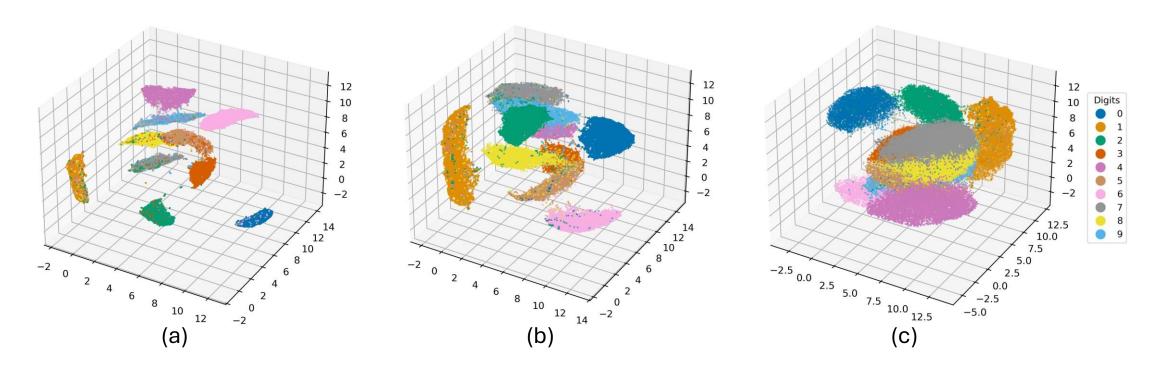
Same for all plots n\_neighbors = 5, metric = 'Euclidean', n\_components = 2



Hyperparameter for Figure: (a)  $min_dist = 5$ , (b)  $min_dist = 0.25$ , (c)  $min_dist = 0.6$ 

## Effect on changing the min\_dist - 3D Graph

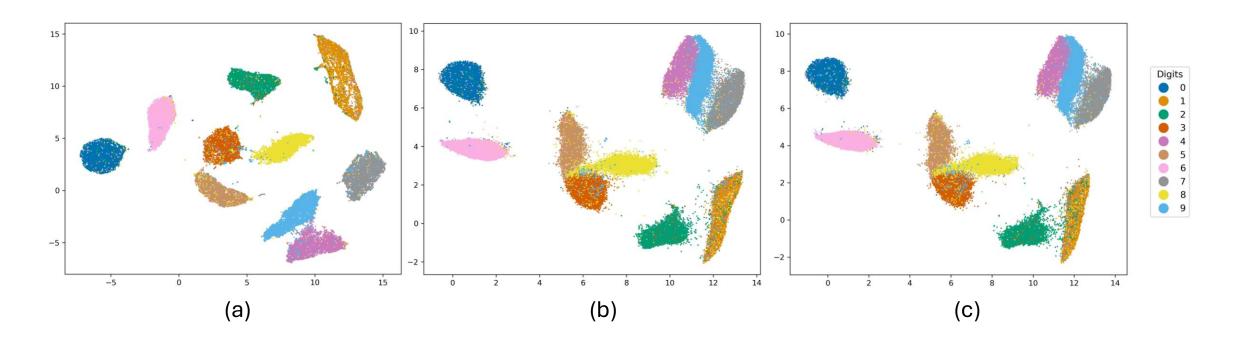
Same for all plots n\_neighbors = 5, metric = 'Euclidean', n\_components = 3



Hyperparameter for Figure: (a)  $min_dist = 5$ , (b)  $min_dist = 0.25$ , (c)  $min_dist = 0.6$ 

## Effect on changing the n\_neighbors - 2D Graph

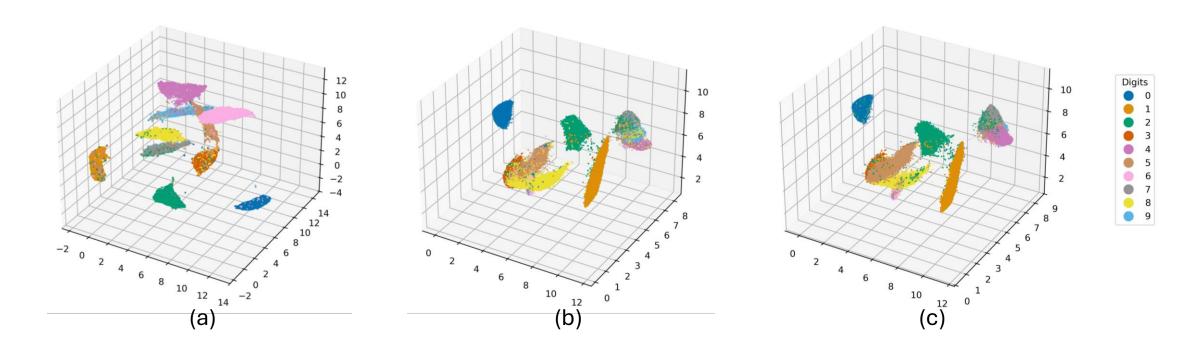
Same for all plots min\_dist = 0.01, metric = 'Euclidean', n\_components = 2



Hyperparameter for Figure: (a) n\_neighbors = 5, (b) n\_neighbors = 500, (c) n\_neighbors = 1000

## Effect on changing the min\_dist - 3D Graph

Same for all plots min\_dist = 0.25, metric = 'Euclidean', n\_components = 3



Hyperparameter for Figure: (a) n\_neighbors = 5, (b) n\_neighbors = 50, (c) n\_neighbors = 100

# Conclusion on hyperparameters tuning

#### • n\_neighbors:

Smaller values (e.g., 5-15) focus on local structure; larger values (e.g., 50+) emphasize global patterns. Start with 15 for balanced results.

#### • min\_dist:

Use lower values (e.g., 0.001-0.1) for tight clustering and detail retention. Higher values (e.g., 0.3-0.8) create more spread-out, general patterns.

#### • n\_components:

Set based on needs—2D or 3D for visualization, higher for feature preservation.

#### • metric:

Choose based on data type; "euclidean" works well for continuous data, while "cosine" or "correlation" are better for text or sparse data. Experiment with different metrics to see what fits best.

## Conclusion on UMAP

- UMAP effectively balances local and global data structures, making it a powerful tool for dimensionality reduction and visualization, especially for complex datasets.
- Flexible with customizable parameters, UMAP can adapt to various data types and structures, offering both detailed clustering and broader pattern discovery based on the chosen hyperparameters.

## references

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- <a href="https://medium.com/@aeonaten/understanding-umap-uniform-manifold-approximation-and-projection-cede51c477d9">https://medium.com/@aeonaten/understanding-umap-uniform-manifold-approximation-and-projection-cede51c477d9</a>
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- https://umap-learn.readthedocs.io/en/latest/parameters.html
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