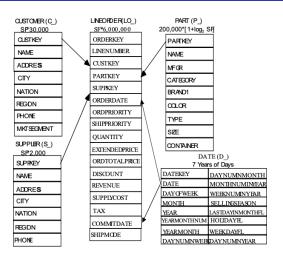
# Accelerating Joins with Filters: Keeping a Limited Memory is Robust

Nicholas Corrado Xiating Ouyang

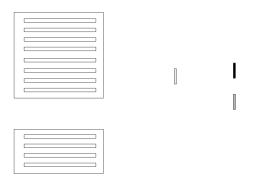
University of Wisconsin-Madison

#### Star Schema



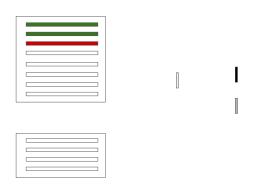
- If the query optimizer chooses a poor join order, intermediate join results may be unnecessarily large.
- Solution: try to filter out extraneous tuples before performing joins and

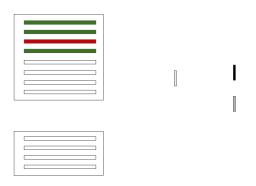




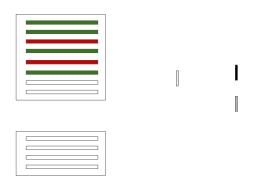


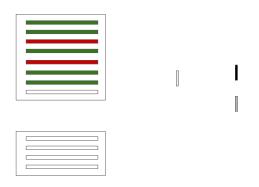


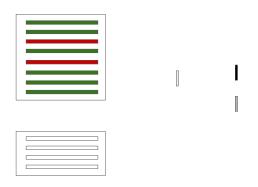


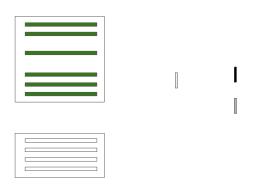






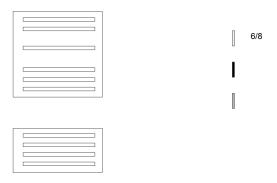


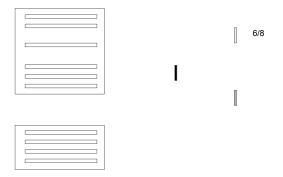


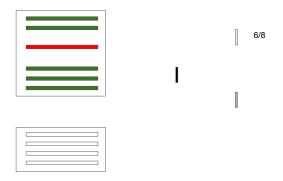


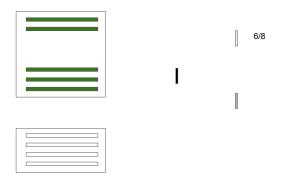


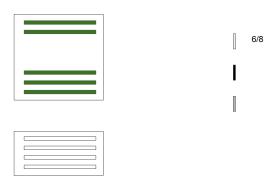


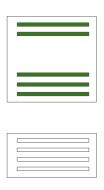




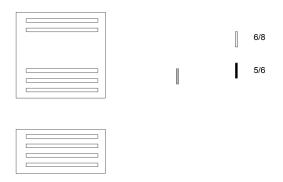


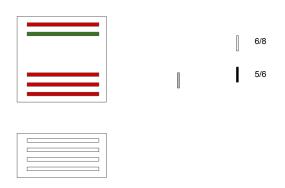










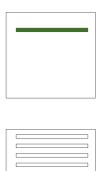












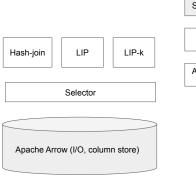






- ullet LIP uses statistics from all previous batches to compute  $\sigma$ 
  - Slow response to local changes in key distributions
- LIP-k: Only use the previous k batches to compute  $\sigma$

#### Implementation and benchmarking



SSB benchmark

Skewed SSB benchmark

Adversarial SSB benchmark

#### An Example Experiment

Skewed Key	
$\sigma = 1$	] ]
:	50 batches
$\sigma = 1$	<b>]</b>
$\sigma = 0$	] )
:	50 batches
$\sigma = 0$	] J
$\sigma = 1$	] )
:	50 batches
$\sigma = 1$	] J
:	_

- LIP-k perform performs better than LIP on some queries...
- ...but LIP performs better on others...

#### LIP is solving an online problem

- Tuples arriving one at a time
- Upon arrival, decide a sequence of filters
- Minimize the total probes
- Deterministic!

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Let n be the number of filters in the LIP problem. There is no deterministic mechanism  $\mathcal M$  achieving a competitive ratio less than n for the LIP problem.

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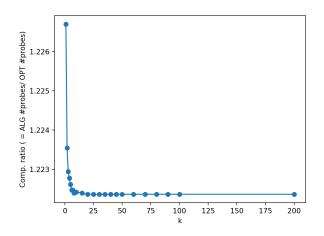
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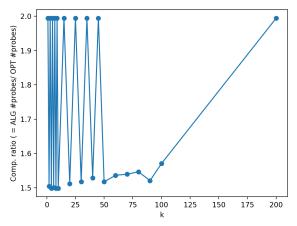
- Not observed in practice, but a theoretical lower bound
- Randomness?

#### Competitive Ratio vs. k on Uniform Data



#### Competitive Ratio vs. k on Adversarial Data

 Adversarial dataset constructed such that LIP-k has worst case performance for odd k



#### Conclusion

- Implemented LIP and its variant LIP-k
- LIP-k is better than LIP in the adversarial/skewed settings
- Randomness to achieve better robustness guarantee

## Thank you!

## Questions?