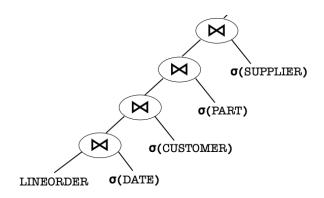
#### Accelerating Joins with Filters

Nicholas Corrado Xiating Ouyang

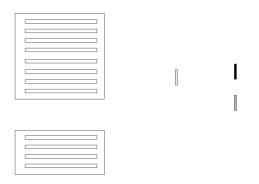
University of Wisconsin-Madison

#### Star Schema



- If the query optimizer chooses a poor join order, intermediate join results may be unnecessarily large.
- Solution: try to filter out extraneous tuples before performing joins

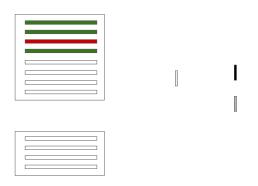


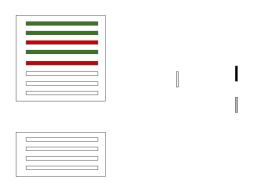


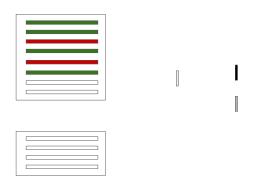


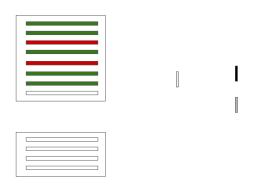


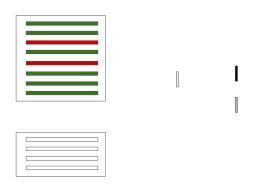


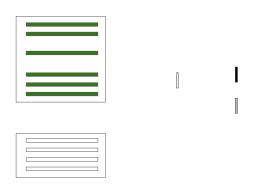






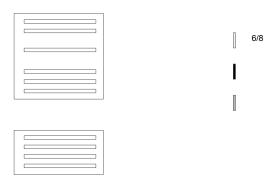


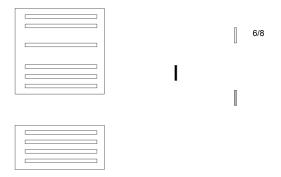


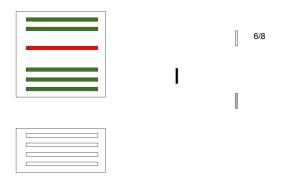


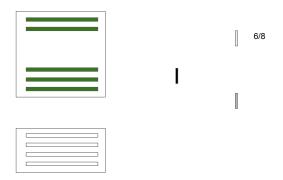


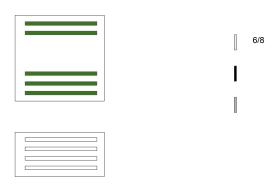


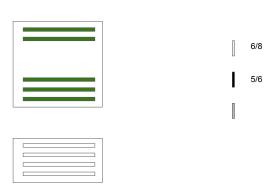


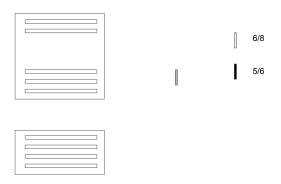


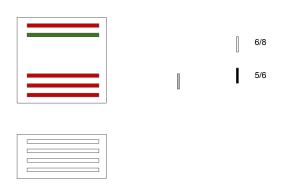












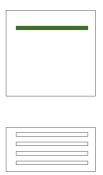






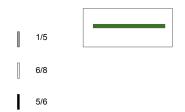








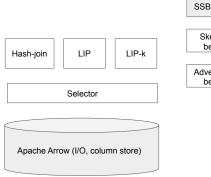




#### LIP-k

- ullet LIP uses statistics from all previous batches to compute  $\sigma$ 
  - Slow response to local changes in key distributions in fact table
  - e.g. (11/28/2019, Turkey)
- LIP-k: Only use the previous k batches to compute  $\sigma$

#### Implementation and benchmarking

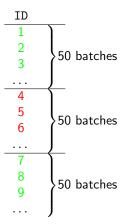


SSB benchmark

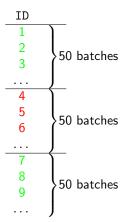
Skewed SSB benchmark

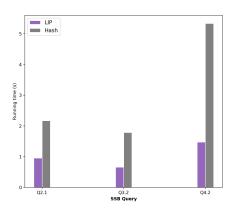
Adversarial SSB benchmark

● Select where Credit Score ≥ 700

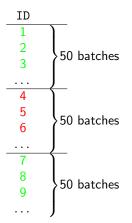


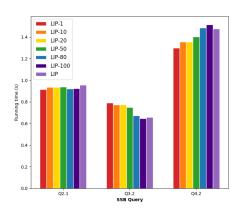
● Select where Credit Score ≥ 700



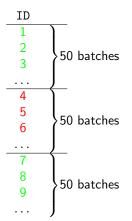


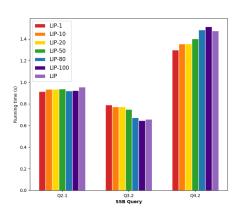
Select where Credit Score ≥ 700





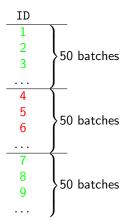
Select where Credit Score ≥ 700

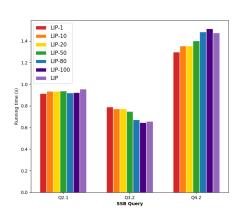




• LIP-k performs better than LIP on some queries...

Select where Credit Score ≥ 700





- LIP-k performs better than LIP on some queries...
- ...but LIP performs better on others

• Given any tuple t, a mechanism  $\mathcal{M}$  decides a sequence of applying the filters to *minimize* the number of probes.

- Given any tuple t, a mechanism  $\mathcal{M}$  decides a sequence of applying the filters to *minimize* the number of probes.
  - if t passes **all** filters: n probes necessary

- Given any tuple t, a mechanism  $\mathcal{M}$  decides a sequence of applying the filters to *minimize* the number of probes.
  - if t passes **all** filters: n probes necessary
  - if not, at least one filter rejects it: 1 probe best / n probes worst

- Given any tuple t, a mechanism  $\mathcal{M}$  decides a sequence of applying the filters to *minimize* the number of probes.
  - if t passes **all** filters: n probes necessary
  - if not, at least one filter rejects it: 1 probe best / n probes worst

$$\frac{\text{\#probes by } \mathcal{M} \text{ on } I}{\text{\#probes by OPT on } I} \leq n.$$

- Given any tuple t, a mechanism  $\mathcal{M}$  decides a sequence of applying the filters to *minimize* the number of probes.
  - if t passes **all** filters: n probes necessary
  - if not, at least one filter rejects it: 1 probe best / n probes worst

$$\max_{I} \frac{\text{\#probes by } \mathcal{M} \text{ on } I}{\text{\#probes by OPT on } I} \leq n.$$

- Given any tuple t, a mechanism  $\mathcal{M}$  decides a sequence of applying the filters to *minimize* the number of probes.
  - if t passes **all** filters: n probes necessary
  - if not, at least one filter rejects it: 1 probe best / n probes worst

Competitive ratio of 
$$\mathcal{M} = \max_{I} \frac{\#\text{probes by } \mathcal{M} \text{ on } I}{\#\text{probes by OPT on } I} \leq n.$$

- Given any tuple t, a mechanism  $\mathcal{M}$  decides a sequence of applying the filters to *minimize* the number of probes.
  - if t passes **all** filters: n probes necessary
  - if not, at least one filter rejects it: 1 probe best / n probes worst

Competitive ratio of 
$$\mathcal{M} = \max_{I} \frac{\# \text{probes by } \mathcal{M} \text{ on } I}{\# \text{probes by OPT on } I} \leq n.$$

#### Theorem

There is no **deterministic** mechanism  $\mathcal{M}$  for LIP achieving a competitive ratio less than N, where N is the number of filters used in LIP.

- Given any tuple t, a mechanism  $\mathcal{M}$  decides a sequence of applying the filters to *minimize* the number of probes.
  - if t passes **all** filters: n probes necessary
  - if not, at least one filter rejects it: 1 probe best / n probes worst

Competitive ratio of 
$$\mathcal{M} = \max_{I} \frac{\#\text{probes by } \mathcal{M} \text{ on } I}{\#\text{probes by OPT on } I} \leq n.$$

#### Theorem

There is no **deterministic** mechanism  $\mathcal{M}$  for LIP achieving a competitive ratio less than N, where N is the number of filters used in LIP.

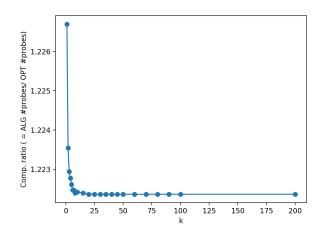
Randomness?

#### Conclusion

- Implemented LIP and its variant LIP-k
- Relative performance of LIP and LIP-k depends on the query
- Can we use randomness to achieve a better robustness guarantee?

# Thank you!

#### Competitive Ratio vs. k on Uniform Data



#### Competitive Ratio vs. k on Adversarial Data

- Adversarial data set constructed such that LIP-k has worst case performance for odd k
- Run on query with N=2 joins

