# Learning From Networks

#### Fake news detection using Graph Neural Networks

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#### 1 Abstract

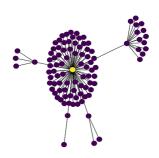
Fake news are the new plague of the 21st century. With the advent of social networks and the easy and quick access to information, this disease has become more and more common. Through retweets, shares or likes, a piece of fabricated information can in a few moments gain real credibility thanks to the common "validation". Similar to the tragedy of the common, each user is selfish and does not take the time to verify the sources, preferring to believe in this information that is often incredible, revolutionary and built to make the buzz. However, for several years now, various methods have been used on social networks to address these problems by detecting and removing problematic messages from the platform as quickly as possible. Our objective is to analyse the state of the art of these methods, to implement a graph-based solution and to see if adding node-level features helps to increase the prediction score. We will take the example of Twitter and model a graph for each tweet posted. Finally, we will use the a version of the FakeNewsNet dataset [5] which is one of the reference dataset for this type of task.

#### 2 Dataset

We will use a different version of the FakeNewsNet dataset called UPFD[7]. The advantages of this Framework is that it is available directly in Pytorch Geometric, that it doesn't need Twitter APIs (which in our case were very limiting), and also that various node-level features and embeddings have been already computed thanks to different techniques explained in [7].

The Dataset is composed of several thousands graphs in the form of a tree where the root node is the source news and all the linked nodes correspond to the users that tweeted the news. The edges represent the sharing history between users (not between each tweet).

Here we recognize the news in yellow and each user who retweeted in purple. The goal is to solve a graph classification task where each graph must be classified into fake-news or not-fake-news. The dataset is divided in Gossip News (Gossipcop) and Political News (Politifact). When loading the dataset we can choose freely which part to use (Gossipcop) and also what node-level features to adopt (user profile info, embedded history of the user's tweets). The node-features had been extracted and precomputed in [7] thanks to the Spacy Word2vec encoder



or BERT. Finally, the dataset contains 5464 graphs corresponding to real news and 2732 fake news, each graph being on average composed of 58 nodes (A).

## 3 Intended experiments

The goal is simple: study how the graph-level and node-level features contribute to the final result. We will extract new features and validate/reject all of them by testing them on different models.

As seen before, the UPFD Framework provides already various node-level features:

- Profile feature: 10 node features of user profile attributes.
- Spacy features: 300 node features of user historical tweets [1]
- BERT feature: 768 node features of user historical tweets [6]

Some of the new features that can be extracted are:

#### Node-level features

The node-level features that will be tested are: [Degree, Closeness centrality, Betweenness centrality]. Once these new features are computed, we can merge them to the existing features vector. Different combinations and fusion of features will be made in order to maximize the results (e.g. by comparing the concatenation or the multiplication of some of them).

#### Graph-level features

For each graph we can calculate: [Average degree, Standard deviation degree, Degree of the root node, Closeness centrality of the root node, Maximal closeness centrality, Maximal betweenness centrality]. Features fusion could be done just before the linear layer of a GNN (e.g. after a mean-max pooling) but, as before, different strategies will be tested.

Finally, we will build various models (GCN[4], GraphSAGE [3], GAT [8], et similia.) each one being different but inspired of UPFD architecture (B). Then, train these models with and without different features, and then compute their accuracy. In such a way we will be able to identify the relevant features and the best models. Everything will be developed with Pytorch Geometric [2] and NetworkX.

#### 4 Features computation and dataset creation

In order to calculate these different features, we have used the networkx package. Our graphs being relatively small  $(\forall i \in [\![ 1:n ]\!]: 2 \leq |E_i| \simeq |N_i| \leq 200)$  with n the number of graph, we can calculate the exact values of these features. In a second step, we modified the  $pytorch\_geometric$  class of the UPFD dataset in order to add our new features. When processing the data, the nodes features are added to the existing ones (we chose the profile feature vector of length 10). For the graph features, we add them to the label matrix.

So, for each graph  $g_i$ , we have:

$$X_i = \begin{bmatrix} p_{1,1} & p_{1,2} & \cdots & p_{1,10} & x_{1,11} & \cdots & x_{1,10+a} \\ p_{2,1} & p_{2,2} & \cdots & p_{2,10} & x_{2,11} & \cdots & x_{2,10+a} \\ \vdots & \vdots & \vdots & \vdots & \vdots & \vdots & \vdots \\ p_{|N_i|,1} & p_{|N_i|,2} & \cdots & p_{|N_i|,10} & x_{|N_i|,11} & \cdots & x_{|N_i|,10+a} \end{bmatrix}$$

$$with \begin{cases} p_{j,k}: k^{th} \text{ profile-feature of node j for graph i} \\ x_{j,k}: k^{th} \text{ new node-feature of node j for graph i} \\ a: \text{number of new node-feature} \end{cases}$$

and

$$Y_i = \begin{bmatrix} l & y_1 & \cdots & y_b \end{bmatrix} with \begin{cases} l : \text{label for graph } i \\ y_k : k^{th} \text{ new graph-feature of graph i} \\ b : \text{number of new graph-feature} \end{cases}$$

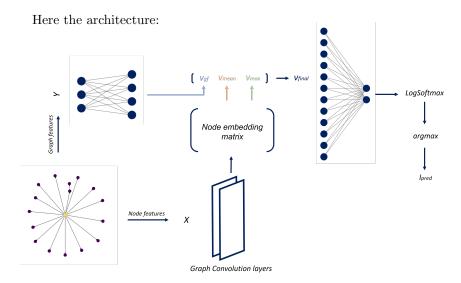
We also add a max normalization on the  $X_i$  vector and on the  $y_i$  values. Once our custom class was created we could instantiate three different datasets:

	Node feature			Graph feature							
	dg	cc	bc	avg(dg)	std(dg)	root_dg	root_cc	$\max(cc)$	max(bc)		
Original											
Dataset1	X	X		X	X						
Dataset2	X	X	X	X	X	X	X	X	X		

#### 5 Modeling and optimisation

Concerning the models, we took the decision to create three of them in order to compare the results and the impact of the new feature on different architectures. The first one is a classic GNN composed of two graph convolution layers, the second one is an implementation of GraphSAGE[3] and the last one is GAT[8]. For GraphSAGE we used two SAGE layers associated with relu activation and dropout with p=0.5. For GAT, two graph attention network layers are used in concatenation.

For the implementation of graph-level features we defined a linear layers taking the vector of graph feature and transforming it into a vector  $v_{gf}$  of length  $n_e$  which is our latent dimension. After having passed the x matrix through the convolution layers, we applied a mean and max pooling and get the vectors  $v_{mean}$  and  $v_{max}$ . Finally, we concatenated  $v_{mean}$ ,  $v_{max}$  and  $v_e$  ( $v_e$  not exists for original dataset), and we passed this final vector  $v_f$  through a linear layer with 2 nodes (fake/real) and through a LogSoftmax activation function. To classify the graph we just took the argmax of this final vector.



Note that  $v_{gf}$ ,  $v_{mean}$  and  $v_{max}$  have all a dimension of  $n_e$  and thus  $v_f$  have a dimension of  $3*n_e$  if we are adding new graph features and  $2*v_e$  if not (for original dataset for example). Moreover, we tried different approaches for vectors aggregation (addition, multiplication, with and without linear layer...) but the most relevant was the simple concatenation.

Training and hyperparameter optimization The training made use of the adaptive moment estimation algorithm (Adam) for all the models, where the learning rate, weight decay and batch size had to be tuned via an hyperparameter optimization procedure. Concerning the loss, we used the negative log likelihood loss [9] which is often used with the LogSoftmax activation. It is known to add bigger penalty on large errors, to have a cheaper training cost and finally to be more stable numerically than using classical softmax activation with likelihood loss.

The UPFD Framework already provides the dataset splitted in training, validation and test set, and the best hyperparameters have been chosen in a cross-validation setup: all the architectures have been trained by using the training set, selected by evaluating the performance on the validation set and tested on the test set. This procedure has been implemented thanks to the *Optuna* library that provide various hyperparameters search algorithms, a pruning mechanism for stopping unpromising architectures during training and also an early stopping mechanism that enabled the search to be executed in a reasonable time.

The hyperparameters that have been tuned are the dimension of the embedding space (same for the two Layers), the learning rate, the weight decay and the batch size. At the end of the training, each of the 3 different datasets have been optimized and tested on the 3 dataset variations. In total 3 architectures  $\times$  3 datasets = 9 trained models are provided.

#### 6 Results

We tried three different combinations of additional features and three different classifiers. The performance of each model has been assessed with different metrics: accuracy on the test set, true positive rate (threshold=0.5), and A.U.C. (Area Under Curve). Receiver Operating Characteristic (ROC) plot and TPR/FPR plot vs. threshold have also been provided (D/E/F/G).

We see on the results that the additional features improved the graph classification task. Moreover, by looking at the best models obtained on each dataset, it seems that the best one proved to be the first custom dataset (dataset1 containing the degree and closeness centrality for each node and the average degree and root degrees for each graph.

		Origin		Dataset 1			Dataset 2		
	GNN	SAGE	GAT	GNN	SAGE	GAT	GNN	SAGE	GAT
Test accuracy	0.909	0.929	0.901	0.922	0.951	0.932	0.919	0.925	0.934
AUC	0.964	0.983	0.971	0.972	0.985	0.976	0.970	0.978	0.980
TPR 0.5	0.891	0.888	0.886	0.907	0.746	0.898	0.908	0.897	0.879
mean	0.921	0.933	0.919	0.934	0.894	0.935	0.932	0.933	0.931

It's important to note that optimizations and improvements like hyperparameter optimization, the use of additional graph level features or features normalization proved to be crucial for the correct functioning of the models, and without them a heavy loss of performance could be observed.

The data show that the new combinations of features allow to improve the effectiveness of fake new detection. However, this improvement is small and

should be confirmed on more different datasets to be sure that it is significant. Moreover, we can wonder why do we have this degradation on the second dataset. This phenomenon can be explained by looking at the structure of the single networks, which are in the majority of cases composed of a root node connected to tens of leafs, so the networks did not present a very complex structure that could be described by new features and even more advanced ones like graphlet motifs. Indeed, the new features are all strongly correlated between them (C), so they add no useful information to the GNN and sometimes can be even deleterious. It is what it happens with the *dataset2*: we added new features correlated to those in *dataset1* and therefore we just degraded the performance by adding new parameters in the model for free.

Another problem that limited the performances is the limited and fragmented amount of data available: since social networks are continuously involved in banning users that spread misinformation and deleting posts and tweets that contain fake news, many of the patterns contained in the dataset are incomplete graphs with missing nodes (banned tweets) that do not represent the full sharing history of the fake news. Having a dataset containing the information of every post/tweet and user involved in the spread of a fake news (including banned content) could help the performance of the classifiers. Finally, and probably the most important remark here is that some dynamic features like the timeline of each tweet could add a temporal dimension to the problem and help to describe the dynamics of how news are spreading over the internet i.e. its virality.

## References

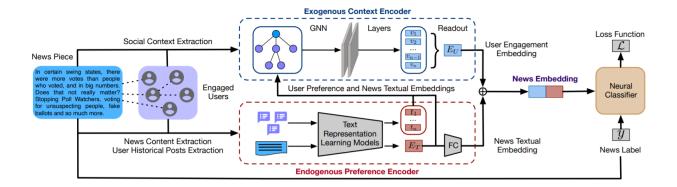
- [1] Tomas Mikolov Kai Chen Greg Corrado and Jeffrey Dean. "Efficient estimation of word representations in vector space". In: (2013).
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- [4] Thomas N. Kipf and Max Welling. "Semi-Supervised Classification with Graph Convolutional Networks". In: (2016). arXiv: 1609.02907.
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- [6] Jacob Devlin Ming-Wei Chang Kenton Lee and Kristina Toutanova. "Bert: Pre-training of deep bidirectional transformers for language understanding". In: (2018).
- [7] Yingtong D. Kai S. Congying X. Philip S. Lichao S. "User Preference-aware Fake News Detection". In: (2021).
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# A Dataset statistics

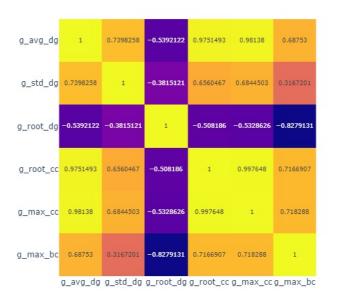
Dataset	Graphs	Total	Total	Avg.
	(Fake)	Nodes	Edges	Nodes/Graph
Politifact (POL)	314 (157)	41.054	40.740	131
Gossipcop (GOS)	5464 (2732)	314.262	308.798	58

Table 1: Statistics of the two datasets

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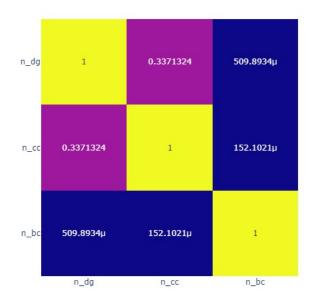


# C Features correlation



1 0.8 0.6 0.4 0.2 0 -0.2 -0.4 -0.6 -0.8

Figure 1: Correlation feature of graphs features



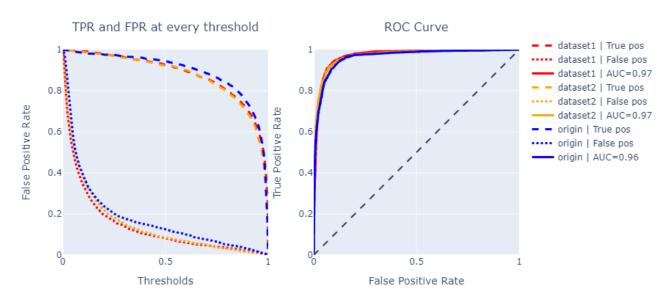


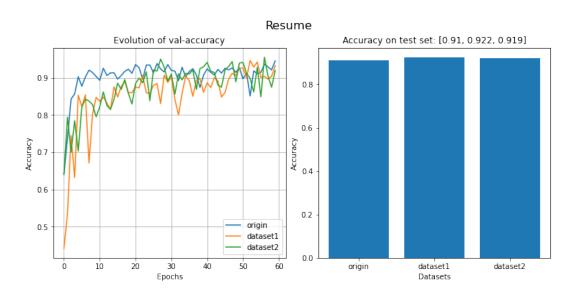
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Figure 2: Correlation feature of nodes features

# D GNN results

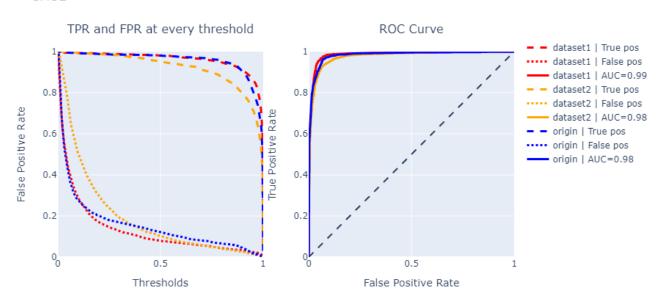
#### BasicGNN

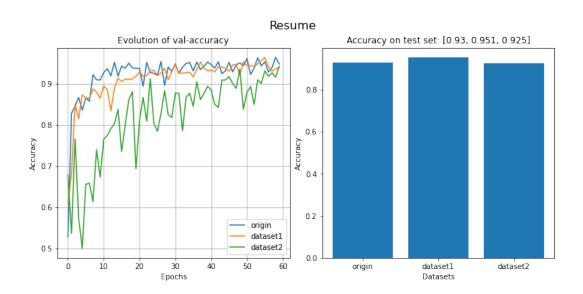




## E SAGE Results

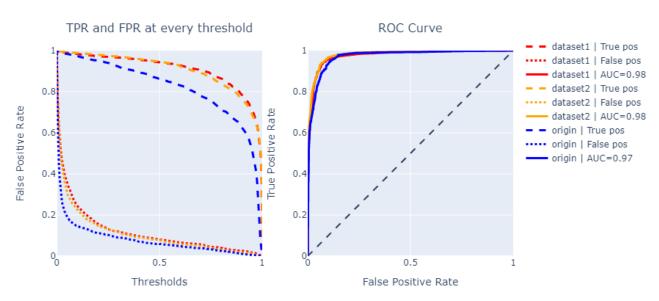
#### SAGE

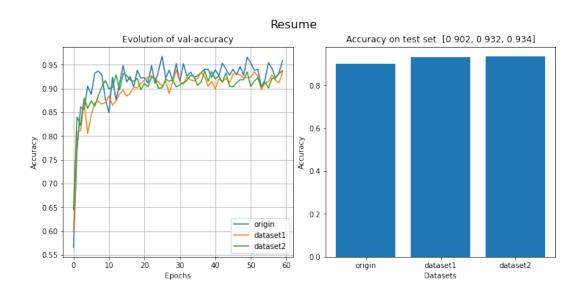




## F GAT results

GAT





# G Global results

Bar plot of AUC | Test acc | True positive rate

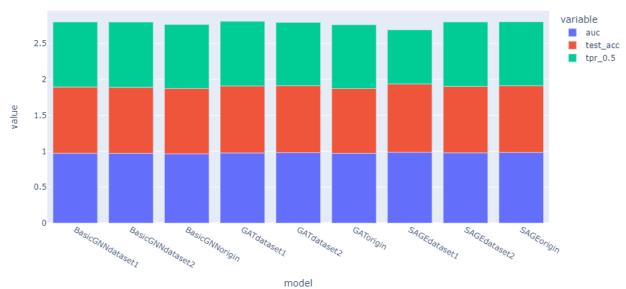


Figure 3: Bar plot of AUC, test accuraccy and true positive rate (threshold = 0.5) for each model-dataset.

Box plot of scores grouping by dataset

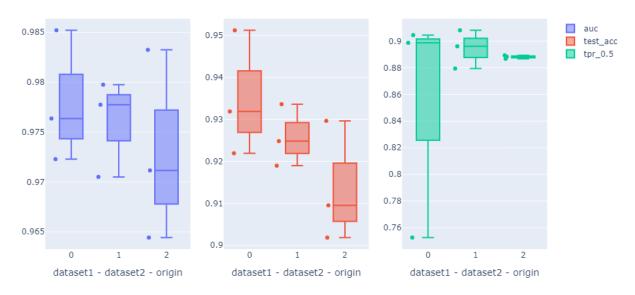


Figure 4: Box plot of the AUC, test accuraccy and true positive rate (threshold = 0.5), grouped by dataset.