# Scientific Programming in Julia Statistics, Functional Programming, and Performance Computing

Nicholas Gale and Stephen Eglen

#### **DataFrames**

- Dataframes are tabular data with named columns.
- They are supported using the DataFrames package.
- The names are given in symbols (:xyz which is a name, differing from the variable xyz).

## Creating DataFrames

- To initalise a data frame use the dataframe(colname1=data1, colname2=data2)
- ▶ No recycling columns must have matching lengths.
- ▶ An empty data frame is made from empty typed-vectors.

3×2 DataFrame				
Row	х	у		
	Int64	Int64		
1	5	3		
2	6	5		
3	7	9		

0×2 DataFrame

## Accessing DataFrames

- Data indexed as a matrix, by rows, cols and symbols.
- Entire rows can be indexed as normal with: or by!.

```
df = DataFrame(A=[5, 6, 7], println(df[!, :A])
println(df)
3v3 DataErama
```

3x3 Datarialle				
Α	В	С		
Int64	Char	String		
5	a	cat		
6	b	dog		
7	С	eel		
	A Int64	A B Int64 Char 5 a		

```
B='a':'c', println(df[2,3])
C=["cat", "dog", println(df[:, [:C, :A]])
                 [5, 6, 7]
                 dog
                 3×2 DataFrame
                  Row
                       cat
                       dog
```

eel

## Modifying DataFrames

- ▶ The push! function is used to add more rows. The function accepts an ordered tuple.
- promote=true needed if symbol's datatype does not match the data.

```
df = DataFrame(S=String[], N=Float64[])
push!(df, ("A string", 4.4))
# println(push!(df, ('C', 4.4))) # WRONG - C is char
println(push!(df, ('C', 4.4), promote=true))
```

#### 2×2 DataFrame

Row	S	N
	Any	Float64
1	A string	4.4
2	С	4.4

## **CSV** Piping

- ▶ A common usecase for datascience is importing CSV data.
- The DataFrame function can be wrapped around a CSV file; or the file piped with ▷. (| >)
- ► A DataFrame may be written to CSV using CSV.write.

true

#### Random Number Generation

- ➤ The default random function is rand(...) and is highly extensible.
- rand(distribution, n) takes n samples from a distribution.
- The default distribution is U([0,1]) and default sample number is one. Distributions can be specified as a set.

```
using Random
rn = round( rand(), digits=6)
rsamp = round.( rand(3); digits=4)
rsampcustom = rand([1,4,"A"], 5)
display([rn, rsamp, rsampcustom])
```

```
3-element Vector{Any}:
0.072919
[0.8351, 0.9826, 0.7984]
Any[4, 4, 1, 1, 1]
```

## Seeding and Permutation

- ► A seed is specified with: Random.seed!(seed\_number).
- ▶ A random permutation is given by the randperm function.

```
using Random
Random.seed!(1)
println(randperm(5))
Random.seed!(1)
println(randperm(5))
```

```
[4, 3, 5, 2, 1]
[4, 3, 5, 2, 1]
```

#### **Statistics**

- Julia has first class support for statistics.
- The StatsBase package has the standard statistics functions: mean, var, std, mode, zscore, quantile et c.
- ▶ Weighted statistics are computed with an optional weights vectors; in R they are their own methods.

```
using StatsBase
x = [20, 0, 2, 4, 4]
w = Weights([1, 5, 5, 5, 5])
@show mean(x)
@show mean(x, w)
@show median(x);
```

#### **Distributions**

- ▶ Julia supports distributions through Distributions package.
- Distribution fitting is provided through fit(DistributionType, data); the result of which can then be sampled from.

```
using Distributions
data = 4*randn(1000) .+ 12
d = fit(Normal, data)
println(d)
rand(d, 4) # draw 4 samples
```

Normal{Float64}(μ=12.042025684837661, σ=3.970852076846705)

4-element Vector{Float64}:
11.52085194303134
9.642800949617918
3.267729793610716
15.568757490372628

# Sampling

- sample can be used as alternative to rand.
- sample needs a distribution (can be a categorical vector). Can be weighted.
- ➤ An optional keyword replace=false (default: true) can specify sampling without replacement.

```
using StatsBase
catdist = [1,4,5,10]
@show sample(catdist, 7)
@show sample(catdist, 3, replace=false);
# println(sample(catdist, 7, replace=false)) # WRONG!
```

```
sample(catdist, 7) = [1, 4, 4, 10, 10, 10, 1]
sample(catdist, 3, replace = false) = [4, 10, 1]
```

## Interlude – special values

- missing is like NA in R: https://docs.julialang.org/en/v1/manual/missing/
- ▶ Inf and -Inf available.
- NaN is available as part of IEEE standard, e.g. var([1])
- ightharpoonup Constants like  $\pi$  and e available.

```
@show e^(im)π ≈ -1
@show 1//10 + 2//10 == 3//10;
```

```
e \wedge (im * \pi) \approx -1 = true
1 // 10 + 2 // 10 == 3 // 10 = true
```

## Statistics Ecosystem

- ➤ The statistics ecosytem is large and well-supported. R is still number 1 for statistics though.
- ▶ Useful packages: StatsBase, Statistics, Distributions, DataFrames, HypothesisTests.
- Useful resource: https://juliastats.org/

# Functional Programming

- ► Functional programming is a style where functions and data are cleanly separated.
- Object oriented programming is where data and functions/methods are attached to objects.
- Julia lends itself towards functional programming.

# Мар

- map() takes a function and applies it to an iterable: vector, range, etc.
- ► The function can be a function name, or an anonymous function.
- Multiple iterables can be passed for functions of multiple variables.

```
v = [0, \pi/6, \pi/4]
sin1 = map(sin, v)
autod_cos = map(x \rightarrow (cos(x), -sin(x)), v)
mask = [0 1 0]
bad_sin = map((x,y)\rightarrow(y==1 ? sin(x) : missing), v, mask)
display(autod_cos)
println(bad_sin)
3-element Vector{Tuple{Float64, Float64}}:
 (1.0, -0.0)
 (0.7071067811865476, -0.7071067811865475)
Union{Missing, Float64}[missing, 0.499999999999994, missing]
```

#### Filter

- filter evaluates a logical condition over an iterable.
- filter! is an in-place operation; filter creates a new copy.

```
a = collect(1:10)
@show a

b = filter(iseven, a)
@show b

filter!(isodd, a)
@show a;
```

```
a = [1, 2, 3, 4, 5, 6, 7, 8, 9, 10]
b = [2, 4, 6, 8, 10]
a = [1, 3, 5, 7, 9]
```

#### Sum

- ➤ The sum function supports functions as the first argument; these are applied before summing.
- ➤ The dimension/s which the sum is performed along is given by the dims=(dim1,...) keyword. Default is all.

```
m = hcat(collect(1:4), collect(5:8))
display(m)
sum(x \rightarrow x^2, m, dims=2)
4×2 Matrix{Int64}:
 1 5
 2 6
 3 7
 4 8
4×1 Matrix{Int64}:
 26
 40
 58
 80
```

#### Reduce

- ▶ The reduce function behaves exactly the same way as in R.
- Can support a generic binary operation that can be distributed over an iterable.

```
v = [7, 9, 4, 8]
println( reduce( (x,y) \rightarrow x < y ? x : y, v))
println( reduce( (x,y) \rightarrow x < y ? x : y, v, init=2))
```

4

2

## Mapreduce

- ► Common paradigm: map function f onto items, and then reduce items using binary operator.
- Saves on memory allocation compared to do both operations.

```
a = reshape(collect(1:12), (3,4))
display(a)
println( mapreduce(isodd, +, a, dims=1) )
println( mapreduce(isodd, +, a, dims=2) )
println( mapreduce(isodd, +, a) )
```

```
3×4 Matrix{Int64}:

1  4  7  10
2  5  8  11
3  6  9  12

[2 1 2 1]
[2; 2; 2;;]
6
```

#### Inner and Outer product

- Inner product calculated with dot(x, y) or x y
- Unlike R's outer(), Julia has no specific method; but broadcasting a column vector to a row vector creates a matrix.

```
using LinearAlgebra
v = [1, 4, 2]
@show v • v
f(x, y) = x+y
@show f(v, v)
f.(v, v')
```

```
v • v = 21
f(v, v) =
[2, 8, 4]
3x3 Matrix{Int64}:
2 5 3
5 8 6
```

# Summary

- 1. Data frames
- 2. Random number generators
- 3. Statistics
- 4. Functional programming