

# 1. Write a python to calculate the mean median ,and mode of a given dataset.

**TASK : Load a Dataset(CSV.file) with numerical data and calculate the mean,median and mode using pandas and scipy**

The screenshot shows a Jupyter Notebook interface with three tabs at the top: Untitled.ipynb, Untitled3.ipynb, and Untitled2.ipynb. The Untitled3.ipynb tab is active. The notebook contains the following code and output:

```
Name: Nikhil Bhagule  
PNR NO: ADT24MGTMO950  
[3]: data.sepal_width.mean()  
[3]: 3.0540000000000003  
[1]: import pandas as pd  
data=pd.read_csv('iris.csv')  
print(data)  
sepal_length sepal_width petal_length petal_width species  
0 5.1 3.5 1.4 0.2 setosa  
1 4.9 3.0 1.4 0.2 setosa  
2 4.7 3.2 1.3 0.2 setosa  
3 4.6 3.1 1.5 0.2 setosa  
4 5.0 3.6 1.4 0.2 setosa  
.. ... ... ... ...  
145 6.7 3.0 5.2 2.3 virginica  
146 6.3 2.5 5.0 1.9 virginica  
147 6.5 3.0 5.2 2.0 virginica  
148 6.2 3.4 5.4 2.3 virginica  
149 5.9 3.0 5.1 1.8 virginica
```

The screenshot shows a Jupyter Notebook interface with three tabs at the top: Untitled.ipynb, Untitled3.ipynb, and Untitled2.ipynb. The Untitled3.ipynb tab is active. The notebook contains the following code and output:

```
[150 rows x 5 columns]  
[6]: data.sepal_length.mean()  
5.84333333333334 ***  
[7]: data.sepal_length.median()  
[7]: 5.8  
[8]: data.sepal_length.mode()  
[8]: 0 5.0  
Name: sepal_length, dtype: float64  
[ ]:
```

**2.Question:** Load a dataset containing both numerical and categorical data. Create appropriate frequency distributions for categorical data and histograms for numerical data.

**Task:** Use pandas and matplotlib to visualize the distributions.

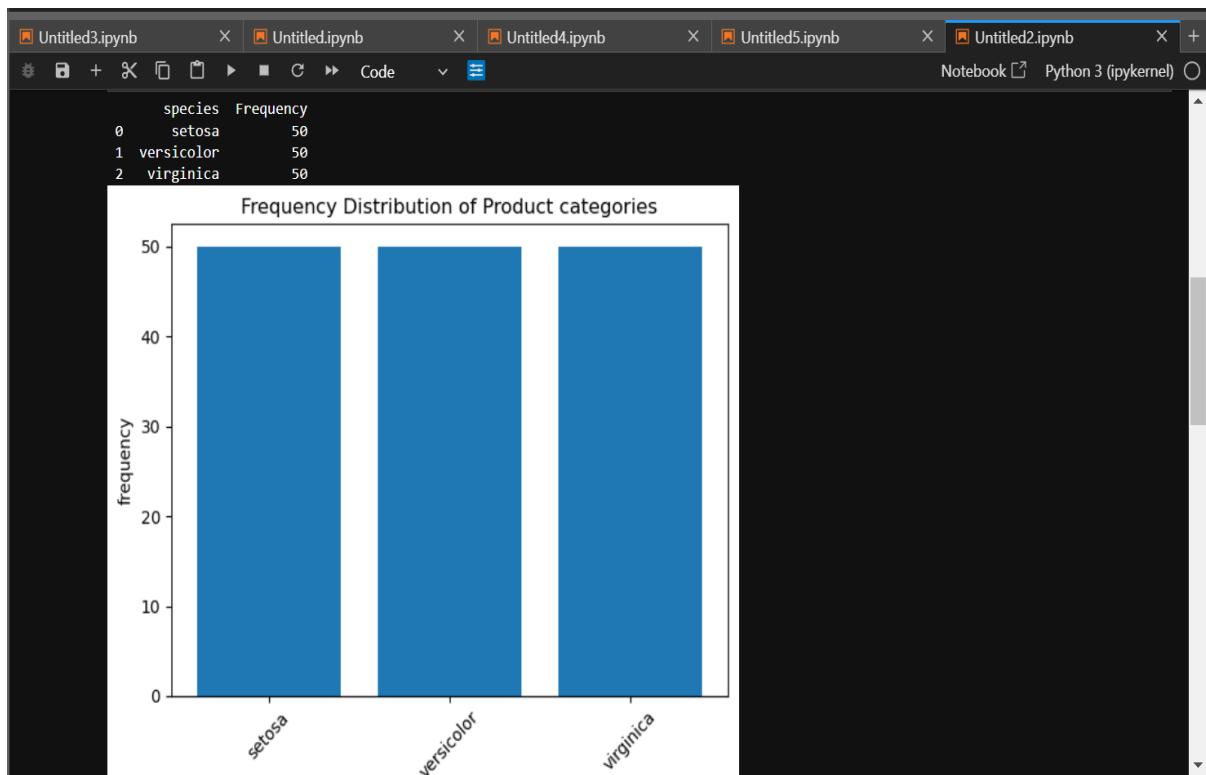
Name : Nikhil Bhagule  
PNN no : ADT24MGTM0950

```
[5]: import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
data=pd.read_csv('iris.csv')
print(data)
```

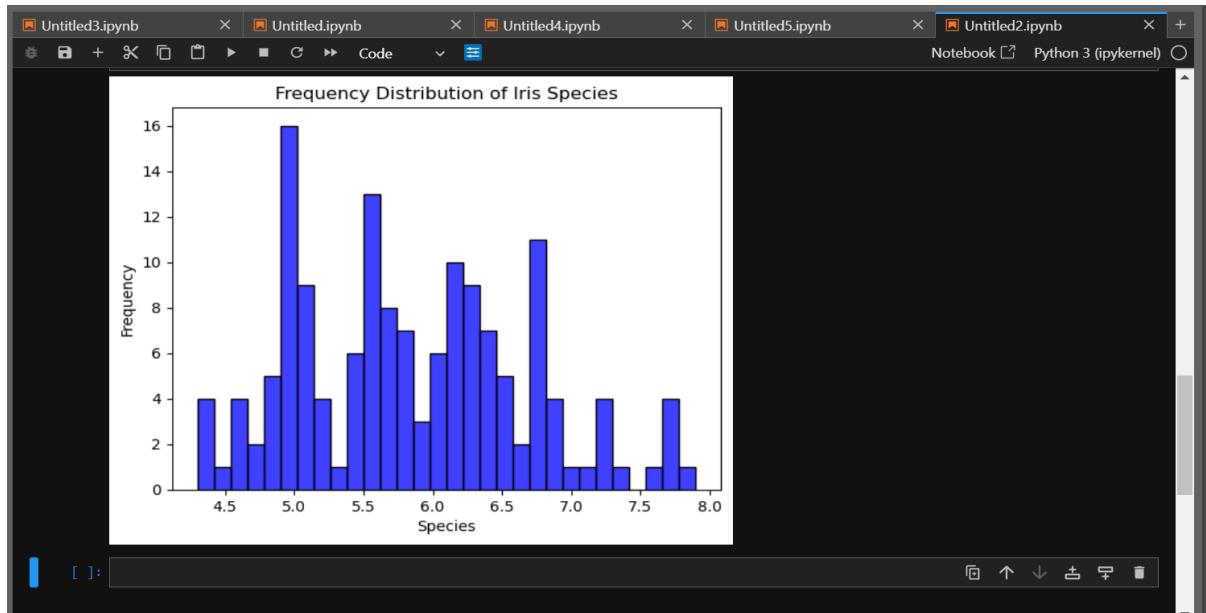
	sepal_length	sepal_width	petal_length	petal_width	species
0	5.1	3.5	1.4	0.2	setosa
1	4.9	3.0	1.4	0.2	setosa
2	4.7	3.2	1.3	0.2	setosa
3	4.6	3.1	1.5	0.2	setosa
4	5.0	3.6	1.4	0.2	setosa
..	...	...	...	...	...
145	6.7	3.0	5.2	2.3	virginica
146	6.3	2.5	5.0	1.9	virginica
147	6.5	3.0	5.2	2.0	virginica
148	6.2	3.4	5.4	2.3	virginica
149	5.9	3.0	5.1	1.8	virginica

[150 rows x 5 columns]

```
[10]: frequency_distribution=data['species'].value_counts().reset_index()
frequency_distribution.columns=['species','Frequency']
print(frequency_distribution)
plt.bar(frequency_distribution['species'],frequency_distribution['Frequency'])
plt.xlabel('species')
plt.ylabel('frequency')
plt.title('Frequency Distribution of Product categories')
plt.xticks(rotation=45)
plt.show()
```



```
[14]: plt.figure(figsize=(8,6))
sns.histplot(data['sepal_length'],bins=30,color='blue')
plt.title('Frequency Distribution of Iris Species')
plt.xlabel('Species')
plt.ylabel('Frequency')
plt.show()
```



**3.Question: Write a Python program to create tables, graphs, and charts to represent data visually. Use matplotlib and seaborn to plot a dataset and generate bar charts, line**

**graphs, and scatter plots. Task: Tabulate data and represent it using different graphs for better understanding.**

Name : Nikhil Bhagule  
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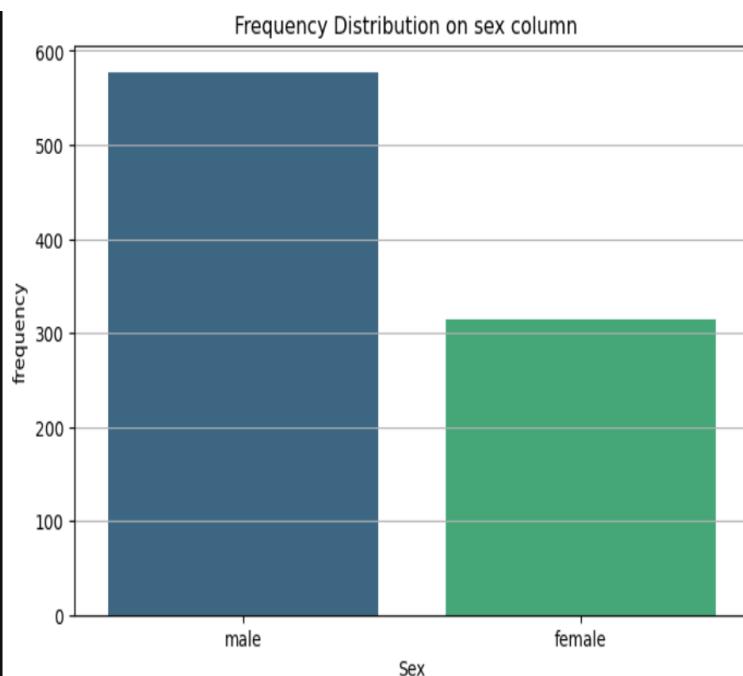
```
[13]: import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
df=pd.read_csv('Titanic.csv')
print(data)
```

	PassengerId	Survived	Pclass
0	1	0	3
1	2	1	1
2	3	1	3
3	4	1	1
4	5	0	3
..	...	...	...
886	887	0	2
887	888	1	1
888	889	0	3
889	890	1	1
890	891	0	3

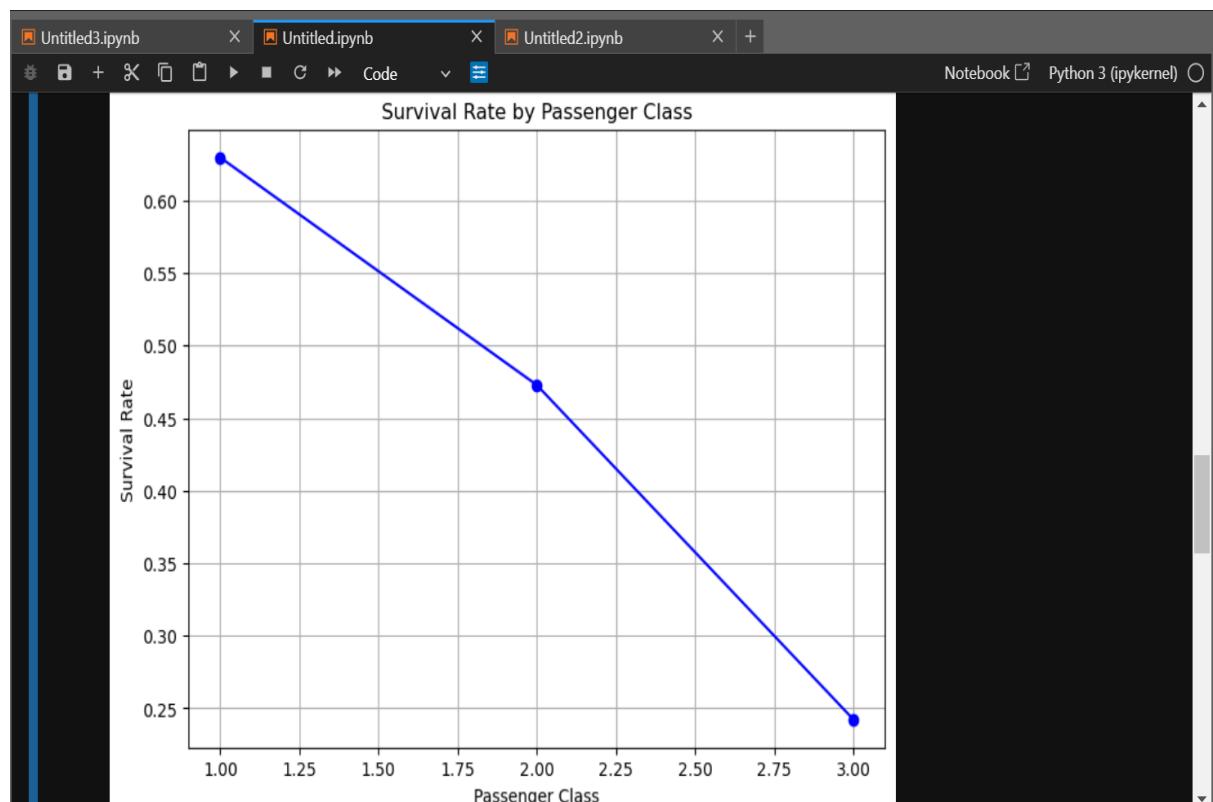
		Name	Sex	Age	SibSp
0	Braund, Mr. Owen Harris	male	22.0	1	
1	Cumings, Mrs. John Bradley (Florence Briggs Th... Heikkinen, Miss. Laina	female	38.0	1	
2	Futrelle, Mrs. Jacques Heath (Lily May Peel)	female	26.0	0	
3	Allen, Mr. William Henry	male	35.0	0	
4	...	...	...	...	
..	Montvila, Rev. Juozas	male	27.0	0	
886	Graham, Miss. Margaret Edith	female	19.0	0	
887	Johnston, Miss. Catherine Helen "Carrie"	female	NaN	1	
888	Behr, Mr. Karl Howell	male	26.0	0	
889	Dooley, Mr. Patrick	male	32.0	0	
890	...	...	...	...	
	Parch	Ticket	Fare	Cabin	Embarked
0	0	A/5 21171	7.2500	Nan	S
1	0	PC 17599	71.2833	C85	C
2	0	STON/O2. 3101282	7.9250	Nan	S
3	0	113803	53.1000	C123	S
4	0	373450	8.0500	Nan	S
..	...	...	...	...	...
886	0	211536	13.0000	Nan	S
887	0	112053	30.0000	B42	S
888	2	W./C. 6607	23.4500	Nan	S
889	0	111369	30.0000	C148	C
890	0	370376	7.7500	Nan	Q

```
[14]: frequency_distribution=df['Sex'].value_counts().reset_index()
frequency_distribution.columns=['Sex','Frequency']
print(frequency_distribution)
plt.figure(figsize=(8,5))
sns.barplot(x='Sex',y='Frequency',data=frequency_distribution,hue=None,palette='viridis',legend=False)
plt.xlabel('Sex')
plt.ylabel('frequency')
plt.title('Frequency Distribution of Passenger sex on the Titanic')
plt.grid(axis='y')
plt.show()
```

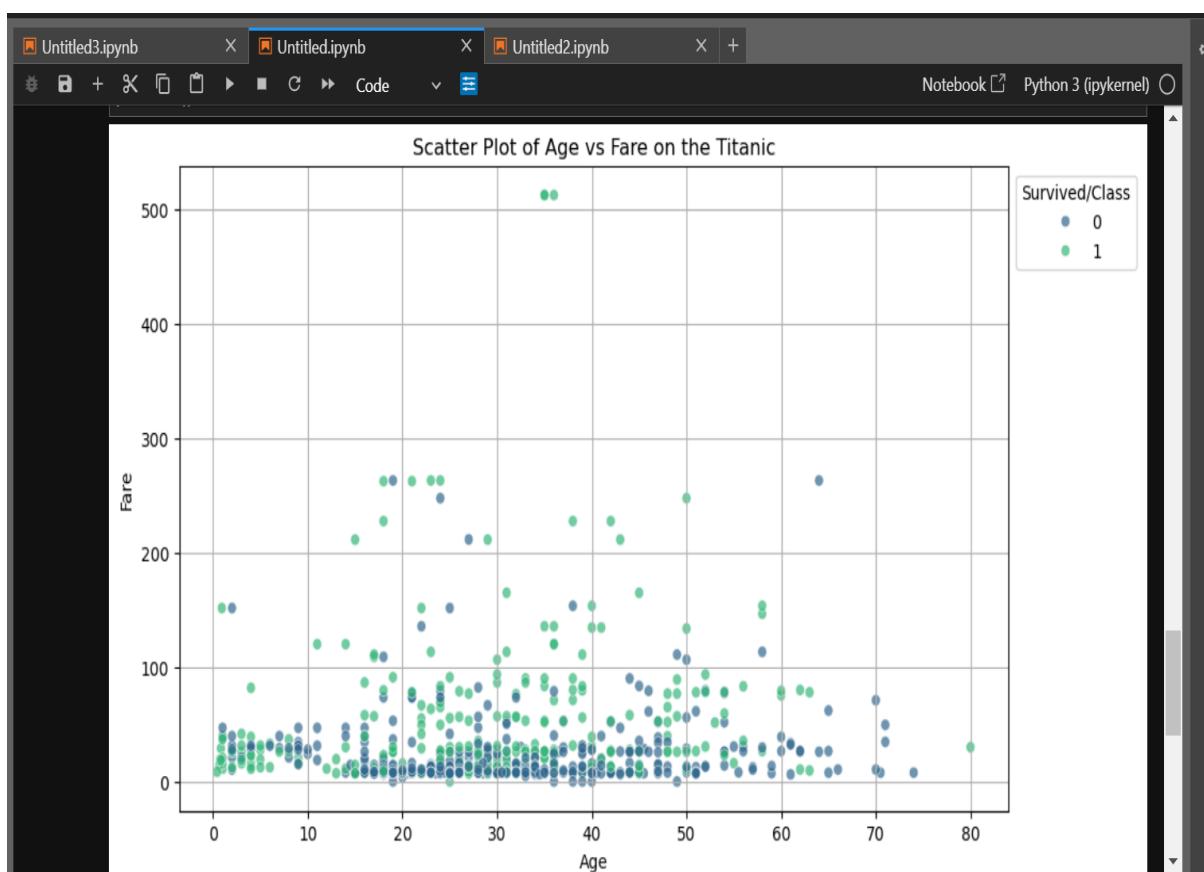
Sex	Frequency
0 male	577
1 female	314



```
[17]: survival_rate_by_class = df.groupby('Pclass')['Survived'].mean()
plt.figure(figsize=(8, 6))
plt.plot(survival_rate_by_class.index, survival_rate_by_class.values, marker='o', linestyle='-', color='b')
plt.title('Survival Rate by Passenger Class')
plt.xlabel('Passenger Class')
plt.ylabel('Survival Rate')
plt.grid(True)
plt.show()
```



```
[22]: plt.figure(figsize=(10,6))
sns.scatterplot(data=df, x='Age', y='Fare', hue='Survived', palette='viridis', alpha=0.7)
plt.title('Scatter Plot of Age vs Fare on the Titanic')
plt.xlabel('Age')
plt.ylabel('Fare')
plt.grid()
plt.legend(title='Survived/Class', loc='upper left', bbox_to_anchor=(1,1))
plt.show()
```



**4.Question: Write a Python script to calculate the range, variance, standard deviation, and coefficient of variation for a given numerical dataset.**

**Task: Implement numpy and pandas to compute the required measures of dispersion**

The screenshot shows a Jupyter Notebook interface with multiple tabs at the top: Untitled3.ipynb, Untitled.ipynb, Untitled6.ipynb, Untitled2.ipynb, and Python 3 (ipykernel). The Untitled6.ipynb tab is active. In the code editor, cell [1] contains the following Python code:

```
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
data=pd.read_csv('iris.csv')
print(data)
```

The output of cell [1] is a table showing the first 150 rows of the Iris dataset:

	sepal_length	sepal_width	petal_length	petal_width	species
0	5.1	3.5	1.4	0.2	setosa
1	4.9	3.0	1.4	0.2	setosa
2	4.7	3.2	1.3	0.2	setosa
3	4.6	3.1	1.5	0.2	setosa
4	5.0	3.6	1.4	0.2	setosa
..	...	...	...	...	...
145	6.7	3.0	5.2	2.3	virginica
146	6.3	2.5	5.0	1.9	virginica
147	6.5	3.0	5.2	2.0	virginica
148	6.2	3.4	5.4	2.3	virginica
149	5.9	3.0	5.1	1.8	virginica

The screenshot shows a Jupyter Notebook interface with multiple tabs at the top: Untitled3.ipynb, Untitled.ipynb, Untitled6.ipynb, Untitled2.ipynb, and Python 3 (ipykernel). The Untitled6.ipynb tab is active. In the code editor, cell [2] contains the following Python code:

```
range_values = data.iloc[:, :-1].max() - data.iloc[:, :-1].min()
print("\nRange of each feature:")
print(range_values)
```

The output of cell [2] is:

```
Range of each feature:
sepal_length    3.6
sepal_width     2.4
petal_length    5.9
petal_width     2.4
dtype: float64
```

Cell [10] contains the following code:

```
[10]: data.sepal_length.var()
```

The output of cell [10] is:

```
[10]: 0.6856935123042505
```

Cell [4] contains the following code:

```
[4]: data.sepal_length.std()
```

The output of cell [4] is:

```
[4]: 0.8280661279778629
```

The screenshot shows a Jupyter Notebook interface with multiple tabs at the top: Untitled3.ipynb, Untitled.ipynb, Untitled6.ipynb, Untitled2.ipynb, and Python 3 (ipykernel). The Untitled6.ipynb tab is active. In the code editor, cell [7] contains the following Python code:

```
cv =data.iloc[:, :-1].std() / data.iloc[:, :-1].mean()
print("\nRange of each feature:")
print(range_values)
print("\nRange of each feature:")
print(range_values)
```

The output of cell [7] is:

```
Range of each feature:
sepal_length    3.6
sepal_width     2.4
petal_length    5.9
petal_width     2.4
dtype: float64

Range of each feature:
sepal_length    3.6
sepal_width     2.4
petal_length    5.9
petal_width     2.4
dtype: float64
```

**5.Question: Prepare a dataset and calculate the mean, median, and mode. Discuss the differences between these measures and their respective merits and demerits.**

**Task: Write a Python program to compare the central tendencies and visualize the differences**

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```
[37]: # Import necessary libraries
import pandas as pd
import numpy as np
import seaborn as sns
import matplotlib.pyplot as plt

data = pd.read_csv('student.csv')
df = pd.DataFrame(data)
mean_values = df.iloc[:, 1:1].mean()
median_values = df.iloc[:, 1:1].median()
mode_values = df.iloc[:, 1:1].mode().iloc[0]

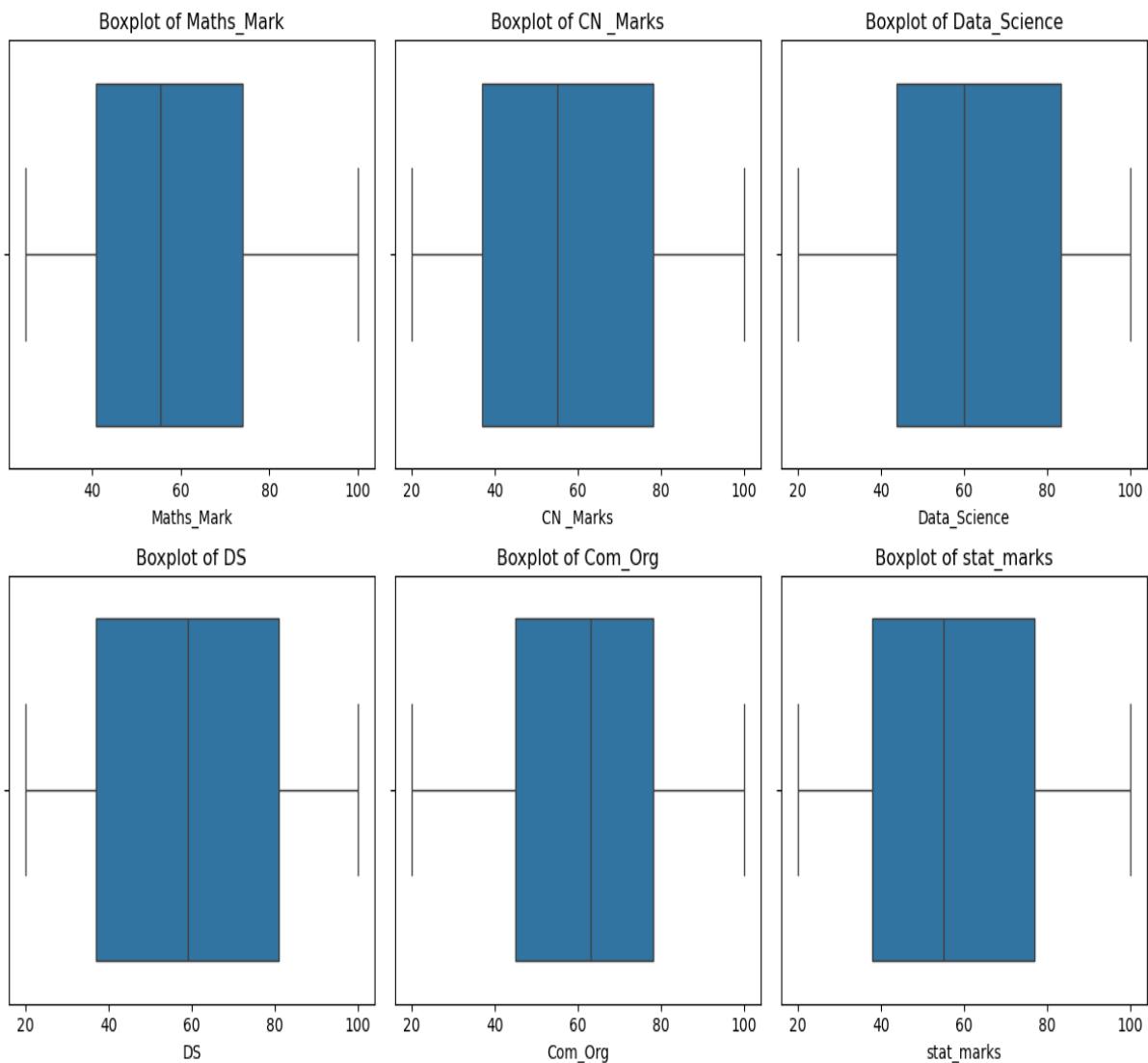
print("Mean values:\n", mean_values)
print("\nMedian values:\n", median_values)
print("\nMode values:\n", mode_values)
```

```
Mean values:
 Maths_Mark      58.405
 CN_Marks       57.215
 Data_Science    62.515
 DS              58.730
 Com_Org         61.685
 stat_marks      57.980
 dtype: float64

Median values:
 Maths_Mark      55.5
 CN_Marks        55.0
 Data_Science    60.0
 DS              59.0
 Com_Org          63.0
 stat_marks       55.0
 dtype: float64

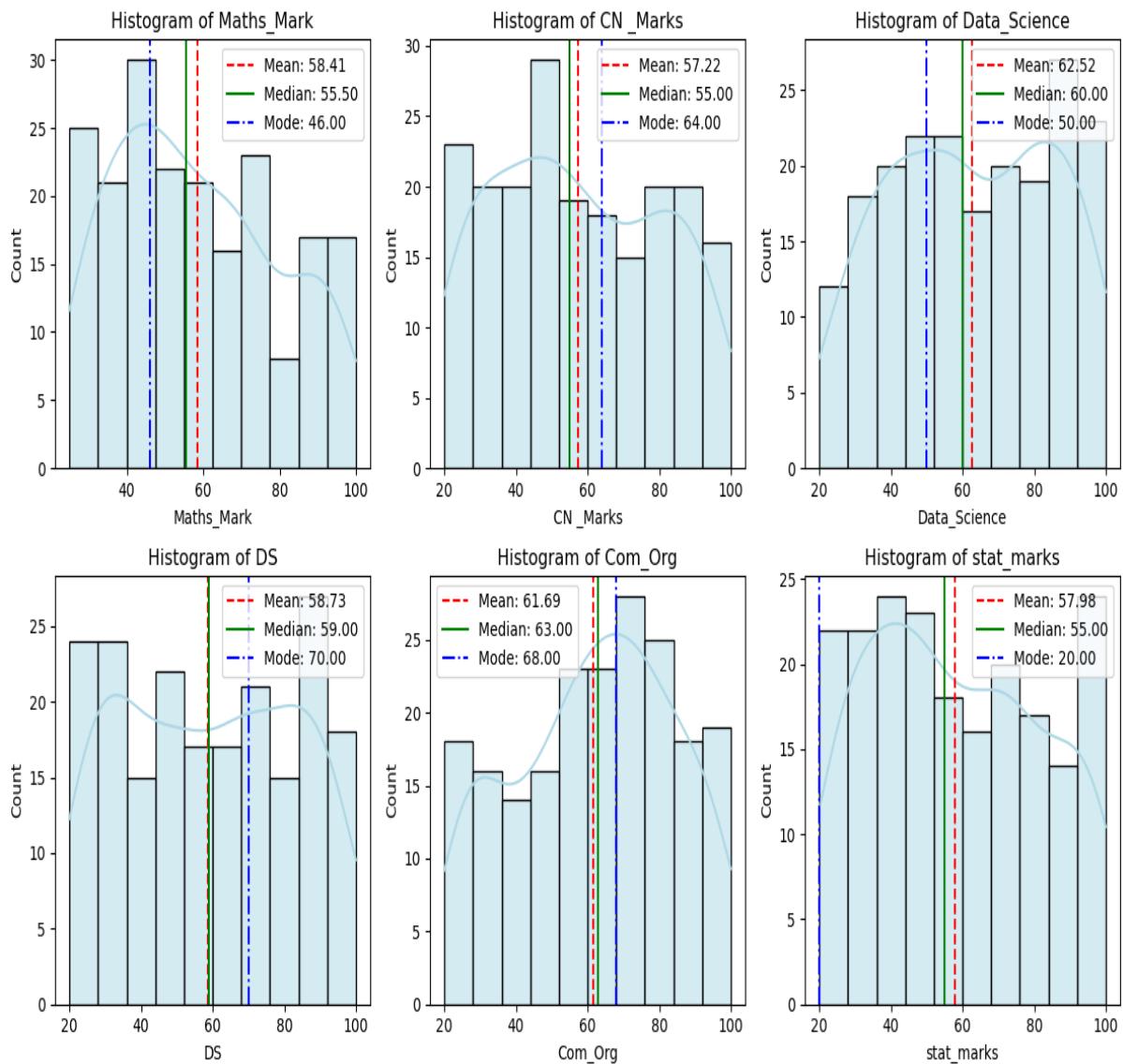
Mode values:
 Maths_Mark      46.0
 CN_Marks        64.0
 Data_Science    50.0
 DS              70.0
 Com_Org          68.0
 stat_marks       20.0
 Name: 0, dtype: float64
```

```
[27]: plt.figure(figsize=(12, 8))
for i, column in enumerate(df.columns[1:], 1):
    plt.subplot(2, 3, i)
    sns.boxplot(x=df[column])
    plt.title(f'Boxplot of {column}')
plt.tight_layout()
plt.show()
```



```
[28]: plt.figure(figsize=(12, 8))
for i, column in enumerate(df.columns[1:], 1):
    plt.subplot(2, 3, i)
    sns.histplot(df[column], kde=True, bins=10, color='lightblue')
    plt.axvline(mean_values[column], color='r', linestyle='--', label=f'Mean: {mean_values[column]:.2f}')
    plt.axvline(median_values[column], color='g', linestyle='-.', label=f'Median: {median_values[column]:.2f}')
    plt.axvline(mode_values[column], color='b', linestyle='-.', label=f'Mode: {mode_values[column]:.2f}')
    plt.title(f'Histogram of {column}')
    plt.legend()

plt.tight_layout()
plt.show()
```



## **Merits and Demerits of Mean, Median, and Mode:**

### **Mean:**

- **Merits:**
  - Simple and commonly used.
  - Provides a good summary when data is symmetrically distributed.
  - Uses all data points for a more precise measure of central tendency.
- **Demerits:**
  - **Sensitive to outliers:** A single extreme value can significantly affect the mean, making it less reliable when there are outliers or skewed data.

### **Median:**

- **Merits:**
  - **Resistant to outliers:** The median is not influenced by extreme values, making it a better measure for skewed data or when outliers are present.
  - Suitable for non-symmetric distributions.
- **Demerits:**
  - It does not use all the data points, so it can be less informative when the data is well-behaved and symmetric.

### **Mode:**

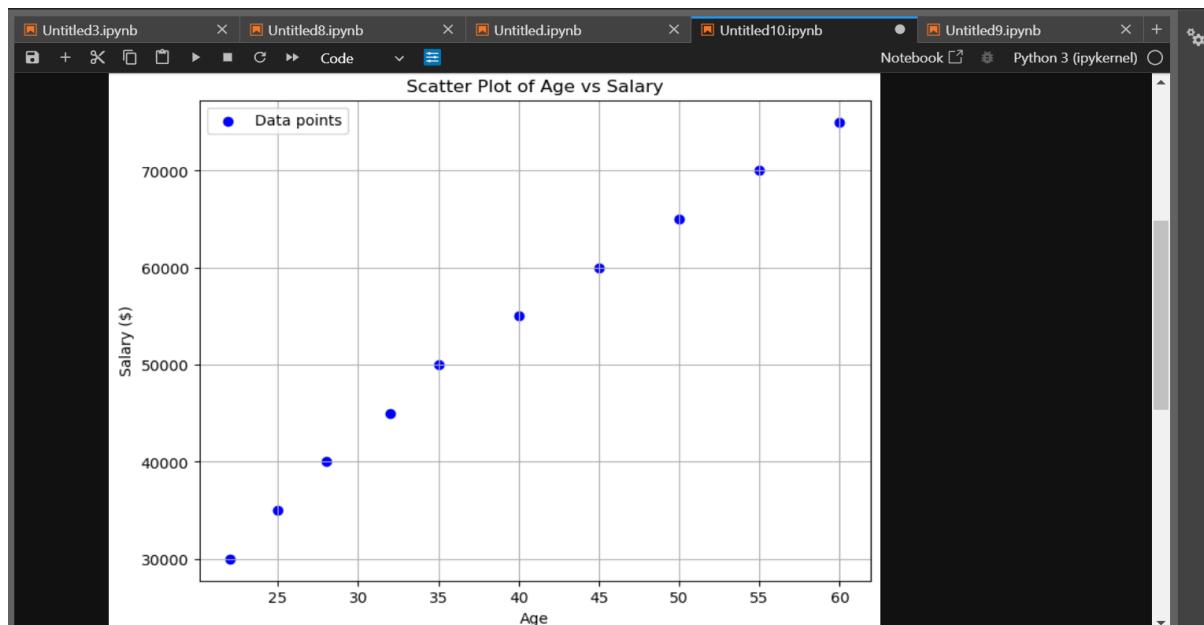
- **Merits:**
  - Useful for identifying the most frequent value in categorical or discrete data.
  - **Does not require numerical data** (can be used for categorical data).
- **Demerits:**
  - **Not applicable for continuous data:** The mode may not be useful for continuous numerical data, especially if all values are unique or very close to each other.
  - There can be **multiple modes** or no mode at all if all values occur with the same frequency.

**6.Question: Write a Python program to calculate Pearson's correlation coefficient and create a scatter plot showing the correlation between two variables (e.g., age and salary).**

**Task: Use scipy to calculate the correlation and matplotlib for the scatter plot.**

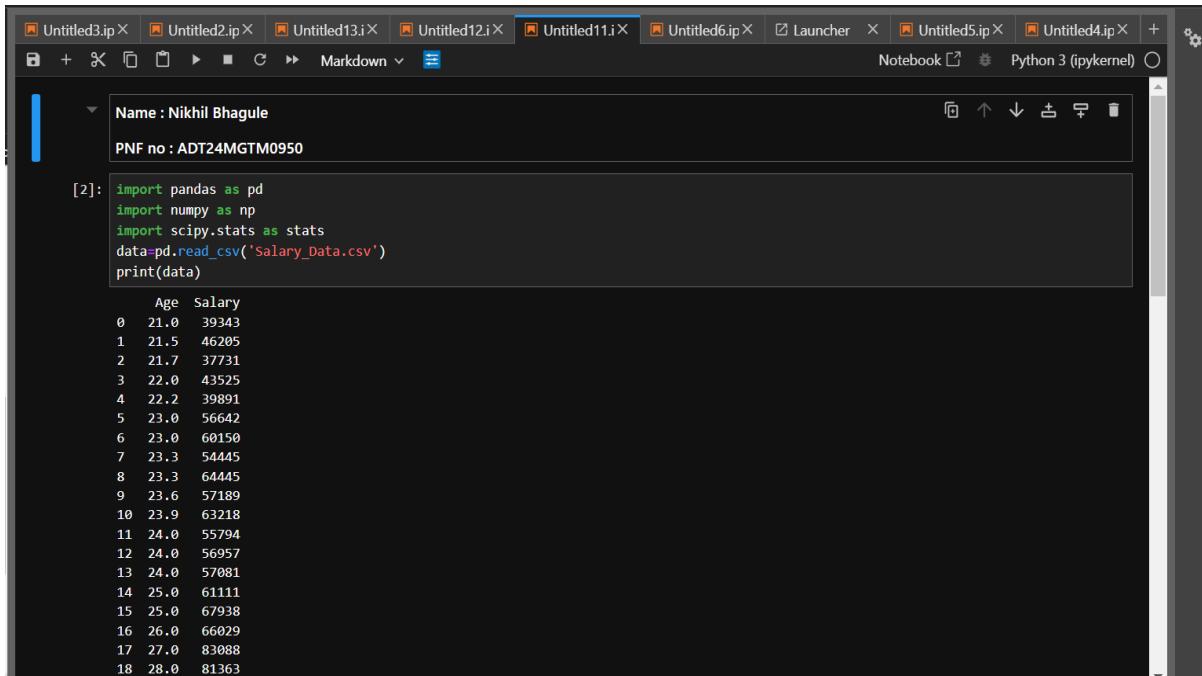
```
Name : Nikhil Bhagule  
PNR no : ADT24MGTMO950  
[ ]: import numpy as np  
import scipy.stats as stats  
import matplotlib.pyplot as plt  
age = np.array([22, 25, 28, 32, 35, 40, 45, 50, 55, 60])  
salary = np.array([30000, 35000, 40000, 45000, 50000, 55000, 60000, 65000, 70000, 75000])  
[52]: correlation, _ = stats.pearsonr(age, salary)  
print(f"Pearson's correlation coefficient: {correlation:.2f}")  
Pearson's correlation coefficient: 1.00
```

```
[53]: plt.figure(figsize=(8, 6))  
plt.scatter(age, salary, color='blue', label='Data points')  
plt.title("Scatter Plot of Age vs Salary")  
plt.xlabel("Age")  
plt.ylabel("Salary ($)")  
plt.grid(True)  
plt.legend()  
plt.show()
```



## 7.Question: Write a Python script to calculate Spearman's Rank Correlation for a given dataset.

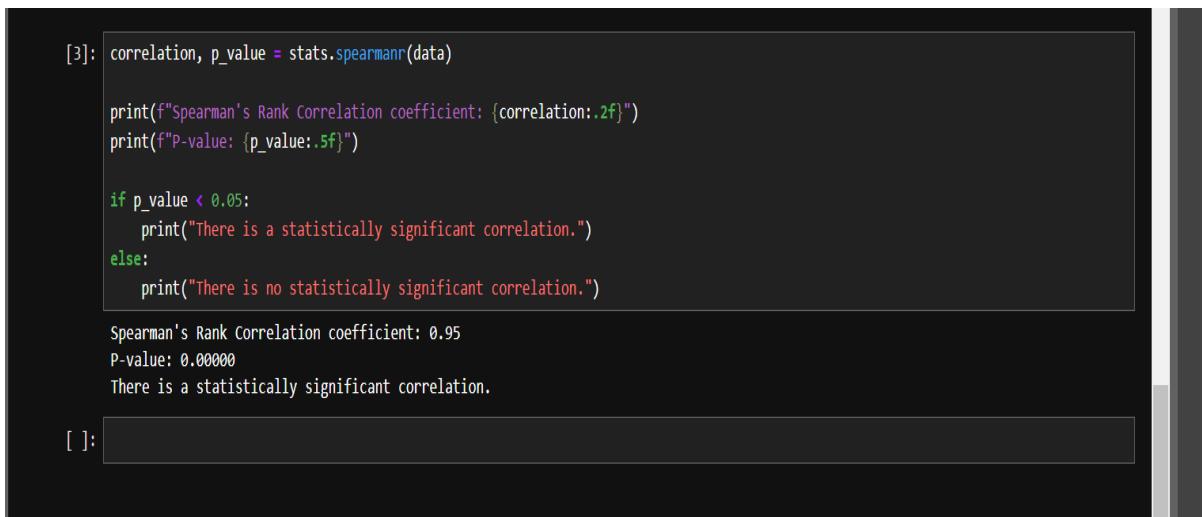
**Task:** Load a dataset and compute the rank correlation using `scipy.stats`.



Name : Nikhil Bhagule  
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```
[2]: import pandas as pd
import numpy as np
import scipy.stats as stats
data=pd.read_csv('Salary_Data.csv')
print(data)
```

	Age	Salary
0	21.0	39343
1	21.5	46205
2	21.7	37731
3	22.0	43525
4	22.2	39891
5	23.0	56642
6	23.0	60150
7	23.3	54445
8	23.3	64445
9	23.6	57189
10	23.9	63218
11	24.0	55794
12	24.0	56957
13	24.0	57081
14	25.0	61111
15	25.0	67938
16	26.0	66029
17	27.0	83088
18	28.0	81363



```
[3]: correlation, p_value = stats.spearmanr(data)

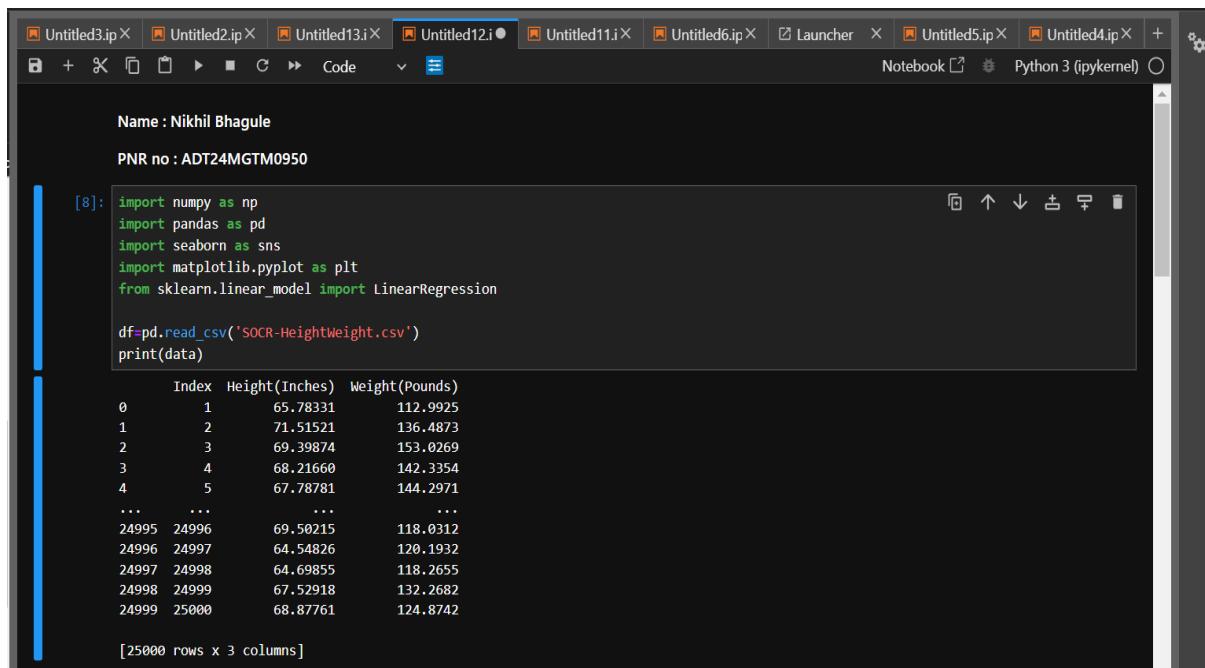
print("Spearman's Rank Correlation coefficient: {correlation:.2f}")
print("P-value: {p_value:.5f}")

if p_value < 0.05:
    print("There is a statistically significant correlation.")
else:
    print("There is no statistically significant correlation.")

Spearman's Rank Correlation coefficient: 0.95
P-value: 0.00000
There is a statistically significant correlation.
```

**8.Question: Write a Python program to perform simple linear regression and plot the regression line between two variables (e.g., height and weight).**

**Task: Use sklearn for linear regression and visualize the regression line with seaborn.**



Name : Nikhil Bhagule  
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```
[8]: import numpy as np
import pandas as pd
import seaborn as sns
import matplotlib.pyplot as plt
from sklearn.linear_model import LinearRegression

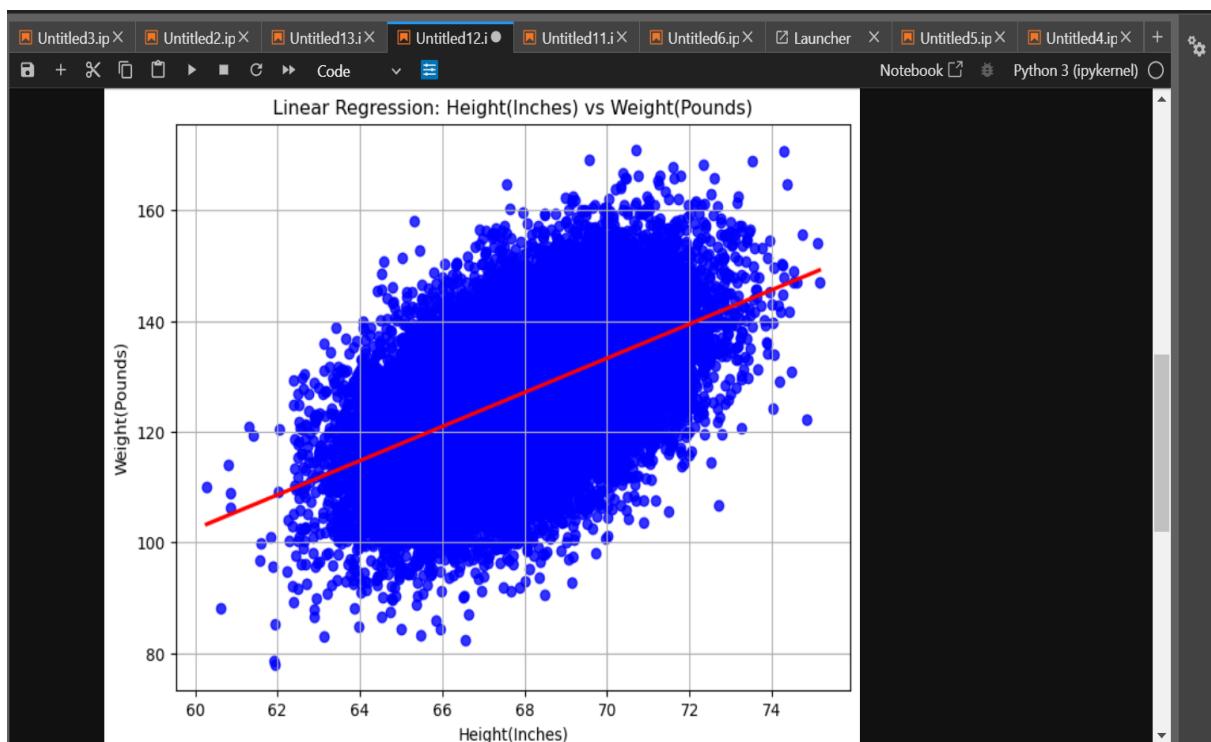
df=pd.read_csv('sOCR-HeightWeight.csv')
print(data)
```

Index	Height(Inches)	Weight(Pounds)
0	65.78331	112.9925
1	71.51521	136.4873
2	69.39874	153.0269
3	68.21660	142.3354
4	67.78781	144.2971
...	...	...
24995	69.50215	118.0312
24996	64.54826	120.1932
24997	64.69855	118.2655
24998	67.52918	132.2682
24999	68.87761	124.8742

[25000 rows x 3 columns]

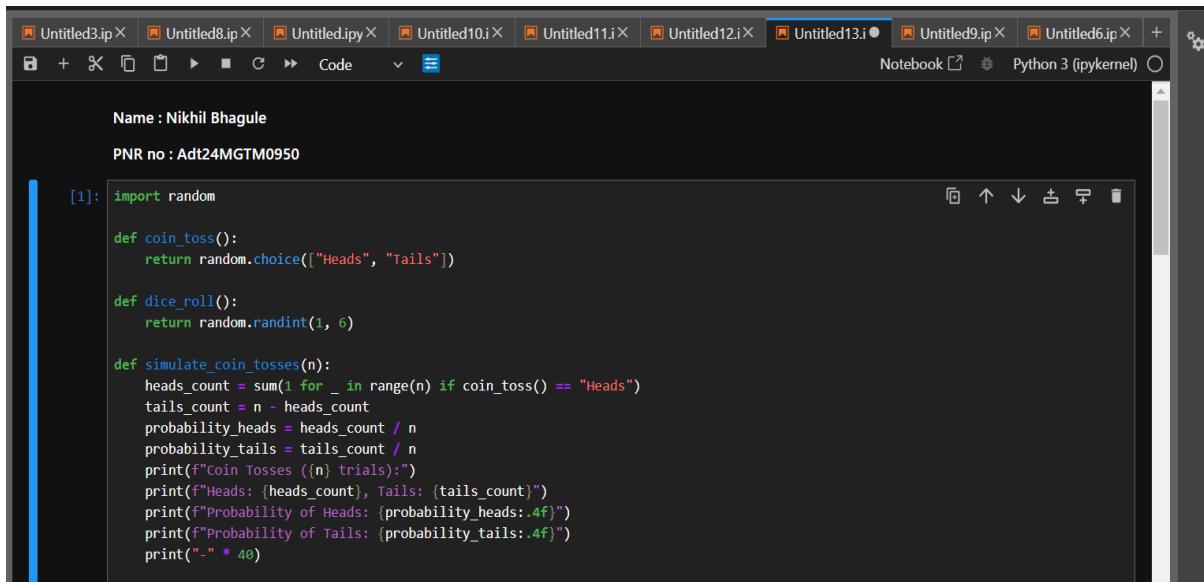


```
[9]: df= pd.DataFrame(data)
X = df[['Height(Inches)']]
y = df['Weight(Pounds)']
model = LinearRegression()
model.fit(X, y)
y_pred = model.predict(X)
plt.figure(figsize=(8, 6))
sns.regplot(x='Height(Inches)', y='Weight(Pounds)', data=df, scatter_kws={'color': 'blue'}, line_kws={'color': 'red'})
plt.title("Linear Regression: Height(Inches) vs Weight(Pounds)")
plt.xlabel("Height(Inches)")
plt.ylabel("Weight(Pounds)")
plt.grid(True)
plt.show()
```



**9.Question: Write a Python program to simulate basic probability concepts (e.g., coin toss, dice roll) and calculate the probability of certain events.**

**Task: Use random number generation and conditional probability in Python.**



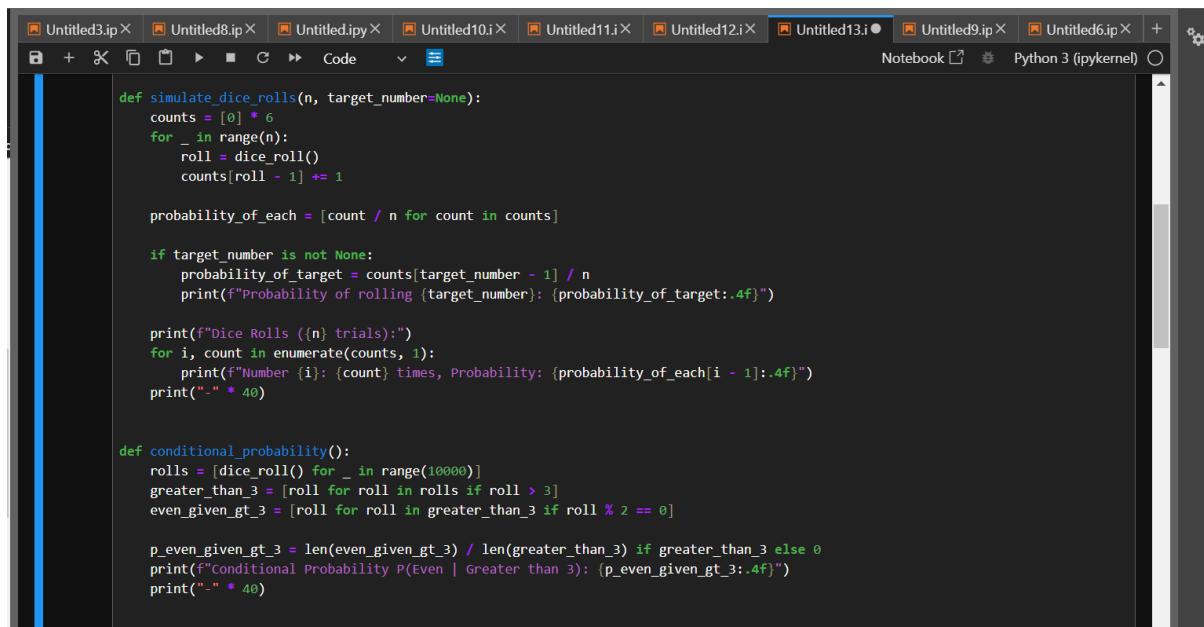
Name : Nikhil Bhagule  
PNR no : Adt24MGTMO950

```
[1]: import random

def coin_toss():
    return random.choice(["Heads", "Tails"])

def dice_roll():
    return random.randint(1, 6)

def simulate_coin_tosses(n):
    heads_count = sum(1 for _ in range(n) if coin_toss() == "Heads")
    tails_count = n - heads_count
    probability_heads = heads_count / n
    probability_tails = tails_count / n
    print(f"Coin Tosses ({n} trials):")
    print(f"Heads: {heads_count}, Tails: {tails_count}")
    print(f"Probability of Heads: {probability_heads:.4f}")
    print(f"Probability of Tails: {probability_tails:.4f}")
    print("-" * 40)
```



```
def simulate_dice_rolls(n, target_number=None):
    counts = [0] * 6
    for _ in range(n):
        roll = dice_roll()
        counts[roll - 1] += 1

    probability_of_each = [count / n for count in counts]

    if target_number is not None:
        probability_of_target = counts[target_number - 1] / n
        print(f"Probability of rolling {target_number}: {probability_of_target:.4f}")

    print(f"Dice Rolls ({n} trials):")
    for i, count in enumerate(counts, 1):
        print(f"Number {i}: {count} times, Probability: {probability_of_each[i - 1]:.4f}")
    print("-" * 40)

def conditional_probability():
    rolls = [dice_roll() for _ in range(10000)]
    greater_than_3 = [roll for roll in rolls if roll > 3]
    even_given_gt_3 = [roll for roll in greater_than_3 if roll % 2 == 0]

    p_even_given_gt_3 = len(even_given_gt_3) / len(greater_than_3) if greater_than_3 else 0
    print(f"Conditional Probability P(Even | Greater than 3): {p_even_given_gt_3:.4f}")
    print("-" * 40)
```

A screenshot of a Jupyter Notebook interface. The top bar shows several open notebooks: Untitled3.ipynb, Untitled8.ipynb, Untitled.ipynb, Untitled10.ipynb, Untitled11.ipynb, Untitled12.ipynb, Untitled13.ipynb (selected), Untitled9.ipynb, and Untitled6.ipynb. The status bar indicates "Python 3 (ipykernel)". The main area contains a code cell with the following Python code:

```
def main():

    simulate_coin_tosses(1000)

    simulate_dice_rolls(1000, target_number=3)

    conditional_probability()

if __name__ == "__main__":
    main()
```

A screenshot of a Jupyter Notebook interface showing the output of the executed code. The output area displays the results of the simulations and the conditional probability calculation:

```
Coin Tosses (1000 trials):
Heads: 494, Tails: 506
Probability of Heads: 0.4940
Probability of Tails: 0.5060
-----
Probability of rolling 3: 0.1500
Dice Rolls (1000 trials):
Number 1: 181 times, Probability: 0.1810
Number 2: 188 times, Probability: 0.1880
Number 3: 150 times, Probability: 0.1500
Number 4: 158 times, Probability: 0.1580
Number 5: 146 times, Probability: 0.1460
Number 6: 177 times, Probability: 0.1770
-----
Conditional Probability P(Even | Greater than 3): 0.6625
```

## 10.Question: Use Bayes Theorem to compute the posterior probability given prior probability and likelihoods.

Task: Implement Bayes Theorem in Python using a practical dataset.

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```
[2]: import pandas as pd
import numpy as np

df = pd.read_csv('creditcard.csv')
print(df.head())
```

	Time	V1	V2	V3	V4	V5	V6	V7	\
0	0.0	-1.359808	-0.072781	2.536347	1.378155	-0.338321	0.462388	0.239599	
1	0.0	1.191857	0.266151	0.166480	0.448154	0.060018	-0.082361	-0.078803	
2	1.0	-1.358354	-1.340163	1.773209	0.379780	-0.583198	1.800499	0.791461	
3	1.0	-0.966272	-0.185226	1.792993	-0.863291	-0.010309	1.247203	0.237609	
4	2.0	-1.158233	0.877737	1.548718	0.403034	-0.407193	0.095921	0.592941	

	V8	V9	...	V21	V22	V23	V24	V25	\
0	0.098698	0.363787	...	-0.018307	0.277838	-0.110474	0.066928	0.128539	
1	0.085102	-0.255425	...	-0.225775	-0.638672	0.101288	-0.339846	0.167170	
2	0.247676	-1.514654	...	0.247998	0.771679	0.909412	-0.689281	-0.327642	
3	0.377436	-1.387024	...	-0.108300	0.005274	-0.190321	-1.175575	0.647376	
4	-0.270533	0.817739	...	-0.009431	0.798278	-0.137458	0.141267	-0.206010	

	V26	V27	V28	Amount	Class
0	-0.189115	0.133558	-0.021053	149.62	0
1	0.125895	-0.008983	0.014724	2.69	0
2	-0.139097	-0.055353	-0.059752	378.66	0
3	-0.221929	0.062723	0.061458	123.50	0
4	0.502292	0.219422	0.215153	69.99	0

```
[7]: Fraud = len(df[df['Class'] == 1]) / len(df)
Not_Fraud = len(df[df['Class'] == 0]) / len(df)

fraud_transactions = df[df['Class'] == 1]
non_fraud_transactions = df[df['Class'] == 0]

mean_fraud = fraud_transactions['Amount'].mean()
std_fraud = fraud_transactions['Amount'].std()

mean_non_fraud = non_fraud_transactions['Amount'].mean()
std_non_fraud = non_fraud_transactions['Amount'].std()

def gaussian_likelihood(x, mean, std):
    return (1 / (std * np.sqrt(2 * np.pi))) * np.exp(-0.5 * ((x - mean) / std) ** 2)

def bayesian_posterior(amount):
```

Amount\_Fraud = gaussian\_likelihood(amount, mean\_fraud, std\_fraud)  
Amount\_Not\_Fraud = gaussian\_likelihood(amount, mean\_non\_fraud, std\_non\_fraud)

```
Fraud_Amount = (Amount_Fraud * Fraud) / (Amount_Fraud * Fraud + Amount_Not_Fraud * Not_Fraud)
return Fraud_Amount

transaction_amount = int(input('Enter the amount '))
posterior_prob = bayesian_posterior(transaction_amount)

print(f"probability that a transaction with amount {transaction_amount} is fraudulent: {posterior_prob:.4f}")

Enter the amount 500
probability that a transaction with amount 500 is fraudulent: 0.0022
```

