MAT-150: Linear Algebra $_{\rm EFY~8}$

Due: October 30, 2017

Problem Statement. Let $\beta = \{q_1, \dots, q_n\}$ be a basis for \mathbb{R}^n such that

$$S_j = \operatorname{span}\{q_1, \dots, q_j\}$$

is a j-dimensional invariant subspace under A, for $j=1,\ldots,n$. Show that $[A]_{\beta}$ is an upper triangular matrix.