Homework 4

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KJ Chapter 3: Data Preprocessing

Exercise 1

The UC Irvine Machine Learning Repository6 contains a data set related to glass identification. The data consist of 214 glass samples labeled as one of seven class categories. There are nine predictors, including the refractive index and percentages of eight elements: Na, Mg, Al, Si, K, Ca, Ba, and Fe. The data can be accessed via:

```
kaggle.api.authenticate()
kaggle.api.dataset_download_files('uciml/glass', path='./', unzip=True)
```

```
df_glass = pd.read_csv('glass.csv')

df_glass
```

	RI	Na	Mg	Al	Si	K	Ca	Ba	Fe	Type
0	1.52101	13.64	4.49	1.10	71.78	0.06	8.75	0.00	0.0	1
1	1.51761	13.89	3.60	1.36	72.73	0.48	7.83	0.00	0.0	1
2	1.51618	13.53	3.55	1.54	72.99	0.39	7.78	0.00	0.0	1
3	1.51766	13.21	3.69	1.29	72.61	0.57	8.22	0.00	0.0	1
4	1.51742	13.27	3.62	1.24	73.08	0.55	8.07	0.00	0.0	1
...	...	...	...	...	...	...	...	...	...	...
209	1.51623	14.14	0.00	2.88	72.61	0.08	9.18	1.06	0.0	7
210	1.51685	14.92	0.00	1.99	73.06	0.00	8.40	1.59	0.0	7
211	1.52065	14.36	0.00	2.02	73.42	0.00	8.44	1.64	0.0	7
212	1.51651	14.38	0.00	1.94	73.61	0.00	8.48	1.57	0.0	7

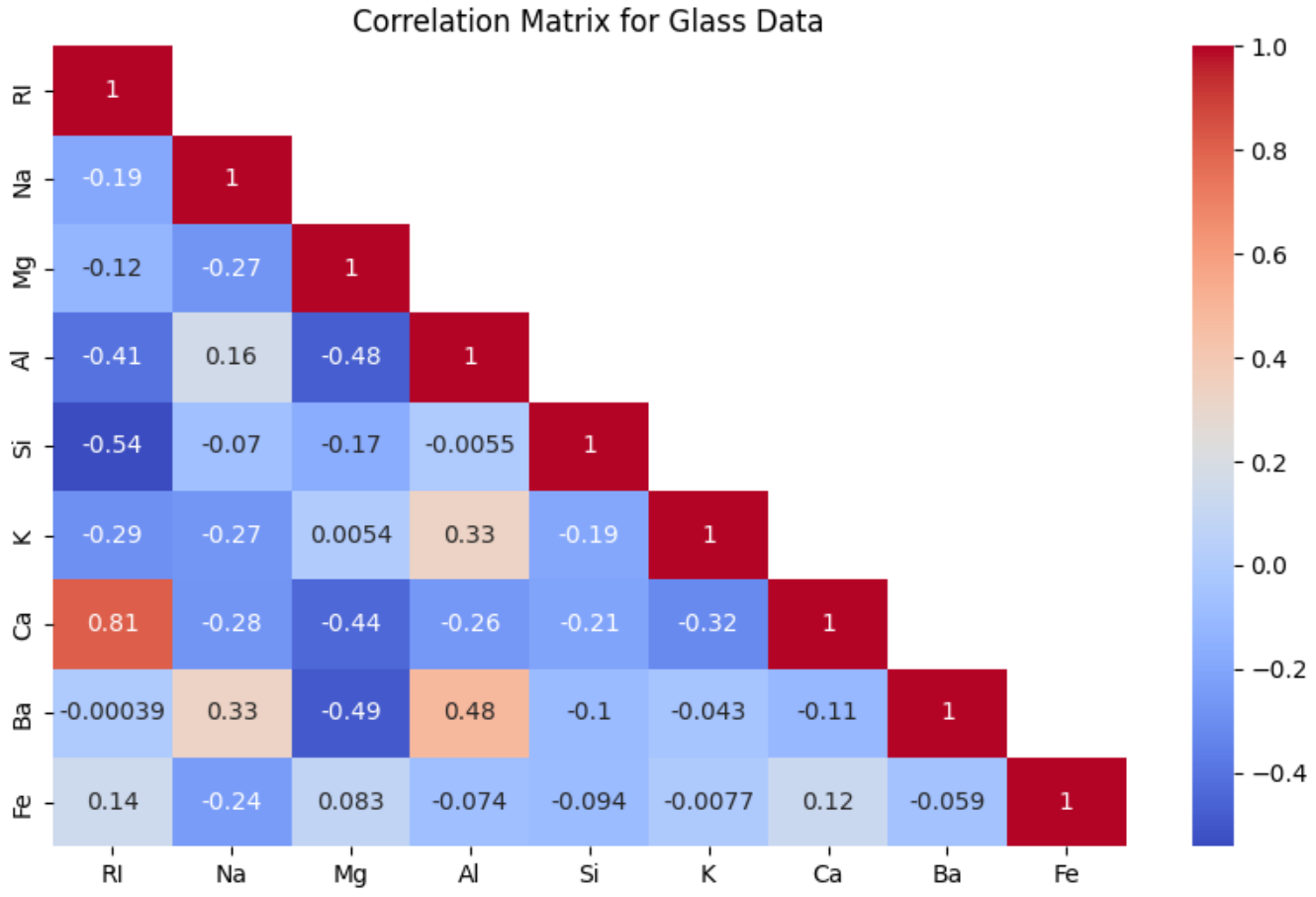
	RI	Na	Mg	Al	Si	K	Ca	Ba	Fe	Type
213	1.51711	14.23	0.00	2.08	73.36	0.00	8.62	1.67	0.0	7

```
X = df_glass.drop(['Type'], axis = 1)
y = df_glass.Type
```

Part A

Using visualizations, explore the predictor variables to understand their distributions as well as the relationships between predictors.

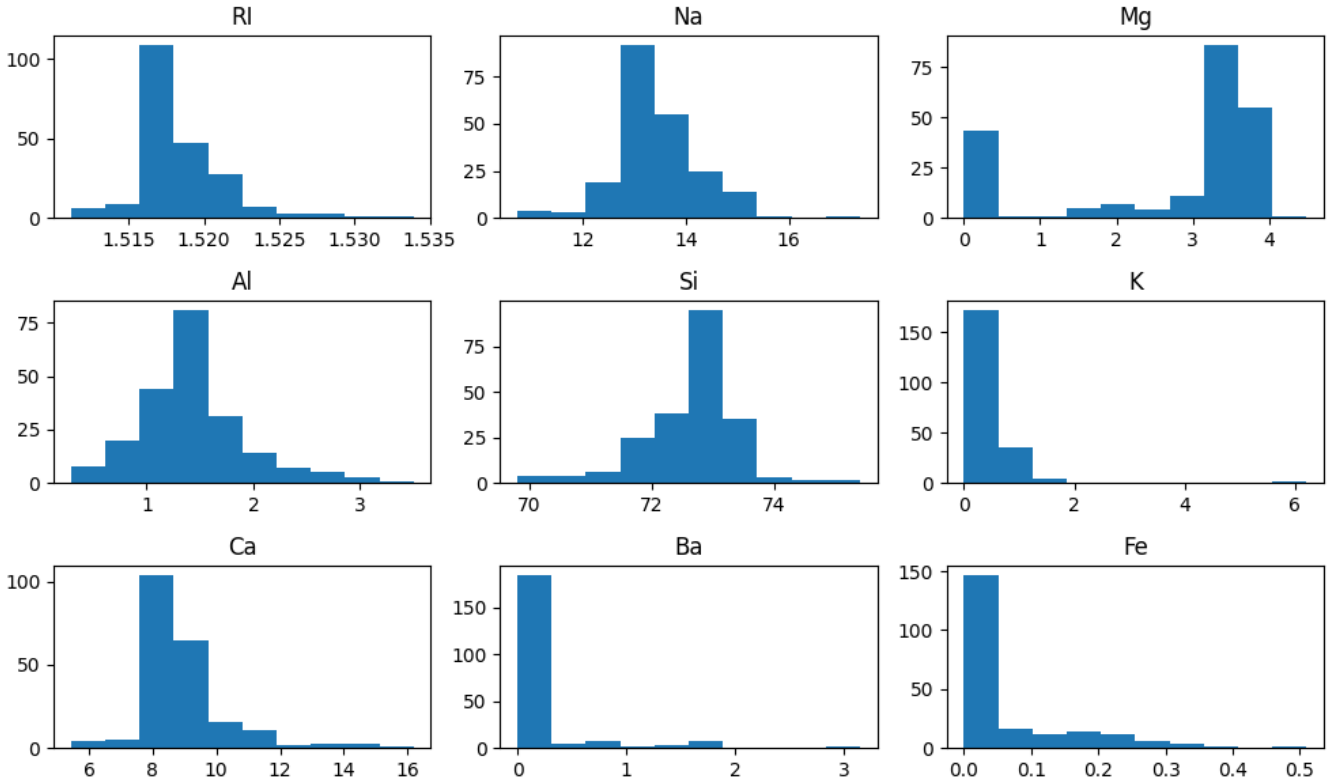
```
# calc corr between predictors
correlation_matrix = X.corr()
mask = np.triu(correlation_matrix) # halves the matrix
np.fill_diagonal(mask, False) # shows the diagonal
sns.heatmap(correlation_matrix, cmap = 'coolwarm', annot=True, mask = mask
  ).set_title('Correlation Matrix for Glass Data')
plt.show()
```




```
df_glass.describe().T # transpose it since its easier to view this way
```

	count	mean	std	min	25%	50%	75%	max
RI	214.0	1.518365	0.003037	1.51115	1.516522	1.51768	1.519157	1.53393
Na	214.0	13.407850	0.816604	10.73000	12.907500	13.30000	13.825000	17.38000
Mg	214.0	2.684533	1.442408	0.00000	2.115000	3.48000	3.600000	4.49000
Al	214.0	1.444907	0.499270	0.29000	1.190000	1.36000	1.630000	3.50000
Si	214.0	72.650935	0.774546	69.81000	72.280000	72.79000	73.087500	75.41000
K	214.0	0.497056	0.652192	0.00000	0.122500	0.55500	0.610000	6.21000
Ca	214.0	8.956963	1.423153	5.43000	8.240000	8.60000	9.172500	16.19000
Ba	214.0	0.175047	0.497219	0.00000	0.000000	0.00000	0.000000	3.15000
Fe	214.0	0.057009	0.097439	0.00000	0.000000	0.00000	0.100000	0.51000
Type	214.0	2.780374	2.103739	1.00000	1.000000	2.00000	3.000000	7.00000

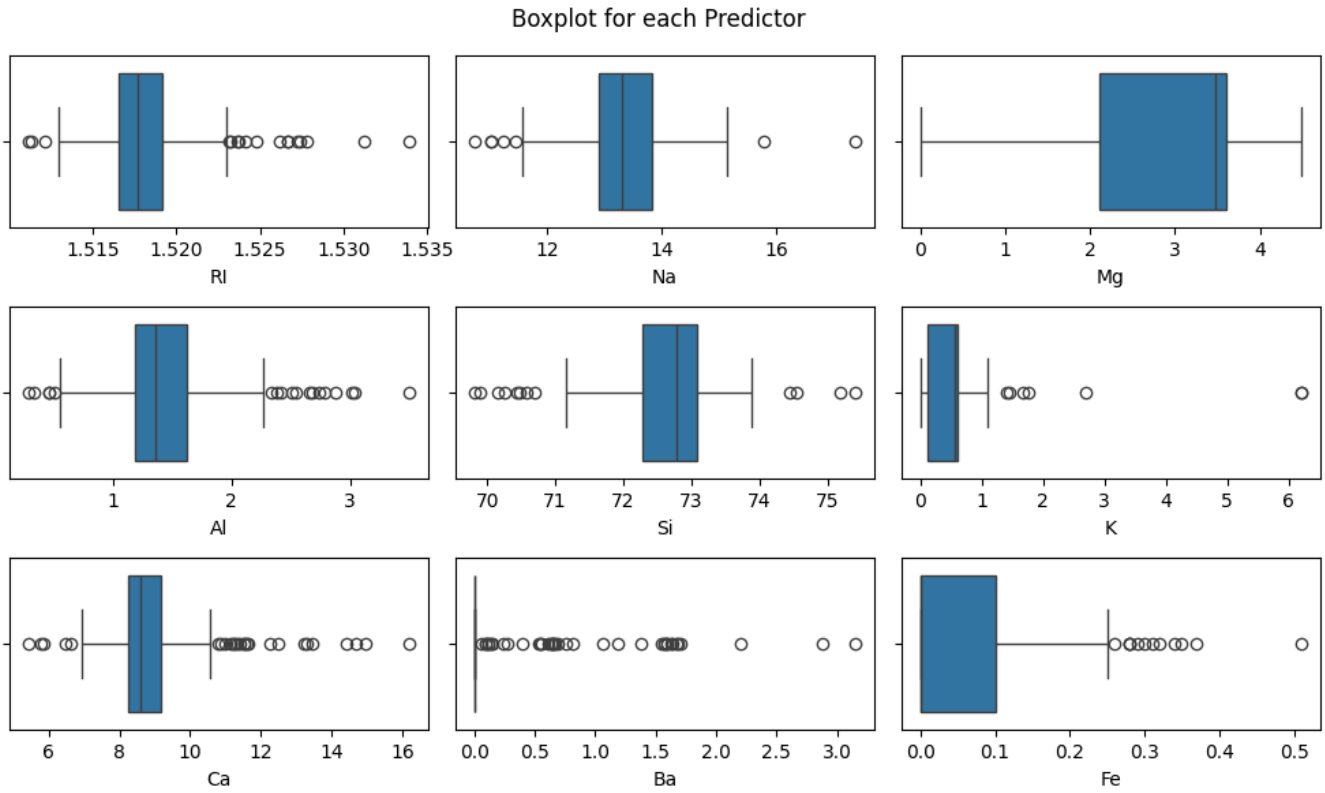
```
X.hist(grid=False)
plt.tight_layout()
plt.show()
```




```
fig, ax = plt.subplots(nrows=3, ncols=3)

for i, col in enumerate(X.columns):
     sns.boxplot(x=col, data=X, ax=ax.flatten()[i])

fig.suptitle('Boxplot for each Predictor')
plt.tight_layout()
plt.show()
```



Part B

Do there appear to be any outliers in the data? Are any predictors skewed?

If we consider data outside the IQR, then almost all predictors have outliers with the expection of `Mg` column having no visuable outliers. The column with the most outliers seems to be `Ba` suggests that Barium is not a common ingredient in glass while the amount of magnesiumn found in glass fairly common. Moreover, another method to detect outliers that I like to use is z-scores where we consider a datapoint to be an outliers if it is more than 1.96 standard deviations away from the mean since that should capture 95% of the data.

All of the predictors are skewed albeit some are more skewed than others. For instance, `K`,`Ba` and `Fe` looks more like a poisson distribution with a low-value lambda.

Part C

Are there any relevant transformations of one or more predictors that might improve the classification model?

Some transformations we might use to improve the classification model is a log transform so that the distribution resembles normality. Specifically for models that assume normal data such as a linear regression. Another transformation, I would suggest is to standardize the predictors where their scales are from -1 to 1 or normalize the scale from 0-1 which ever works better for the task.

Exercise 2

The soybean data can also be found at the UC Irvine Machine Learning Repository. Data were collected to predict disease in 683 soybeans. The 35 predictors are mostly categorical and include information on

the environmental conditions (e.g., temperature, precipitation) and plant conditions (e.g., left spots, mold growth). The outcome labels consist of 19 distinct classes.

```
from ucimlrepo import fetch_ucirepo

soybean_large = fetch_ucirepo(id=90)

X = soybean_large.data.features
y = soybean_large.data.targets
```

```
X.head()
```

	date	plant-stand	precip	temp	hail	...	mold-growth	seed-discolor	seed-size	shriveling	roots
0	6.0	0.0	2.0	1.0	0.0	...	0.0	0.0	0.0	0.0	0.0
1	4.0	0.0	2.0	1.0	0.0	...	0.0	0.0	0.0	0.0	0.0
2	3.0	0.0	2.0	1.0	0.0	...	0.0	0.0	0.0	0.0	0.0
3	3.0	0.0	2.0	1.0	0.0	...	0.0	0.0	0.0	0.0	0.0
4	6.0	0.0	2.0	1.0	0.0	...	0.0	0.0	0.0	0.0	0.0

```
X.shape
```

```
(307, 35)
```

```
y.nunique()
```

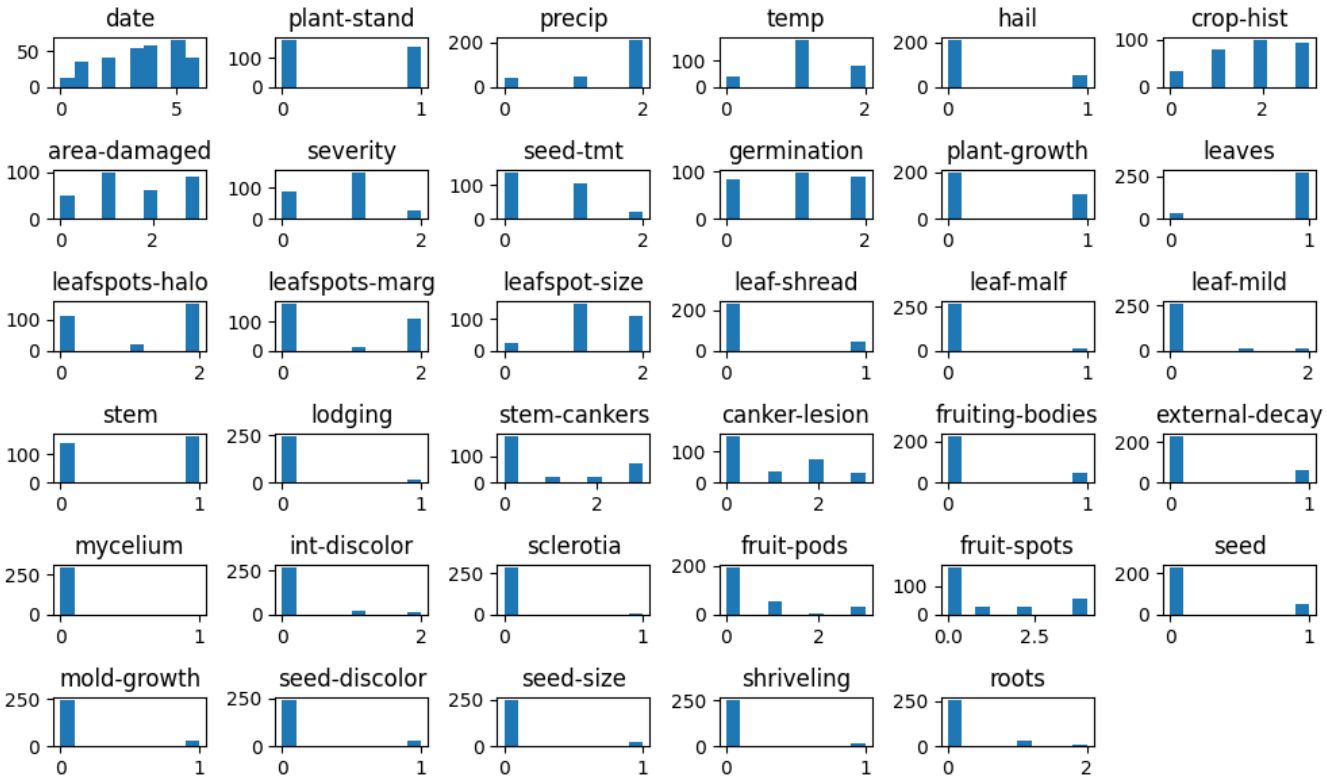
```
class    19
dtype: int64
```

Making sure the correct dataset is loaded. It seems the data from UC Irvine has less observations from the data in the R library mlbench

Part A

Investigate the frequency distributions for the categorical predictors. Are any of the distributions degenerate in the ways discussed earlier in this chapter?

```
X.hist(grid=False)
plt.tight_layout()
plt.show()
```




```
X.mycelium.value_counts()
```

```
mycelium
0.0    294
1.0      2
Name: count, dtype: int64
```

```
X.mycelium.var()
```

```
0.006733852496564359
```

While there no predictors will a 100% denegerate distribution, there are definitely a lot of predictors that are very close to the denegerate distribution just to name a few: `mycelium` is the closest to a complete degenerate distribution, and others like `seed-size`, `shriveling`, and `sclerotia`.

Part B

Roughly 18% of the data are missing. Are there particular predictors that are more likely to be missing? Is the pattern of missing data related to the classes?

```
X.isna().sum().sort_values(ascending=False).head(10)
```

```
hail               41
lodging            41
severity           41
seed-tmt           41
germination        36
fruit-spots        35
fruiting-bodies    35
```

```
shriveling          35
seed-discolor       35
leaf-mild           30
dtype: int64
```

We have 41 rows with at least one missing data.

```
41 / X.shape[0]
```

```
0.13355048859934854
```

```
df_soybean.mycelium.isna().sum()
```

```
11
```

```
df_soybean.groupby('class').apply(lambda x: x.isna().sum().sum()).sort_values(ascending
  = False)
```

```
class
phytophthora-rot               390
cyst-nematode                  144
herbicide-injury                80
diaporthe-pod-&-stem-blight     68
2-4-d-injury                    30
brown-spot                       0
brown-stem-rot                   0
charcoal-rot                     0
bacterial-pustule                0
alternarialeaf-spot              0
diaporthe-stem-canker            0
downy-mildew                     0
frog-eye-leaf-spot               0
bacterial-blight                 0
phyllosticta-leaf-spot           0
anthracnose                      0
powdery-mildew                   0
purple-seed-stain                0
rhizoctonia-root-rot             0
dtype: int64
```

This exercise reiterates the importance of domain knowledge in this field. For the soybean dataset, understanding the "mycelium" is a fungi, after a google search, represents whether the soybean plant has fungi or not clarifies the possible reasons why it is missing 11 values. Due to the nature of this binary condition indicates that those 11 was possibly not recorded as the cause of missingness. The documentation confirms that all predictors are categorical with ranks ranging from 2-6.

Futher examiniation of the data reveals that certain soybean classes hold higher concentration of missing data suggesting systematic missingness rather missingness completely at random (MCAR). Leading our examination to the data colleciton process for specifically those classes.

Part C

Develop a strategy for handling missing data, either by eliminating predictors or imputation.

We would consider completely removing the 2-3 classes with the most missing values because we suspect that the missing value was possibly due to errors in data collection. While for rest of the missing values, we suggest employing a combination of imputation techniques in a way it mitigates its impact on the ditribution of each predictor and the quality of the predictions after model training.