

A Quick Tour of Haskell

Fast Track to Haskell

Andres Löh, Edsko de Vries

8–9 April 2013 — Copyright © 2013 Well-Typed LLP



Overview

- ▶ Short overview of Haskell concepts.
- ▶ Many aspects of the language (all at once).
- ▶ Not a lot of detail (yet).

Make sure you have:

- ▶ an editor window open with the Haskell source file accompanying this Quick Tour;
- ▶ GHCi open with that file loaded.



Starting point

Running example problem

Given a particular number together with a list of numbers, check whether the number is contained in the list.

For example:

- ▶ Given **7** together with **6**, **9** and **42**, the answer is “no”.
- ▶ Given **9** with the same list, the answer is “yes”.



Lists

List are one of Haskell's most important data structures.

They are defined **inductively**:

- ▶ The empty list `[]` is a list.
- ▶ Given a single element `y` and a list `ys`, we can construct a new list `y : ys` (pronounced `y cons ys`).

Example:

```
6 : (9 : (42 : []))
```

```
6 : 9 : 42 : []  
[6, 9, 42]
```

All three expressions are equivalent (**syntactic sugar**).



Deconstructing lists

In the same way we can construct lists, we can **deconstruct them**: given an arbitrary list, it must

- ▶ either be the empty list `[]`,
- ▶ or of the shape `y : ys` for some head element `y` and some tail list `ys`.

This process of deconstruction is called **pattern matching** and is at the heart of defining functions in Haskell.



Defining a function on lists

```
elem x [] = False
elem x (y : ys) = x == y || elem x ys
```

Note the following:

- ▶ Two equations, two cases.
- ▶ First line says: No element `x` is contained in the empty list.
- ▶ In Haskell, we say “no” by using `False`.
- ▶ Second line: operator `==` compares two things, `||` is logical or.
- ▶ The symbol `=` is used for definitions, whereas `==` is a comparison operator.
- ▶ The function calls itself recursively on the tail.
- ▶ Semantics of `||` : stop as soon as the first operand evaluates to `True`.



Evaluation

Haskell evaluates expressions by rewriting them according to definitions until they can no longer be simplified.

The resulting final expression is called a **value**.

Example:

```
elem 9 [6, 9, 42]
~> elem 9 (6 : (9 : (42 : [])))
~> 6 == 9 || elem 9 (9 : 42 : [])
~> False || elem 9 (9 : 42 : [])
~> elem 9 (9 : 42 : [])
~> 9 == 9 || elem 9 (42 : [])
~> True || elem 9 (42 : [])
~> True
```

Remember:

```
elem x [] = False
elem x (y : ys) = x == y || elem x ys
```



Calculations with programs are generally possible in Haskell.

They are performed often to reason about programs, or to transform programs into more efficient equivalent programs.

This process is also called [equational reasoning](#).



The definition of “or”

Truth values are not really special.

They are a datatype, like lists.

A truth value is either

- ▶ the value `True`,
- ▶ or the value `False`.

Once again, we can use [pattern matching](#) to define functions.

Example: the definition of “or”:

```
True  || y = True
False || y = y
```

Note:

- ▶ infix operators can be defined,
- ▶ equations correspond to the rules we already used.



Lazy evaluation

Look at the definition of “or” again:

```
True  || y = True
False || y = y
```

In many languages, shortcut behaviour for “or” is a special hack.

In Haskell, **lazy evaluation** is the general default:

- ▶ only the first argument is needed to decide which equation of `||` applies,
- ▶ arguments are only evaluated when required (usually, by pattern matching).



Static types

Haskell is a **statically typed** language:

- ▶ every expression is first type-checked,
- ▶ only if the expression can be assigned a valid type, the program can be run.

Question

How is this compatible with the fact that we have not seen any type declarations so far?



A mechanical form of applying common sense:

- ▶ If you know the type of some expressions, you can check whether they are used consistently.
- ▶ You can conclude information about the type of an expression from the types of the subexpressions.



Example

We know:

- ▶ `2` is a number,
- ▶ `[]` is a list,
- ▶ `:` is an operator that takes a number and a list to a list.

We can conclude that `2 : []` is a type-correct list.

We can also conclude that `2 : 3` cannot be correct, because the right argument of “cons” is a number and not a list.



Types are important

Type annotations in Haskell are optional, but

- ▶ it is allowed to specify types of functions explicitly,
- ▶ this is good practice,
- ▶ in fact, types are invaluable for specification, documentation, and help you to write the program systematically.



Example

Logical negation:

```
not True  = False
not False = True
```

Compiler infers:

- ▶ it's a function,
- ▶ it takes a truth value,
- ▶ and it yields a truth value.

Explicit type signature:

```
not :: Bool → Bool
```



Type signatures

```
not :: Bool → Bool
```

Read `::` as “has type”.

If a type signature is given, the compiler verifies that the function has the given type – much better than a comment.



Currying

Question

What is the type of “or”?

The operator takes two expressions of type `Bool` and produces a `Bool` again.

One option:

Two Booleans can form a `pair`.

A pair of Booleans is written `(Bool, Bool)` in Haskell.

Thus our candidate signature for “or”:

```
(Bool, Bool) → Bool
```



Currying

The option Haskell encourages and actually uses:

```
Bool → Bool → Bool
```

A function that returns a function.

Consider a vending machine with multiple products that can be selected by typing a number:

```
machine :: Money → Number → Product
```

If one person walks away after throwing in money, the next person can just enter a number to obtain a product.

Treating several-argument functions like this is called **currying**.



Partial application

The type signature for **elem** :

```
elem :: Int → [Int] → Bool
```

As with the vending machine, Haskell allows us to “walk away” after applying some arguments:

```
containsZero :: [Int] → Bool  
containsZero = elem 0
```



Example

Consider `elem` once again:

```
elem x []      = False
elem x (y : ys) = x == y || elem x ys
```

Haskell infers a more general type than `Int → [Int] → Bool`.

Question

How could it be more general?

We don't actually assume anything in the code about numbers.
We only assume that we can compare elements for equality.



Type classes

A type class is a collection of types that support a common functionality.

Types supporting equality are in the type class `Eq`.

```
(==) :: Eq a => a → a → Bool
```

Read: If `a` supports equality, then `==` takes two arguments of type `a` (the same type), and returns a `Bool`.

Similarly:

```
elem :: Eq a => a → [a] → Bool
```

Functions with class constraints in their types are called **overloaded**.



Overloaded literals

Haskell uses a lot of overloading.

Even numeric literals are overloaded:

```
23 :: Num a => a
```

This allows us to treat `23` as both an integer or a floating point number, depending on context.



(Parametric) Polymorphism

Question

What is the most general type of the empty list `[]` ?

Both `[Int]` and `[Bool]` would be too specific. Nothing is assumed about the elements yet ...

We can use a type variable again – this time, without a class constraint:

```
[] :: [a]
```

Types with type variables are called **polymorphic**.

Polymorphism unrestricted by classes is also called **parametric polymorphism**.



Example

```
(++) :: [a] → [a] → [a]
[]      ++ ys = ys
(x : xs) ++ ys = x : (xs ++ ys)
```

Operators are not built-in syntax, but can be defined as any other function.

Questions

- ▶ What does this function do?
- ▶ What does the type say?
- ▶ Are both arguments evaluated?



Data types

Some types (such as `Int`) are built-in.

Most types can be defined in a library. For example,

```
data Bool = False | True
```

Two labelled alternatives. The labels `False` and `True` are called **(data) constructors**.

```
False :: Bool
True  :: Bool
```



Lists

We can define our own list type:

```
data List a = Nil | Cons a (List a)
```

Note:

- ▶ two constructors again, `Nil` and `Cons`,
- ▶ the `a` and `List a` are arguments of the `Cons` constructor,
- ▶ the datatype is parameterized and recursive.

Just as `[]` and `(:)`:

```
Nil    :: List a  
Cons :: a → List a → List a
```



Recursion

Recursion is ubiquitous in Haskell:

- ▶ it is used in both datatypes and functions,
- ▶ often, the recursive structure of functions follows the recursive structure of datatypes,
- ▶ it is Haskell's way of writing “loops”,
- ▶ it is **not** inefficient.



A possibility for abstraction

We often capture recurring patterns in their own functions.

Consider:

```
elem :: Eq a => a -> [a] -> Bool
elem x []      = False
elem x (y : ys) = x == y || elem x ys
```

```
(++) :: [a] -> [a] -> [a]
[]     ++ ys = ys
(x : xs) ++ ys = x : (xs ++ ys)
```

Question

Can you see the similarities in the structure?



Generic list traversals

```
elem :: Eq a => a -> [a] -> Bool
elem x []      = False
elem x (y : ys) = x == y || elem x ys
```

```
(++) :: [a] -> [a] -> [a]
[]     ++ ys = ys
(x : xs) ++ ys = x : (xs ++ ys)
```

Can be written as:

```
elem x ys = foldr (\y r -> x == y || r) False ys
xs ++ ys  = foldr (\x r -> x : r)      ys xs
```



Anonymous functions

```
elem x ys = foldr ( $\lambda y\ r \rightarrow x == y \parallel r$ ) False ys  
xs ++ ys  = foldr ( $\lambda x\ r \rightarrow x : r$ )      ys xs
```

The `λ` introduces an **anonymous function**.

A function that doubles its argument: `λx → x * 2` or
`λx → x + x`.



No side effects

Haskell functions do not have **side effects**.

When applied to the same arguments, Haskell functions always produce the same results.

Example

A typical impure function is a random number generator that takes a number `n` and produces a random number between `0` and `n`. Such a function cannot have type `Int → Int` in Haskell.

Example

A “function” that reads a line from the terminal and returns it as a `String` cannot have type `String` in Haskell.



Explicit effects

Fortunately,

- ▶ using side effects in Haskell is possible,
- ▶ but we have to be **explicit** about them in the types.

Most interactions with the world are marked with Haskell's built-in type former **IO** :

```
generateRandomNumber :: Int → IO Int  
readString           :: IO String
```

Think of an expression of type **IO a** as a **plan** for interaction with the outside world – one that, when executed, yields an **a**.



Purity and effects

A function of type **Int → Int** always yields the same **Int** when passed the same number.

A function of type **Int → IO Int** does not. But it always yields the same plan!

The indirection of using **IO** allows us to talk about side-effecting programs without giving up our principles.



The main program

Every Haskell program has an entry point:

```
main :: IO ()
```

The whole program may have interactions with the outside world. The plan that is built for `main` is executed by the run-time system.

The type `()` is pronounced “unit”.

It has a single constructor, also `()`.

Used here to indicate that the final result of the main program is uninteresting.



Hello world!

To end this tour, we can now write “Hello world!”:

```
main = putStrLn "Hello world!"
```

where

```
putStrLn :: String → IO ()
```

prints a given string on the terminal.

