#### ES155 P7

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#### Problem 3

#### 3.a

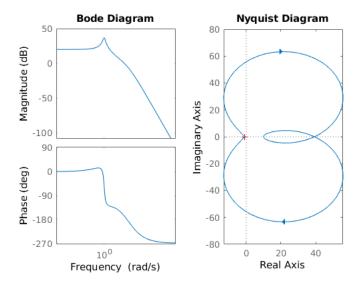
```
P = tf(1, [1 10 3 10])
S = 1000 * tf([1 1], [1 10])
L = P*S

figure(1); clf;
subplot(1,2,1)
bode(L)
subplot(1,2,2)
nyquist(L)

saveas(gcf, "ES155P7_3a.jpg")

pole(L)
[GainMargin, PhaseMargin, Wcg, Wcp] = margin(L)
```

```
P =
           1
  s^3 + 10 s^2 + 3 s + 10
Continuous-time transfer function.
S =
  1000 s + 1000
    s + 10
Continuous-time transfer function.
            1000 s + 1000
  s^4 + 20 s^3 + 103 s^2 + 40 s + 100
Continuous-time transfer function.
ans =
 -10.0000 + 0.0000i
 -9.7980 + 0.0000i
  -0.1010 + 1.0052i
-0.1010 - 1.0052i
GainMargin =
    1.6047
PhaseMargin =
   12.9616
Wcg =
    9.0682
Wcp =
    7.0090
```



### 3.b

```
P = tf(100, [100, 101, 1])
S = tf([1 10], 1)

L = P*S

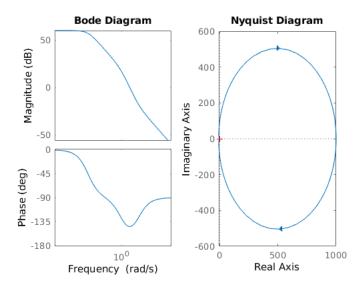
figure(2); clf;
subplot(1,2,1)
bode(L)
subplot(1,2,2)
nyquist(L)

saveas(gcf, "ES155P7_3b.jpg")

pole(L)
[GainMargin, PhaseMargin, Wcg, Wcp] = margin(L)
```

```
P =
          100
  100 \text{ s}^2 + 101 \text{ s} + 1
Continuous-time transfer function.
S =
Continuous-time transfer function.
     100 s + 1000
  100 s^2 + 101 s + 1
Continuous-time transfer function.
ans =
   -1.0000
   -0.0100
GainMargin =
   Inf
PhaseMargin =
   35.2780
Wcg =
```

```
Wcp = 3.1623
```



## Problem 4

```
% Constants
a = 0.2
b = 25
c = 50
T = 200
m = 1000

P = tf(T*b*a, [m, a*m + c, a*c])
```

```
a =
    0.2000

b =
    25

c =
    50

T =
    200

m =
    1000
P =
    1000
1000 s^2 + 250 s + 10

Continuous-time transfer function.
```

# 4.a

```
table = zeros(4,8);
figure(3); clf;
figure(4); clf;
Kp = [0.5, 0.05, 0.05, 0.005]
```

```
Ki = [0.1, 1, 0.001, 0.001]
for i = 1:4
   figure(3)
   kp = Kp(i)

ki = Ki(i)
   table(i,1) = kp;
   table(i,2) = ki;
   C = tf([kp, ki], 1)
   G = feedback(P*C, 1)
   L = P*C
   sysL = ss(L)
   sys = ss(G);
   table(i,3) = isstable(sys);
   [GainMargin, PhaseMargin, Wcg, Wcp] = margin(sysL)
   table(i,4) = GainMargin;
   table(i,5) = PhaseMargin;
   [y, t] = step(sys);
if y(length(t)) == y(length(t-2))
       error_SS = 1 - y(length(t))
   else
       error("Steady State not reached")
   end
   table(i,6) = error_SS;
   S = stepinfo(sys)
   table(i,7) = S.RiseTime;
   table(i,8) = S.Overshoot;
   subplot(2,4,i)
   pzmap(sys)
   subplot(2,4,i+4)
   step(sys, S.RiseTime*10)
   figure(4)
   subplot(2,4,i)
   bode(sys)
   subplot(2,4,i+4)
   nyquist(sys)
   % plot the unit circle on the nyquist plot
   theta = 0:0.1:2*pi;
   x = cos(theta);
   y = sin(theta);
   hold on;
   plot(x,y,'--');
   hold off;
end
table
```

```
Kp =
    0.5000
             0.0500
                       0.0500
                                 0.0050
Ki =
    0.1000
             1.0000
                       0.0010
                                 0.0010
kp =
    0.5000
ki =
    0.1000
C =
  0.5 s + 0.1
Continuous-time transfer function.
```

```
500 s + 100
  1000 s^2 + 750 s + 110
Continuous-time transfer function.
L =
      500 s + 100
  1000 \text{ s}^2 + 250 \text{ s} + 10
Continuous-time transfer function.
sysL =
   x1 -0.25 -0.08
   x2 0.125
       u1
   x1
      1
   x2
       0
  C =
       x1 x2
   y1 0.5 0.8
  D =
   yl 0
{\tt Continuous-time\ state-space\ model.}
GainMargin =
   Inf
PhaseMargin =
   95.7406
Wcg =
   NaN
Wcp =
    0.4974
error_SS =
    0.0910
S =
  struct with fields:
        RiseTime: 3.9946
    SettlingTime: 7.1129
SettlingMin: 0.8223
SettlingMax: 0.9091
       Overshoot: 0
      Undershoot: 0
            Peak: 0.9091
        PeakTime: 19.1743
    0.0500
ki =
     1
C =
```

```
0.05 s + 1
Continuous-time transfer function.
G =
       50 s + 1000
  1000 \text{ s}^2 + 300 \text{ s} + 1010
{\tt Continuous-time\ transfer\ function.}
L =
       50 s + 1000
  1000 \text{ s}^2 + 250 \text{ s} + 10
Continuous-time transfer function.
sysL =
  A =
         x1
   x1 -0.25 -0.08
   x2 0.125
  B =
       u1
   x1
       4
   x2
       0
  C =
           x1
                    x2
   y1 0.0125
  D =
   y1 0
Continuous-time state-space model.
GainMargin =
   Inf
PhaseMargin =
   17.1460
Wcg =
   NaN
Wcp =
    0.9900
error_SS =
    0.0047
S =
  struct with fields:
       RiseTime: 1.1611
    SettlingTime: 25.7136
     SettlingMin: 0.6095
     SettlingMax: 1.6066
       Overshoot: 62.2638
      Undershoot: 0
            Peak: 1.6066
        PeakTime: 3.0701
kp =
    0.0500
```

```
1.0000e-03
C =
  0.05 s + 0.001
Continuous-time transfer function.
G =
      50 s + 1
  1000 s^2 + 300 s + 11
Continuous-time transfer function.
      50 s + 1
  1000 s^2 + 250 s + 10
Continuous-time transfer function.
sysL =
  A =
  x1 x2
x1 -0.25 -0.08
   x2 0.125
  B =
        u1
   x1 0.25
   x2
  C =
         x1 x2
       0.2 0.032
   у1
  D =
      u1
   y1 0
Continuous-time state-space model.
GainMargin =
   Inf
PhaseMargin =
   Inf
Wcg =
   NaN
Wcp =
   NaN
error_SS =
   0.9089
S =
  struct with fields:
       RiseTime: 2.0130
    SettlingTime: 98.7607
     SettlingMin: 0.0896
     SettlingMax: 0.1557
      Overshoot: 71.3097
      Undershoot: 0
           Peak: 0.1557
        PeakTime: 11.0995
```

```
kp =
   0.0050
ki =
   1.0000e-03
C =
  0.005 s + 0.001
Continuous-time transfer function.
       5 s + 1
  1000 \text{ s}^2 + 255 \text{ s} + 11
Continuous-time transfer function.
       5 s + 1
  1000 s^2 + 250 s + 10
Continuous-time transfer function.
sysL =
  A =
  x1 x2
x1 -0.25 -0.08
   x2 0.125
  B =
         u1
   x1 0.125
   x2
        x1 x2
   y1 0.04 0.064
  D =
      u1
Continuous-time state-space model.
GainMargin =
  Inf
PhaseMargin =
  Inf
Wcg =
  NaN
Wcp =
  NaN
error_SS =
   0.9091
  struct with fields:
       RiseTime: 39.9456
    SettlingTime: 71.1286
     SettlingMin: 0.0822
     SettlingMax: 0.0909
```

Overshoot: 0 Undershoot: 0 Peak: 0.0909 PeakTime: 191.7425

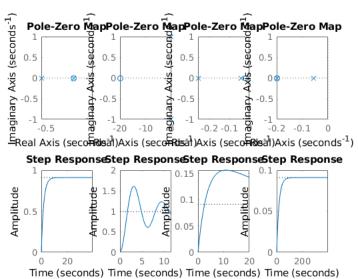
table =

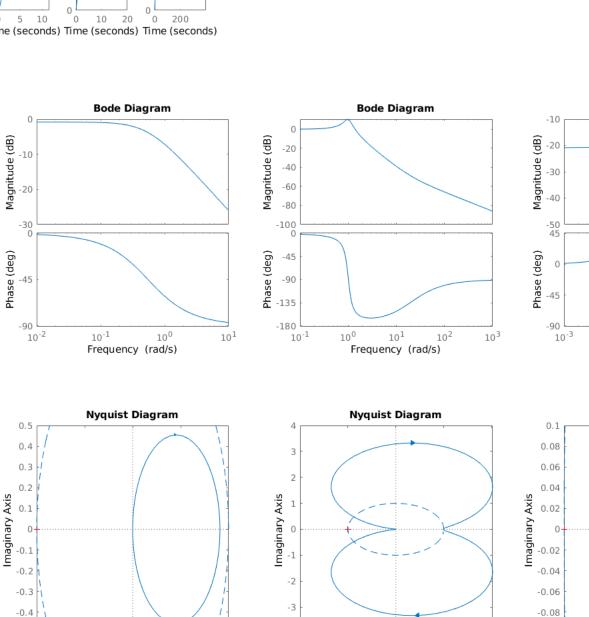
Columns 1 through 7

0.5000	0.1000	1.0000	Inf	95.7406	0.0910	3.9946
0.0500	1.0000	1.0000	Inf	17.1460	0.0047	1.1611
0.0500	0.0010	1.0000	Inf	Inf	0.9089	2.0130
0.0050	0.0010	1.0000	Inf	Inf	0.9091	39.9456

Column 8

0 62.2638 71.3097 0





-4 -2

-1

Real Axis

-0.5 -1

-0.5

0

Real Axis

0.5

-0.1

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