

## Problem 1

```
% Part c

% parameters (arbitrary satisfy given assumptions ( > 0))
%syms omega_0 zeta_0 omega_e zeta_e

omega_0 = 0.1
zeta_0 = 0.2
omega_e = 0.3
zeta_e = 0.4

% constants
k1 = 4*zeta_0*omega_0 - 8
k2 = 2*omega_0^2 - 4*zeta_0*omega_0 + 6
kr = 2*omega_0^2

l1 = omega_e^2 - 6*zeta_e*omega_e + 23
l2 = 2*zeta_e*omega_e - 4

% Matrices
A = [-3 2; 1 -1]
B = [0.5; 0]
C = [1 0]

K = [k1 k2]
L = [l1; l2]

% Compute the eigenvalues to
%A_tilde = [(A - B*K), zeros(2); zeros(2), (A - L*C)]
A_tilde = [(A - B*K), B*K; zeros(2), (A - L*C)]
eig(A_tilde)
%latex(eig(A_tilde))
```

```
omega_0 =
```

```
0.1000
```

```
zeta_0 =
```

```
0.2000
```

```
omega_e =
```

```
0.3000
```

```
zeta_e =
```

```
0.4000
```

```
k1 =
```

-7.9200

k2 =

5.9400

kr =

0.0200

l1 =

22.3700

l2 =

-3.7600

A =

-3	2
1	-1

B =

0.5000
0

C =

1	0
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K =

-7.9200	5.9400
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L =

22.3700
-3.7600

A\_tilde =

0.9600	-0.9700	-3.9600	2.9700
1.0000	-1.0000	0	0
0	0	-25.3700	2.0000
0	0	4.7600	-1.0000

ans =

-0.0200 + 0.0980i  
-0.0200 - 0.0980i  
-25.7546 + 0.0000i  
-0.6154 + 0.0000i

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