



MATB24 TUT5 Summer 2021, Kahoot#1

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A public kahoot

Questions (19)

1 - Quiz

Let V be a vector space, v, w be vectors in V and k_1, k_2 be scalar in the field. The definition of V did not said ...

60 sec

- ☐ $v+w=w+v$ ✗
- ☐ $k_1(w+v)=k_1w+k_1v$ ✗
- ☒ $vw=wv$ ✓
- ☐ $k_1k_2w = k_2k_1w$ ✗

2 - Quiz

Let $S = \{v_1, \dots, v_n\}$ be a linear independent set, which of the following statement is incorrect?

60 sec

- ☐ The equation $a_1v_1+\dots+av_n=0$ has only the trivial solution with all $a_i = 0$ ✗
- ☐ Then we know that $a_1v_1+\dots+av_n = 0$ and $a_1 = \dots = a_n = 0$ ✓
- ☐ None of the v_i can be written as linear combination of the other vectors. ✗
- ☐ If one of the a_i is not equal to 0, then $a_1v_1+\dots+av_n=0$ can not be true ✗

3 - True or false

If $\{v, w\}$ is a basis of a given a vector space V , then $\{kv, w\}$ is also a basis for any scalar k .

20 sec

- ☐ True ✗
- ☒ False ✓

4 - True or false

A set of vectors is linearly dependent if and only if one of the vector is a scalar multiple of another one vector

20 sec

- ☐ True ✗
- ☒ False ✓

5 - True or false

If T is a linear transformation from V to W , then there exists a matrix A , such that $T(v)=Av$ for any v in V .

20 sec



True



False



6 - True or false

If T is a linear transformation from \mathbb{R}^n to \mathbb{R}^m , then there always exists a matrix A , such that $T(v) = Av$ for all v in \mathbb{R}^n

20 sec



True



False



7 - True or false

If AB is invertible, then A is invertible and B is invertible

20 sec



True



False



8 - True or false

If AB is invertible, then A is invertible or B is invertible

20 sec



True



False



9 - Quiz

Let $S = \{v_1, \dots, v_n\}$ be a spanning set of the vector space V . Let v be a vector in V . It is not necessarily true that..

60 sec



$\{v_1, \dots, v_n, v\}$ must be a linearly dependent set



$v = a_1v_1 + \dots + a_nv_n$ for some a_1, \dots, a_n in the field.



Only one way to represent v as a linear combination of the vectors in S



$\text{span}(S)$ is a subset of V



10 - Quiz

Let T be a linear transformation from V to W , which of the following is not correct

60 sec

- ☐ $T(0_v) = 0_w$ ✗
- ☐ $T(v+w) = T(v) + T(w)$ for all v and w in V ✗
- ☒ $T(kv) = T(k)T(v)$ for all scalar k in the field and vector v in V ✓
- ☐ For every v in V , there is only one unique $T(v)$ ✗

11 - True or false

Let V be a vector space and let v, w be vectors in V , let k be a scalar. Then if $kv = kw$, then $v = w$

20 sec

- ☐ True ✗
- ☒ False ✓

12 - True or false

A vector space may have more than one zero vector

20 sec

- ☐ True ✗
- ☒ False ✓

13 - True or false

If a set contains the zero vector, then it must be linearly dependent.

20 sec

- ☐ True ✓
- ☒ False ✗

14 - True or false

v_1, \dots, v_n are linearly independent directly said $a_1v_1 + \dots + a_nv_n = 0$ for some scalars a_1, \dots, a_n .

20 sec

- ☐ True ✗
- ☒ False ✓

15 - True or false

Assume $a_1v_1+a_2v_2+a_3v_3=0$ and v_1,v_2 are linearly independent, then $a_1v_1+a_2v_2=0$

20 sec



True



False



16 - True or false

Known $M_4(\mathbb{R})$ is a vector space. The zero vector is the 4×4 matrix with all zero entries.

20 sec



True



False



17 - True or false

Known $M_4(\mathbb{R})$ is a vector space. In the definition, one of the axiom said $1v=v$. The 1 here is the 4×4 identity matrix.

20 sec



True



False



18 - Quiz

Known $V = P_4(\mathbb{R})$ is a vector space, which of the following statement is correct?

60 sec

 $1+x$ is not a vector in V because it has only degree 1 $\{1, x\}$ are linearly dependent vectors in V because we can pick $x=-1$  V has dimension 4, i.e. if S is a basis of V , then S has 4 elements. $\{1, 1+x, 1+x+x^2, 1+x+x^2+x^3, 1+x+x^2+x^3+x^4\}$ is a spanning set of V 

19 - Quiz

Consider the set of all complex number as a real vector space, call it V , which of the following statement is correct?

60 sec



The scalars are complex numbers

 $\{1, i\}$ are linearly independent vectors in V The zero vector in the definition of vector space is $0+i$ in V  $\{1\}$ is a spanning set of V 

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