Arbitrary circuit analysis

This example goes through creating a **circuit** object from a **netlist**, which is contained in a text file. We start by calling the Circuit class and giving it the path to the netlist. The netlist automatically gets stored as a property called **'list'** on the circuit object.

The circuit structure in this case, has been arbitrarily chosen.

```
circuit = Circuit('circuits/passive/c8_rlc_arbitrary.txt');
circuit.list

ans =
    'Vcc 3 0 DC 1
    Vs 4 1 AC 1
    R2 3 2 1000
    R1 1 0 1000
    C1 4 0 0.000001
    C2 2 4 0.00001
    '
```

To symbolically **analyze** the circuit object, we give it to the **ELAB** class. This performs **MNV** to define the equations, which describe the circuit.

```
ELAB.analyze(circuit)

Symbolic analysis successful (0.450922 sec).
```

An electrical circuit is just a subclass of a generic system, which can be represented in any number of ways. For example, as a transfer function in the symbolic domain. To see this representation, we can use the 'ec2sd'-function.

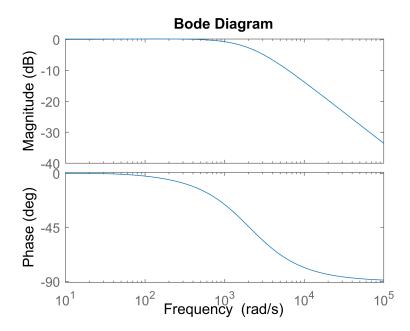
```
\begin{aligned} & \text{sym\_TF = ELAB.ec2sd(circuit, 3, 2)} \\ & \text{Symbolic transfer function calculated successfully (4.058900e-03 sec).} \\ & \text{sym\_TF =} \\ & \frac{v_2}{v_3} = \frac{\text{Vcc} + C_1 R_1 \text{Vcc} s + C_2 R_1 \text{Vcc} s + C_2 R_2 \text{Vs } s}{\text{Vcc} \left( C_1 R_1 s + C_2 R_1 s + C_2 R_2 s + C_1 C_2 R_1 R_2 s^2 + 1 \right)} \end{aligned}
```

Say the netlist contained numerical values for some, or all of its components. The evaluate function will use whatever equations were found by ELAB.analyze() to numerically **evaluate** the circuit. This numerical evaluation can now be used to create a Matlab-transfer-function object.

Continuous-time transfer function.

Matlab already has extensive functionality to handle transfer function objects.

bode(num_TF);



During analysis, all node voltages and element currents were symbolically defined and stored in the circuit object.

circuit.symbolic_node_voltages

ans =

$$\begin{cases} v_{1} = -\frac{R_{1} s \left(C_{1} \text{Vs} - C_{2} \text{Vcc} + C_{2} \text{Vs} + C_{1} C_{2} R_{2} \text{Vs} s\right)}{\sigma_{1}} \\ v_{2} = \frac{\text{Vcc} + C_{1} R_{1} \text{Vcc} s + C_{2} R_{1} \text{Vcc} s + C_{2} R_{2} \text{Vs} s}{\sigma_{1}} \\ v_{3} = \text{Vcc} \\ v_{4} = \frac{\text{Vs} + C_{2} R_{1} \text{Vcc} s + C_{2} R_{2} \text{Vs} s}{\sigma_{1}} \end{cases}$$

where

$$\sigma_1 = C_1 R_1 s + C_2 R_1 s + C_2 R_2 s + C_1 C_2 R_1 R_2 s^2 + 1$$

circuit.symbolic_element_currents

ans =

$$i_{R2} = \frac{C_2 s (Vcc - Vs + C_1 R_1 Vcc s)}{\sigma_1}$$

$$i_{R1} = -\frac{s (C_1 Vs - C_2 Vcc + C_2 Vs + C_1 C_2 R_2 Vs s)}{\sigma_1}$$

$$i_{C1} = \frac{Vs + C_2 R_1 Vcc s + C_2 R_2 Vs s}{C_1 \sigma_1}$$

$$i_{C2} = \frac{Vcc - Vs + C_1 R_1 Vcc s}{C_2 \sigma_1}$$

where

$$\sigma_1 = C_1 R_1 s + C_2 R_1 s + C_2 R_2 s + C_1 C_2 R_1 R_2 s^2 + 1$$

And during evaluation, they were all numerically evaluated and stored. Since no numerical value was given for V_{cc} , the evaluation is partial.

circuit.numerical_node_voltages

ans =
$$\begin{pmatrix} v_1 = -\frac{1000 \, s \, \left(\frac{s}{100000000} + \frac{1}{1000000}\right)}{\frac{s^2}{100000} + \frac{21 \, s}{1000} + 1} \\ v_2 = \frac{\frac{21 \, s}{1000} + 1}{\frac{s^2}{100000} + \frac{21 \, s}{1000} + 1} \\ v_3 = 1 \\ v_4 = \frac{\frac{s}{50} + 1}{\frac{s^2}{100000} + \frac{21 \, s}{1000} + 1} \end{pmatrix}$$