Resistor-Inductor-Capacitor circuits

1. Series RLC

```
circuit = Circuit('circuits/passive/c6_rlc_series.txt');
circuit.list

ans =
    'Vin 1 0 DC 5
    R1 3 0 1000
    L1 1 2 1
    C1 2 3 0.0001
    '

ELAB.analyze(circuit)
```

Symbolic analysis successful (0.272047 sec).

Say, you want expressions for node voltages.

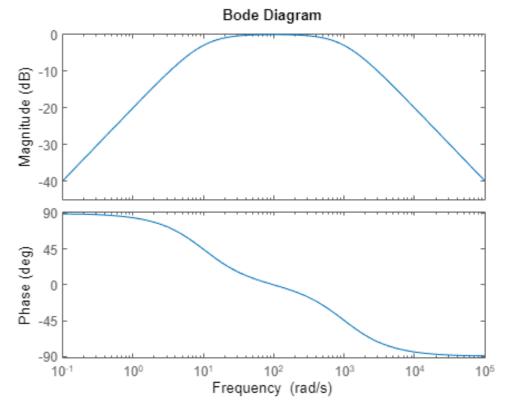
```
circuit.symbolic_node_voltages
```

```
ans =
\begin{pmatrix}
v_1 = \text{Vin} \\
v_2 = \frac{\text{Vin} (C_1 R_1 s + 1)}{C_1 L_1 s^2 + C_1 R_1 s + 1} \\
v_3 = \frac{C_1 R_1 \text{Vin } s}{C_1 L_1 s^2 + C_1 R_1 s + 1}
\end{pmatrix}
```

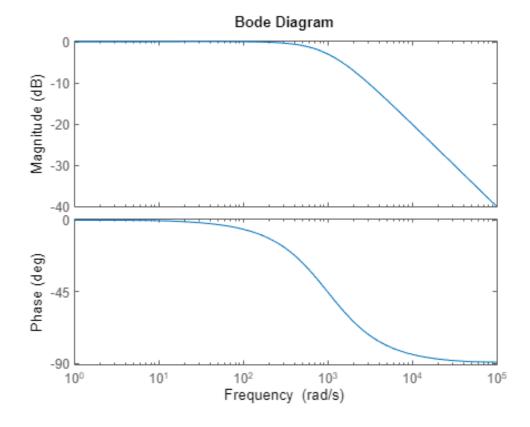
From the circuit, you can easily create a transfer function object, only giving the input and output nodes.

Matlab can then be used to visualize the circuit behavior as with any other system. Plotting the Bode diagram, we see that this circuit acts as a band-pass-filter.

```
bode(TF)
```



Transfer function object created successfully (2.338730e-02 sec).



2. Parallel RLC

We can repeat the process to look at RLC in parallel.

```
circuit = Circuit('circuits/passive/c7_rlc_parallel.txt');
circuit.list

ans =
    'Iin 1 0 DC 2
    R1 1 0 1000
    L1 1 0 1
    C1 1 0 0.0001
    ''
```

```
ELAB.analyze(circuit)
```

Symbolic analysis successful (0.166269 sec).

```
ELAB.evaluate(circuit)
```

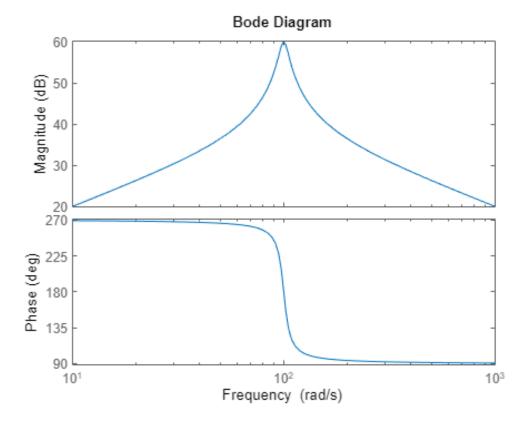
Numerical evaluation successful (0.0415356 sec).

In this case, because there is only one node besides ground, the transfer function is just the voltage at node 1.

```
circuit.numerical_node_voltages(1)  
ans = v_1 = -\frac{2000 \, s}{\frac{s^2}{10} + s + 1000}
```

You can of course input the equation directly into Matlab's transfer function. Plotting the Bode diagram show that this is another kind of band-pass-filter.

```
s = tf('s');
TF = -(1000*s)/(s^2/10 + s + 1000);
bode(TF)
```



Feel free to try any combination of resistors, capacitors and inductors.