

4. Transfer functions, differens ligning, Pol/nul-punkter, Stabilitet og realisationsstruktur

$$TF = H(z) = \frac{Y(z)}{X(z}$$

← output
← input

Der er ikke noget særligt ved når jeg har TF

$H(z)|_{z=e^{j\omega}} \Rightarrow$ Frekvensrespons
TF \Rightarrow differensligning

AMP = $|H(e^{j\omega})|$
Phase = $\angle H(e^{j\omega})$

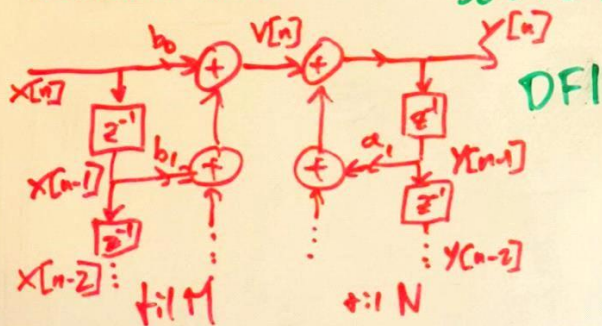
General Diff. Eq.

$$y[n] = \left(\sum_{k=0}^M b_k x[n-k] \right) + \left(\sum_{l=1}^N a_l y[n-l] \right)$$

diff. lign. $y[n] = y[n-1] + x[n]$
 $H(z) = \frac{1}{1-z^{-1}}$

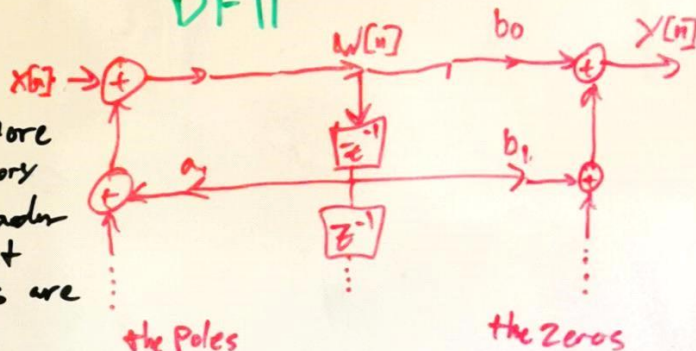
$H(z) = \frac{B(z)}{A(z)} = \frac{\sum_{k=0}^M b_k z^{-k}}{1 - \sum_{l=1}^N a_l z^{-l}}$
Bruger denne for at gå fra $H(z) \Rightarrow$ diff. lign.
1- er fordi y er delayet

realisationsstruktur: Se slide 4 / lec 4



DFII More efficient memory usage but harder to implement since 2 delays are merged

DFII



Pol/nul-punkter, Stabilitet

find Pol/nul fra $H(z)$
 \swarrow \searrow
 rødder $X(z)$ rødder $Y(z)$

har indflydelse på Stabilitet \rightarrow indenfor enheds cirklen