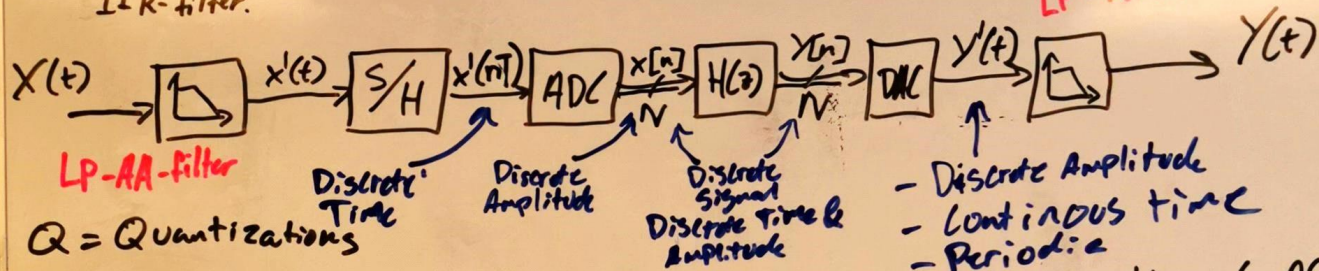


6. Endelig ordlængde effekter, dynamik område, SNR, og formel
IIR-filter.



$Q = \text{Quantization}$

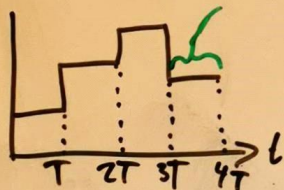
$S/H = \text{Time } Q$

$DAC = \text{Time } Q$

$ADC = \text{Variable } Q$

$H(z) = \text{Variable} + \text{Coefficient } Q$
(computer)

Time Q : *Mister info*



Variable Q :

$N \text{ bit ADC} \Rightarrow 2^N$ Possible values for x_q ; Q -Step
at ADC output we have finite SNR

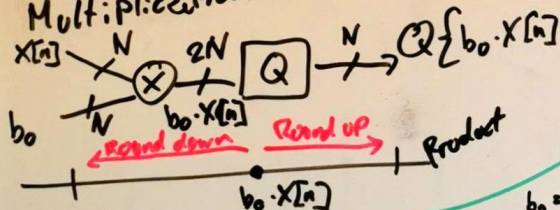
$$SNR \triangleq 20 \cdot \log \left(\frac{\text{Signal (RMS)}}{\text{Noise (RMS)}} \right)$$

the SNR output of ADC is increased 6dB when N is increased 1

$$SNR = 6.02N + 1.76 \text{ dB}$$

$H(z) - Q$

Multiplication between signal and Coef.



Quantizer which takes us from $2N \rightarrow N$ bits
Introduces error

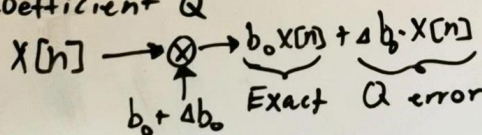
Due to $e[n]$ the output SNR is not infinite.

$$e[n] = b_0 x[n] - Q\{b_0 x[n]\}$$

2N bit N bit

see slide 12 Lec 7

Coefficient Q



$b_0 = \text{exact}$
 $\Delta b_0 = N \text{ bits implementation}$

Affects pole/zero location.

You can make sensitivity analysis \rightarrow
TLDR: The closer poles are the more sensitive they are to coefficient Q .