Periodic time ([-1.1] x(+) = e-t in intervaltE[-3, 3] sec 4) ?lot x(t) b) Derive X[K] $X[k] = \frac{1}{2} \int_{0}^{\infty} e^{t} e^{-j\frac{2\pi}{2}kt} dt = \frac{1}{2} \int_{0}^{\infty} e^{-t(1+j\pi k)} dt$ $X[k] = \frac{1}{2} \cdot \frac{-1 - i\pi k}{-1 - i\pi k} \int_{1}^{1} e^{-t(1+i\pi k)} dt = \frac{-1}{2} \cdot \frac{1}{1+i\pi k} \left[e^{-t(1+i\pi k)} \right]_{-1}^{1}$ $= \frac{-1}{2} \cdot \frac{1}{1+j\pi k} (e^{j-j\pi k} - e^{j+j\pi k}) = \frac{e \cdot e^{j-j\pi k} - e^{j-j\pi k}}{2(1+j\pi k)}$ $e(\cos(k\pi)+i\cdot\sin(k\pi))-e'(\cos(k\pi)-i\cdot\sin(k\pi))=e\cdot\cos(k\pi)-e'\cdot\cos(k\pi)$ 2(+jkn-) $\frac{(e-e^{2})\cdot\cos(k\pi)}{2(1+jk\pi)} = \frac{(e-e^{2})\cdot(-1)^{k}}{2(1+jk\pi)} = \frac{(e-e^{2})\cdot(-1)^{k}\cdot(+jk\pi)}{2(1+jk\pi)(1-jk\pi)}$ a+jb = (2+62) = da-jbb

A-jbb = (2+62) = (2+62) X(1)= 2= X+j4