

CSC3304 Software verification technology

The exam paper will be divided into 3 sections.

- The Laws of Programming: Floyd/Hoare logic and the challenge of proof (10/50).
- **Model Checking (Promela/Spin) (15/50) .**
- Theorem Proving (Symbolic reasoning tools) & advanced static analysis in practice (JML) (25/50).

Model Checking Revision Guide

There will be 4 questions.

Question A

A Promela model with 2 or 3 processes is presented, and you must describe the operation of one of the processes.

Reading:

Lecture notes (week 3).

The concise Promela reference:

<http://spinroot.com/spin/Man/Quick.html>

Message Channels:

<http://www.informit.com/articles/article.aspx?p=169103&seqNum=6>

To look out for:

len(q) predefined function to determine the number of messages stored in channel “q”.

The role played by eval, and []. For example:

```
(a > b && qname?[msg0])
```

The expression `qname?[msg0]` is true precisely when the receive statement `qname?msg0` would be executable at the same point in the execution, but the actual receive is not executed, only its precondition is evaluated. Any receive statement can be turned into a side effect free expression in a similar way, by placing square brackets around the list of message parameters. The channel contents remain undisturbed by the evaluation of such expressions.

Previous Exam Example:

Consider the following PROMELA model

```
#define top 3
#define floors 4
#define ground 0
chan opendoor[floors] = [0] of {byte};
chan closedoor[floors] = [0] of {byte};
chan opend[floors] = [0] of {byte};
chan closed[floors] = [0] of {byte};
chan call = [0] of {byte};
chan doorbutton = [0] of {byte};
byte floor=ground;
bool calls[floors];

proctype door(byte i)
{ byte any;
  do
    :: opend[i]?any -> {opendoor[i]!any; closedoor[i]!any; closed[i]?any}
  od
}

proctype lift()
{
  byte x;

  bool uptag=true;
  do
    :: call?x -> calls[x]=true
    :: calls[floor] -> {opendoor[floor]?x;
      do
        :: doorbutton?x -> calls[x]=true
        :: true -> break
      od;
      closedoor[floor]?x;
      calls[floor]=false
    }
    :: !calls[floor] -> if
      :: (floor!=top) && uptag -> floor++
      :: (floor!=ground)&& !uptag -> floor--
      :: (floor==top) -> uptag=false
      :: (floor==ground) -> uptag=true
    fi
  od
}

proctype user(byte f; byte t)
{call!f;opend[f]!f; doorbutton!t; closed[f]!f}

init {
  run door(ground);
  run door(1);
  run door(2);
  run door(top);
  run lift();
  run user(ground,top);
  run user(1,top);
  run user(2, ground)
}
```

Question: Explain how the lift process works.

Looking for in answer: Explanation of the role played by any guards, describe the relationship between the process and the other process, and explain how the channels are used. If there are any **assertions** within the process, then you will be asked to describe the role that they play within the model.

Question B

Model checking, definition of key concepts:

Model checking, Safety, Liveness, Deadlock, Livelock, Progress Cycles, Acceptance cycles, Never Claims, Fairness.

Reading:

Lecture Notes (Blackboard: week3 & week 4)

Previous Exam Example:

Question: Define the term deadlock in the context of a PROMELA model.

Looking for in answer: Definition of deadlock generally, **and** what deadlock is in the context of a Promela model. (Similar question could be asked for any of the above concepts)

Possible answer: *Deadlock: A deadlock is a situation where two or more actions are each waiting for the other to finish, and thus neither ever does. In the context of PROMELA deadlock happens when a process in a model does not terminate. Non-termination means reaching an invalid end state.*

Other Possible Questions:

If there are any deadlocks within the model presented, then you may be **asked to describe when the deadlock will occur** (Coursework should have prepared you well for this!). When describing this, state where in the code the deadlock will occur, and what sequence of events lead to the deadlock.

For example, *in the model checking coursework, deadlock may happen in the chef process when the chef is waiting for a message that may never arrive. Sequence of events leading to this? There are no customers making orders in the restaurant.*

Question C

Linear Temporal Logic Expressions.

Reading:

Lecture Notes (Blackboard: week 4 & week 5)

Previous Exam Examples:

Question: Give an informal but precise description of the LTL formula: $\Diamond(p \wedge \Box q)$

Answer: Eventually p is true and q continues to be true for all future states.

Question: Write an English translation of the LTL formula: $\Diamond\Box p$

Answer: It will eventually be the case that p will be true for every state in the path.

Question D

Linear Temporal Logic Negation.

Reading:

Examples in Lecture Notes (Blackboard: week 4 & week 5)

Previous Exam Examples:

Question: Produce the negated form of $\Diamond(p \wedge \Box q)$ that could be easily translated into a finite state automaton showing how you transformed one formula into the other.

Answer:

$$\neg \Diamond(p \wedge \Box q) \Leftrightarrow$$

$$\Box \neg(p \wedge \Box q) \Leftrightarrow$$

$$\Box(\neg p \vee \neg \Box q) \Leftrightarrow$$

$$\Box(\neg p \vee \Diamond \neg q) \Leftrightarrow$$

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