Se enojo?

valorAbsoluto

```
int valorAbsoluto(int &n){
    if(n<0){
        n = n * (-1);
    }
    return n;
}</pre>
```

- $T_{valorAbsoluto} = c_1 + c_2$
- $\blacksquare T_{valorAbsoluto} \in O(1)$

tono

```
float tono(senial s) {

float sumatoria = 0;

for(int i=0; i < s.size(); i++) {

sumatoria = sumatoria + valorAbsoluto(s[i]);

return sumatoria / s.size();

}

c_1' = 1
c_2' = n+1
c_3' = n
c_4' = 1
```

- n = |s|
- $T_{tono}(n) = c'_1 + c'_2 * (n+1) + c'_3 * n + c'_4$
- $T_{tono}(n) \in O(n)$

duraMasDe

- n = |s|
- $T_{duraMasDe}(n) = c_1''$
- $T_{duraMasDe}(n) \in O(1)$

seEnojo

```
bool seEnojo(senial s, int umbral, int prof, int freq) {
      bool resp = false;
      int min = 2;
      if(!duraMasDe(s,freq,min)){
           return resp;
      } else{
6
          int i = 0;
           while( i < (s.size() - (min*freq-1)) && !resp){</pre>
               int j=i+(min*freq);
               while(j<=s.size() && !resp){</pre>
10
11
                   senial subSenial (s.begin()+i,s.begin()+j);
                   resp = (tono(subSenial) > umbral);
12
                   j++;
13
14
               i++;
15
16
           return resp;
17
18
19 }
```

```
 c_{1}^{\prime\prime\prime} \\ c_{2}^{\prime\prime\prime} \\ c_{3}^{\prime\prime\prime} \\ c_{4}^{\prime\prime\prime} \\ c_{5}^{\prime\prime\prime} \\ c_{6}^{\prime\prime\prime} \\ c_{6}^{\prime\prime\prime} \\ c_{7}^{\prime\prime\prime} * (n-r) \\ c_{8}^{\prime\prime\prime} * (n-r) * (j-i) \\ c_{9}^{\prime\prime\prime} * (n-r) * (j-i) \\ c_{10}^{\prime\prime\prime} * (n-r) \\ c_{11}^{\prime\prime\prime} \\ c_{11}^{\prime\prime\prime} \\ (n-r) \\
```

- \blacksquare n = |s|
- r = min * freq 1 = 19
- $(n-r) \approx n$
- $(j-i) \approx n$
- $= T_{seEnojo}(n) = c_1^{\prime\prime\prime} + c_2^{\prime\prime\prime} + c_3^{\prime\prime\prime} + c_4^{\prime\prime\prime} + c_5^{\prime\prime\prime} * (n-r+1) + c_6^{\prime\prime\prime} * (n-r) + c_7^{\prime\prime\prime} * (n-r)^2 + c_7^{\prime\prime\prime} + c_8^{\prime\prime\prime} * (n-r)^2 * (j-i) + c_9^{\prime\prime\prime} * (n-r)^2 + c_9^{\prime\prime\prime\prime} * (n-r)^2 + c_9^{\prime\prime\prime} * (n-r)^2 + c_9^{\prime\prime\prime} * (n-r)^2 +$
- $\blacksquare T_{seEnojo}(m) \in O(n^3)$