

## Meaning

- When we reject  $H_0$  we say that the result is **statistically significant**
- A result might be statistically significant but the effect size might be small
- In such a case, we have a statistical significance but no **scientific or practical significance**:
  - statistical significance  $\neq$  scientific significance
- in such cases [[Konfidenzintervall]] are more informative than [[Hypothesentests]]

## Example

Suppose we extend an app by adding two features and perform two separate user satisfaction studies ( $n = 100$  in both studies). For the first feature we obtain an average user satisfaction of 6.6, and for the second of 7.1,  $\sqrt{S_n/n} = 0.05$  in both studies. The old version of the app had the average user satisfaction of 6.5. For both studies we define  $H_0$ : no improvement in the new versions. Can we reject  $H_0$  for both features at the significance level  $\alpha = 0.05$ ? Compare these results with 95% confidence intervals for the sample means for both features.

For both features:

$$H_0 : \mu = 6.5$$

$$H_1 : \mu > 6.5$$

We perform one sided Z-Test by computing the critical value:

$$c = \mu + z_{1-\alpha} \frac{\sigma}{\sqrt{n}} = 6.5 + 1.645 \cdot 0.05 = 6.58225$$

Thus, for both features we reject  $H_0$ . The 95% Z-score confidence intervals are:

Feature 1:  $6.6 \pm 0.098 = (6.502, 6.698)$

- Feature 2:  $7.1 \pm 0.098 = (7.002, 7.198)$

- statistical but no practical improvement for feature 1
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