# Introduction to ANN and Perceptron

**Pavlos Protopapas** 



## Outline

Introduction

- Review of basic concepts
- Perceptron Single neuron network
- Multi-Layer Perceptron (MLP)

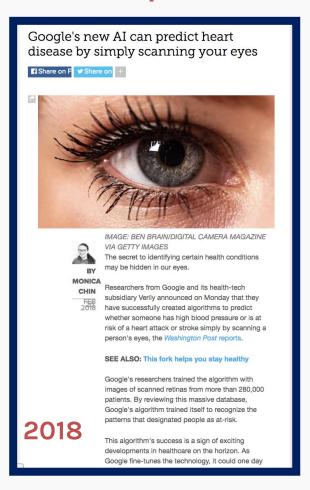
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#### **Historical Trends**

#### **Disease prediction**



#### Game strategy





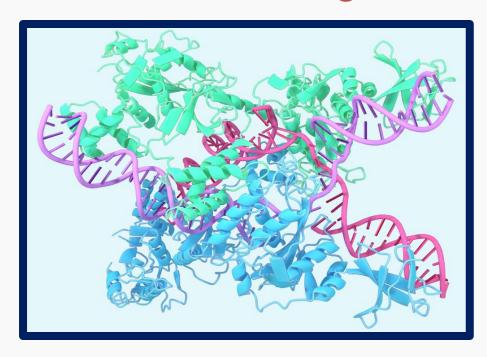
## Natural Language Processing



2011

2017

#### **Protein folding**



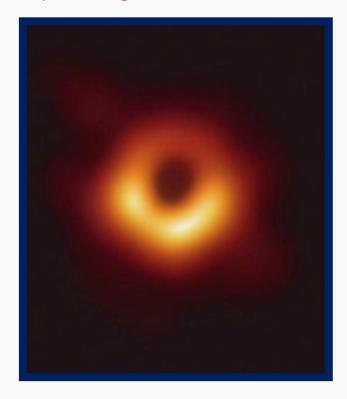
AlphaFold, a DeepMind Al, revolutionized biochemistry by solving the long-standing protein folding problem.

#### **Autonomous cars**



Al Detecting objects to assist with autonomous driving.

## Image Reconstruction from Sparse Frequency Measurements



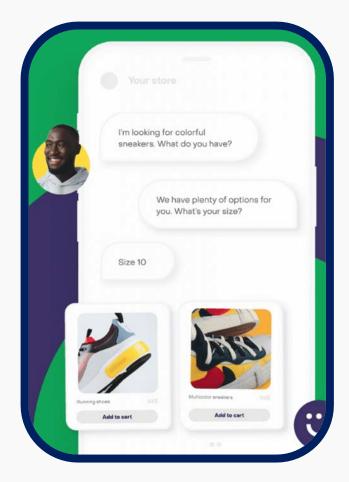
Katie Bouman's CHIRP produces the first-ever image of a black hole.

#### **Text to Image Generation**



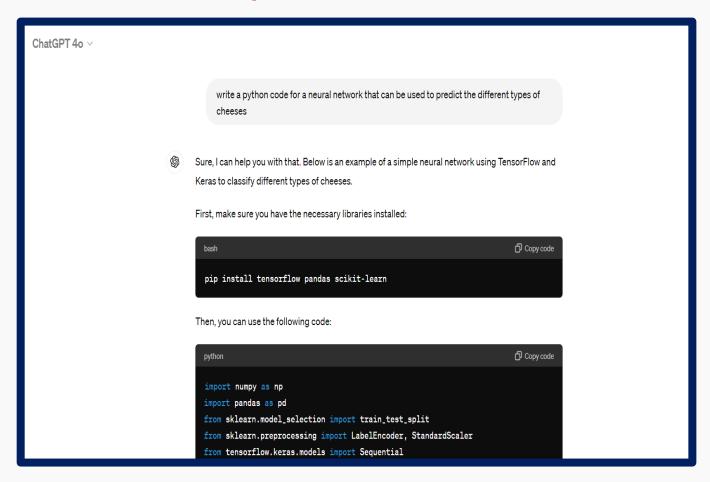


#### **Personalized Customer Assistance**





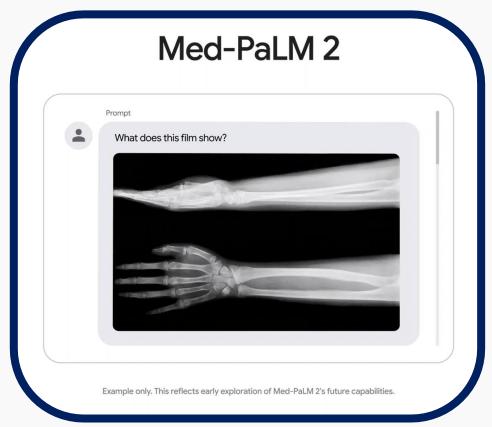
#### **Computer Code Generation**



**Al Conversational Assistant** 



#### **Disease Prediction**



Google, 2023

#### **Complex Object Detection**



2024, YOLOv5

## The potential challenges in Data Science

#### **Gender Bias**



Some DS models for evaluate job applications show bias in favor of male candidate

#### **Racial Bias**

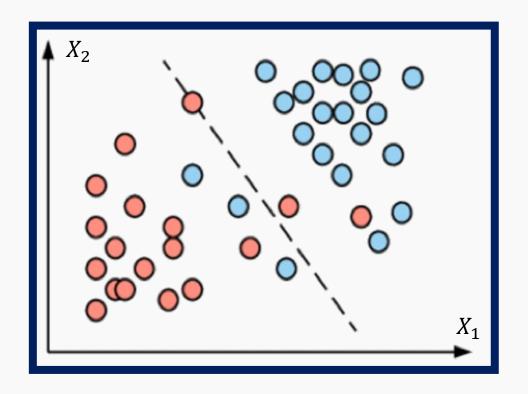


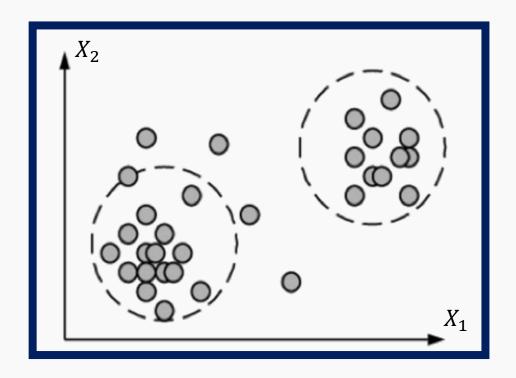
Risk models used in US courts have shown to be biased against non-white defendants

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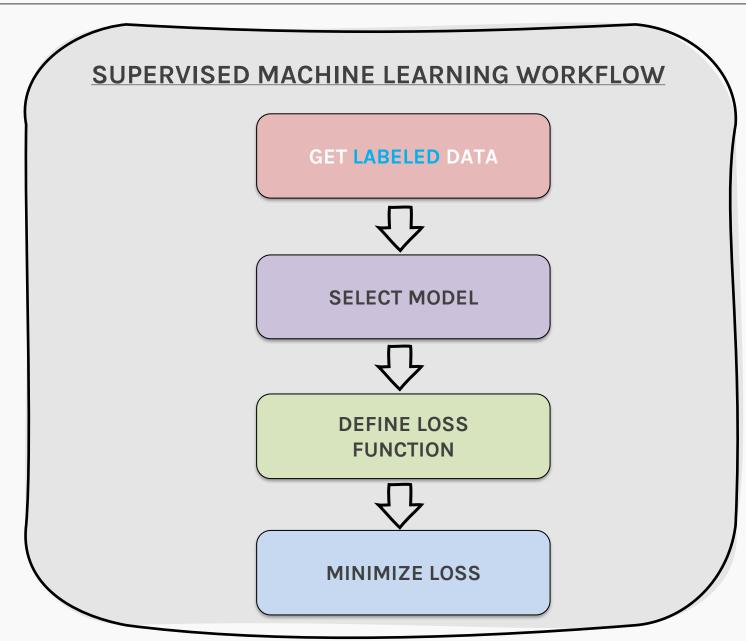
## Supervised v/s Unsupervised Machine Learning

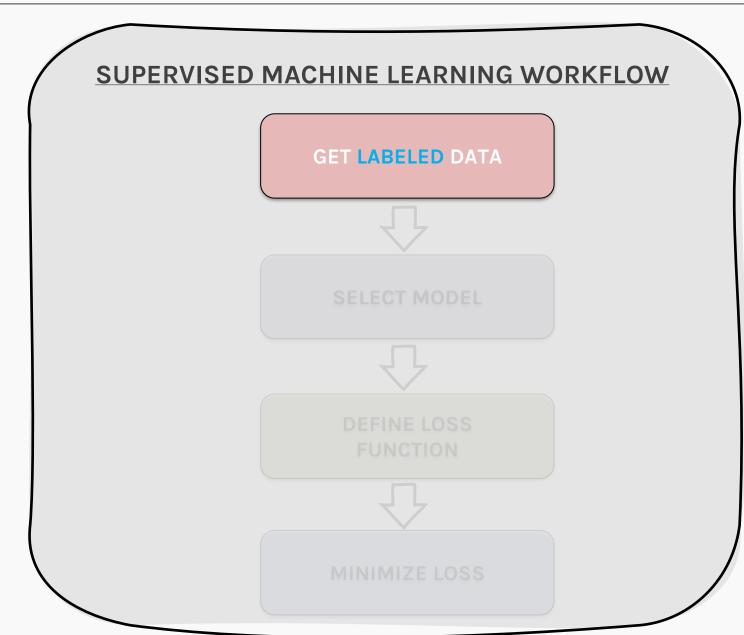


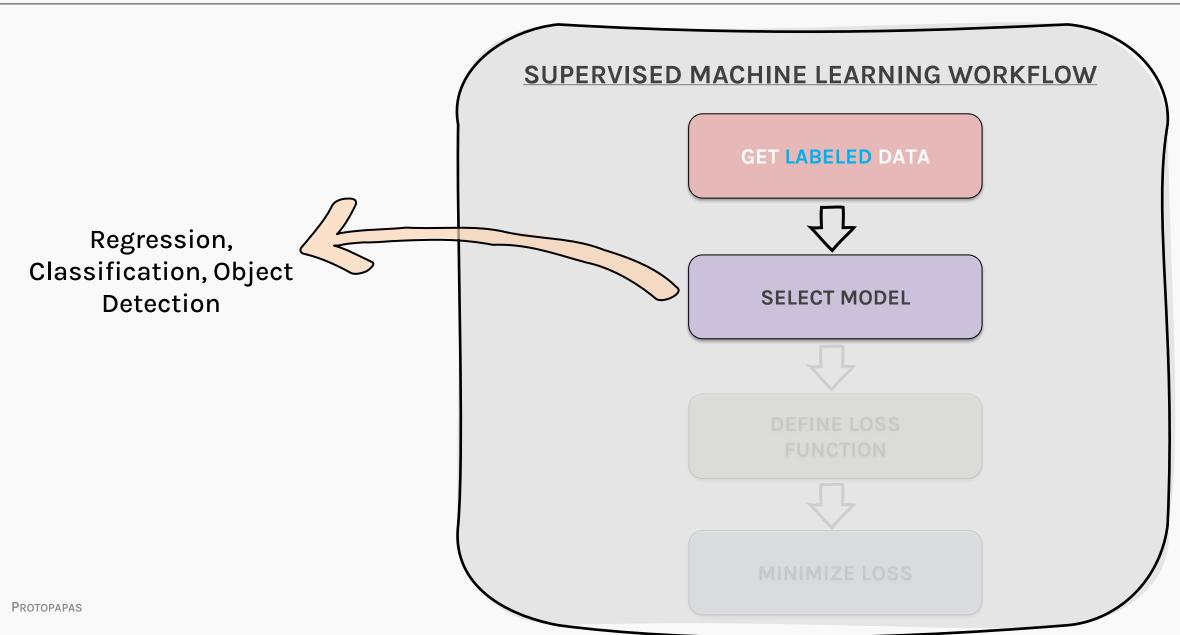


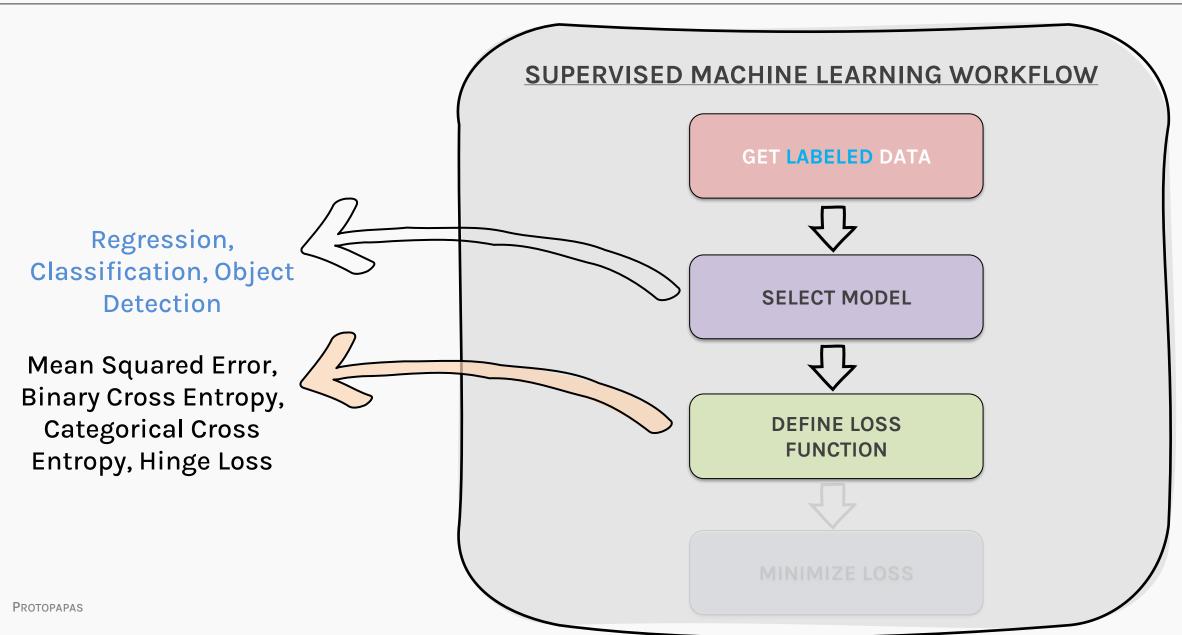
Supervised Learning: Learns with "labeled" data Uns

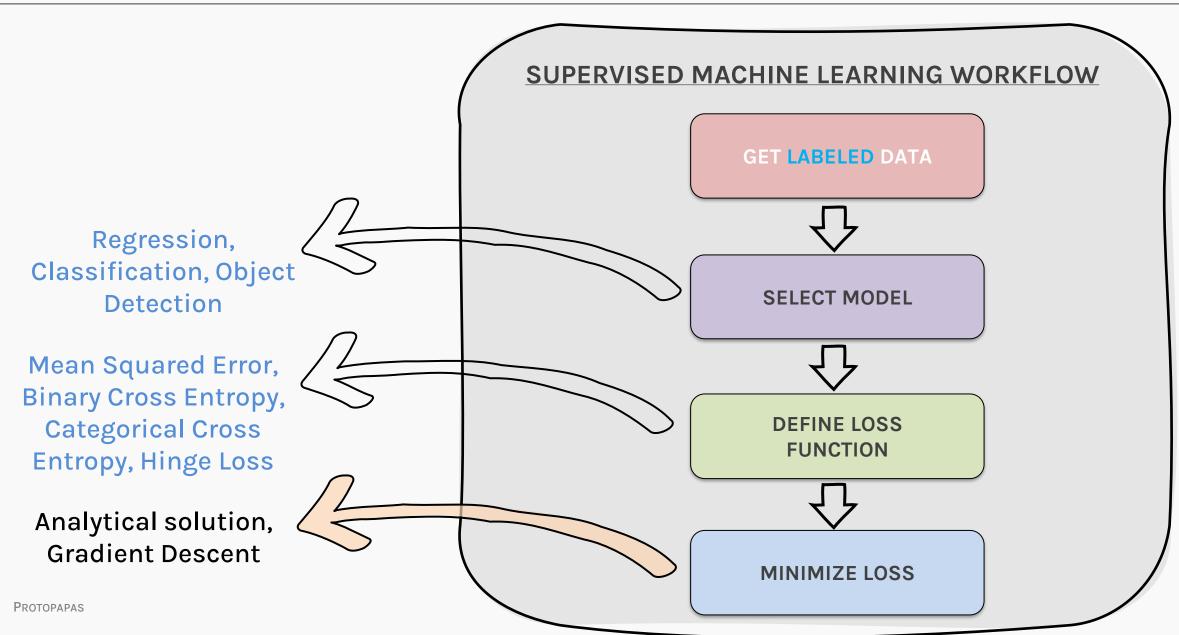
Unsupervised Learning: Learns by clustering or association











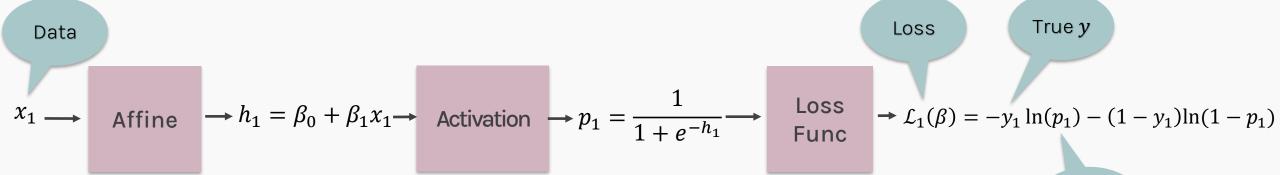
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Before we understand what, a perceptron is, let's look at a machine learning model which we had talked about in a previous lecture.

Logistic Regression





Pred

$$x_1 \longrightarrow \text{Affine} \longrightarrow h_1 = \beta_0 + \beta_1 x_1 \longrightarrow \text{Activation} \longrightarrow p_1 = \frac{1}{1 + e^{-h_1}} \longrightarrow \text{Loss} \\ \text{Func} \longrightarrow \mathcal{L}_1(\beta) = -y_1 \ln(p_1) - (1 - y_1) \ln(1 - p_1)$$

$$x_2 \longrightarrow \text{Affine} \longrightarrow h_2 = \beta_0 + \beta_1 x_2 \longrightarrow \text{Activation} \longrightarrow p_2 = \frac{1}{1 + e^{-h_2}} \longrightarrow \text{Loss} \\ \text{Func} \longrightarrow \mathcal{L}_2(\beta) = -y_2 \ln(p_1) - (1 - y_2) \ln(1 - p_2)$$

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$$\vdots \qquad \vdots \qquad \vdots$$

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$$x_n \longrightarrow \text{ Affine } \longrightarrow h_n = \beta_0 + \beta_1 x_n \longrightarrow \text{ Activation } \longrightarrow p_n = \frac{1}{1 + e^{-h_n}} \longrightarrow \text{ Loss } \\ \text{Func } \longrightarrow \mathcal{L}_n(\beta) = -y_n \ln(p_n) - (1 - y_n) \ln(1 - p_{1n})$$

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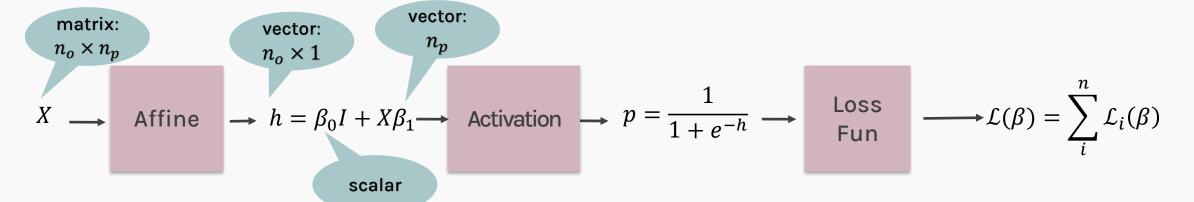
$$\vdots \qquad \vdots \qquad \vdots$$

$$x_n \longrightarrow \text{Affine} \longrightarrow h_n = \beta_0 + \beta_1 x_n \longrightarrow \text{Activation} \longrightarrow p_n = \frac{1}{1 + e^{-h_n}} \longrightarrow \text{Loss} \\ \text{Func} \longrightarrow \mathcal{L}_n(\beta) = -y_n \ln(p_n) - (1 - y_n) \ln(1 - p_{1n})$$

 $\mathcal{L}(\beta) = \sum_{i}^{n} \mathcal{L}_{i}(\beta)$ 

 $n_p$ : number of predictors

 $n_o$ : number of observations



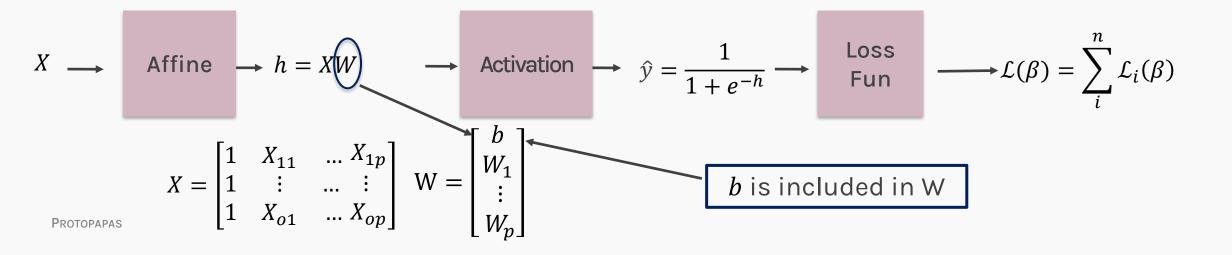
$$X \longrightarrow \text{Affine} \longrightarrow h = \beta_0 I + X \beta_1 \longrightarrow \text{Activation} \longrightarrow p = \frac{1}{1 + e^{-h}} \longrightarrow \text{Loss} \quad \longrightarrow \mathcal{L}(\beta) = \sum_i^n \mathcal{L}_i(\beta)$$

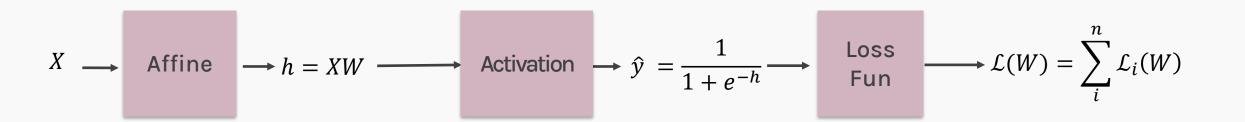
$$X \longrightarrow \text{Affine} \longrightarrow h = XW + b \longrightarrow \text{Activation} \longrightarrow \hat{y} = \frac{1}{1 + e^{-h}} \longrightarrow \text{Loss} \quad \longrightarrow \mathcal{L}(\beta) = \sum_i^n \mathcal{L}_i(\beta)$$

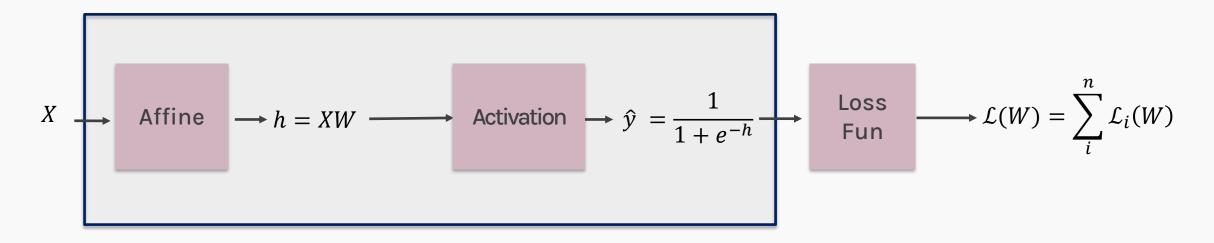
$$\text{Weights}$$

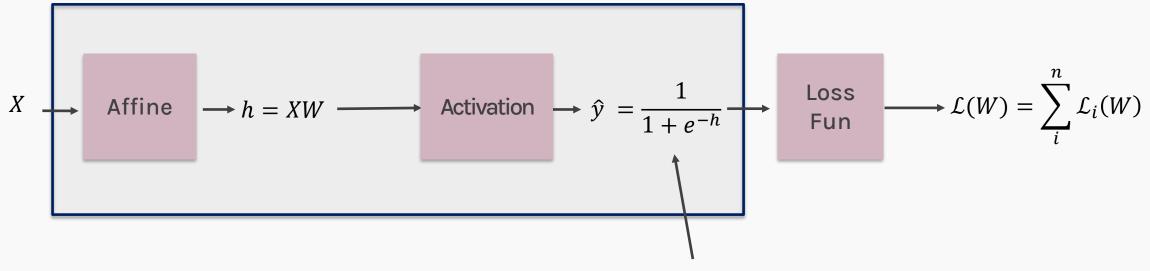
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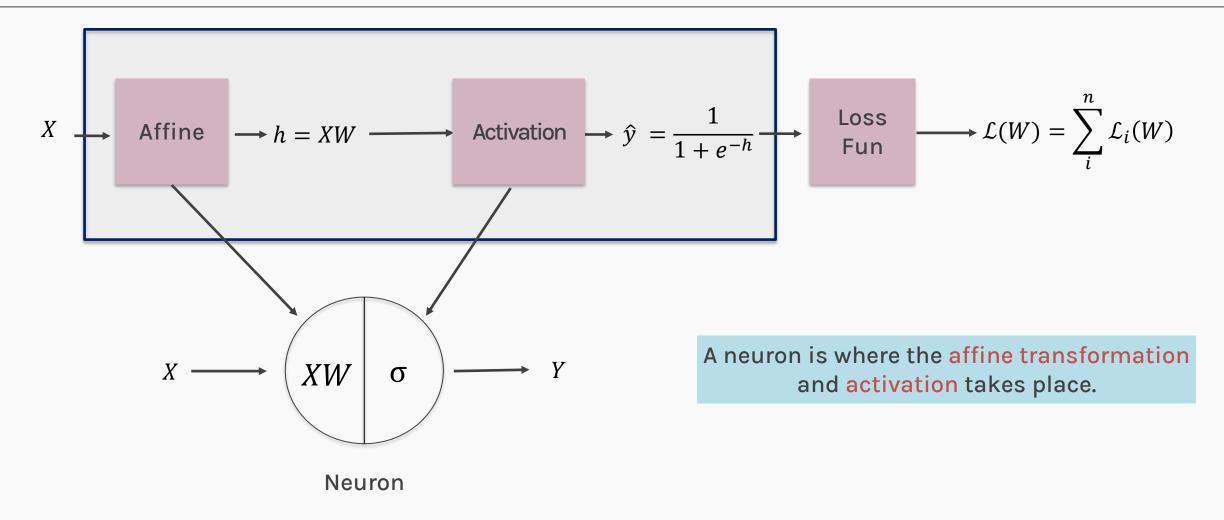


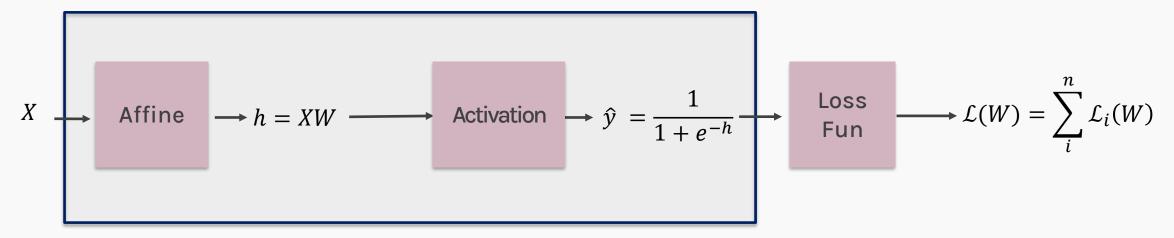


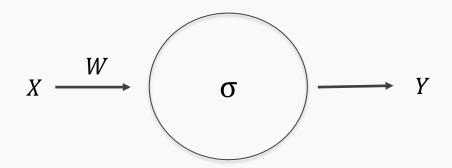




"Sigmoid activation"  $\sigma$ 





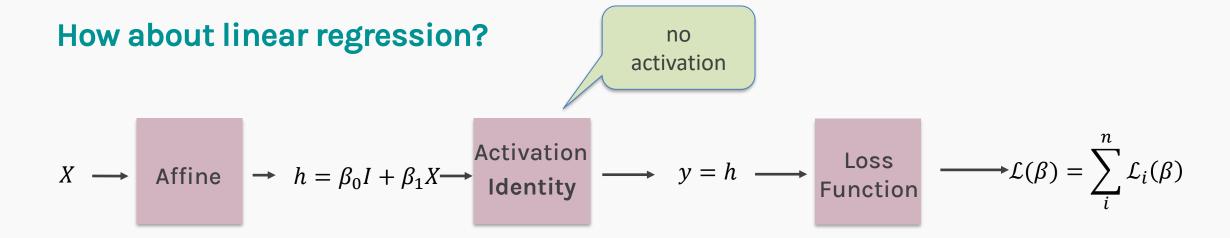


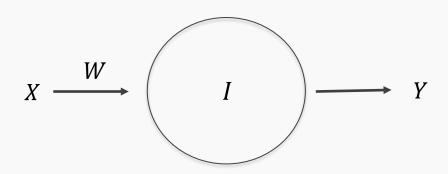
Single Neuron Neural "Network"



## A single neuron

Up to this point we just re-branded logistic regression to look like a neuron.





Where I is the identity function