

WaveVib - An OCTAVE/MATLAB Toolbox for Wave-Based Modeling of Nonlinear Jointed Structures

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March 22, 2023

Contents

| | | |
|----------|--------------------------------|----------|
| 1 | Introduction | 1 |
| 2 | Programming Interface | 2 |
| 3 | Examples | 2 |
| 4 | TODO Desirable Features | 2 |
| 5 | References | 2 |

1 Introduction

WaveVib is intended to be a set of OCTAVE/MATLAB routines that can be used to study wave-based linear and nonlinear structures. The main advantage with using this approach comes from the fact that the linear portions of the problem are represented without any approximation (unlike weighted residual or variational approaches). The interface supports both periodic as well as quasi-periodic steady state response regimes. Immediate use cases include jointed beams, trusses, frame structures, fluid-filled columns, rotordynamics, etc.

A good starting place for the new user to the Wave-Based Modeling (WBM) framework &/or this package are the papers [1], [2], upon which most of the rudiments of this package are based.

Folders in the repository

This is giving details about the different folders in the repository.

- **DEVEL_PER** [Obsolete]: Contains development scripts used for development of the periodic response routines & examples.
- **DEVEL_QPER**: Contains development scripts used for development of the quasi-periodic response routines & examples.
- **EXAMPLES**: Contains examples with most of the core functionality
- **REPS**: Contains miscellaneous reports (under REPn folders) and this main documentation (under the DOCS folder)
- **ROUTINES**: Contains the core routines of the package.

2 Programming Interface

3 Examples

4 TODO Desirable Features

5 References

[1] N. N. Balaji, M. R. W. Brake, and M. J. Leamy, Wave-based analysis of jointed elastic bars: Nonlinear periodic response, *Nonlinear dynamics*, vol. 110, no. 3, pp. 20052031, Nov. 2022, doi: 10.1007/s11071-022-07765-0.

[2] N. N. Balaji, M. R. W. Brake, and M. J. Leamy, Wave-based analysis of jointed elastic bars: Stability of nonlinear solutions, *Nonlinear dynamics*, vol. 111, no. 3, pp. 19711986, Feb. 2023, doi: 10.1007/s11071-022-07969-4.