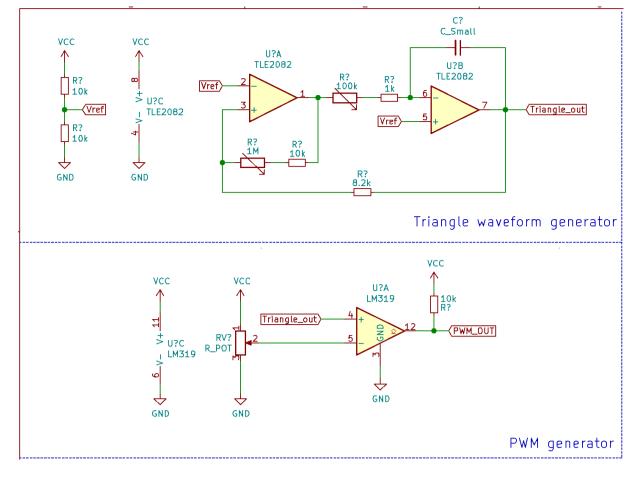
ECEN405 Lab 1 Report Pulse Width Modulation

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- 1. $C_1 = 10 \ nF$
- 2. $f_{min} = 297 \text{ Hz}$ $f_{max} = 3.03 \text{ MHz}$
- 3. Schematic of the PWM generator



Minimum frequency switching losses

4. Conduction losses:

$$P_{sw} = 78.4 \; \mu W$$

 $P_{cond} = 0.6 W$

Maximum frequency switching losses

and proudly show him.

$$P_{sw} = 0.799 W$$

5. Actual photo capturing the look of approval on Danny B's face as I complete the circuit



M Pos: -80.00,us

MEASURE

CH2 Freq 222.8Hz CH2 **Duty Cyc** 50.8

> Mean 2.42V

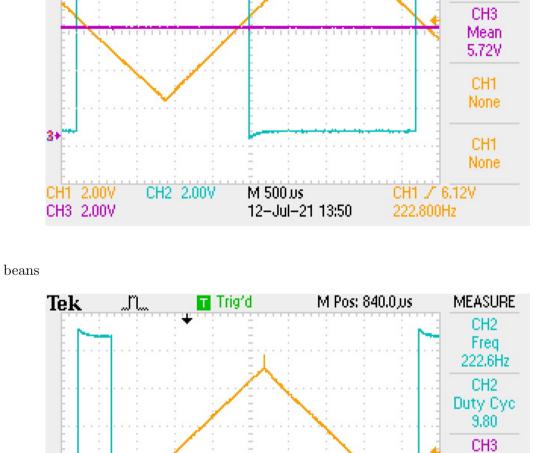
CH1 None

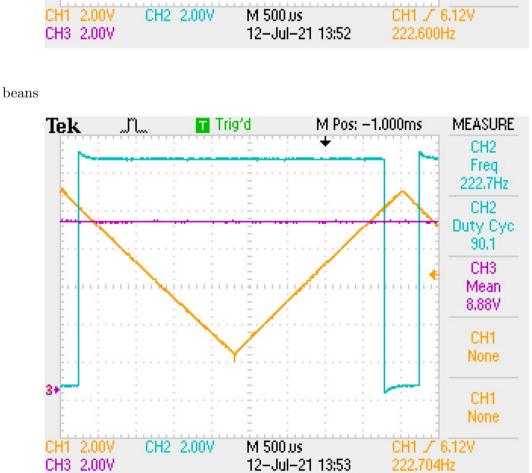
CH1 None

Tek

M.

■ Trig'd





7. It was noted that the theoretical minimum and maximum achieved switching frequencies of the circuit were not achieved by the designed circuit. Although it is hard to exactly pinpoint where this issue comes from, there are a range of possible factors that would affect these frequencies. By creating the circuit on a breadboard, we introduce parasitic capacitances, and inductances to the circuit, which will affect the operation of the op-amps. It is also possible that op-amp characteristics such as slew rate are affecting the frequency of the output. 8. To get both an inverted and non-inverted signal, you can switch the input terminals of the comparator. Since the LM319 is a dual comparator, it is possible to have both the inverted and non-inverted signals out from the same IC.

Appendix

 $C_1 = \frac{R_2 + R_3}{4R_1 \left(R_4 + R_5 \right) F_T}$

Q1: Equation to calculate the capacitor size

9. INSERT BLOCK DIAGRAM

Q2: Equations to calculate the minimum and maximum frequencies
$$f_{min} = \frac{R_2}{4R_1\left(R_4+R_5\right)C_1} = 297~Hz$$

$$f_{max} = \frac{R_2 + R_3}{4R_1 \cdot R_5 \cdot C_1} = 3.03 \ MHz$$

Q4: Conduction switching losses:

 $P_{cond} = R_{DS(on)} \cdot d \cdot I^2 = 0.6 W$ Minimum frequency switching losses:

$$P_{sw}=\frac{1}{2}V_{in}\cdot I_o(t_{c(on)}+t_{c(off)})f_{min}=78.4~\mu W$$
 Maximum frequency switching losses:

 $P_{sw} = \frac{1}{2}V_{in} \cdot I_o(t_{c(on)} + t_{c(off)})f_{max} = 0.799 W$