Report

- How to run the code in Step II and Step III
 - Step II

This is an example of executing step2.py. The name of the output file of this example would be:

- "step2_task1_datasetA_0.006_result1.txt"
- "step2_task1_datasetA_0.006_result2.txt"
- "step2_task2_datasetA_0.006_result1.txt"
- -f: The dataset path
- -s: The minimum support (the default minimum support: 0.01)
- -p: The output file path (the default path is "./")

python3 Step2.py -f datasetA.data -s 0.003 -p ./result_files

Step III

This is an example of executing step3.py. The name of the output file of this example would be:

- "step3 task1 datasetA 0.006 result1.txt"
- "step3_task1_datasetA_0.006_result2.txt"
- -f: The dataset path (the default dataset is "datasetA.data")
- -s: The minimum support (the default minimum support: 0.01)
- -c: The minimum confidence (the default minimum confidence: 0.5)
- -p: The output file path (the default output file path is "./")

python3 Step3.py -f datasetA.data -s 0.006 -p ./

- Step II
 - Report on the mining algorithms/codes:
 - The modification I made for Task 1 and Task 2
 - 1. 在Task 1中,我使用平行化的方法搜集support大於等於minimum support的 itemsets,如程式碼的mp.pool,使用多核心平行處理,計算各個transaction的出現 次數,以計算各個itemset的support,並使用check_item_support這個函數計算每 個itemset在transaction list中出現的次數,以計算support,並把support大於 minimum support的itemset加入到_itemSet,並在最後回傳support大於minimum support的itemsets。

```
def returnItemsWithMinSupport(itemSet, transactionList, minSupport, freqSet):
"""calculates the support for items in the itemSet and returns a subset
of the itemSet each of whose elements satisfies the minimum support"""
    _itemSet = set()
    localSet = defaultdict(int)

# 平行計算min support
with mp.Pool(processes=mp.cpu_count()) as pool:
    results = pool.starmap(check_item_support, [(item, transactionList) for item in itemSet])

for item, count in results:
    freqSet[item] += count
    support = float(count) / len(transactionList)
    # 把suport >= minSupport 的 itemset加入_itemSet, 並在最後回傳_itemSet
    if support >= minSupport:
        _itemSet.add(item)

return _itemSet

def check_item_support(item, transactionList):
    count = sum(1 for transaction in transactionList if item.issubset(transaction))
    return item, count
```

2. 在Task 2中,我新增了isClosed()和getFrequentClosedItemsets()這兩個函數,在isClosed()這個函數中,我在frequent itemset中確認每個itemset若沒有其superset 跟他有一樣的support,就為frequent closed itemset。而最後在getFrequentClosedItemsets()中搜集所有frequent closed itemset並回傳。

3. 在原本的程式碼中,我修改了printResults(),以符合作業要求,並且因應command line的指令,利用傳入的參數修改輸出檔案的檔名,以辨別不同資料集、支持度的輸出檔案。另外,printClosedItemsets()則是獨立出來輸出task 2的frequent closed itemset的函數。

```
def printResults(items, candidate_count, dataset_name, output_path, task_num, support_str):
    idx = 1
    total_num_itemset = len(items)
    result1_filename = os.path.join(output_path, f"step2_task{task_num}_{dataset_name}_{support_str}_result1.txt")
    result2_filename = os.path.join(output_path, f"step2_task{task_num}_{dataset_name}_{support_str}_result2.txt")

with open(result1_filename, 'w') as f1:
    with open(result2_filename, 'w') as f2:
    f2.write(str(total_num_itemset) + "\n")
    for item, support in sorted(items, key=lambda x: x[1], reverse=True):
        item_str = "{" + ", ".join(item) + "}"
        support = support * 100
        f1.write(f"{support:.1f}\titem_str}\n")
    for candi in candidate_count:
        f2.write(f"{idx}\t{candidate_count}[idx-1][0]}\t{candidate_count[idx-1][1]}\n")
        idx += 1
```

```
def printClosedItemsets(closed_items, dataset_name, output_path, support_str):
    result_filename = os.path.join(output_path, f"step2_task2_{dataset_name}_{support_str}_result1.txt")
    total_num_closed_itemsets = len(closed_items)
    with open(result_filename, 'w') as f:
        f.write(str(total_num_closed_itemsets) + "\n")
        for item, support in sorted(closed_items, key=lambda x: x[1], reverse=True):
            item_str = "{" + ",".join(item) + "}"
            support = support * 100
            f.write(f"{support:.1f}\t{item_str}\n")
```

- The restrictions
 - 這個演算法測試過助教提供的Toy dataset(資料集大小為一百萬筆transaction),其執行時間需要用到24~48小時之間的時間,相較於step3所使用到的FP-Growth只需要四個小時多的時間,因此,資料集的數量限制了此Apriori演算法的執行時間。
- Problems encountered in mining

在這個演算法中遇到最大的問題就是執行時間,在跑Dataset C (50萬筆資料)的情況下,要花費超過五個小時的時間,後來嘗試平行化計算itemset的support,發現時間大幅減少,最後跑Dataset C只需要兩個小時多的時間。然而,遇到100萬筆資料時,花費時間還是太長,要花一至兩天的時間才能完成。

Any observations/discoveries

在實作的過程中,發現尋找frequent itemset的過程可以平行化處理,在尋找哪個 transaction出現次數大於等於minimum的過程省下大量的時間。另外,也觀察到沒有使用平 行化處理時,使用越小的minimum support,花費時間會越長,但使用平行化執行程式後, 則沒有這樣的規律,mining時間與minimum support的大小沒有太大的關聯。

- Paste the screenshot of the computation time
 - Dataset A with minimum support 0.003

Task1 computation time: 9.94 seconds. Task2 computation time: 74.85 seconds.

o Dataset A with minimum support 0.006

Task1 computation time: 1.41 seconds. Task2 computation time: 5.82 seconds.

o Dataset A with minimum support 0.009

Task1 computation time: 0.90 seconds. Task2 computation time: 2.18 seconds.

Dataset B with minimum support 0.002

Task1 computation time: 492.82 seconds. Task2 computation time: 571.76 seconds.

Dataset B with minimum support 0.004

Task1 computation time: 307.48 seconds. Task2 computation time: 320.13 seconds.

o Dataset B with minimum support 0.006

Task1 computation time: 271.56 seconds. Task2 computation time: 276.88 seconds.

o Dataset C with minimum support 0.005

Task1 computation time: 7020.31 seconds. Task2 computation time: 7047.03 seconds.

Dataset C with minimum support 0.010

Task1 computation time: 8466.41 seconds. Task2 computation time: 8472.84 seconds.

Dataset C with minimum support 0.015

Task1 computation time: 7309.81 seconds. Task2 computation time: 7313.81 seconds.

- For Task 2, you also need to show the ratio of computation time compared to that of Task 1 in your report.
 - Dataset A with minimum support 0.003

Time ratio (Task2/Task1): 7.53%

Dataset A with minimum support 0.006

Time ratio (Task2/Task1): 4.14%

Dataset A with minimum support 0.009

Time ratio (Task2/Task1): 2.41%

o Dataset B with minimum support 0.002

Time ratio (Task2/Task1): 1.16%

Dataset B with minimum support 0.004

Time ratio (Task2/Task1): 1.04%

o Dataset B with minimum support 0.006

Time ratio (Task2/Task1): 1.02%

o Dataset C with minimum support 0.005

Time ratio (Task2/Task1): 1.00%

Dataset C with minimum support 0.010

Time ratio (Task2/Task1): 1.00%

Dataset C with minimum support 0.015

Time ratio (Task2/Task1): 1.00%

- Paste the screenshot of your code modification for Task 1 and Task 2 with comments and explain it.
 - 。在Task 1中,我使用平行化的方式找到support大於等於minimunm support的itemsets。如下圖所示,我使用multiprocessing.Pool,而其中的process即為系統的CPU核心數,接著,我使用pool.starmap()將每個item與transaction配對,平行呼叫check_item_support()這個函數,以同時計算多個item的support。而最後的results則是包含多個item與count配對的列表,其中count為該item出現的次數,用來計算support。接著,遍尋results內的元素,freqSet[item] += count 代表將count累加到freqSet對應的item中,接著除以transaction list的長度以計算support,若support大於等於我們所指定的minimum,則加到_itemSet中,最後回傳由frequent items(support >= minimum support的itemset)所構成的_itemSet。另外,我也使用在command line輸入的指令參數,輸出相對應的文件檔名(dataset, minimum support, task 1 or 2, result 1 or 2)、以及作業所要求的格式。

```
def returnItemsWithMinSupport(itemSet, transactionList, minSupport, freqSet):
    """calculates the support for items in the itemSet and returns a subset
   of the itemSet each of whose elements satisfies the minimum support"""
    _itemSet = set()
    localSet = defaultdict(int)
   with mp.Pool(processes=mp.cpu_count()) as pool:
        results = pool.starmap(check_item_support, [(item, transactionList) for item in itemSet])
    for item, count in results:
       freqSet[item] += count
       support = float(count) / len(transactionList)
       if support >= minSupport:
           _itemSet.add(item)
    return _itemSet
def check_item_support(item, transactionList):
    count = sum(1 for transaction in transactionList if item.issubset(transaction))
    return item, count
```

```
def printResults(items, candidate_count, dataset_name, output_path, task_num, support_str):
    idx = 1
    total_num_itemset = len(items)
    result1_filename = os.path.join(output_path, f"step2_task{task_num}_{dataset_name}_{support_str}_result1.txt")
    result2_filename = os.path.join(output_path, f"step2_task{task_num}_{dataset_name}_{support_str}_result2.txt")

with open(result1_filename, 'w') as f1:
    with open(result2_filename, 'w') as f2:
    f2.write(str(total_num_itemset) + "\n")
    for item, support in sorted(items, key=lambda x: x[1], reverse=True):
        item_str = "{" + ",".join(item) + "}"
        support = support * 100
        f1.write(f"{support:.1f}\t{item_str}\n")
    for candi in candidate_count:
        f2.write(f"{idx}\t{candidate_count[idx-1][0]}\t{candidate_count[idx-1][1]}\n")
        idx += 1
```

在Task 2中,我使用getFrequentClosedItemsets()來找尋frequent closed itemsets。由於前面已經計算出frequent itemsets,我們直接利用這個frequent itemsets來mine frequent closed itemsets (而Task 2 的執行時間依然包含Task 1 mining frequent itemsets 的時間),其方式如下程式碼所示,我們遍尋largeSet,並再次計算各個item的support,接著使用isClosed()函數來檢視該item是否為frequent closed item,isClosed()函數會檢查freqSet的其他frequent item (other_item)判斷是否與其相同、是否為other_item的子集、是否與other_item有一樣的support,若上述三個條件都成立,則該item就不為frequent closed itemset,即回傳False,反之,則回傳True,表示該item為frequent closed item。另外,輸出文件則一樣因應command line輸出不同的文件檔名、格式。

```
def printClosedItemsets(closed_items, dataset_name, output_path, support_str):
    result_filename = os.path.join(output_path, f"step2_task2_{dataset_name}_{support_str}_result1.txt")
    total_num_closed_itemsets = len(closed_items)
    with open(result_filename, 'w') as f:
        f.write(str(total_num_closed_itemsets) + "\n")
        for item, support in sorted(closed_items, key=lambda x: x[1], reverse=True):
            item_str = "{" + ",".join(item) + "}"
            support = support * 100
            f.write(f"{support:.1f}\t{item_str}\n")
```

• Step III

- Descriptions of your mining algorithm
 - Relevant references
 https://github.com/chonyy/fpgrowth_py/blob/master/fpgrowth_py/fpgrowth.py
 - Program flow

在Step 3中,我使用FP-Growth Algorithm來mine frequent itemsets。在主程式 中,我使用了四個參數,分別是inputFile, minSupport, minConfidence, outputPath,因應inputFile的格式,若是屬於.data檔案,則先轉成.csv檔案再讀取 transaction。接著使用fpgrowthFromFile()函數讀取transaction進行FP-Growth演 算法,一開始先計算support,跟Apriori不同的是,這個演算法的minSupport的算法 是transaction list數量乘以我們一開始所輸入的minSupport。之後利用 constructTree()函數建立FP tree和header table, FP tree中的每個節點包含幾個要 素,itemName代表該transaction的名稱、count代表該item在目前的樹中的出現次 數、parent則指向該節點的父節點、children指向子節點,而每一筆的transaction按 frequency高低依序插入樹中,若遇到樹中已存在該節點,則增加其count,否則創建 新的節點並連接到樹中;header table中的元素為大於或等於minimum support的 items,每個item會指向FP tree中該item的第一個節點,並以chain的形式串連所有 出現在該item的節點,以便快速定位每個frequent itemset在FP tree中的位置, header table會依據frequency的高低來更新FP tree,若FP tree存在(非空),則執 行mineTree()函數來遞迴mining FP tree,依照header table 中的item 排序,逐個提 取frequent items,若新建的FP tree不為空,則繼續遞迴mining該樹,擴展frequent itemsets,另外,若有新的transaction插入到FP tree中,header table也會因此更 新,指向FP tree中新插入的節點,並形成chain以便查詢。最後的associationRule() 函數則是用來計算每個association rule的confidence,只保留confidence大於 minimum confidence 的rule。最後printResults()函數如Apriori演算法中的一樣,輸 出frequent items及其support,並且記錄每個階段的candidate counts。

- Differences/Improvements in your algorithm
 - 不同於step 2使用的Apriori演算法,在step 3中我使用FP-Growth演算法,即便Apriori中使用平行化的運算大幅改善運算時間,不使用平行運算的FP-Growth在絕大部分的表現(執行時間)還是比Apriori演算法快速,其原因為FP tree能夠直接幫助mining frequent itemsets,不需要生成candidate itemsets,不像Apriori演算法會生成大量的candidate itemsets,在每一輪新增item element數時都需要重新遍尋items,且隨著item數量的增加會大幅增加candidate itemsets的數量,導致計算量大幅提升。另外,針對一些出現次數較少的items,FP-Growth能夠保留item之間的重要關聯性,使得在處理frequent itemsets時更有優勢、更快速。

在step3.py中,我更改原始程式碼,使用set()來儲存frequent itemsets,這樣做的目的是為了防止最後輸出frequent itemsets時會跑出重複的items,另外,也新增了printResults()來輸出task 1所需的文件,如同Apriori演算法中的輸出格式一樣。

- Computation time
 - o Compare the computation time of Task 1 with Step II
 - ► Dataset A with minimum support 0.003: -126.56%
 - Dataset A with minimum support 0.006: 29.08%
 - ► Dataset A with minimum support 0.009: 61.10%
 - ► Dataset B with minimum support 0.002: -51.74%
 - ► Dataset B with minimum support 0.004: 0.46%
 - Dataset B with minimum support 0.006: 16.98%
 - ► Dataset C with minimum support 0.005: 28.35%
 - ► Dataset C with minimum support 0.010: 45.11%
 - ► Dataset C with minimum support 0.015: 40.75%
 - o Paste the screenshot of the computation time.
 - ▶ Dataset A with minimum support 0.003

Task 1 computation time: 22.52 seconds.

Dataset A with minimum support 0.006

Task 1 computation time: 1.00 seconds.

▶ Dataset A with minimum support 0.009

Task 1 computation time: 0.35 seconds.

► Dataset B with minimum support 0.002

Task 1 computation time: 747.82 seconds.

Dataset B with minimum support 0.004

Task 1 computation time: 306.08 seconds.

► Dataset B with minimum support 0.006

Task 1 computation time: 225.44 seconds.

▶ Dataset C with minimum support 0.005

Task 1 computation time: 5029.85 seconds.

► Dataset C with minimum support 0.010

Task 1 computation time: 4647.32 seconds.

► Dataset C with minimum support 0.015

Task 1 computation time: 4331.06 seconds.

- Discuss the **scalability** of your algorithm in terms of the dataset size (i.e., the rate of change on computing time under different data sizes, the largest dataset size the algorithm can handle, etc).
 - 由上面的執行時間可以看到,資料數由1000筆至100000筆資料時,執行時間變成原來的約100倍,而由100000筆資料至500000筆資料時,執行時間變成原本的約11 倍。而又500000筆資料至1000000筆資料時,執行時間則變成原來的2倍左右。