

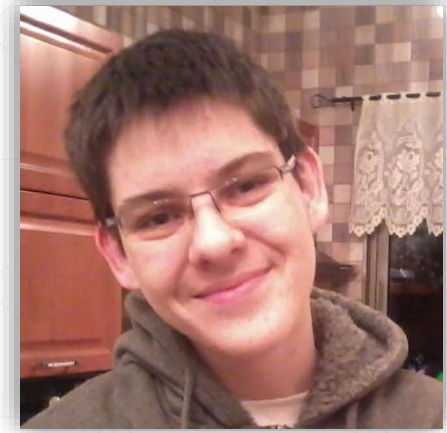
Optics with Monocle

Modeling the part and the whole

By Ilan Godik (@IlanGodik on Twitter, @NightRa on IRC)

About me

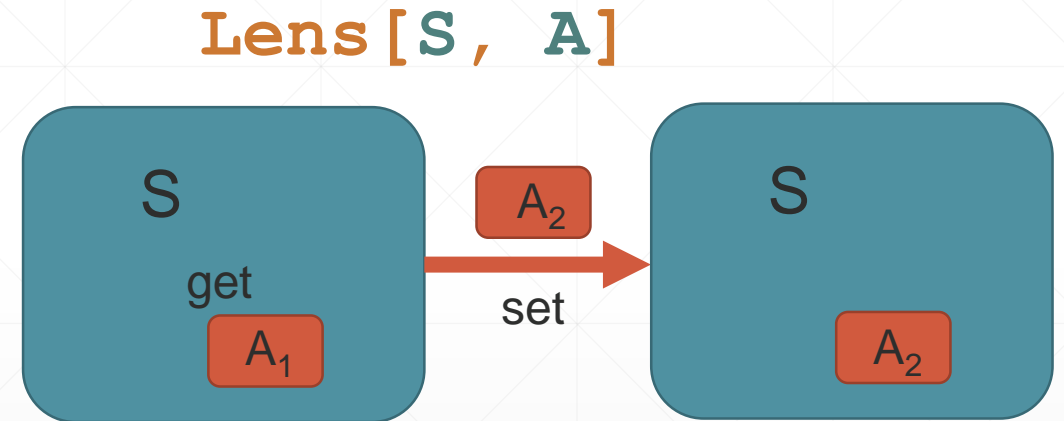
- A CS Undergraduate at Haifa University
- A contributor to the Monocle library
- Functional programming lover.



What are lenses?

In the simplest model, it's just a pair of a getter and a setter:

```
trait Lens[S, A] {  
  def get(s: S): A  
  def set(a: A)(s: S): S  
}
```



Classic lens example

Updating nested structures is verbose and painful

```
case class Person(fullName: String, address: Address)
case class Address(city: String, street: Street)
case class Street(name: String, number: Int)
```

```
person.copy(
  address = person.address.copy(
    street = person.address.street.copy(
      name = person.address.street.name.capitalize
    )
  )
)
```

Monocle Lenses

Define lenses once, and compose as you wish

```
case class Person(fullName: String, address: Address)
case class Address(city: String, street: Street)
case class Street(name: String, number: Int)

val address = Lens[Person](_.address)
val street  = Lens[Address](_.street)
val name    = Lens[Street](_.name)
```

```
(address composeLens street composeLens name).modify(_.capitalize)(person)
```

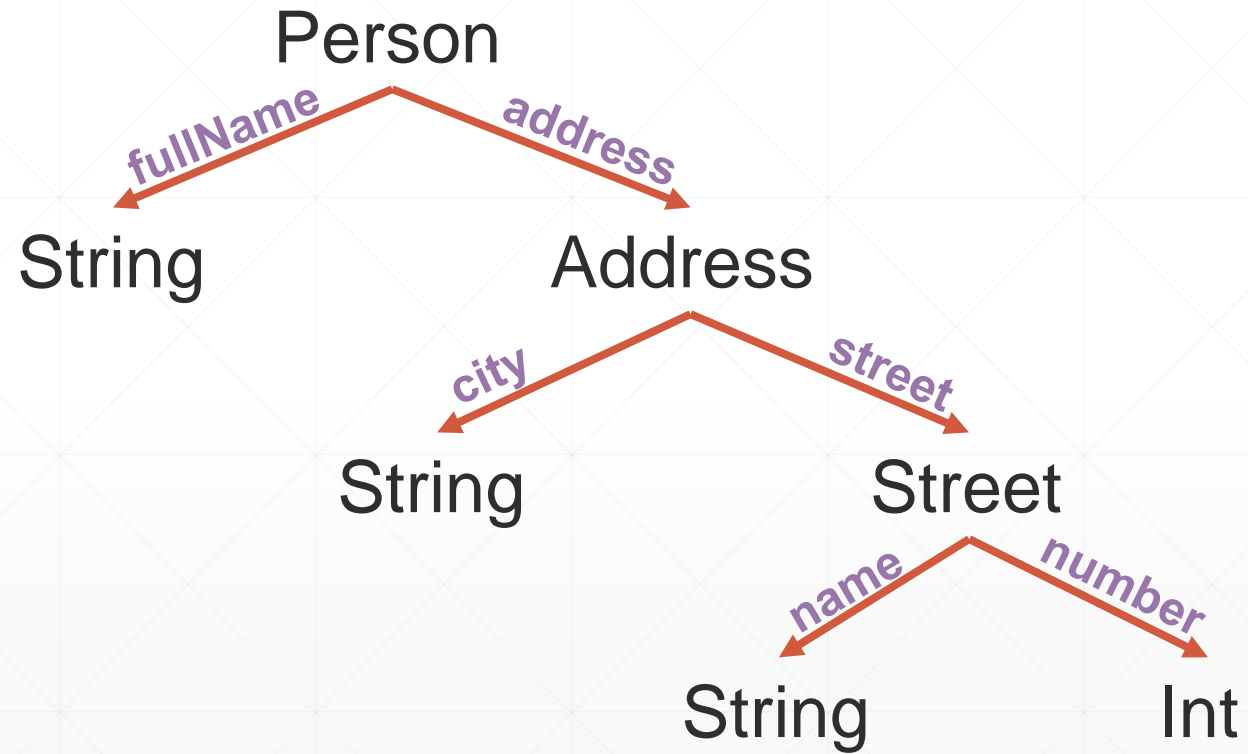
Lenses Macro annotation

Awesome, now also IDE friendly (Intellij support)

```
@Lenses case class Person(fullName: String, address: Address)
@Lenses case class Address(city: String, street: Street)
@Lenses case class Street(name: String, number: Int)
import Person._, Address._, Street._
```

```
(address composeLens street composeLens name).modify(_.capitalize)(person)
```

The object graph

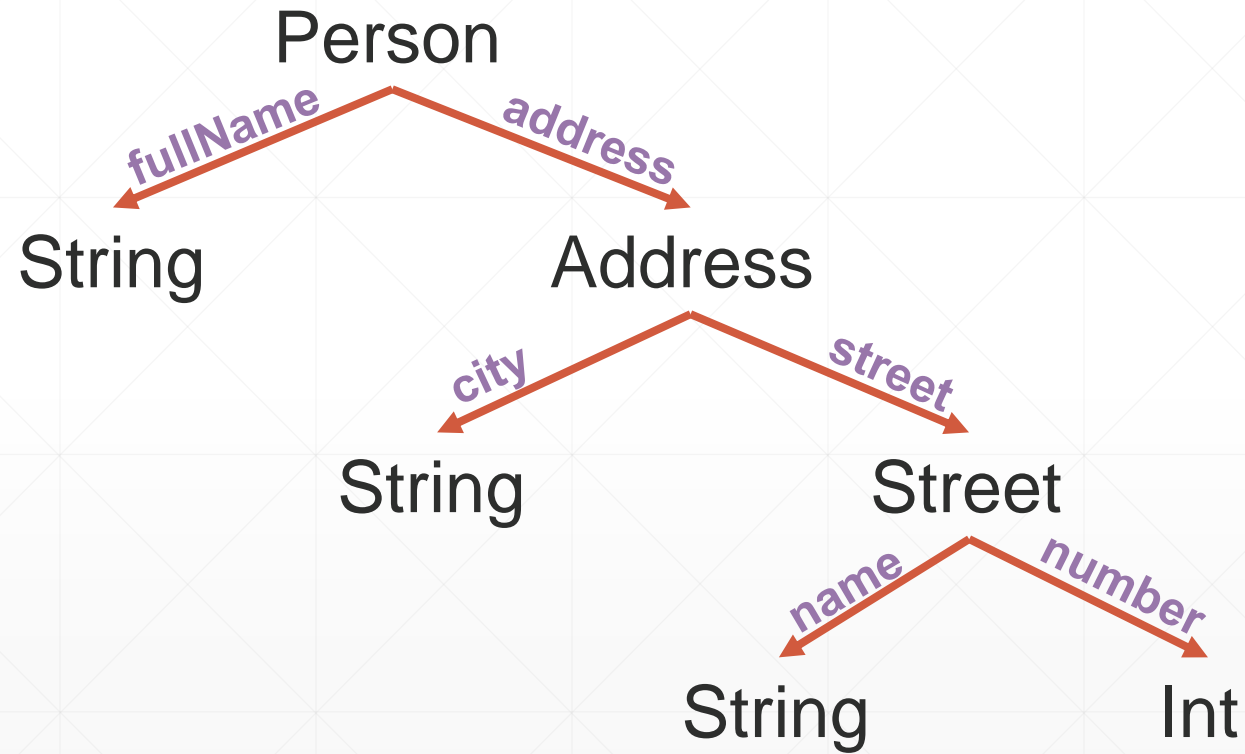


Code size growth

- Vanilla Scala: $O(h^2)$
- Lenses: $O(h)$

Where h is the height of the object graph

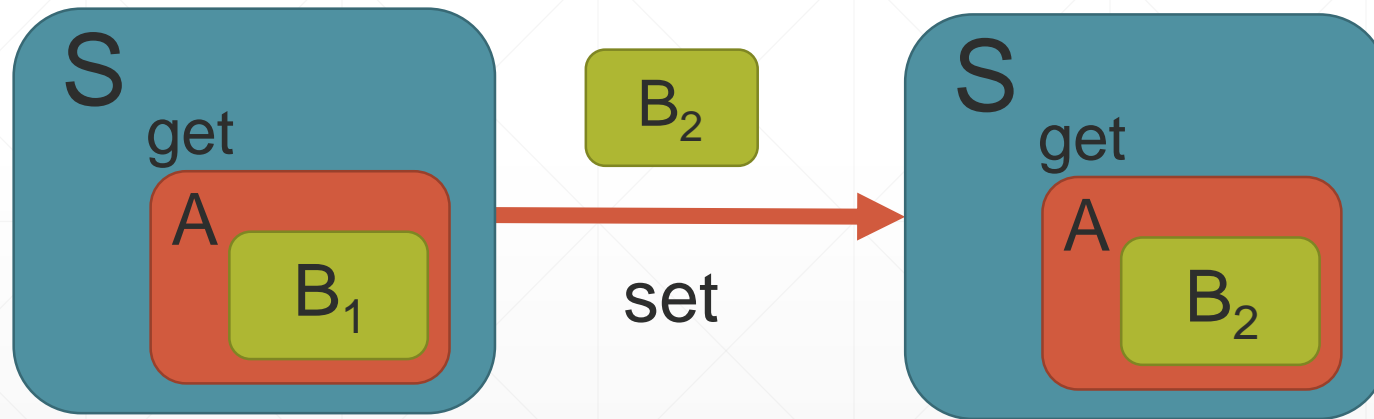
Composition: Follow the arrows



Lens composition

We compose lenses exactly how we would do it with copy.

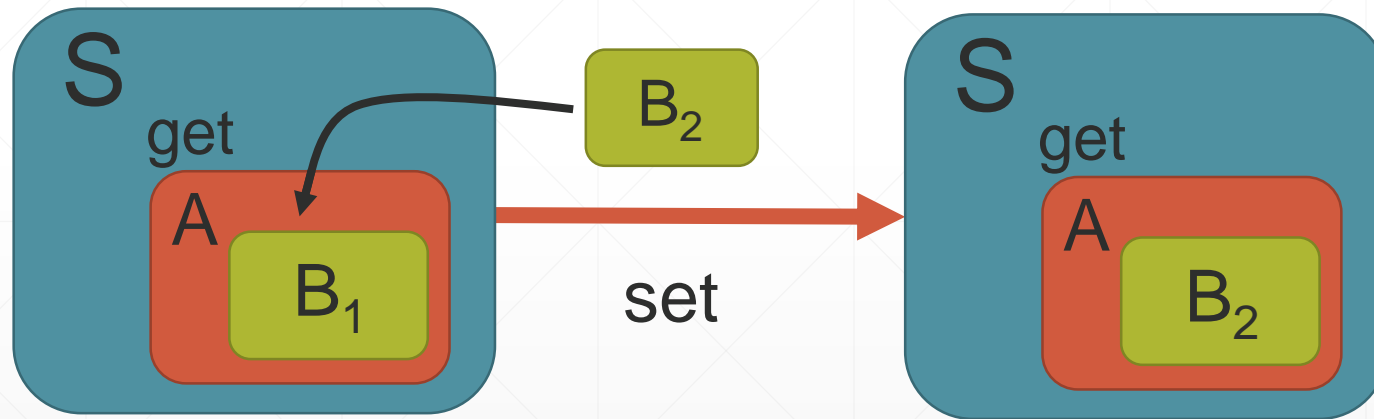
$\text{Lens}[S, A]$ compose $\text{Lens}[A, B]$



Lens composition

We compose lenses exactly how we would do it with copy.

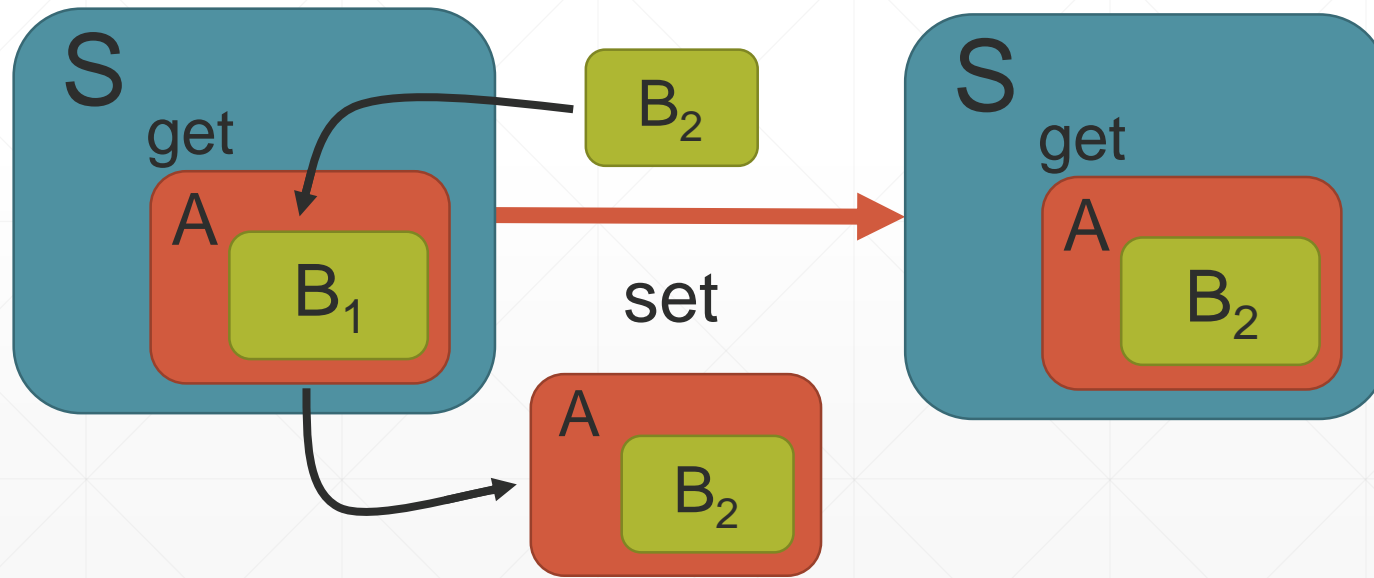
`Lens [S, A] compose Lens [A, B]`



Lens composition

We compose lenses exactly how we would do it with copy.

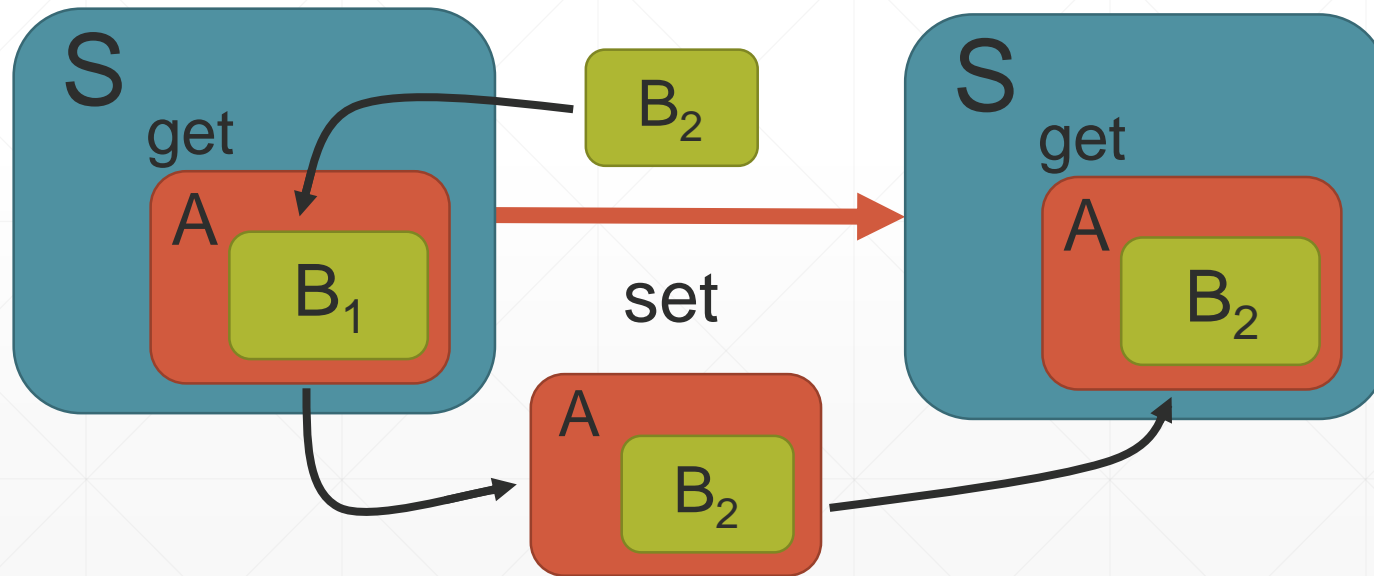
$\text{Lens}[S, A]$ compose $\text{Lens}[A, B]$



Lens composition

We compose lenses exactly how we would do it with copy.

$\text{Lens}[S, A]$ compose $\text{Lens}[A, B]$



Polymorphic Lenses

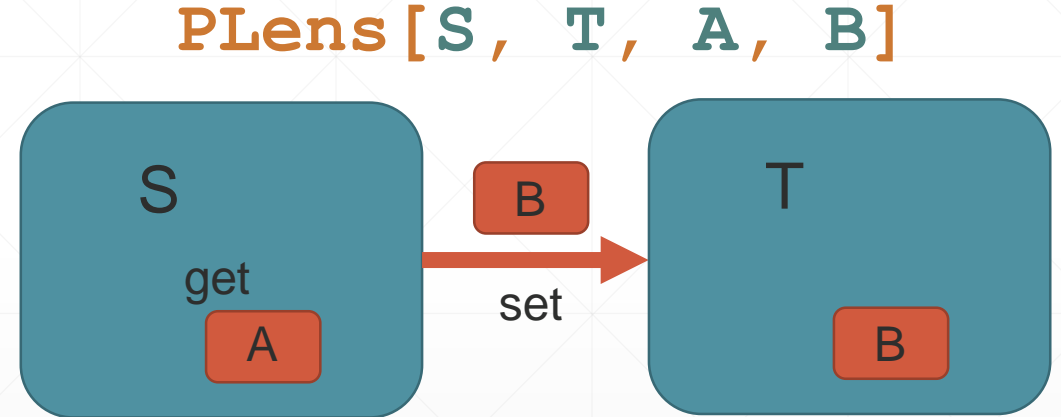
Can we change the type of part of the structure while setting?

```
first.set("Hello") ((1,2)) == ("Hello",2)
```

Polymorphic Lenses

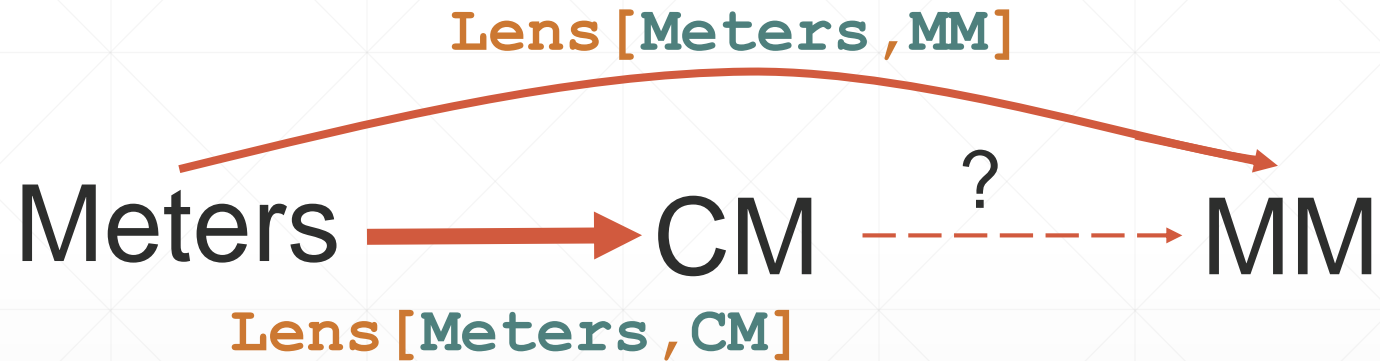
Can we change the type of part of the structure while setting?

```
trait PLens[S, T, A, B] {  
  def get(s: S): A  
  def set(b: B)(s: S): T  
}
```



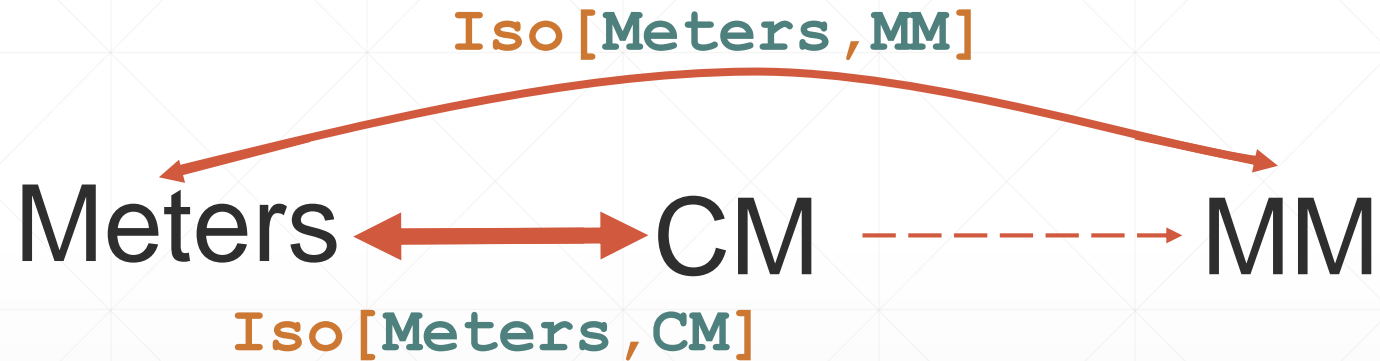
Example: Unit conversion

Optics as different points of view of data



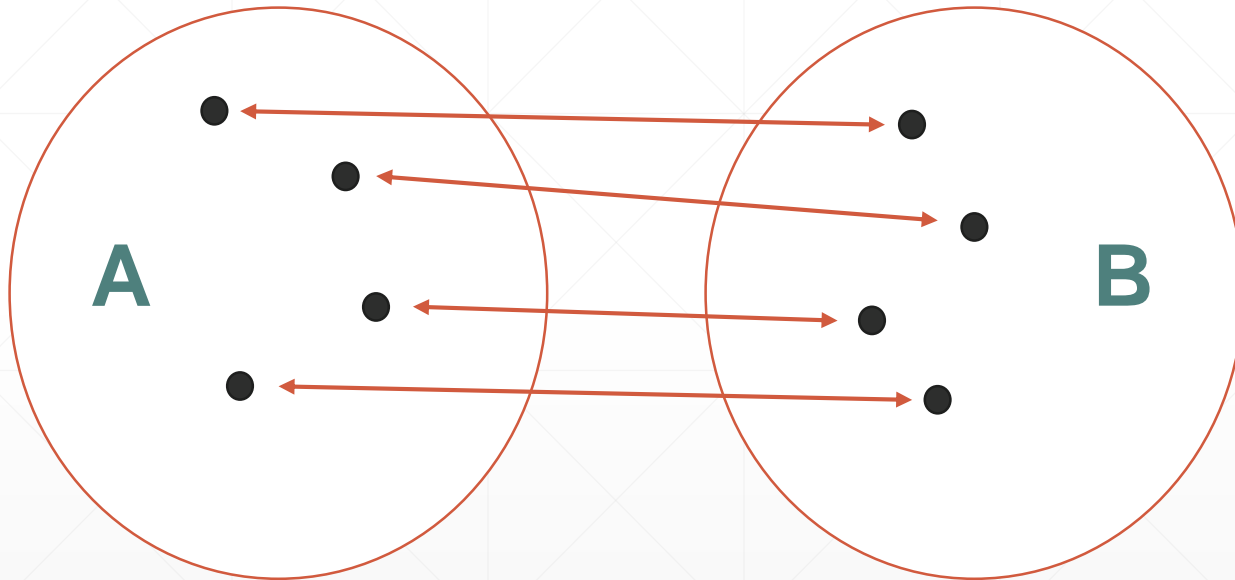
Isomorphisms

Do we get more power if our lens is bidirectional?



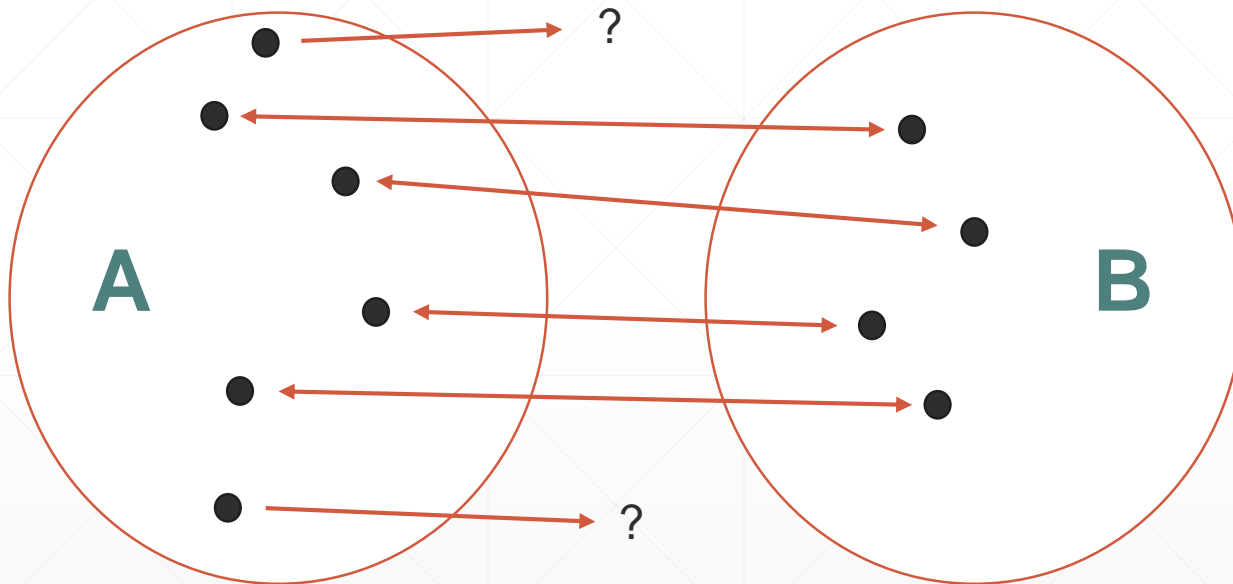
Isomorphisms

Isomorphisms as a bijection: A function with an inverse



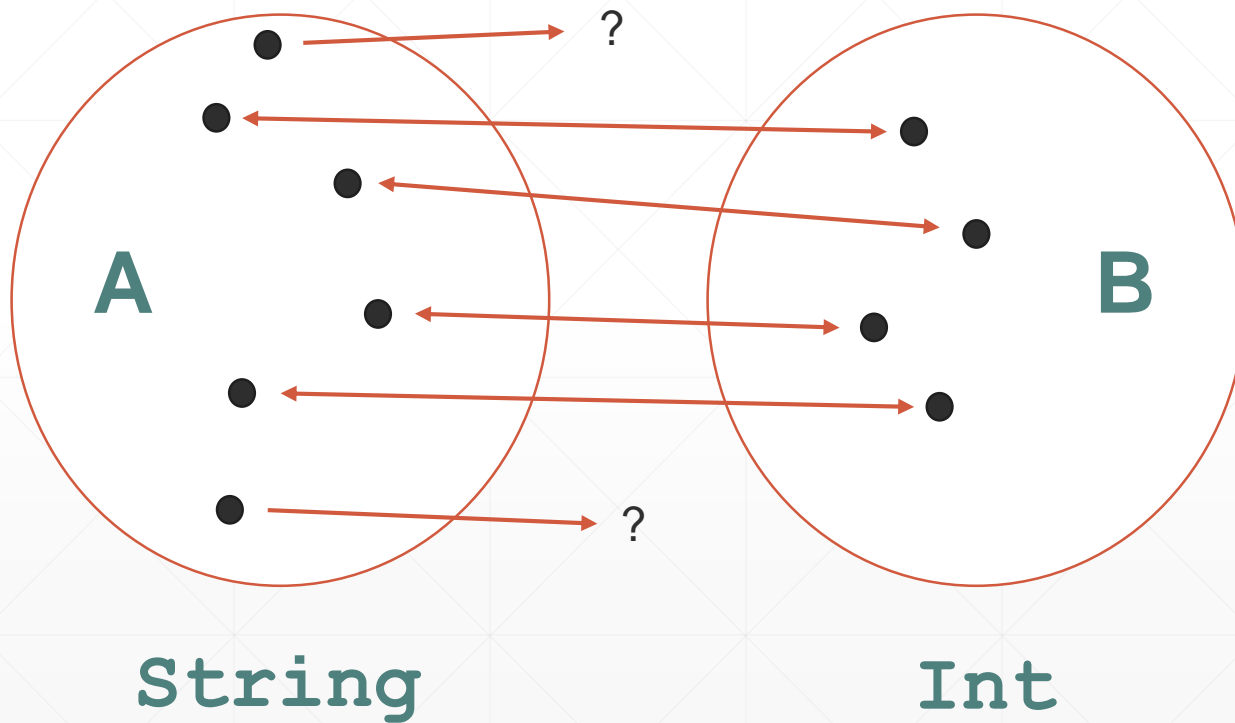
Prisms

What if we don't have such a nice correspondence?



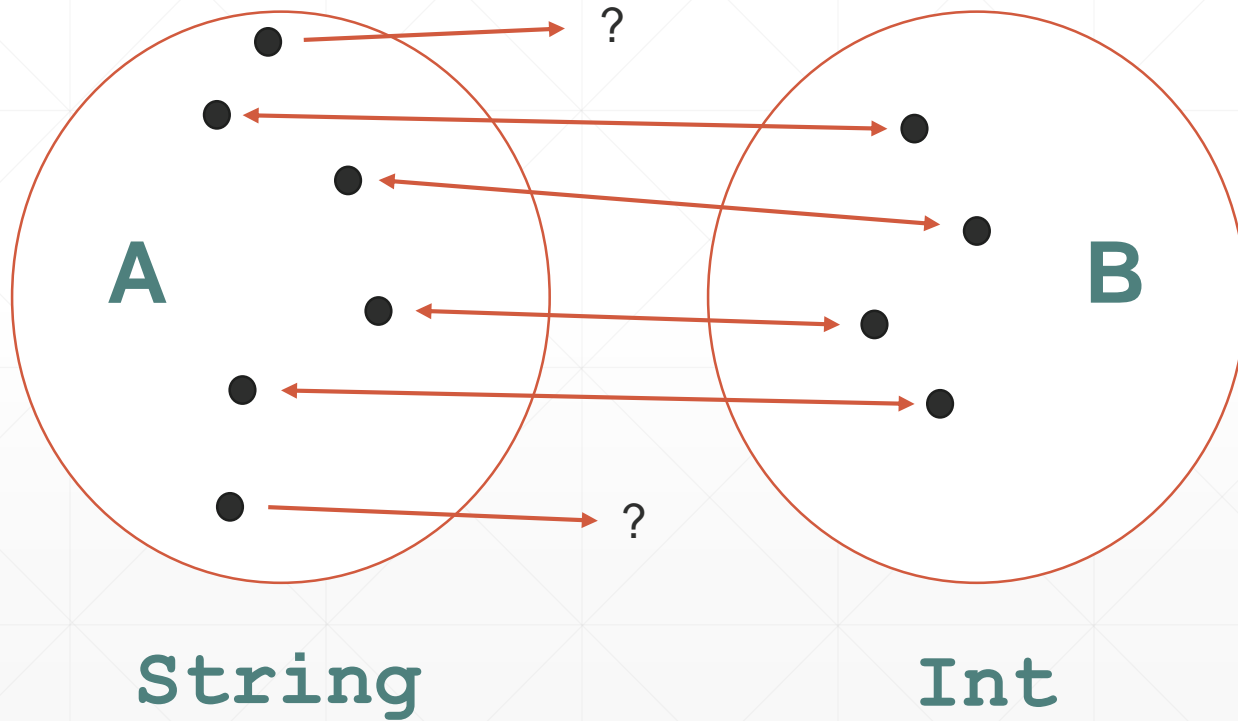
Prisms

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Prisms

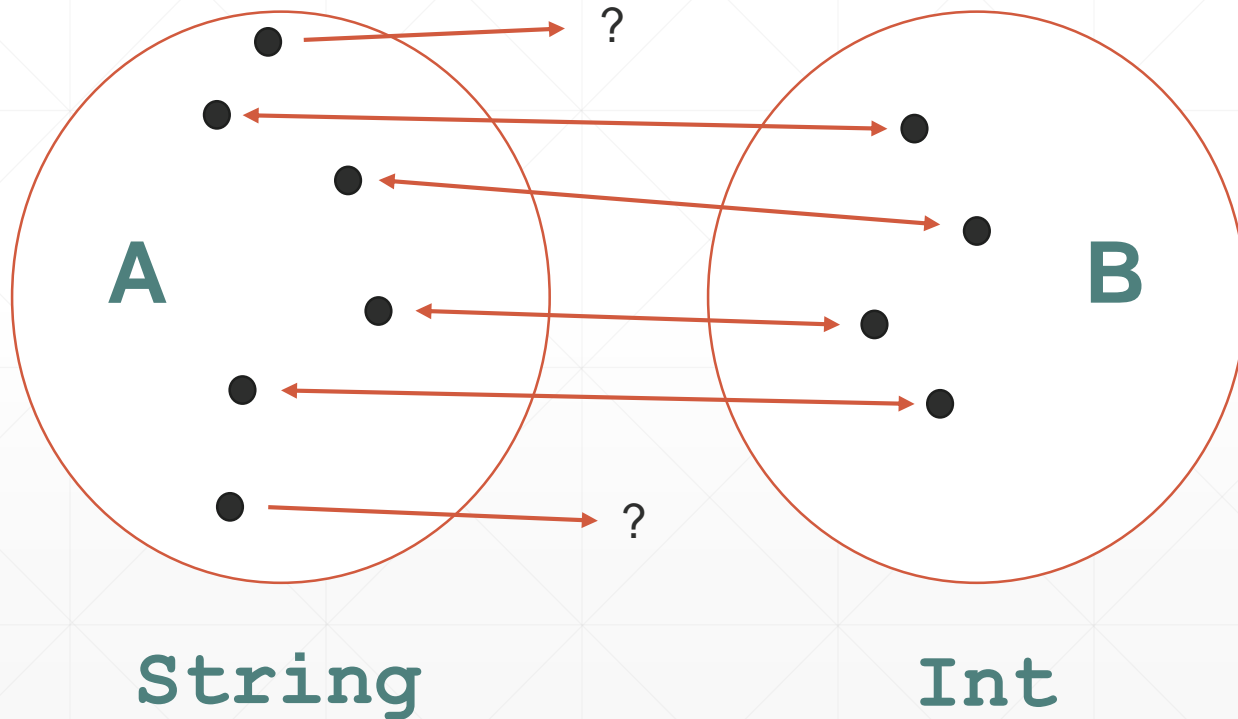
What if we don't have such a nice correspondence?



`String` \longleftrightarrow `Int`
`String` \longrightarrow `Option[Int]`

Prisms

What if we don't have such a nice correspondence?



`String` ← `Int`
`String` → `Option[Int]`

Laws :

1. If there is an answer, going back must give the source.
2. If we go back, there must be an answer, which is the source.

Property Testing

Laws => Automated property testing

`String` \longleftarrow `Int` =

`_.toString`

`String` \longrightarrow `Option[Int]` =

`Try(_.toInt).toOption`

Property Testing

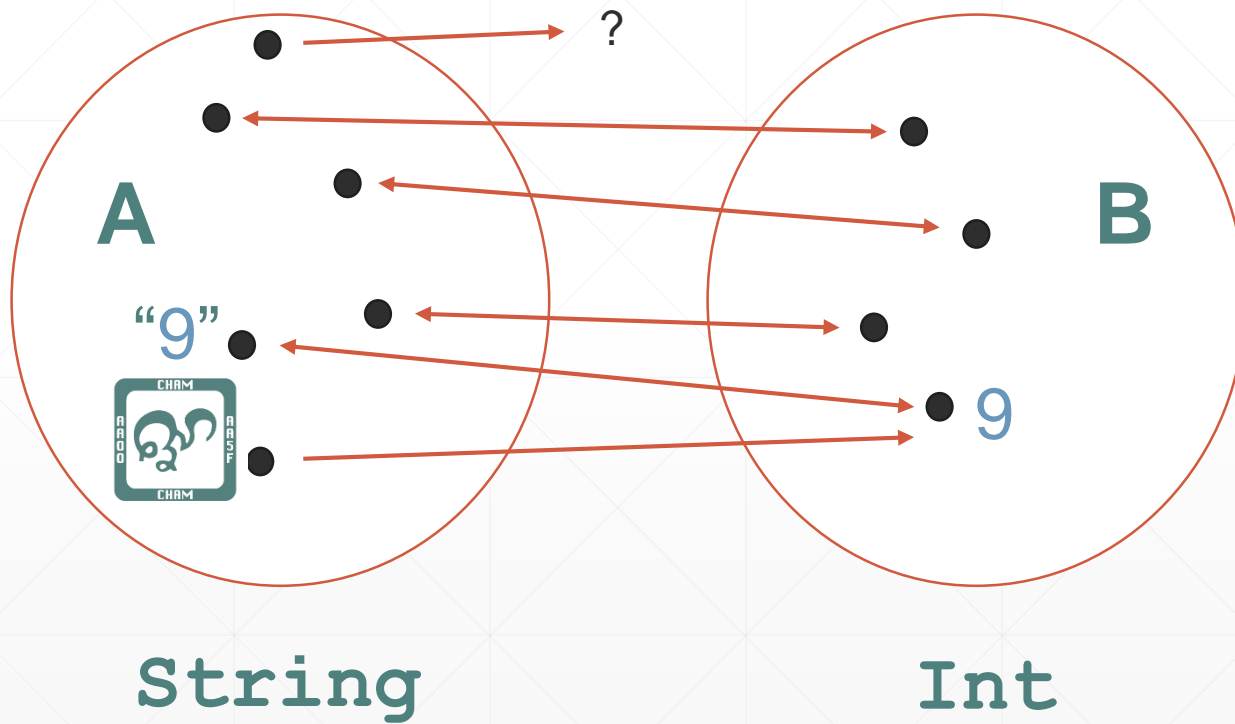


Property Testing

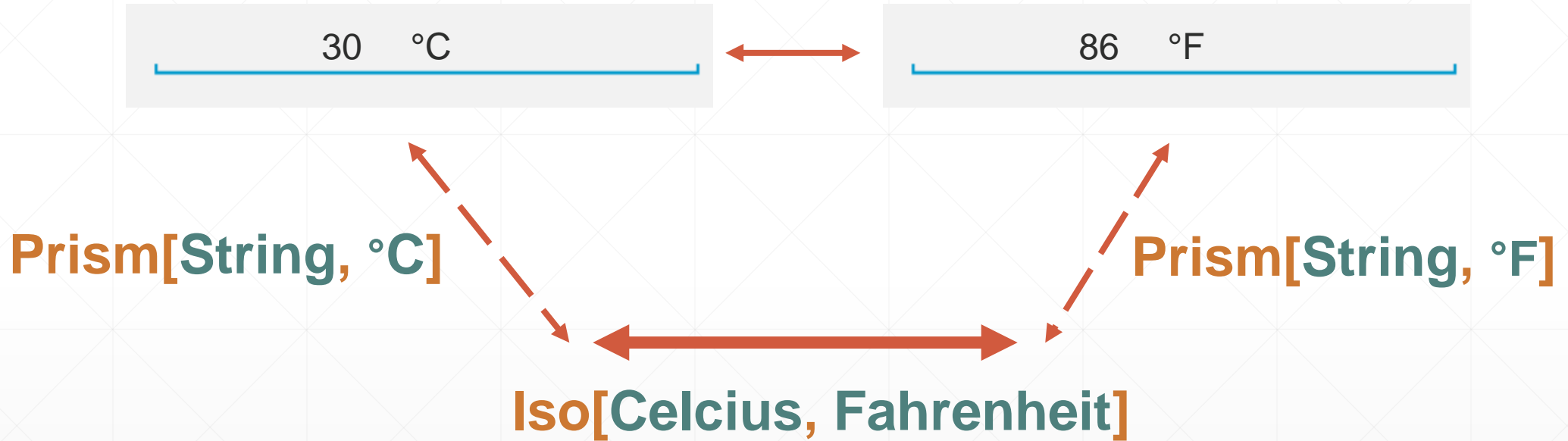


WAT

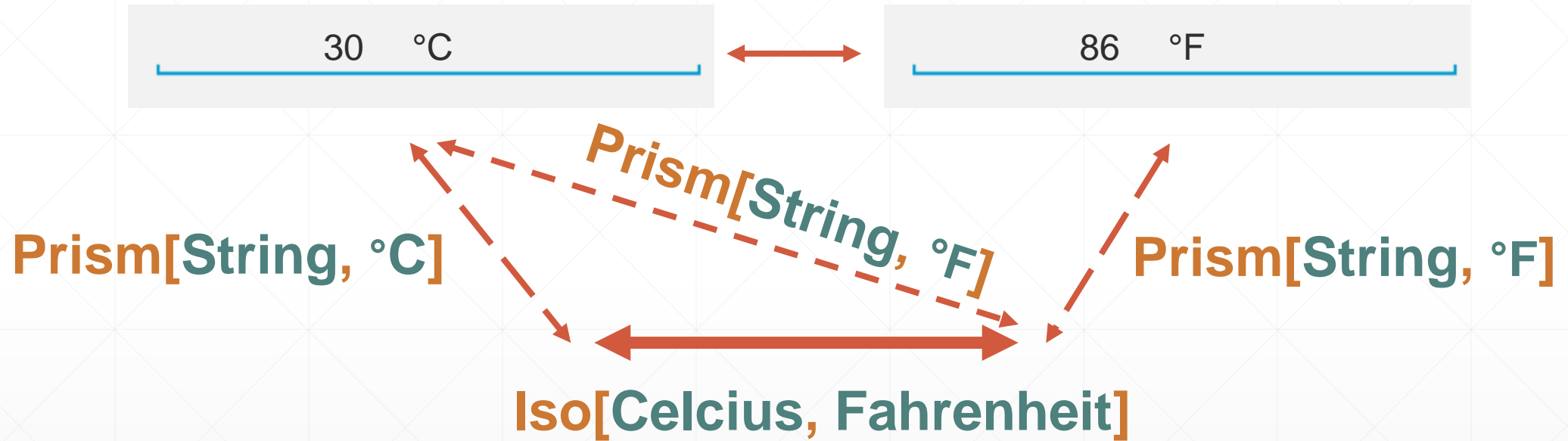
Prism Laws



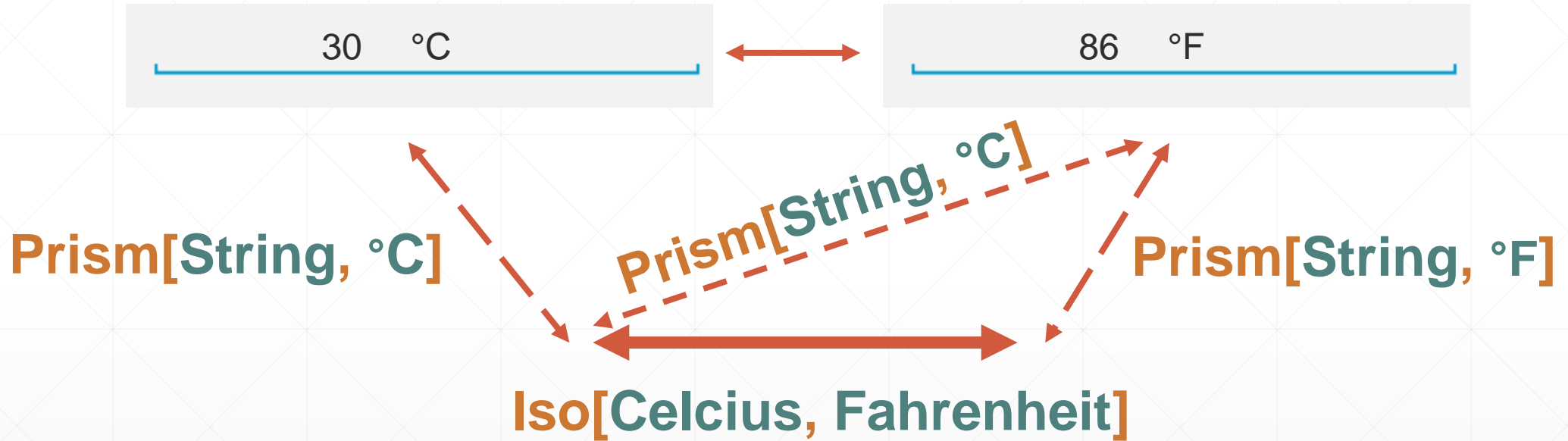
Example: Double binding



Example: Double binding



Example: Double binding



A bit of theory: Van Laarhoven Lenses

Is it possible to unify all the lens functions?

- $\text{get}: S \Rightarrow A$
 - $\text{set}: A \Rightarrow S \Rightarrow S$
 - $\text{modify}: (A \Rightarrow A) \Rightarrow (S \Rightarrow S)$
-

A bit of theory: Van Laarhoven Lenses

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 - $\text{modify}: (A \Rightarrow A) \Rightarrow (S \Rightarrow S)$
 - $\text{modifyMaybe}: (A \Rightarrow \text{Option}[A]) \Rightarrow (S \Rightarrow \text{Option}[S])$
 - $\text{modifyList}: (A \Rightarrow \text{List}[A]) \Rightarrow (S \Rightarrow \text{List}[S])$
-

Functors

```
trait Functor[F[_]] {  
  def map[A,B] (f: A => B) (fa: F[A]) : F[B]  
}
```

List Functor

```
trait Functor[F[_]] {  
  def map[A,B](f: A => B)(fa: F[A]): F[B]  
}
```

```
Functor[List] {  
  def map[A,B](f: A => B)(list: List[A]): List[B] =  
    list.map(f)  
}
```

Option Functor

```
trait Functor[F[_]] {  
  def map[A,B] (f: A => B) (fa: F[A]) : F[B]  
}
```

```
Functor[Option] {  
  def map[A,B] (f: A => B) (opt: Option[A]) : Option[B] = opt match {  
    case None      => None  
    case Some(a)   => Some(f(a))  
  }  
}
```

Van Laarhoven Lenses

The answer:

$\text{Functor}[F] \Rightarrow (A \Rightarrow F[A]) \Rightarrow (S \Rightarrow F[S])$

Van Laarhoven Lenses

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Van Laarhoven Lenses

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-

Van Laarhoven Lenses

The answer:

lens: `Functor[F] => (A => F[A]) => (S => F[S])`

`type Id[A] = A`

lens: `(A => Id[A]) => (S => Id[S])`

lens: `(A => A) => (S => S)`

`modify = lens[Id]`

Identity Functor

```
trait Functor[F[_]] {  
  def map[A,B] (f: A => B) (fa: F[A]) : F[B]  
}
```

```
type Id[A] = A  
Functor[Id] {  
  def map[A,B] (f: A => B) (a: Id[A]) : Id[B]  
}
```

Identity Functor

```
trait Functor[F[_]] {  
  def map[A,B] (f: A => B) (fa: F[A]) : F[B]  
}
```

```
type Id[A] = A  
Functor[Id] {  
  def map[A,B] (f: A => B) (a: Id[A]) : Id[B]  
  def map[A,B] (f: A => B) (a: A) : B = f(a)  
}
```

Van Laarhoven Lenses

The answer:

lens: **Functor**[F] => (A => F[A]) => (S => F[S])

set(b) = modify(_ => b)

get: S => A = ???

Van Laarhoven Lenses

The answer:

lens: **Functor**[F] => (A => F[A]) => (S => F[S])



set(b) = modify(_ => b)

get: S => A = ???

Van Laarhoven Lenses

The answer:

lens: **Functor**[F] => (A => F[A]) => (S => F[S])



type Const[X][T] = X

F = Const[A]

lens: (A => Const[A][A]) => (S => Const[A][S])

lens: (A => A) => (S => A)

get = lens[Const[A]](a => a)

Const Functor

```
trait Functor[F[_]] {  
  def map[A,B] (f: A => B) (fa: F[A]) : F[B]  
}
```

```
type Const[X][T] = X  
Functor[Const[X]] {  
  def map[A,B] (f: A => B) (fa: Const[X][A]) : Const[X][B]  
}
```

Const Functor

```
trait Functor[F[_]] {  
  def map[A,B] (f: A => B) (fa: F[A]) : F[B]  
}
```

```
type Const[X][T] = X  
Functor[Const[X]] {  
  def map[A,B] (f: A => B) (fa: Const[X][A]) : Const[X][B]  
  def map[A,B] (f: A => B) (x: X) : X = x  
}
```

Van Laarhoven Lenses

The answer:

$\text{Functor}[F] \Rightarrow (A \Rightarrow F[A]) \Rightarrow (S \Rightarrow F[S])$

- $\text{get}: S \Rightarrow A$
 - $\text{set}: A \Rightarrow S \Rightarrow S$
 - $\text{modify}: (A \Rightarrow A) \Rightarrow (S \Rightarrow S)$
 - $\text{modifyMaybe}: (A \Rightarrow \text{Option}[A]) \Rightarrow (S \Rightarrow \text{Option}[S])$
 - $\text{modifyList}: (A \Rightarrow \text{List}[A]) \Rightarrow (S \Rightarrow \text{List}[S])$
-

Creating Van Laarhoven Lenses

lens: **Functor**[**F**] => (**A** => **F**[**A**]) => (**S** => **F**[**S**])

```
def get: S => A
def set: A => S => S
def lens[F[_]:Functor] (f: A => F[A]) (s: S) : F[S] =
  f (get(s)) . map (a => set(a) (s))
  
$$\underbrace{\underbrace{A}_{F[A]} \quad (A \Rightarrow S) \Rightarrow}_{F[A] \Rightarrow F[S]} \underbrace{(A \Rightarrow S)}_{F[S]}$$

```

Shortly:

```
lens f s = f (get(s)) . map (a => set(a) (s))
```

Creating Van Laarhoven Lenses

lens: **Functor**[**F**] => (**A** => **F**[**A**]) => (**S** => **F**[**S**])

```
type Id[A] = A
F = Id

lens: (A => A) => (S => S)
lens f s = f(get(s)).map(a => set(a)(s))
           [ A ]      [ A => S ]

modify f s = set(f(get(s)))(s)
set x s = modify(_ => x) s
          = set(x)(s)
```

Creating Van Laarhoven Lenses

lens: **Functor**[**F**] => (**A** => **F**[**A**]) => (**S** => **F**[**S**])

```
type Const[A] [X] = A
F = Const[A]

lens: (A => A) => (S => A)
lens f s = f(get(s)).map(a => set(a) (s))
           [  A  ]      [  A => S  ]

get' f s = f(get(s))
get s = get' (id) (s) = get(s)
```

Monocle

- Provides lots of built-in optics and functions
 - Macros for creating lenses
 - Monocle used different models of lenses over time
 - Current lens representation: PLens – Van Laarhoven hybrid.
 - Performance: limited by scala function values – pretty good.
-

Resources

- [Monocle on github](#)
 - [Simon Peyton Jones's lens talk at Scala Exchange 2013](#)
 - [Edward Kmett on Lenses with the State Monad](#)
-

Thank you!

Extra Slides

ASTs - Lenses for APIs

We can simplify our mental model with lenses

```
case class Person(fullName: String, address: Address)
```

Case class
declaration

Class
name

List[Field name -> Type]

ASTs - Lenses for APIs

We can simplify our mental model with lenses

Public
constructor

val

```
case class Person(fullName: String, address: Address)
```

Case class
declaration

Class
name

List[Field name -> Type]

Lens[Complex model, Simple model]

Polymorphic Optic Instances

How can we use the same lens for many types?

```
first.set("Hello") ((1,2))      == ("Hello",2)
first.set("Hello") ((1,2,3))    == ("Hello",2,3)
first.set("Hello") ((1,2,3,4))  == ("Hello",2,3,4)
```

Example: Json

The structure of a specific Json object isn't defined at the type system;

Each element can be a **String** or a **Number** or an **Array** or an **Object**.

We want to process Json assuming our specific structure, and let the system handle failures for us.

We can define **Prism[Json, String]**, **Prism[Json, Double]**, **Prism[Json, List[Json]]** and **Prism[Json, Map[String, Json]]**.

Now we can compose these prisms to go deep inside a Json object and manipulate it.

* Polymorphic Lens Composition

