1 Определение грамматики

- 1. $\Sigma = \{[a-zA-Z], ., \backslash, let, =, (,), \backslash n\}$
- 2. $N = \{application, definition, defname, term, lambda abstraction, variable, input\}$
- 3. S = input
- 4. *P* :
 - 1) < definition > := let < termname > = < term >.
 - 2) < defname > := A|B|...|Z.
 - 3) < term >::=< application > |(< term >)| < lambda abstraction > | < variable > | < defname >
 - 4) < variable > := a|b|...|z

 - 6) < application > = < term > < term >
 - 7) $\langle input \rangle = \{ \langle definition \rangle \backslash n \} \langle term \rangle$.

2 Пример

let
$$S = \ x y z.x z (y z)$$

let $K = \ x y.x$
 $S K K$

 $< input > \Rightarrow < definition > \setminus n \{ < definition > \setminus n \} < term > \Rightarrow$

Первое definition:

```
< definition > \Rightarrow
                                                                                                                 (1)
                                           let < termname > = < term > \Rightarrow
                                                                                                                 (2)
                                                             let S = < term > \Rightarrow
                                                                                                                 (3)
                                      let S = < lambda - abstraction > \Rightarrow
                                                                                                                 (4)
               let S = \ \langle variable \rangle \{\langle variable \rangle \}. \langle term \rangle \Rightarrow
                                                                                                                 (5)
(6)
                let S = \langle x < variable \rangle < variable \rangle . < term \rangle \Rightarrow
                                                                                                                 (7)
                                 let S = \langle xy < variable \rangle . < term \rangle \Rightarrow
                                                                                                                 (8)
                                                    let S = \langle xyz. < term \rangle \Rightarrow
                                                                                                                 (9)
                                           let S = \langle xyz. < application > \Rightarrow
                                                                                                               (10)
                                      let S = \langle xyz. < term > < term > \Rightarrow
                                                                                                               (11)
                             let S = \langle xyz. < application > < term > \Rightarrow
                                                                                                               (12)
                        let S = \langle xyz. < term \rangle < term \rangle \Leftrightarrow
                                                                                                               (13)
                   let S = \langle xyz. \langle variable \rangle \langle term \rangle \Rightarrow
                                                                                                               (14)
                                    let S = \langle xyz.x < term > < term > \Rightarrow
                                                                                                               (15)
                               let S = \langle xyz.x < variable > < term > \Rightarrow
                                                                                                                (16)
                                                let S = \langle xyz.xz < term > \Rightarrow
                                                                                                                (17)
                                              let S = \langle xyz.xz(< term >) \Rightarrow
                                                                                                                (18)
                                     let S = \langle xyz.xz(\langle application \rangle) \Rightarrow
                                                                                                               (19)
                                let S = \langle xyz.xz(\langle term \rangle \langle term \rangle) \Rightarrow
                                                                                                               (20)
                           let S = \langle xyz.xz(\langle variable \rangle \langle term \rangle) \Rightarrow
                                                                                                               (21)
                                           let S = \langle xyz.xz(y < term >) \Rightarrow
                                                                                                                (22)
                                                         let S = \langle xyz.xz(yz) \Rightarrow
                                                                                                               (23)
```

Итог:

let $S = \ x y z.x z (y z)$

Bropoe definition:

$$let < term name > = < term > \Rightarrow$$

$$let K = < term > \Rightarrow$$

$$let K = < lambda - abstraction > \Rightarrow$$

$$let K = \setminus < variable > \{ < variable > \}, < term > \Rightarrow$$

$$let K = \setminus < variable > < variable > . < term > \Rightarrow$$

$$let K = \setminus x < variable > . < term > \Rightarrow$$

$$let K = \setminus x < variable > . < term > \Rightarrow$$

$$let K = \setminus xy, < term > \Rightarrow$$

$$let K = \setminus xyz, < variable > \Rightarrow$$

$$let K = \setminus xyz, < variable > \Rightarrow$$

$$let K = \setminus xyz, < variable > \Rightarrow$$

$$let K = \setminus xyz, < variable > \Rightarrow$$

$$let K = \setminus xyz, < variable > \Rightarrow$$

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$$let K = \setminus xyz, < variable > \Rightarrow$$

$$let K = \setminus xyz, < variable > \Rightarrow$$

 $< definition > \Rightarrow$

(24)

(34)

Итог:

let
$$S = \ x y z.x z (y z)$$

let $K = \ x y.x$

term:

$$\langle application > \Rightarrow$$
 (35)
 $\langle term > \langle term > \Rightarrow$ (36)
 $\langle application > \langle term > \Rightarrow$ (37)
 $\langle term > \langle term > \Rightarrow$ (38)
 $\langle defname > \langle defname > \Rightarrow$ (39)
 $SKK \Rightarrow$ (40)

 $< term > \Rightarrow$

Итог:

let
$$S = \ x y z.x z (y z)$$

let $K = \ x y.x$
 $S K K$