

# DAA-Quiz#3-GreedyPart-1-7thOct2022

p22cs004@coed.svnit.ac.in [Switch account](#)



Your email will be recorded when you submit this form

## DAA-Quiz#3-GreedyPart-1-7thOct2022

DAA-Quiz#3-GreedyPart-1-7thOct2022

Scheduled for 05:30 pm, 7th Oct 2022, Duration: Strictly 30 minutes.

1. The quiz must be attempted using your SVNIT email ID only. If attempted using any other email ID, it would NOT be considered. There will not be any exceptions to this.
2. Please attend the quiz that is assigned to you.
3. Total Questions: 30, Total Marks: 60. **There is negative marking. For every FOUR wrong answers, 1 mark would be deducted.**
4. Google classroom may not show the scores with negative marking. Please do not assume that is your real score.
5. Time: 30 minutes
6. Please, DO NOT continue attempting after the deadline - in order to ensure that your quiz is submitted and received in time. No excuses would be tolerated.



Consider the figure shown here for the Activity selection problem, with the aim to select the maximum possible number of mutually compatible activities. The figure shows two possible schedules returned by two different algorithms, with each rectangle representing a job. The figure is a counterexample to show that \_\_\_\_\_.

2 points



- ☐ earliest start time first approach does not work.
- ☐ fewest conflicts first approach does not work
- ☐ shortest interval first approach does not work.
- ☐ earliest finish time first approach does not work.

For the interval scheduling problem, if the set  $A = \{i_1, i_2, i_3, \dots, i_k\}$  with  $|A| = k$  is the set of intervals returned by the algorithm designed as the answer and the set  $O = \{j_1, j_2, j_3, \dots, j_m\}$  be the optimal set of intervals, then in order to prove that the algorithm works, one should prove that \_\_\_\_\_.

2 points

- ☐  $k \leq m$ , that is  $f(i_k) \leq f(j_m)$
- ☐  $k = m$ , that is  $f(i_k) \geq f(j_m)$
- ☐  $k = m$ , that is  $f(i_k) \leq f(j_m)$
- ☐  $k = m$ , that is  $f(j_m) \leq f(i_k)$



You are given a sequence of  $n$  songs where the  $i$ th song is  $l_i$  minutes long. 2 points  
You want to place all of the songs on an ordered series of CDs (e.g. CD 1, CD 2, CD 3, .....CD  $k$ ) where each CD can hold  $m$  minutes. Furthermore, (1) The songs must be recorded in the given order, song 1, song 2, ..., song  $n$ . (2) All songs must be included. (3) No song may be split across CDs. Your goal is to determine how to place them on the CDs as to minimize the number of CDs needed. A greedy algorithm to solve this problem \_\_\_\_\_.

- ☐ will have complexity of the order of  $O(n)$
- ☐ will have complexity of the order of  $O(\lg n)$
- ☐ a greedy algorithm can not be designed to solve this problem
- ☐ will have complexity of the order of  $O(n \lg n)$



2 points

Consider a variation of the Earliest Deadline First scheduling algorithm studied in class. Now, assume that we are given a set of  $n$  jobs. Associated with job  $i$  is an integer (not timing) deadline  $d_i > 0$  and a profit  $p_i > 0$ . For any job  $i$  the profit  $p_i$  is earned iff the job  $i$  is completed by its deadline. To complete a job, one has to process the job on a machine for one unit of time. Only one machine is available for processing jobs. A feasible solution for this problem is a subset  $J$  of jobs such that each job in this subset can be completed by its deadline. The value of a feasible solution  $J$  is the sum of the profits of the jobs in  $J$ . An optimal solution is a feasible solution with maximum value. Assume that given the job mix as shown in the figure, one of the schedule that gives the optimal solution has \_\_\_\_\_ total profit value. Hint: In this job mix, the job schedule  $\langle j_2 j_4 \rangle$  is not feasible but  $\langle j_1 j_3 \rangle$  is - amongst others.

Job	$j_1$	$j_2$	$j_3$	$j_4$
Profit $P$	100	10	15	27
Deadline $D$	2	1	2	1

- ☐ 110
- ☐ 42
- ☐ 115
- ☐ 127



Consider the figure shown here for the Activity selection problem, with the aim to select the maximum possible number of mutually compatible activities. The figure shows two possible schedules returned by two different algorithms, with each rectangle representing a job. The figure is a counterexample to show that \_\_\_\_\_.

2 points



- ☐ shortest interval first approach does not work.
- ☐ earliest start time first approach does not work.
- ☐ earliest finish time first approach does not work.
- ☐ fewest conflicts first approach does not work

The activities as shown in the  $A_1, A_2, \dots, A_{12}$  need to use the same resource. Their start and finish times are as shown. Then, \_\_\_\_\_ is the maximum number of activities that can be completed without having conflicts in this schedule.

2 points

Activity	$A_1$	$A_2$	$A_3$	$A_4$	$A_5$	$A_6$	$A_7$	$A_8$	$A_9$	$A_{10}$	$A_{11}$	$A_{12}$
Start T	1	3	2	6	6	8	4	4	9	10	2	7
Finish T	6	5	7	8	9	9	7	7	12	14	5	10

- ☐ 4
- ☐ 2
- ☐ 5
- ☐ 3



For the problem classroom scheduling in which given that a lecture  $j$  starts at  $s_j$  and finishes at  $f_j$ , with the objective function to find minimum number of classrooms to schedule all lectures so that no two occur at the same time in the same room, the depth of the schedule is defined as \_\_\_\_\_.

2 points

- ☐ the minimum number of the intervals contained, at a unique time
- ☐ none of these
- ☐ the maximum number of the intervals contained, at a unique time

Given as the goal to maximize the number of mutually compatible activities selected out of a given number of activities as shown in the job mix in the figure here, with their start and finish times, one selects first, the last activity to start, that is compatible to all the previous activities. Then, the number of activities selected is \_\_\_\_\_ and is \_\_\_\_\_.

2 points

- ☐ 5, optimal
- ☐ 4, suboptimal
- ☐ 4, optimal
- ☐ 3, suboptimal



Consider the figure shown here for the Activity selection problem, with the aim to select the maximum possible number of mutually compatible activities. The figure shows two possible schedules returned by two different algorithms, with each rectangle representing a job. The figure is a counterexample to show that \_\_\_\_\_.



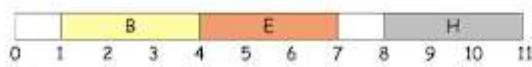
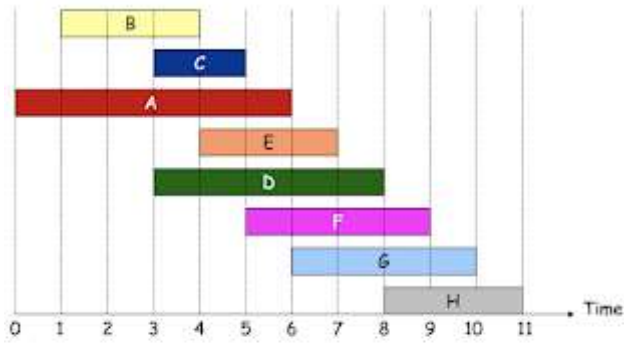
- ☐ fewest conflicts first approach does not work
- ☐ shortest interval first approach does not work.
- ☐ earliest start time first approach does not work.
- ☐ earliest finish time first approach does not work.

This question pertains to proving that the SJF scheduling algorithm is the optimal scheduling algorithm with respect to minimizing the average completion time of the jobs to be scheduled for execution. Consider that the execution time of the jobs is  $t_1, t_2, t_3, t_4, \dots, t_n$  for each of the jobs  $t_i$ ,  $i$  from 1 to  $n$ . The if the jobs are scheduled in the same order i.e. job1 is scheduled first, job 2 is scheduled second, job 3 is scheduled third and job  $n$  is scheduled  $n$ th; then the total completion time is given by the expression \_\_\_\_\_.

- ☐ none of these options
- ☐  $\sum_{i=1}^n [(n-i-1) * t_i]$
- ☐  $\sum_{i=1}^n [(n+i-1) * t_i]$
- ☐  $\sum_{i=1}^n [((n+1)*t_i) - (i*t_i)]$



Consider the figure shown here for the Activity selection problem, with the aim to select the maximum possible number of mutually compatible activities. The figure shows a schedule returned by an algorithm, the bottom figure showing the selected activities by the algorithm. The figure is a counterexample to show that \_\_\_\_\_.



- ☐ fewest conflicts first approach does not work
- ☐ none of these options
- ☐ shortest interval first approach does not work.
- ☐ earliest finish time first approach does not work.





Consider the last scheduling algorithm studied i.e. scheduling to minimize the lateness. Consider only two jobs with their execution times  $t_j$  and their deadlines  $d_j$ , as shown in the diagram below. Then, if scheduled in this order only the one shown in the diagram, the maximum lateness of the schedule is \_\_\_\_\_.

2 points

	1	2
$t_j$	1	10
$d_j$	100	10

courtesy example

- ☐ 2
- ☐ 11
- ☐ 100
- ☐ 1



Consider an instance of the input job schedule as well as the algorithm run, 2 points  
as shown in the figure. This is for the problem in which, under the constraint that the each of the given job  $j$  that starts at time  $s_j$  and finishes at time  $f_j$ , is to be scheduled on machines, such that no two jobs occur at the same time on the same machine; the goal is to minimize the number of machines used. Here the last job to be scheduled on the machine M2 is \_\_\_\_\_.

task	start_ time	finish_ time	time required	availability time now on respective classroom
A	0	2	2	2(M1)
B	3	7	4	7(M1)
C	4	7	3	7(M3)
D	9	11	2	11(M3)
E	7	10	3	10(M1)
F	1	5	4	5(M2)
G	6	8	2	8(M2)

- ☐ C
- ☐ E
- ☐ G
- ☐ F

The time complexity of the optimal algorithm used to schedule  $n$  compatible 2 points  
lectures in classrooms  $t$  ensure that the number of classrooms used is minimal is \_\_\_\_\_.

- ☐  $O(n^2)$
- ☐  $O(\lg n)$
- ☐  $O(n \lg n)$
- ☐  $O(n)$



Consider the last scheduling algorithm studied i.e. scheduling to minimize the lateness. Consider only two jobs with their execution times  $t_j$  and their deadlines  $d_j$ , as shown in the diagram below. Then, to minimize the maximum lateness, job \_\_\_\_\_ should be scheduled first and then the job \_\_\_\_\_.

2 points

	1	2
$t_j$	1	10
$d_j$	2	10

- ☐ 1, 2
- ☐ 2, 1



Consider an instance of the input job schedule as well as the algorithm run, 2 points  
as shown in the figure. This is for the problem in which, under the constraint that the each of the given job  $j$  that starts at time  $s_j$  and finishes at time  $f_j$ , is to be scheduled on machines, such that no two jobs occur at the same time on the same machine; the goal is to minimize the number of machines used. Here the first job to be scheduled on the machine M3 is \_\_\_\_\_.

task	start_ time	finish_ time	time required	availability time now on respective classroom
A	0	2	2	2(M1)
B	3	7	4	7(M1)
C	4	7	3	7(M3)
D	9	11	2	11(M3)
E	7	10	3	10(M1)
F	1	5	4	5(M2)
G	6	8	2	8(M2)

- ☐ D
- ☐ F
- ☐ C
- ☐ E



Consider the figure shown here for the Activity selection problem, with the aim to select the maximum possible number of mutually compatible activities. The figure shows two possible schedules returned by two different algorithms, with each rectangle representing a job. The figure is a counterexample to show that \_\_\_\_\_.



- ☐ earliest finish time first does not work.
- ☐ earliest start time first approach does not work.
- ☐ shortest activity first approach does not work.
- ☐ fewest activity conflicts do not work.

Assume given a job mix to be scheduled on 2 machines  $m_1$ ,  $m_2$  such that no machine processes more than one process at a time, no process is executed by more than one machine, there is non-preemptive scheduling, with the objective to minimize the final completion time, the optimal solution will have \_\_\_\_\_ final completion time.

Job	$j_1$	$j_2$	$j_3$	$j_3$
Burst T	3	5	6	10

- ☐ 11
- ☐ 8
- ☐ 13
- ☐ 16



Consider the Interval scheduling problem studied in the chapter on Greedy design. In a variation of the same problem, consider the following: We have  $n$  requests labeled  $1, \dots, n$ , with each request  $i$  specifying a start time  $s_i$  and a finish time  $f_i$ . Each interval  $i$  now also has a value, or weight  $v_i$ . Two intervals are compatible if they do not overlap. The goal of our current problem is to select a subset  $S \subseteq \{1, \dots, n\}$  of mutually compatible intervals, so as to maximize the sum of the values of the selected intervals,  $(\sum_{i \in S} v_i)$ . This problem be \_\_\_\_\_ solved using the greedy design technique. 2 points

- ☐ can
- ☐ cannot

Given the problem that Jobs  $j_1, j_2, j_3, \dots, j_n$  with running times  $t_1, t_2, t_3, \dots, t_n$  are to be scheduled on multiprocessors such as to minimize the average completion time, the approach to be used is \_\_\_\_\_. 2 points

- ☐ shortest job first, with a new processor used if the next job is not compatible with the job already scheduled on existing processors.
- ☐ none of these.
- ☐ no approach solves the problem in polynomial time
- ☐ earliest finish time first



Consider the problem of scheduling the lectures in a classroom. Given that a lecture  $j$  starts at  $s_j$  and finishes at  $f_j$ , and the goal is to find the minimum number of classrooms to schedule all lectures, so that no two occur at the same time in the same room. Given the job mix as shown below, the depth of this schedule is \_\_\_\_\_.

Lecture	$j_1$	$j_2$	$j_3$	$j_4$	$j_5$	$j_6$	$j_7$	$j_8$
Start T	0	3	4	9	7	1	6	11
Finish T	2	7	7	11	10	5	8	13

- ☐ 3
- ☐ 7
- ☐ 4
- ☐ 5

Formally, a combinatorial optimization problem is a quadruple viz.  $\langle I, f, m, g \rangle$ , where  $I$  is a set of problem instances,  $f(x)$  - is the set of feasible solutions, given a specific problem instance  $x \in I$ , then \_\_\_\_\_.

- ☐  $m(x,y)$  - given an instance  $x$  and a feasible solution of  $x$ ,  $m(x,y)$  denotes the measure of  $x$ , which is usually a positive real.
- ☐  $m(x,y)$  - given an instance  $x$  and a feasible solution of  $x$ ,  $m(x,y)$  denotes the measure of  $x$ , which is an integer.
- ☐  $m(x,y)$  - given an instance  $x$  and a feasible solution of  $x$ ,  $m(x,y)$  denotes the measure of  $y$ , which is an integer. Option 1
- ☐  $m(x,y)$  - given an instance  $x$  and a feasible solution of  $x$ ,  $m(x,y)$  denotes the measure of  $y$ , which is usually a positive real.

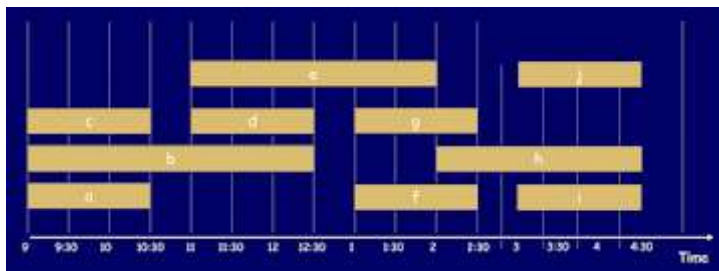


The schedule shown in the Figure here is a counterexample to prove that \_\_\_\_\_ does not work when the goal is to minimize the maximum lateness in a given schedule. 2 points

	1	2
$t_j$	1	10
$d_j$	2	10

- ☐ Shortest-job first
- ☐ shortest-slack time first
- ☐ none of these
- ☐ earliest deadline first

With reference to the Classroom scheduling problem, the depth of the schedule shown in the figure here is \_\_\_\_\_. 2 points



- ☐ 5
- ☐ 3
- ☐ 2
- ☐ 4



Consider an instance of the input job schedule as well as the algorithm run, 2 points  
as shown in the figure. This is for the problem in which, under the constraint that the each of the given job  $j$  that starts at time  $s_j$  and finishes at time  $f_j$ , is to be scheduled on machines, such that no two jobs occur at the same time on the same machine; the goal is to minimize the number of machines used. Here the last job to be scheduled on the machine M3 is \_\_\_\_\_.

task	start_ time	finish_ time	time required	availability time now on respective classroom
A	0	2	2	2(M1)
B	3	7	4	7(M1)
C	4	7	3	7(M3)
D	9	11	2	11(M3)
E	7	10	3	10(M1)
F	1	5	4	5(M2)
G	6	8	2	8(M2)

- ☐ G
- ☐ C
- ☐ F
- ☐ D



Assume there are 6 persons whose cab requirements with the start time and end time (both inclusive i.e. closed intervals) during which each person will travel are as shown in the table below. The minimum number of cabs required to enable all of them travel using a cab each is \_\_\_\_\_.

2 points

Person	Start-time	End-time
1	01:00	02:00
2	16:00	21:30
3	09:30	13:00
4	21:30	22:30
5	21:30	22:30
6	12:00	12:30

☐ 5☐ 4☐ 2☐ 3

Consider a job scheduling problem in which we are given Jobs  $j_1, j_2, j_3, \dots, j_n$  with running times  $t_1, t_2, t_3, \dots, t_n$  to be scheduled on a single processor such as to minimize the average completion time. Given the job mix as shown in the table below, the optimal value of average waiting time is \_\_\_\_\_.

2 points

☐ 12☐ 10☐ 13☐ 7

Consider the last scheduling algorithm studied i.e. scheduling to minimize the lateness. Consider only two jobs with their execution times  $t_j$  and their deadlines  $d_j$ , as shown in the diagram below. Then, if scheduled in ascending order of slacktime  $d_j - t_j$ , then the job 1 misses its deadline by \_\_\_\_\_ whereas job 2 misses its deadline by \_\_\_\_\_ time units. 2 points

	1	2
$t_j$	1	10
$d_j$	2	10

- ☐ 1, 0
- ☐ 9, 0
- ☐ 0, 1
- ☐ 0, 10



Consider an instance of the input job schedule as shown in the figure. This is for the problem in which, under the constraint that the each of the given job  $j$  that starts at time  $s_j$  and finishes at time  $f_j$ , is to be scheduled on machines, such that no two jobs occur at the same time on the same machine; the goal is to minimize the number of machines used. Here the last job to be scheduled on the machine M1 is \_\_\_\_\_.

2 points

task	start_ time	finish_ time	time required	avallability time now on respective classroom
A	0	2	2	2(M1)
B	3	7	4	7(M1)
C	4	7	3	7(M3)
D	9	11	2	11(M3)
E	7	10	3	10(M1)
F	1	5	4	5(M2)
G	6	8	2	8(M2)

- ☐ E
- ☐ B
- ☐ C
- ☐ A



Consider an instance of the input job schedule as shown in the figure. This is for the problem in which, under the constraint that each of the given job  $j$  that starts at time  $s_j$  and finishes at time  $f_j$ , is to be scheduled on machines, such that no two jobs occur at the same time on the same machine; the goal is to minimize the number of machines used. Here the first job to be scheduled on the machine M1 is \_\_\_\_\_ whereas the third job is \_\_\_\_\_.

task	start_ time	finish_ time	time required	availability time now on respective classroom
A	0	2	2	2(M1)
B	3	7	4	7(M1)
C	4	7	3	7(M3)
D	9	11	2	11(M3)
E	7	10	3	10(M1)
F	1	5	4	5(M2)
G	6	8	2	8(M2)

- ☐ A, C
- ☐ C, E
- ☐ A, E
- ☐ A, B

Page 2 of 2

[Back](#)[Submit](#)[Clear form](#)

Never submit passwords through Google Forms.

This form was created inside of Sardar Vallabhbhai National Institute of Technology, Surat. [Report Abuse](#)

Google Forms

