

# npillana\_Assignment 1

## Loading Libraries

```
library(dplyr)

##
## Attaching package: 'dplyr'

## The following objects are masked from 'package:stats':
##
##   filter, lag

## The following objects are masked from 'package:base':
##
##   intersect, setdiff, setequal, union

library(ISLR)
library(ggplot2)
```

## Data Preparation

##Loading DataSet

```
SafeBabies <- Carseats %>% select("Sales", "Price", "ShelveLoc")
summary(SafeBabies)

##      Sales      Price      ShelveLoc
##  Min.   : 0.000   Min.   : 24.0   Bad    : 96
## 1st Qu.: 5.390   1st Qu.:100.0   Good   : 85
##  Median : 7.490   Median :117.0   Medium:219
##  Mean    : 7.496   Mean    :115.8
## 3rd Qu.: 9.320   3rd Qu.:131.0
##  Max.    :16.270   Max.    :191.0
```

## Clean the data. Check for any missing vales

```
table(is.na(SafeBabies))

##
## FALSE
## 1200

sum(is.na(SafeBabies))

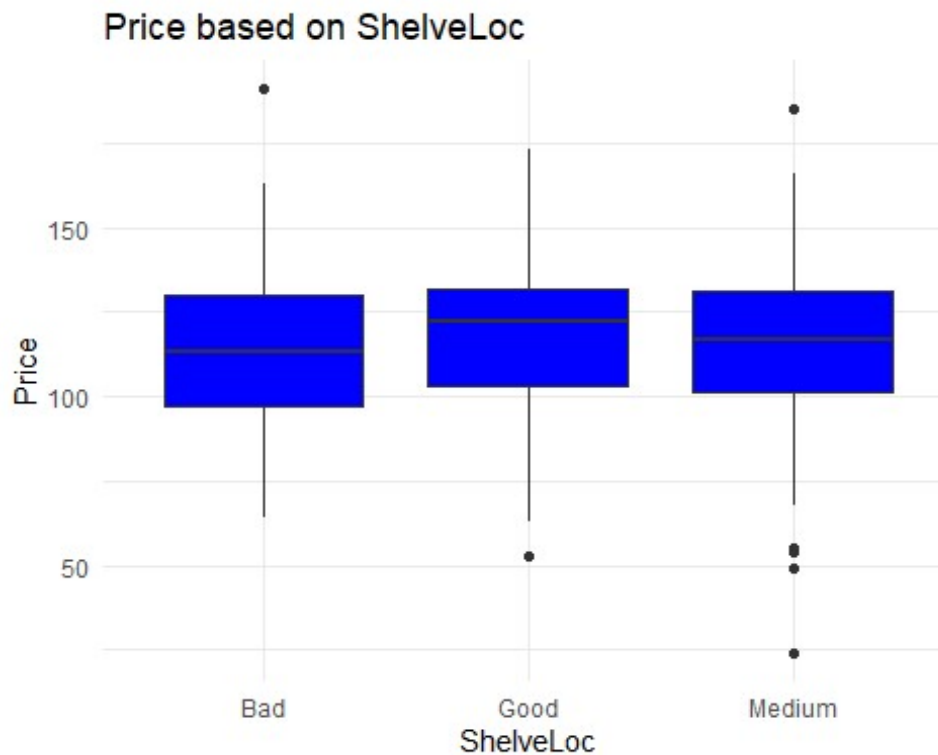
## [1] 0
```

## Divide data based on shelveLoc i.e, Good, Bad and Medium

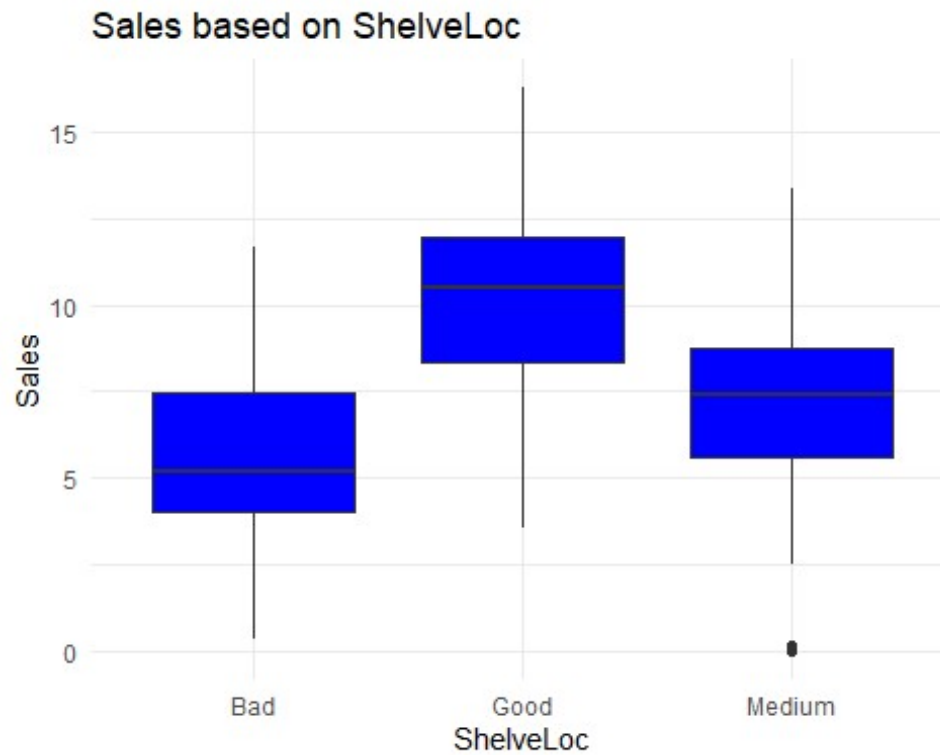
```
Good <- filter(SafeBabies, ShelveLoc == "Good")  
Bad <- filter(SafeBabies, ShelveLoc == "Bad")  
Medium <- filter(SafeBabies, ShelveLoc == "Medium")
```

## Visualizing the Price and Sales based on Shelf location

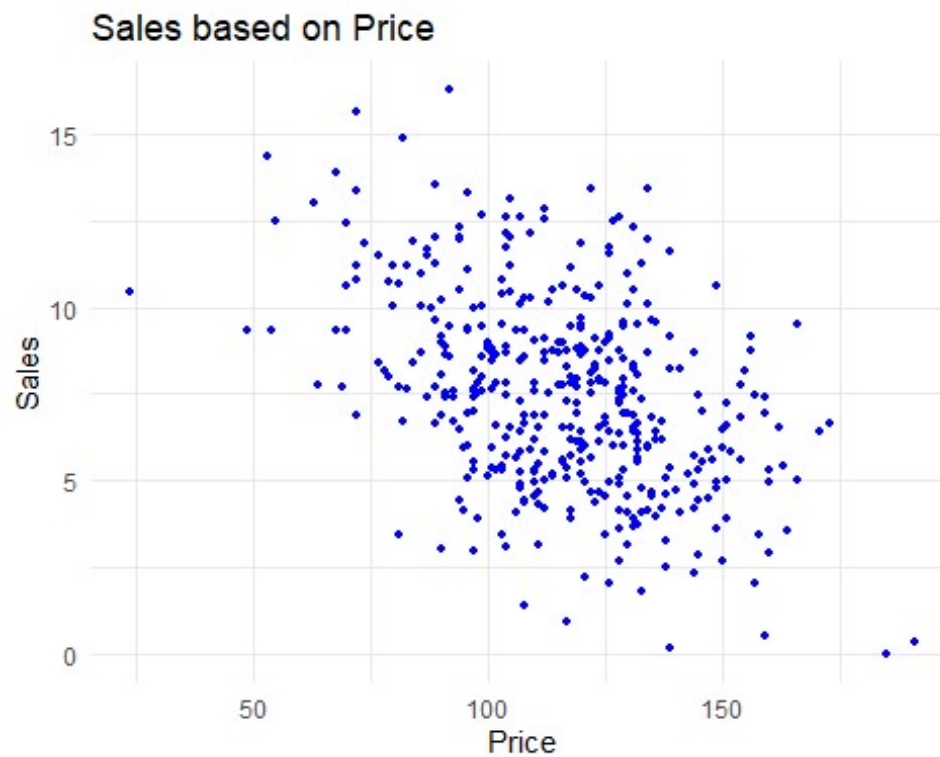
```
ggplot(data=SafeBabies) + aes(x = ShelveLoc, y = Price) + geom_boxplot(fill =  
"blue") + labs(x = "ShelveLoc", title = "Price based on ShelveLoc") +  
theme_minimal()
```



```
ggplot(data=SafeBabies) + aes(x = ShelveLoc, y = Sales) + geom_boxplot(fill =  
"blue") + labs(x = "ShelveLoc", title = "Sales based on ShelveLoc") +  
theme_minimal()
```



```
ggplot(data=SafeBabies) + aes(x = Price, y = Sales) + geom_point(size = 1L,  
colour = "blue") + labs(title = "Sales based on Price") + theme_minimal()
```



Based on above visuals the ShelfLoc with Good has the highest sales when compared to others and the price for Good ShelfLoc is slightly higher than Bad and Medium

## Build a Linear Model

Lets build a linear model to predict the sales for all ShelfLoc

```
Good_Shelve <- lm(Sales ~ Price, data = Good)
Bad_Shelve <- lm(Sales ~ Price, data = Bad)
summary(Good_Shelve)

##
## Call:
## lm(formula = Sales ~ Price, data = Good)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -3.721  -1.351  -0.098   1.483   4.353
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept) 17.968864   0.988008  18.187 < 2e-16 ***
## Price       -0.065785   0.008199  -8.023 5.85e-12 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 1.888 on 83 degrees of freedom
## Multiple R-squared:  0.4368, Adjusted R-squared:  0.43
## F-statistic: 64.37 on 1 and 83 DF, p-value: 5.848e-12

summary(Bad_Shelve)

##
## Call:
## lm(formula = Sales ~ Price, data = Bad)
##
## Residuals:
##      Min       1Q   Median       3Q      Max
## -4.4622 -1.0617 -0.2014  1.2050  4.6412
##
## Coefficients:
##              Estimate Std. Error t value Pr(>|t|)
## (Intercept) 11.832984   0.990317  11.949 < 2e-16 ***
## Price       -0.055220   0.008486  -6.507 3.7e-09 ***
## ---
## Signif. codes:  0 '***' 0.001 '**' 0.01 '*' 0.05 '.' 0.1 ' ' 1
##
## Residual standard error: 1.967 on 94 degrees of freedom
## Multiple R-squared:  0.3105, Adjusted R-squared:  0.3032
## F-statistic: 42.34 on 1 and 94 DF, p-value: 3.702e-09
```

The adjusted R2 tells you the percentage of variation explained by only the independent variables that actually affect the dependent variable. Adjusted R-squared:0.43 for Good ShelveLoc and Adjusted R-squared:0.3032 for Bad ShelveLoc, which explains variability in the car price for Car Seats.

## Formulating the Problem

Total Profit= Sales \* Profit\_per\_Unit  
Profit\_per\_Unit= price – cost  
Sales= $b_1 \text{price} + b_0$   
Total Profit= (price – cost) ( $b_1 \text{price} + b_0$ ) =  $b_1 \text{price}^2 + b_0 \text{price} - \text{cost} b_1 \text{price} - \text{cost} b_0$  =  $b_1 \text{price}^2 + (b_0 - \text{cost} b_1) \text{price} - \text{cost} b_0$

Now we have to find the optimal value, set the derivative to Zero  
Total Profit derivative =  $2b_1 \text{price} + b_0 - b_1 \text{cost}$

Then Price is; Price =  $(-b_0) - (b_1 * \text{cost}) / 2b_1$

## Solving the Problem

*#Lets calculate optimal price for car seat for both Good and Bad Shelve at cost \$55*

```
OptimalPrice <- function(prod_cost, b_0, b_1) {return((((-1 * b_0) + (b_1 * prod_cost)) / (2 * b_1)))}
Good_OptimalPrice<- OptimalPrice(55, Good_Shelve$coefficients[1],
Good_Shelve$coefficients[2])
Good_OptimalPrice
```

```
## (Intercept)
##      164.0731
```

```
paste("optimal price for car seats with good shelve",Good_OptimalPrice)
```

```
## [1] "optimal price for car seats with good shelve 164.07312564386"
```

```
Bad_OptimalPrice<- OptimalPrice(55, Bad_Shelve$coefficients[1],
Bad_Shelve$coefficients[2])
Bad_OptimalPrice
```

```
## (Intercept)
##      134.6435
```

```
paste("optimal price for car seats with Bad shelve",Bad_OptimalPrice)
```

```
## [1] "optimal price for car seats with Bad shelve 134.643464696399"
```

**Calculate the optimal price when the cost varies from \$40 to \$80 with \$5 increments**

```
Varied_Cost <- seq(40,85, by=5)
```

```
for( i in Varied_Cost){
```

```

OptimalPrice_Good <- OptimalPrice(Varied_Cost,
Good_Shelve$coefficients[1],Good_Shelve$coefficients[2])
OptimalPrice_Bad <- OptimalPrice(Varied_Cost,
Bad_Shelve$coefficients[1],Bad_Shelve$coefficients[2])
}

```

## Now, we will combine production costs and optimal prices for good and bad shelf location

```

Combine_cost <- data.frame(cbind(Varied_Cost,OptimalPrice_Good,
OptimalPrice_Bad))
Combine_cost

```

```

##      Varied_Cost OptimalPrice_Good OptimalPrice_Bad
## 1           40          156.5731          127.1435
## 2           45          159.0731          129.6435
## 3           50          161.5731          132.1435
## 4           55          164.0731          134.6435
## 5           60          166.5731          137.1435
## 6           65          169.0731          139.6435
## 7           70          171.5731          142.1435
## 8           75          174.0731          144.6435
## 9           80          176.5731          147.1435
## 10          85          179.0731          149.6435

```

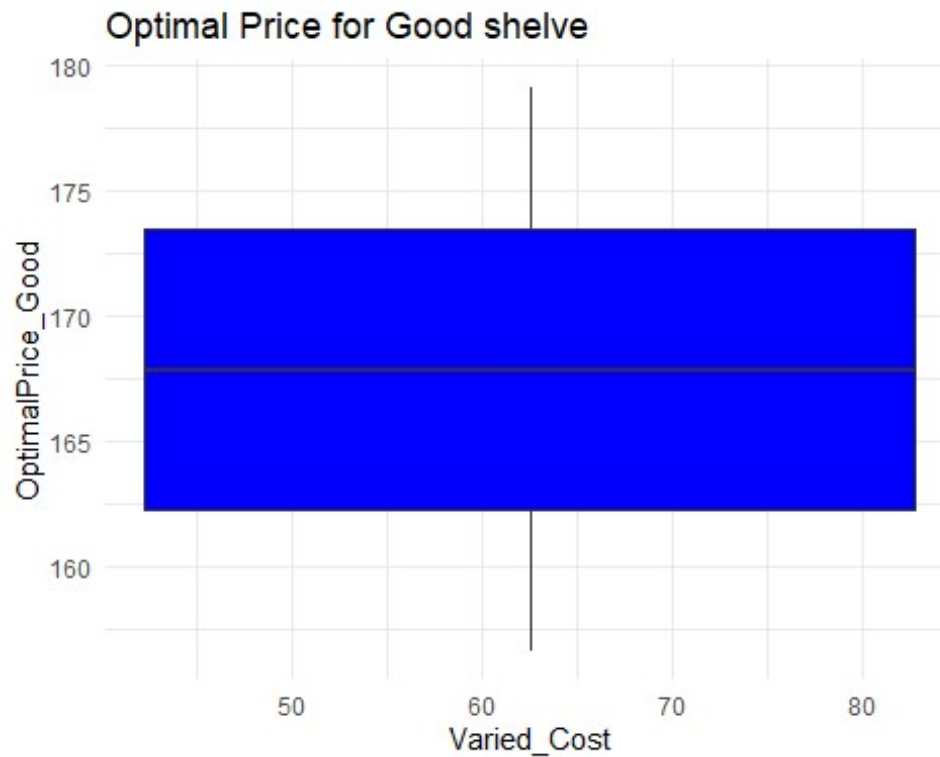
## Visualizing the optimal cost with varying with Production costs from \$40 to \$85 for Good Shelf and Bad Shelf

```

ggplot(data=Combine_cost) + aes(x = Varied_Cost, y = OptimalPrice_Good) +
geom_boxplot(fill = "blue") + labs(x = "Varied_Cost", title = "Optimal Price
for Good shelve") + theme_minimal()

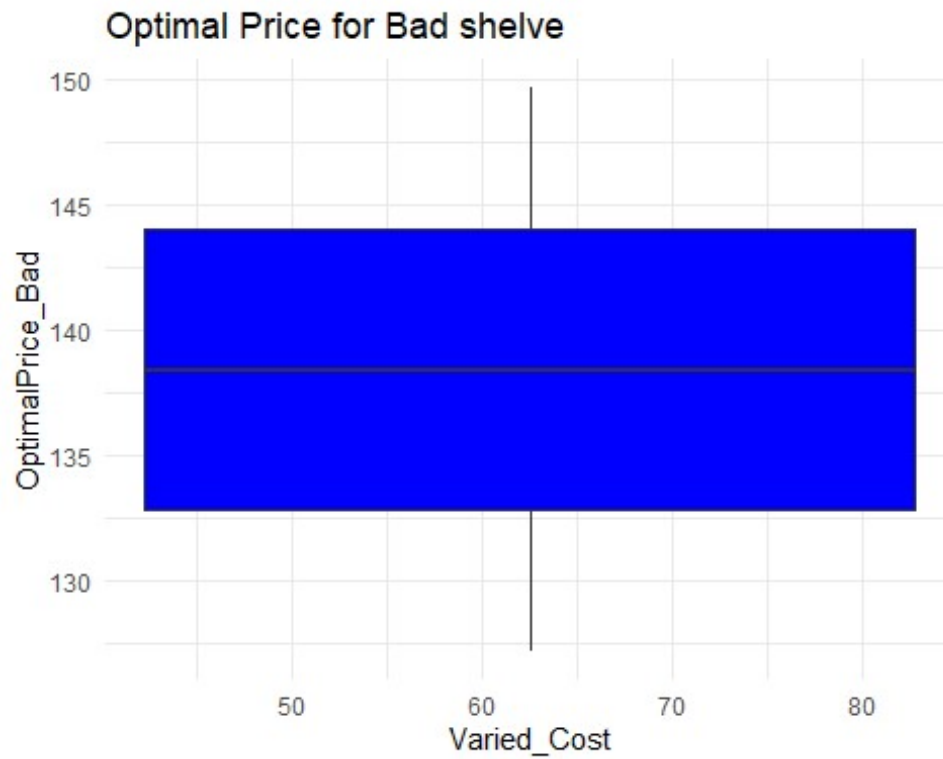
## Warning: Continuous x aesthetic -- did you forget aes(group=...)?

```



```
ggplot(data=Combine_cost) + aes(x = Varied_Cost, y = OptimalPrice_Bad) +  
geom_boxplot(fill = "blue") + labs(x = "Varied_Cost", title = "Optimal Price  
for Bad shelf") + theme_minimal()
```

## Warning: Continuous x aesthetic -- did you forget aes(group=...)?



The above Visuals show that the Optimal Price for the Car seats at Good Shelf is higher than the Optimal Price for the Car seats at Bad Shelf.