VISTULA UNIVERSITY

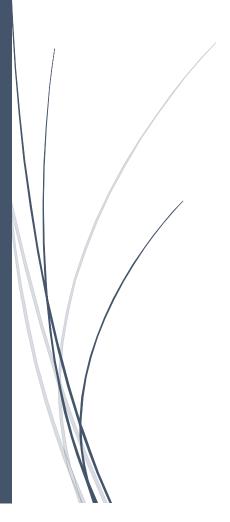
ALGORITHMS AND COMPLEXITY

TURING MACHINE

Student: Nihat Allahverdiyev 46219

Teacher: Zaitsev Dmitry

Erase odd letters in a alphabet {a,b,c}.

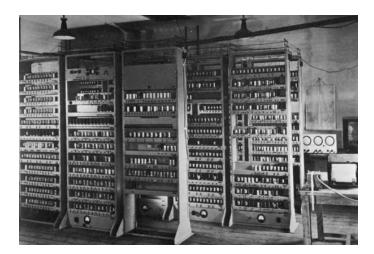


1.ALGORITHM

In <u>mathematics</u> and <u>computer science</u>, an **algorithm** is an unambiguous specification of how to solve a class of problems. Algorithms can perform <u>calculation</u>, <u>data processing</u> and <u>automated reasoning</u> tasks.

An algorithm is an <u>effective method</u> that can be expressed within a finite amount of space and time and in a well-defined formal language for calculating a <u>function</u>. Starting from an initial state and initial input (perhaps <u>empty</u>), the instructions describe a <u>computation</u> that, when <u>executed</u>, proceeds through a finite number of well-defined successive states, eventually producing "output" and terminating at a final ending state. The transition from one state to the next is not necessarily <u>deterministic</u>; some algorithms, known as <u>randomized algorithms</u>, incorporate random input.

The concept of *algorithm* has existed for centuries; however, a partial formalization of what would become the modern *algorithm* began with attempts to solve the <u>Entscheidungsproblem</u> (the "decision problem") posed by <u>David Hilbert</u> in 1928. Subsequent formalizations were framed as attempts to define "<u>effective calculability</u>" or "effective method"; those formalizations included the <u>Gödel–Herbrand–Kleene recursive functions</u> of 1930, 1934 and 1935, <u>Alonzo Church</u>'s <u>lambda calculus</u> of 1936, <u>Emil Post</u>'s "<u>Formulation 1</u>" of 1936, and <u>Alan Turing</u>'s <u>Turing machines</u> of 1936–7 and 1939. Giving a formal definition of algorithms, corresponding to the intuitive notion, remains a challenging problem.



- 1.Convert first letter to # go to right
- 2. Convert present letter to numbers as "a" to "1", "b" to "2" and "c" to "3" go to right
- 3. Shift letter to # go to left.
- 4. Change present number to # go to right
- 5. Convert present # to the previous number go to left until empty, if there is another number go to step 3
- 6. After finding empty go to right find first letter and do step 2 if there is no letter go to step 7
- 7. Go to right till finding empty
- 8. After finding empty go to left convert all numbers to letter as "1" to "a", "2" to "b" and "3" to "c"
- 9. When find "#" sign go to left and delete all, and go to right till first letter

2.EXAMPLES AND TESTS

- a) abca -> ba
- b) abcba -> bba
- c) abbaca -> baa

abca -> #bca -> #2ca -> #2#a -> ###a -> ##2a -> ##21 -> ##2a -> ##ba-> #ba-> ba.

3.PROGRAM

0 a # r q1	q2 l q10	q9 1 1 r q1
0 b # r q1		q9 2 2 r q1
0 c # r q1	q3 1 # r q4	q9 3 3 r q1
0 l q2	q4 # 1 q8	
	q3 2 # r q5	q10 1 a l q10
q1 a 1 r q2	q5 # 2 l q8	q10 2 b l q10
q1 b 2 r q2	q3 3 # r q6	q10 3 c l q10
q1 c 3 r q2	q6 # 3 I q8	q10 # _ I q10
q1 # # I q1	q3 # # r q3	q10 r q10
q1 r q7		q10 a a * q11-halt
q111rq1	q8 # # I q8	q10 b b * q11-halt
q1 2 2 r q1	q8 1 1 * q3	q10 c c * q11-halt
q1 3 3 r q1	q8 2 2 * q3	
	q8 3 3 * q3	q7 1 1 * q10
q2 a # l q3	q8 r q9	q7 2 2 * q10
q2 b # l q3		q7 3 3 * q10
q2 c # l q3	q9 # # r q9	

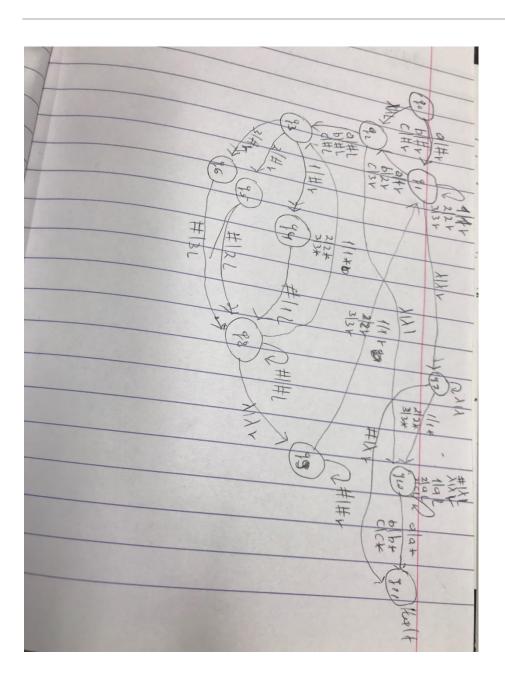
q7 _ _ I q7

q7 1 1 * q10

q7 2 2 * q10

q7 3 3 * q10

DIAGRAM.



CONCLUSION.

Whatever we obtain from user we delete odd letters from there and keep even letters.