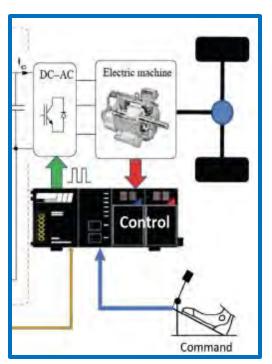


Rodrigo Pérez Salinas Desmond Nii Ashitey Hammond Niklas Handke

#### INTRODUCTION

- Electrical Torque estimation is required to control electrical vehicles
- Precise control of the motor requires input of costly sensors (current, voltage, rpm, torque...)



#### INTRODUCTION

- Model of the electrical motor uses voltage, current, flux, inductances, speed and resistance as an input
- Electrical torque given by equation with current and flux
- Flux is directly correlated to voltage, but expansive to measure
- Task is to approximate the solution of a fifth order differential equation

The synchronous motor modeling follows:

$$v_{ds} = r_s i_{ds} + \rho \lambda_{ds} - \omega_r \lambda_{qs}$$
 $v_{qs} = r_s i_{qs} + \rho \lambda_{qs} + \omega_r \lambda_{ds}$ 
 $\lambda_{ds} = L_d i_{ds} + \lambda_m$ 

$$2$$

$$\lambda_{qs} = L_q i_{qs}$$

The electrical torque equation is:

$$T_e = \left(\frac{3}{2}\right) \left(\frac{P}{2}\right) \left(\lambda_{ds} i_{qs} - \lambda_{qs} i_{ds}\right)$$

And, the mechanical model of torque is

$$T_e = J \frac{d}{dt} \omega_r + B_m \omega_r + T_L$$

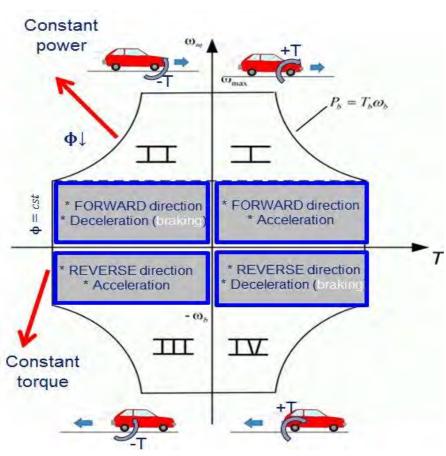
#### DATASET



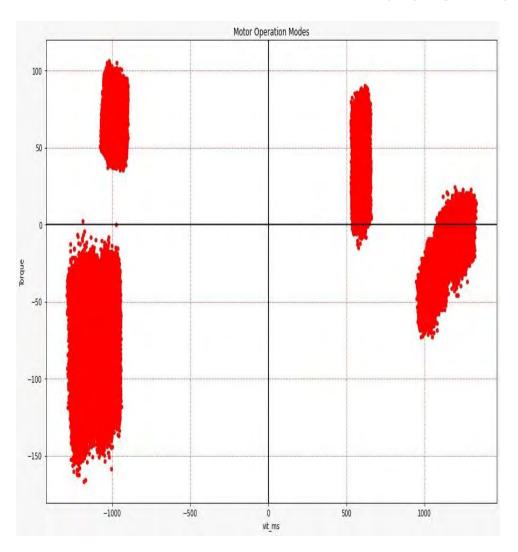


- 10 motor testbench results
- 390k datapoints with 46 parameters each, given in Excel-sheets
- measured and estimated inputs and one output parameter for torque
- Problems:
  - No units
  - Some of the data is estimated
  - Not very balanced dataset

# DATA ISSUES



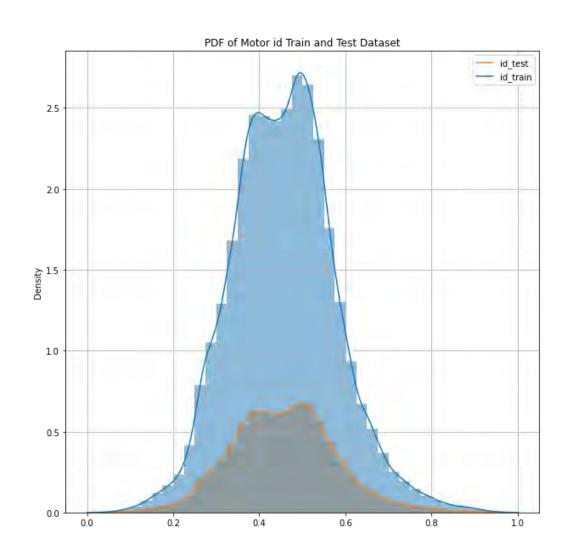
Sarrazin, Mathieu & Gillijns, Steven & Janssens, Karl & Van der Auweraer, Herman & Verhaege, Kevin. (2014). Vibro-acoustic measurements and techniques for electric automotive applications. INTERNOISE 2014 - 43rd International Congress on Noise Control Engineering: Improving the World Through Noise Control.

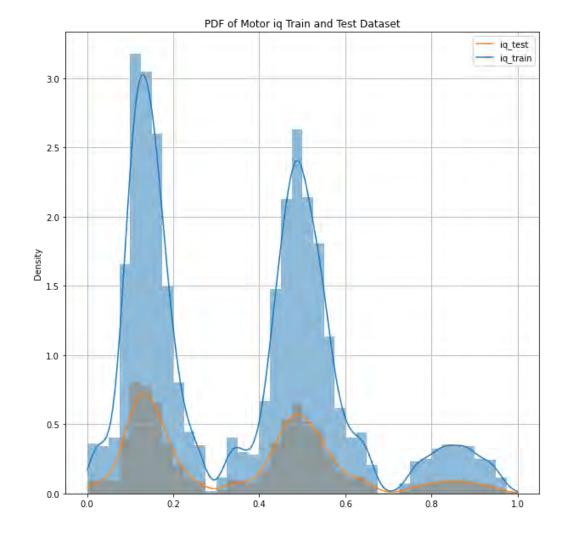


#### DATA INPUT

- 4 Inputs: 2 Currents (i\_ds and i\_dq) in A and 2 voltages (v\_d and v\_q) in V
- 1 output: torque in Nm
- Normalize the data to the unit interval by MinMaxScaler
- Training split of 80%

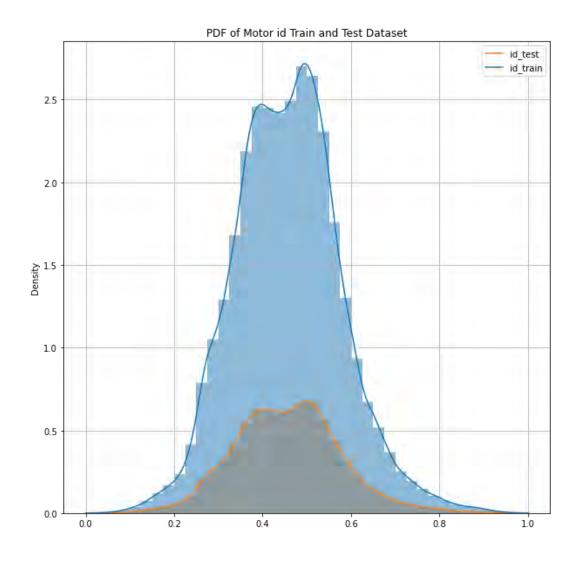
# DATA DISTRIBUTION



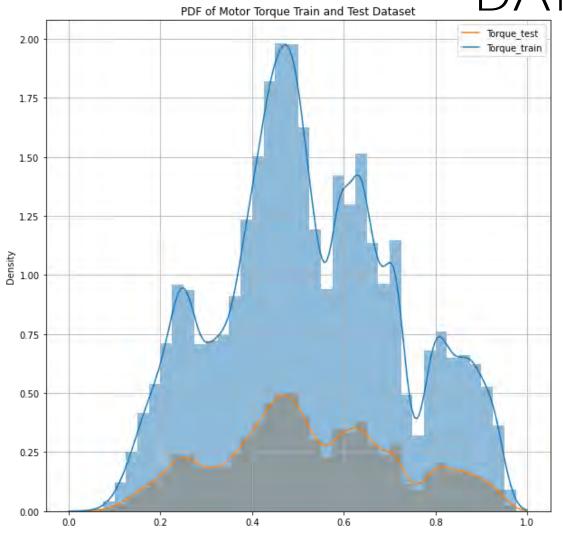


#### PDF of Motor iq Train and Test Dataset iq\_test iq\_train 3.0 2.5 2.0 1.0 0.5 0.0 0.2 0.6 0.4 0.8 1.0

# DATA DISTRIBUTION



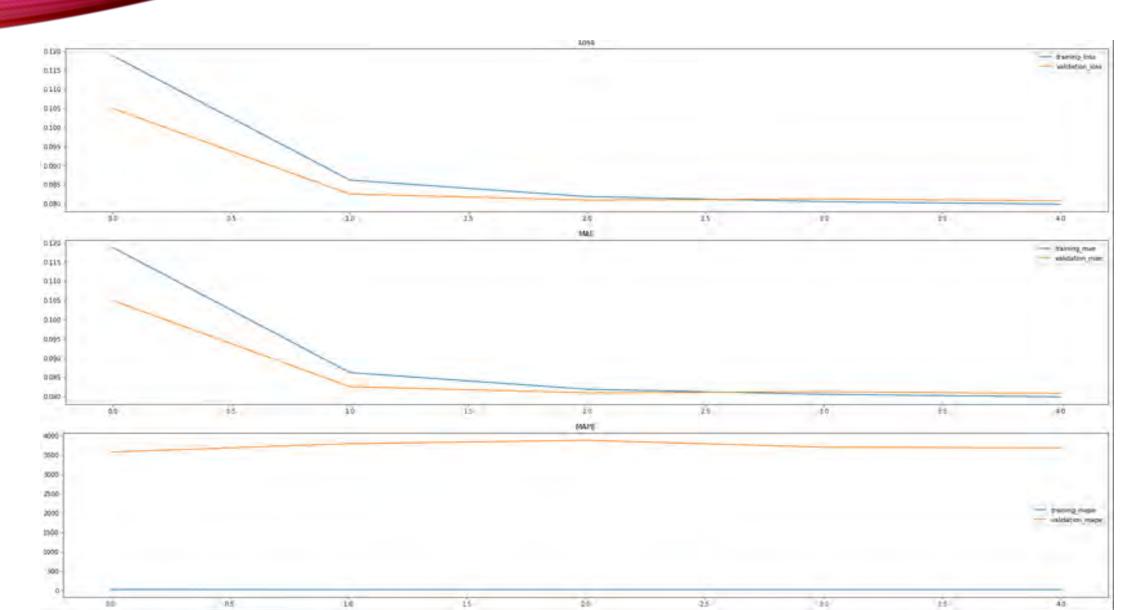
# DATA DISTRIBUTION

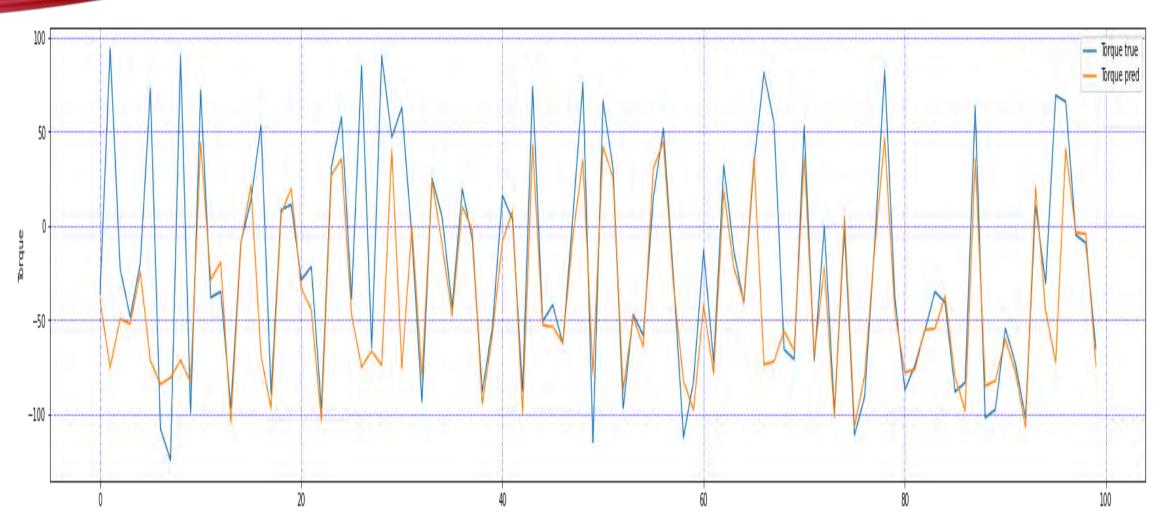


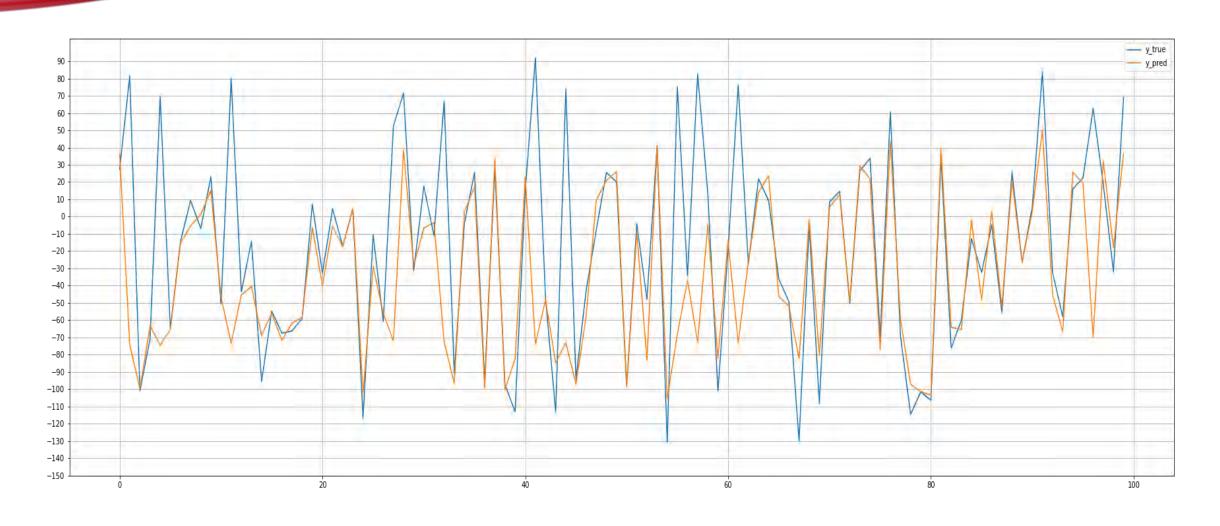
```
EPOCHS=5

model = Sequential(name='Torque_Prediciton_Model')
model.add(Input(name='Input_Layer', shape=( x_train.shape[-1])))
model.add(Dense(units=50, activation='gelu', name='Hidden_Layer'))
model.add(Dense(units=y_train.shape[-1], activation='linear', name='Output_Layer'))

optimizer = Adam(learning_rate=1e-3, amsgrad=False)
model.compile(loss=['mae', 'mse', 'mape'], optimizer=optimizer, metrics=['mse', 'mape', 'mae'])
model.summary()
```





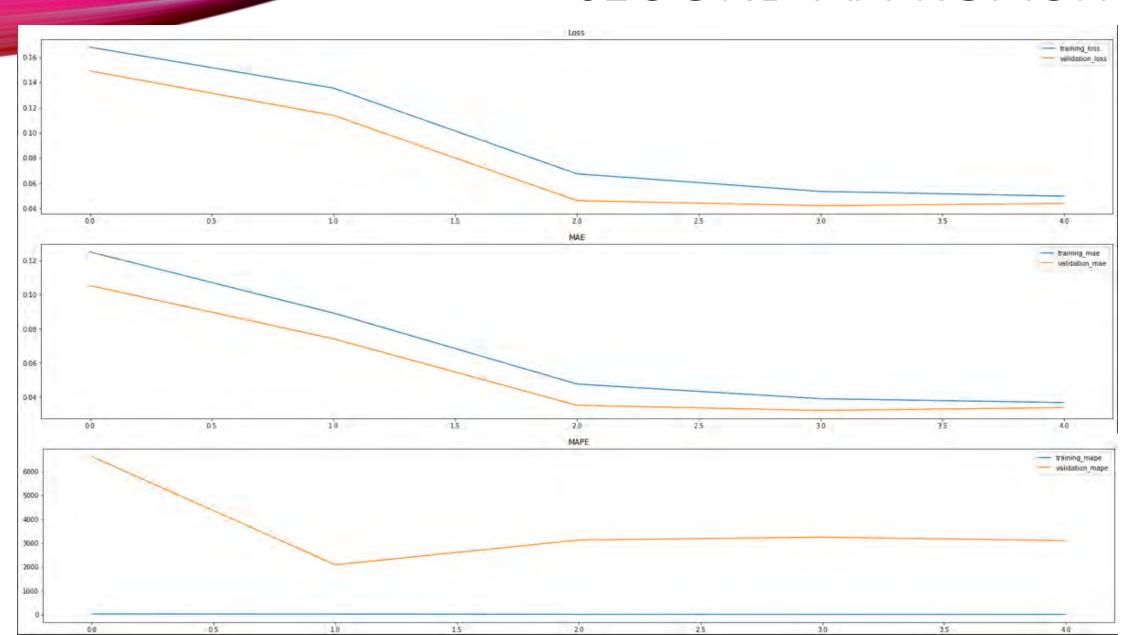


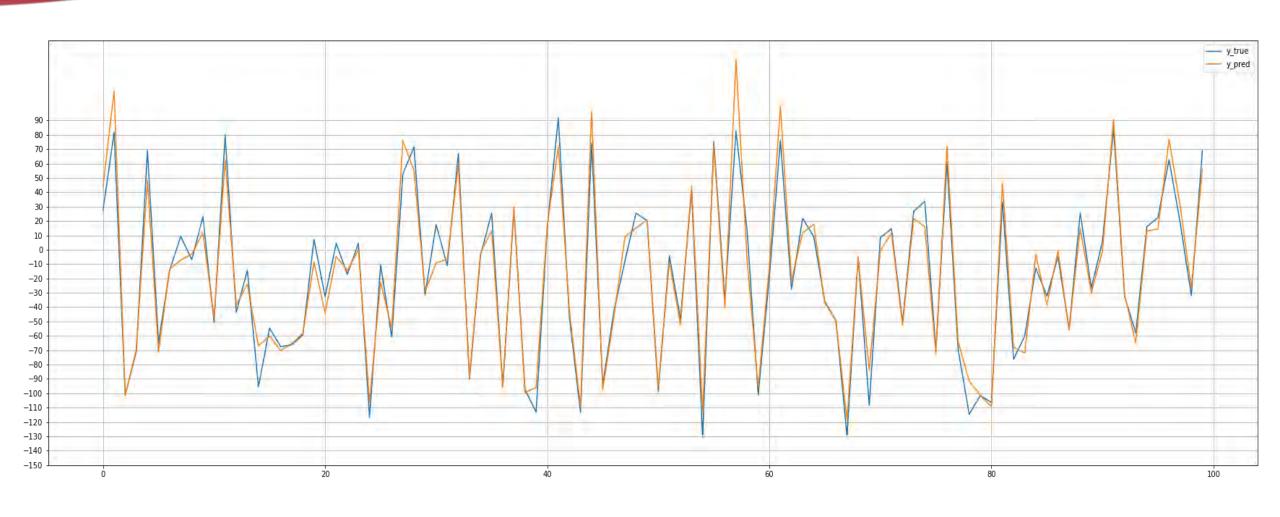
```
def create model():
   inputs = keras.Input(name='InputLayer', shape=(num_x_signals))
   dropout=0.01
   num_layers=2
   num_units = 50
   steps = 5
   x_encode = Dense(units=num_units, activation='gelu', use_bias=True)(inputs)
   x_encode = tf.expand_dims((x_encode), axis=-2)
   x_encode = Conv1D(filters=num_units, kernel_size=4, strides=1, activation='gelu', data_format='channels_first')(x_encode)
   x_encode = Dropout(dropout)(x_encode)
   for i in range(num_layers):
       #num_units = num_units - steps
       # x_encode = LayerNormalization()(x_encode)
       x_encode = Dense(units=num_units, activation='gelu', use_bias=True)(x_encode)
       # x_encode = tf.expand_dims((x_encode), axis=1)
       #x_encode = Conv1D(filters=num_units, kernel_size=4, strides=1, activation='gelu', data_format='channels_first')(x_encode)
       x_encode = Dropout(dropout)(x_encode)
   x_encode = Flatten()(x_encode)
   x_encode = Dropout(dropout)(x_encode)
   outputs = Dense(units=num_y_signals, activation='gelu', use_bias=True, hame='Output_Layer')(x_encode)
   #optimizer = Adam(learning_rate=1e-3, amsgrad=True)
   model = Model(inputs, outputs, name='Torque_Prediciton_model')
   optimizer = Adam(learning_rate=1e-3, amsgrad=False)
   model.compile(loss=CustomLoss, optimizer=optimizer, metrics=['mse', 'mape', 'mae'])
   model.build((None, 1, num_x_signals))
   return model
model = create model()
model.summary()
```

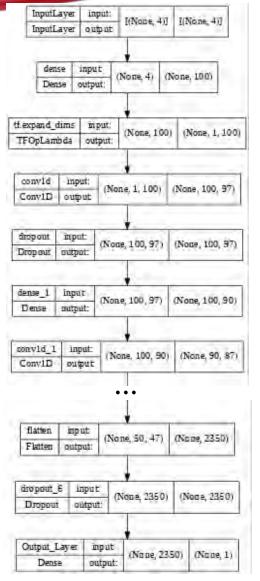
- 3 dense layers
- 1 Convolution1D layer
- 4 dropout layers

Layer (type)	Output Shape	Param #
InputLayer (InputLayer)	[(None, 4)]	0
dense (Dense)	(None, 50)	250
tf.expand_dims (TFOpLambda)	(None, 1, 50)	0
conv1d (Conv1D)	(None, 50, 47)	250
dropout (Dropout)	(None, 50, 47)	0
dense_1 (Dense)	(None, 50, 50)	2400
dropout_1 (Dropout)	(None, 50, 50)	0
dense_2 (Dense)	(None, 50, 50)	2550
dropout_2 (Dropout)	(None, 50, 50)	0
flatten (Flatten)	(None, 2500)	0
dropout_3 (Dropout)	(None, 2500)	0
Output_Layer (Dense)	(None, 1)	2501
 Total params: 7,951 Trainable params: 7,951		

Non-trainable params: 0

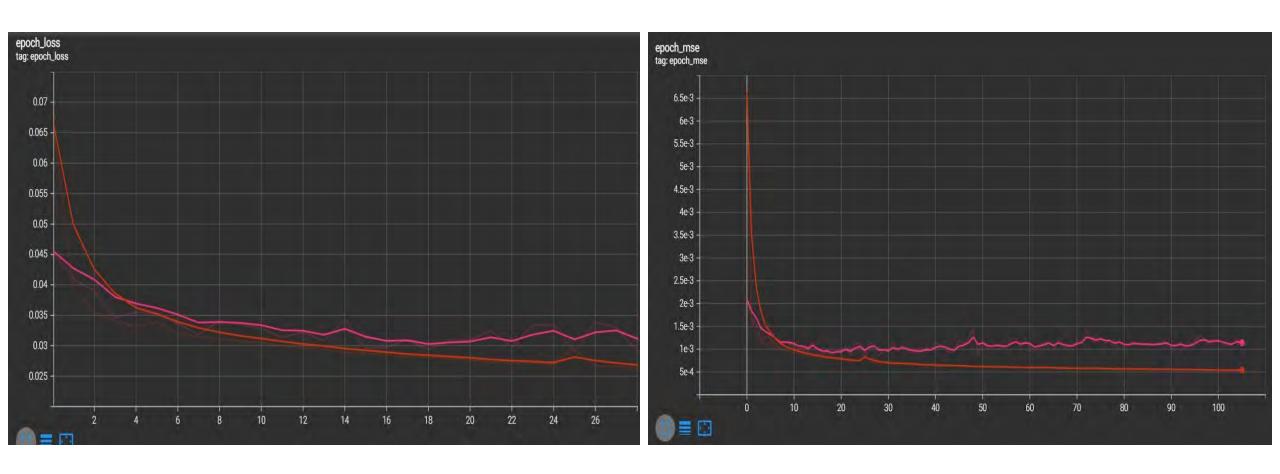


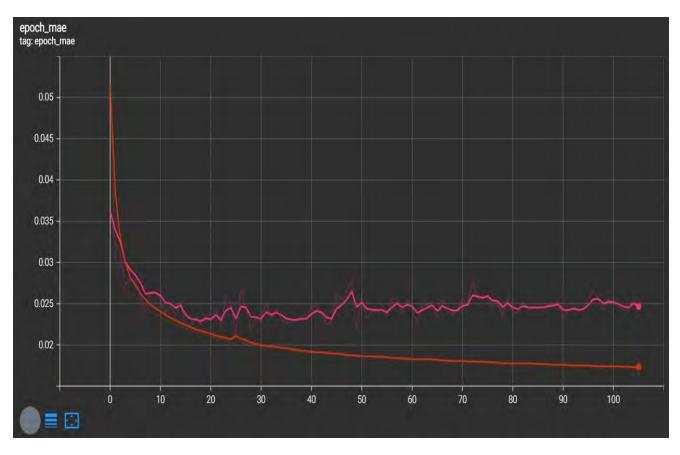


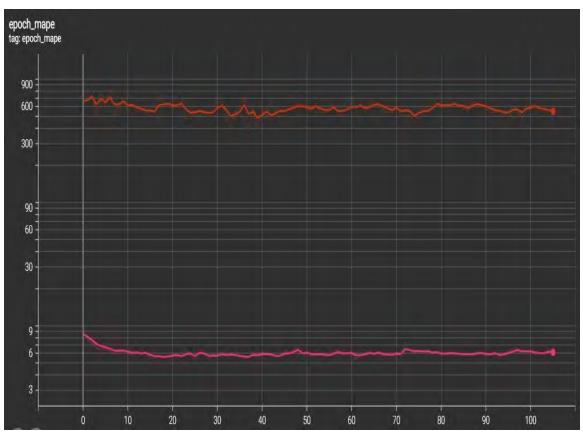


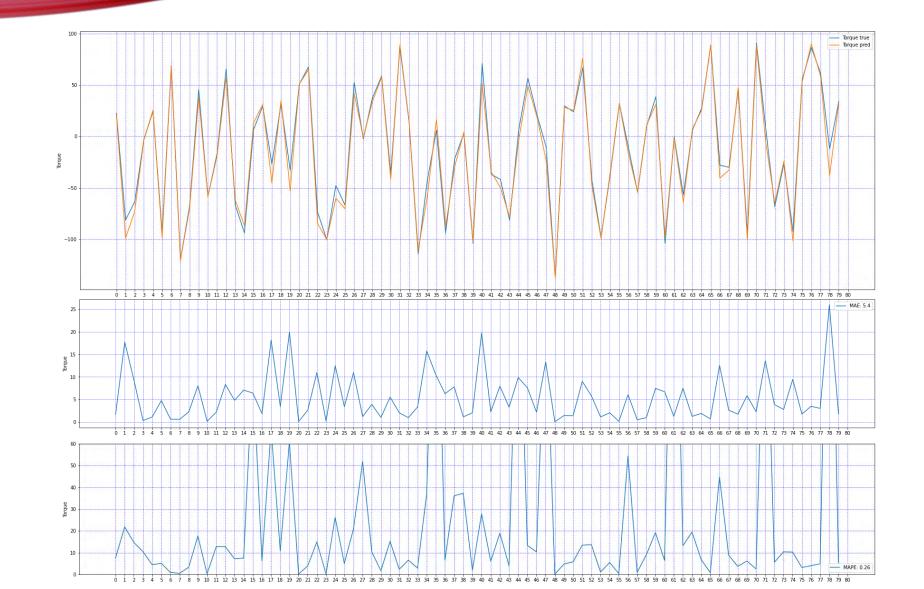


- Metrics: MAE, MSE and MAPE
- 5CNN +100 units DNN -10/step
- GeLu for CNNs and ReLu for DNNs
  - Dropout layers 0.2
  - Optimizer=Adam + amsgrad
    - Batch size: 256
    - Early stopping patience=40









- MAE = 5.4
- RMSE = 7.66

Polynomial regression (benchmark):

- MAE = 9
- RMSE = 11

#### **NEXT STEPS**

- Check against a simulation of a motor
- Test with a different motor
- Using the speed of the motor for a more precise model
- Real implementation requirements
  - Sampling time
  - Embedded systems
- Looking for more meaningful metrics

$$ext{MASE} = ext{mean}\left(rac{|e_j|}{rac{1}{T-1}\sum_{t=2}^T |Y_t - Y_{t-1}|}
ight)$$

# THANKS FOR LISTENING!