



POLITECNICO DI TORINO

DIGITAL SYSTEMS ELECTRONICS  
A.A. 2018/2019

PROF. G. MASERA

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## Lab 06

14 may 2019

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## Introduction to the assigned problem

This relation deals with the design of a simple digital filter. From the given functional specifications, a final digital circuit has been implemented in VHDL including memories, control unit and data-path.

The design process will be analyzed using a bottom-up approach, starting from the individual components and their interconnections to the final custom designed FSM.

## Overall specs description

As already mentioned, the final purpose of this activity is to implement a digital filter following the relation:

$$Y(n) = -0.5X(n) - 2X(n-1) + 4X(n-2) + 0.25X(n-3)$$

where  $X(n)$  are the input stream data and  $Y(n)$  the corresponding filtered data generated by the top equation.

The circuit starts by means of a *START* signal which enable a loading process of the input data into a 1 kByte memory. Then, the circuit automatically filters the data stream exploiting the equation already provided and loads the output filtered data into a second memory. Finally, the circuit reports end of process asserting an *HIGH* logical value to the *DONE* signal and awaits until the next *START*.

Every used component will now be discussed as single blocks, and individually debugged:

Memories

As already discussed, the final implementation will save the input data in a 1kByte memory while memorizing the output data into an output memory.

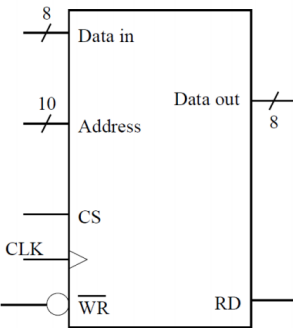


Figure 2 - Memory pinout

Figure 1: 1kByte memory

The memories store 1024 samples represented as 8 bit wide 2’s complement values. The writing operation is synchronous with the positive edge of the clock, while the reading is asynchronous.

The samples must be stored in order, from address 0 to 1023.

Once the desired address is selected and the RD signal asserted, the output data are shown in the *dataout* parallel output.

The figure below shows the testbench for the register file.

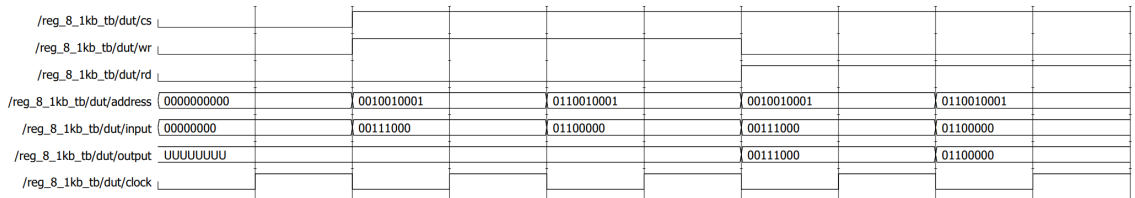


Figure 2: Memory testbench

## Shift registers and registers

To be able to implement the already stated main equation, the circuit needs to perform 2s multiple multiplication and/or division.

The final implementation exploits the left and right shifting operations.

A 11 bit shift register has been implemented with parallel load and parallel output.

The *LOAD* signal must be asserted to load the *parallel input* data into the register, in a synchronous way with the positive edge of the clock.

The *SL* and *SR* commands permit the left or right shift of the internal memorized data.

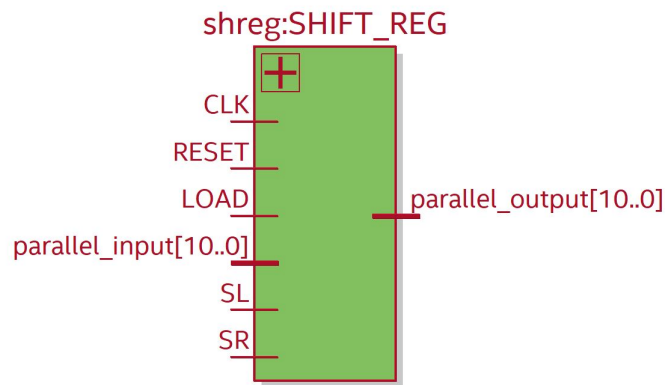


Figure 3: Shift register

The testbench for the 8-bit version is shown below:

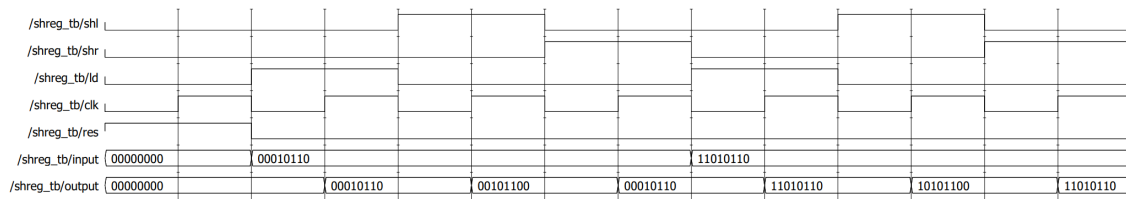


Figure 4: Shift register test bench

# Adder

An 11-bit of a classical adder has been implemented, allowed to perform additions and subtractions by means of the  $Cin$  signal.

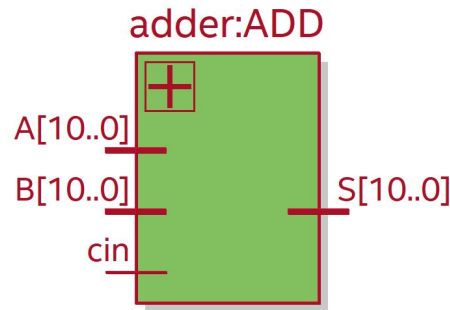


Figure 5: Adder

Below is shown the test bench of the designed adder.

The timing diagram shows four signals over a period of 100 ns. The signals are:

- adder\_8bit\_tb/ci**: A clock signal that starts at 0 and transitions to 1 at approximately 10 ns, remaining high until 100 ns.
- adder\_8bit\_tb/Ain**: An 8-bit input signal that starts at 00010101 and transitions to 01101101 at approximately 10 ns.
- adder\_8bit\_tb/Bin**: An 8-bit input signal that starts at 01001010 and transitions to 01001010 at approximately 10 ns.
- adder\_8bit\_tb/Sout**: An 8-bit output signal that starts at 01110011 and transitions to 00100011 at approximately 10 ns.

Figure 6: Adder test bench

## Data converters

Finally, since the circuit must be able to determine overflow/underflow and saturate the output if needed, it uses 2 blocks able to convert 8 bit signals to 11 bit and vice versa, as will be discussed in further sections.

The simulated test bench are shown below:

[illegible]

Figure 7: 8 to 11 bit converter; 11 to 8 bit converter

Counter

To be able to go through the various addresses an universal counter has also been implemented as shown: The counter can count up or down. Furthermore, the output

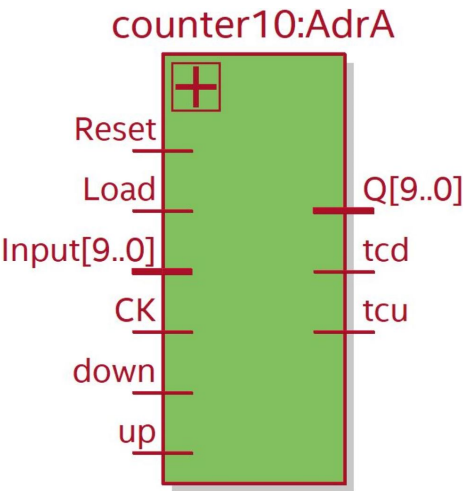


Figure 8: 10 bit counter

ports *tcd* and *tcu* have an high logical value when the counter reaches respectively its minimum or maximum possible value.

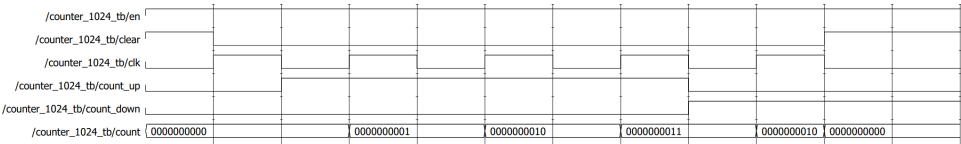


Figure 9: 10 bit counter test bench

## Data path

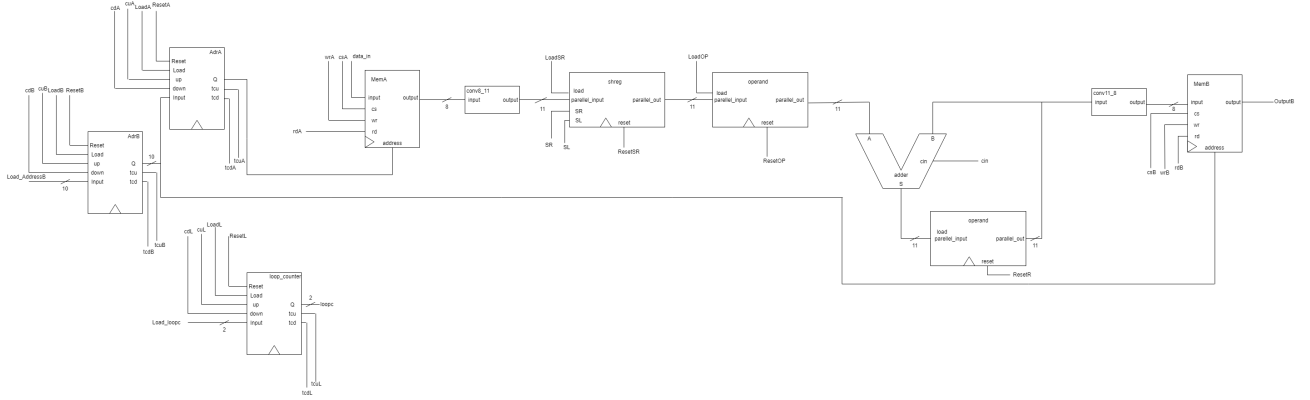


Figure 10: Datapath

The data path of the filter has been designed with two primary goals: use the minimum number of components and simplify the control unit.

All the computations in the circuits are made on 11 bits (range: 1023 to -1024), because the biggest absolute value of  $Y(n)$  is 864.

The computation of  $Y(n)$  is performed in several steps:

- 1) an 8 bits number is read from Memory A converted to 11 bits and stored in the shift register
- 2) the shift register applies the proper division/multiplication factor
- 3) the multiplied/divided number is saved in the register *Operand*
- 4) in the register *Result* is saved the content of the operation  $Result + / - Operand$  with the proper sign
- 5) if the computation of  $Y(n)$  is not complete we restart from step 1, if it is complete the value stored in *Result* is converted to 8 bits and written in Memory B.

## Control unit

The control unit has been implemented as a Moore finite state machine and is able to manage all the phases of the circuit: the acquisition and the computation.

In the acquisition phase (state: *Read1*) the memory is selected and configured to write, the *counterA* (which contains the address of A) is configured to count up. The cu remains in this state as long as the terminal counter up of *counterA* remains to 0.

The computation phase is done in two while loops: the first starts with *W1\_start* and ends when the terminal counter up of *counterB* is 1 that means that all  $Y(n)$  have

been computed and written in Memory B. The second loop starts with *W2\_starts* and ends if the terminal counter down of *counterA* is 1 therefore there are no valid addresses to retrieve the  $x(n-1/2/3)$  or if the terminal counter up of *loop* is 1. The *loop* counter is a 2 bit counter that is connected to the control unit and its value keeps track of the stage of the computation of  $Y(n)$ :

- when  $loop = 00$   $Y(n) = -0.5x(n)$
- when  $loop = 01$   $Y(n) = -0.5x(n) - 2x(n-1)$
- when  $loop = 01$   $Y(n) = -0.5x(n) - 2x(n-1) + 4x(n-2)$
- when  $loop = 11$   $Y(n) = -0.5x(n) - 2x(n-1) + 4x(n-2) + 0.25x(n-3)$ .

## Testbench

In the file *dfilter.tb* there is a simple testbench where is generated a clock and given to the circuit the input data. The input data have been generated with a counter that counts from 0 to 1023 in unsigned 8 bits numbers.

With the help of Modelsym we are able to make to simulate the circuit until it finishes its computations and asserts the done output, than go to the memory panel and save as a file the contents of the memories A and B in binary form in two distinct files A.mem and B.mem, where we removed the first part of comment generated from Modelsym.

Using a custom Matlab script we are able to read both the files and perform in Matlab the same operations of the circuit using as input data the data read from A.mem and than compare the results.



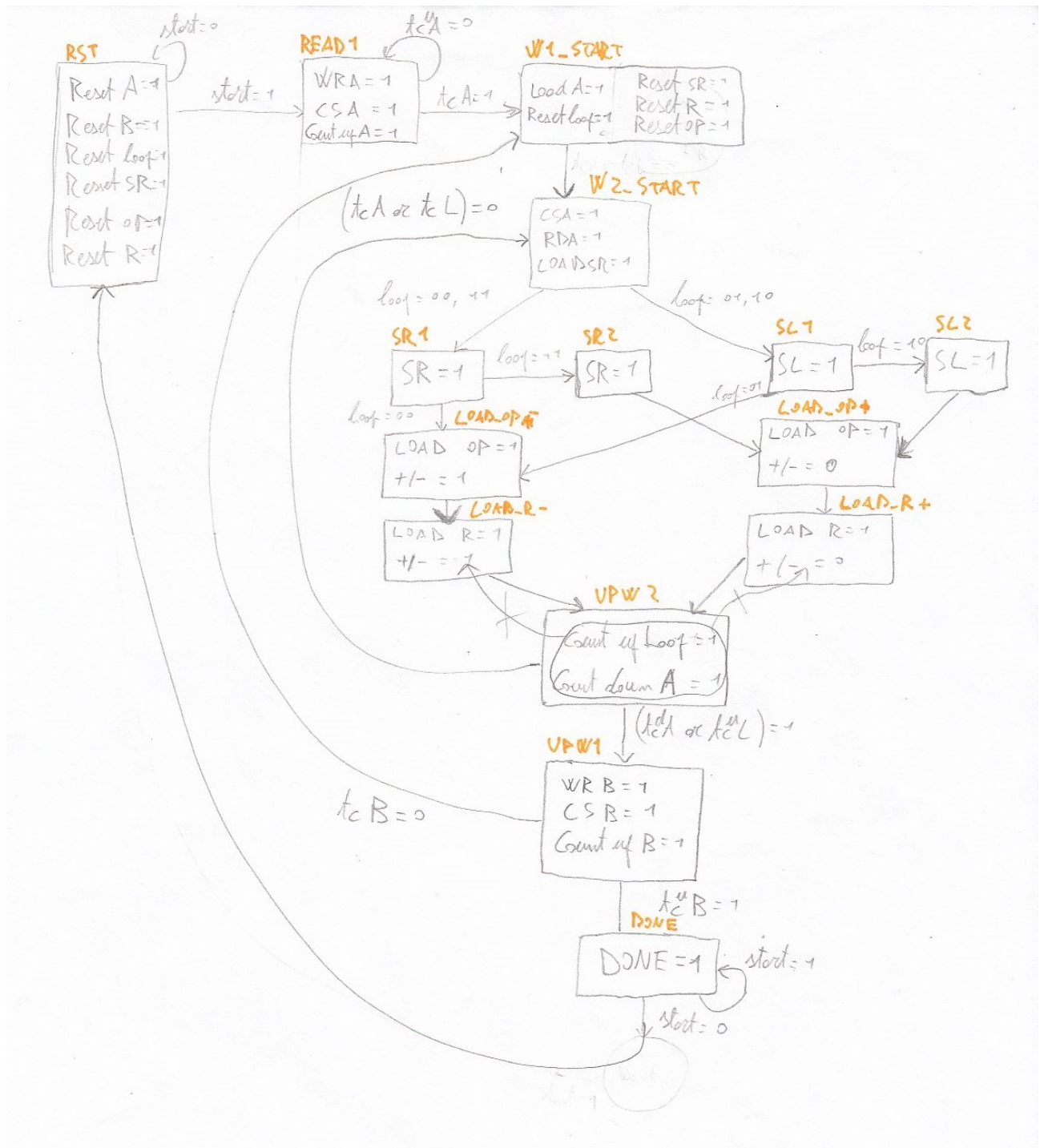


Figure 11: state diagram of the control unit

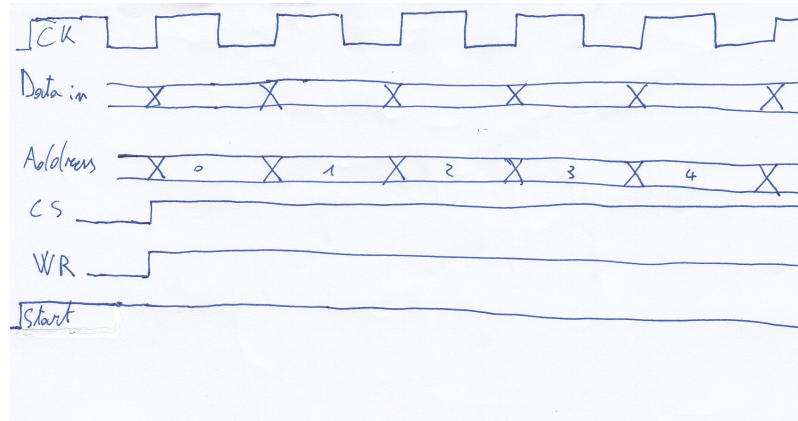
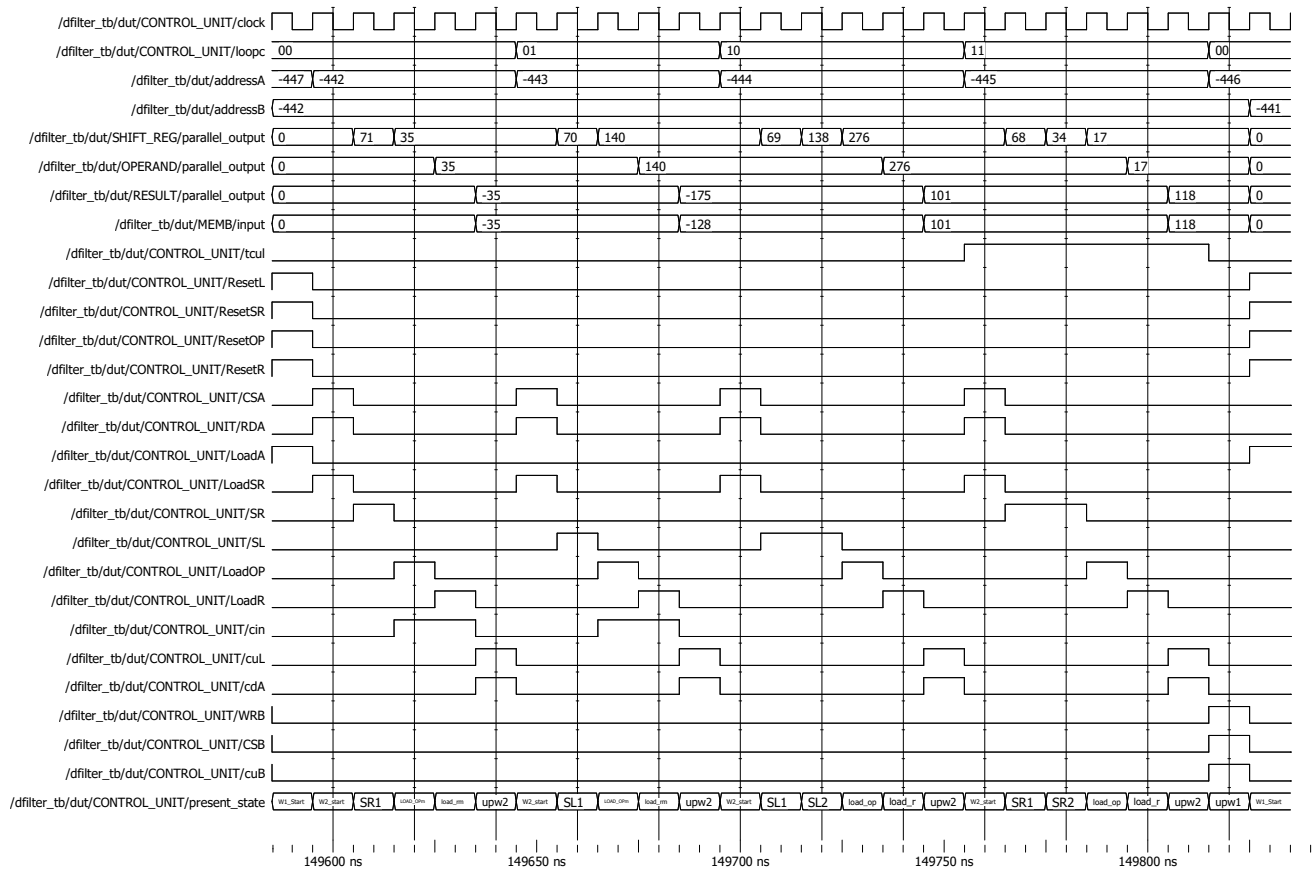


Figure 12: timing of read operations



Entity:dfilter\_tb Architecture:behavior Date: Tue May 14 18:56:52 CEST 2019 Row: 1 Page: 1

Figure 13: timing of a computation of  $Y(n)$