

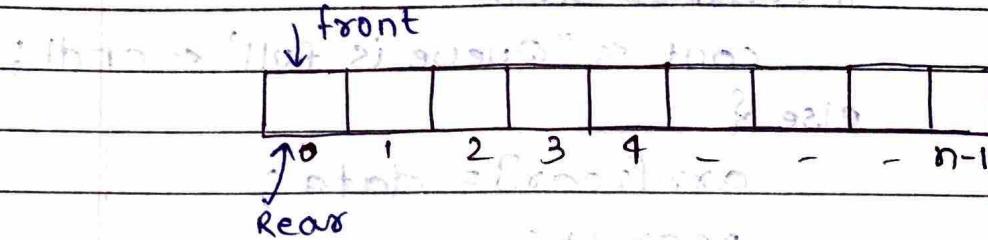
Queue

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QUEUE

Q Implement a Queue



- if (front == rear) → Queue is empty
- if (rear == size) → Queue is full.

Program :-

```

class Queue {
    int* arr; // can be
    int qfront; // can be
    int rear; // can be
    int size; // can be

public:
    Queue() {
        size = 100001;
        arr = new int[size];
        qfront = 0;
        rear = 0;
    }

    bool isEmpty() {
        if (qfront == rear)
            return true;
        else
            return false;
    }
}

```

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```
void enqueue (int data) {  
    if (rear == size)  
        cout << "Queue is full" << endl;  
    else {  
        arr [rear] = data;  
        rear++;  
    }  
}
```

```
int dequeue () {  
    if (qfront == rear)  
        return -1;  
    else {  
        int ans = arr [qfront];  
        arr [qfront] = -1;  
        qfront++;  
        if (qfront == rear) {  
            qfront = 0;  
            rear = 0;  
        }  
    }  
    return ans;  
}
```

```
int front () {  
    if (qfront == rear)  
        return -1;  
    else {  
        return arr [qfront];  
    }  
}
```

$$\rightarrow \text{T.C} = O(1)$$

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Q

Implement Circular Queue

```
class CircularQueue {  
    int* arr;  
    int* front;  
    int rear;  
    int size;
```

```
public:
```

```
CircularQueue(int n) {
```

```
    size = n;
```

```
    arr = new int[size];
```

```
    front = rear = -1;
```

```
}
```

```
bool enqueue(int value) {
```

```
    // to check whether queue is full
```

```
    if ((front == 0 && rear == size - 1) || (rear == (front - 1) % (size - 1)))
```

```
        return false;
```

```
    else if (front == -1) // first element to push
```

```
        front = rear = 0;
```

```
    else if (rear == size - 1 && front != 0)
```

```
        rear = 0; // to maintain cyclic nature
```

```
    else
```

```
        rear++; // normal flow
```

```
    // push inside the queue
```

```
    arr[rear] = value;
```

```
    return true;
```

```
}
```

Date _____
Page _____

```
int dequeue() {
    // to check queue is empty
    if (front == -1)
        return -1;

    int ans = arr[front];
    arr[front] = -1;

    if (front == rear) // single element is present
        front = rear = -1;
    else if (front == size - 1)
        front = 0; // to maintain cyclic nature
    else
        front++;

    return ans;
}
```

Implementation of Queue

using array & linked list

using stack & queue

using linked list

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Q Implement Deque

```
class Deque {
```

```
    int* arr;
```

```
    int front;
```

```
    int rear;
```

```
    int size;
```

```
public:
```

```
Deque(int n) {
```

```
    size = n;
```

```
    arr = new int[n];
```

```
    front = rear = -1;
```

```
}
```

```
bool isEmpty() {
```

```
    if (front == -1)
```

```
        return true;
```

```
    else
```

```
        return false;
```

```
bool isFull() {
```

```
    if ((front == 0 && rear == size - 1) ||
```

```
        (front != 0 && rear == (front - 1) % (size - 1))) {
```

```
        return true;
```

```
    else
```

```
        return false;
```

```
}
```

```
int getFront() {
    if (isEmpty())
        return -1;
    }
    return arr[front];
}
```

```
int getRear() {
    if (isEmpty())
        return -1;
    }
    return arr[rear];
}
```

```
bool pushFront(int x) {
    if (isFull())
        return false;
    }
    else if (isEmpty())
        front = rear = 0;
    else if (front == 0 & rear != size-1)
        front = size-1;
    else
        front--;
    arr[front] = x;
    return true;
}
```

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```
bool pushRear(int x) {  
    if (isFull()) {  
        return false;  
    }  
    else if (isEmpty()) {  
        front = rear = 0;  
    }  
    else if (rear == size - 1 && front != 0) {  
        rear = 0;  
    }  
    else {  
        rear++;  
        arr[rear] = x;  
    }  
    return true;  
}
```

```
int popFront() {  
    if (isEmpty())  
        return -1;  
    int ans = arr[front];  
    arr[front] = -1;  
  
    if (front == rear) // single element is present  
        front = rear = -1;  
    else if (front == size - 1)  
        front = 0; // to maintain cyclic nature  
    else // normal flow  
        front++;  
  
    return ans;  
}
```

```
int popRear() {
```

```
    if (isEmpty())
```

```
        return -1;
```

```
    int ans = arr[rear];
```

```
    arr[rear] = -1;
```

```
    if (front == rear) // Single element is present
```

```
        front = rear = -1;
```

```
    else if (rear == 0)
```

```
        rear = size - 1; // to maintain cyclic nature
```

```
    else
```

```
        rear--;
```

```
    return ans;
```

```
}
```

```
};
```

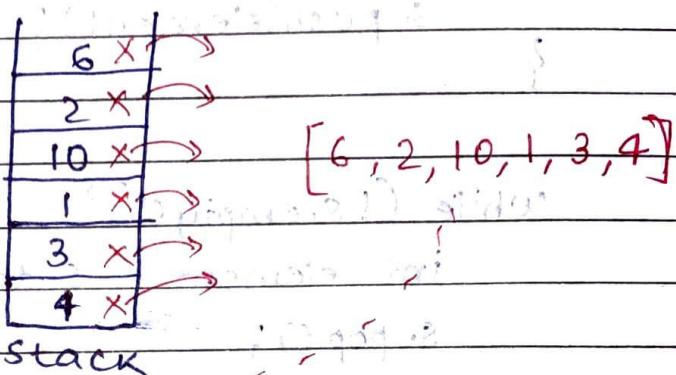
Q Reverse Queue

i/p : [4, 3, 1, 10, 2, 6]

o/p : [6, 2, 10, 1, 3, 4]

Approach 1 : (use Stack)

Step 1 : Queue se 1 by 1 element nikalo
& stack mein daalo.



Step 2 : Stack se 1 by 1 element nikalo
& Queue mein daalo.

T.C $\rightarrow O(n)$, S.C $\rightarrow O(n)$

Approach 2 : (using Recursion)

[4, 3, 1, 10, 2, 6]

[4]

[4, 3, 1, 10, 2, 6]

recursion

reverse Krega

[6, 2, 10, 1, 3, ...]

yahan 4 add kr do.

Program (Approach 1):-

```
queue<int> rev(queue<int> q) {
```

```
    Stack<int> s;
```

```
    while (!q.empty()) {
```

```
        int element = q.front();
```

```
        q.pop();
```

```
        s.push(element);
```

```
}
```

```
    while (!s.empty()) {
```

```
        int element = s.top();
```

```
        s.pop();
```

```
        q.push(element);
```

```
    return q;
```

```
}
```

```
{q, s, etc.}; } }
```

Q First negative integer in every window of size K

$$\text{i/p} \Rightarrow \{-8, 2, 3, -6, 10\}, K=2$$

\downarrow \downarrow \downarrow \downarrow \downarrow

$$\text{o/p} \Rightarrow \{-8, 0, -6, -6\}$$

Approach: deque<int> dq;

Step 1: first K -size window

→ if we find -ve no, then we store its index.



answer = dq.front(); (or) 0

if $dq.size == 0$.

Step 2: Now processing remaining windows

$$\{ -8, [2, 3, -6, 10] \}$$

\downarrow

Remove krrna hogaa window se aur 3 ko add krrna hogaa.

//Removal: → for (int i=k; i < n) {

if (index = dq.front() ≥ k)

 dq.pop_front();

//addition

if (arr[index] < 0)

 dq.push_back(index);

ans → dq.size() > 0 → ans → dq.front();

 dq.size() ≤ 0 → 0

Program :

```
vector<long long> printFirstNegativeInteger(long long int A[],  
                                             long long int N, long long int K){
```

```
    deque<long long int> dq;
```

```
    vector<long long> ans;
```

```
    // process first window
```

```
    for (int i=0; i<K; i++) {
```

```
        if (A[i] < 0)
```

```
            dq.push_back(i);
```

```
}
```

```
    // push ans for first window
```

```
    if (dq.size() > 0)
```

```
        ans.push_back(A[dq.front()]);
```

```
    else
```

```
        ans.push_back(0);
```

```
    // Now process for remaining windows
```

```
    for (int i=K; i<N; i++) {
```

```
        // first pop out of window element
```

```
        if (!dq.empty() && (i - dq.front()) >= K) {
```

```
            dq.pop_front();
```

```
}
```

```
        // Then push current element
```

```
        if (A[i] < 0)
```

```
            dq.push_back(i);
```

```
        // put in ans.
```

```
        if (dq.size() > 0)
```

```
            ans.push_back(A[dq.front()]);
```

```
        else
```

```
            ans.push_back(0);
```

```
    return ans;
```

```
}
```

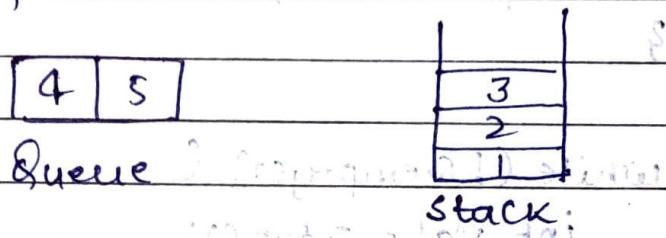
8 Reverse first K elements of Queue

I/P: {1, 2, 3, 4, 5}, K=3

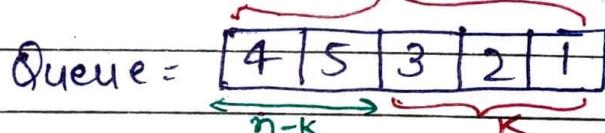
O/P: {3, 2, 1, 4, 5}

Approach :-

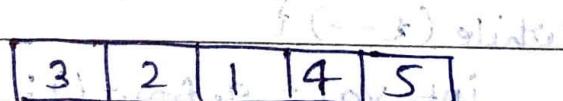
Step 1:- fetch 1st K element from Queue & put into stack.



Step 2:- fetch element from stack & put in to Queue



Step 3:- fetch first (n-K) elements from Queue & push back.



$$\begin{aligned} T.C &\rightarrow O(K) + O(K) + O(n-K) \\ &= O(n). \end{aligned}$$

$$S.C \rightarrow O(K)$$

program :-

```
queue<int> modifyQueue(queue<int>q, int k) {  
    stack<int>s;
```

```
    for (int i = 0; i < k; i++) {
```

```
        int val = q.front();
```

```
        q.pop();
```

```
        s.push(val);
```

```
}
```

```
    while (!s.empty()) {
```

```
        int val = s.top();
```

```
        q.push(val);
```

```
}
```

[FIFO] \rightarrow [SIMP]

```
    int t = q.size() - k; // number of elements to be removed
```

* except elements of queue

```
    while (t--) {
```

```
        int val = q.front();
```

```
        q.pop();
```

```
        q.push(val);
```

```
}
```

```
    return q;
```

```
}
```

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Q First non-repeating character in a stream

i/p \rightarrow a a b c

o/p \rightarrow a # b b

? Approach, point

Approach :-

Step 1 : \rightarrow ^{To} ~~same~~ character ^{array} ~~use~~ count store
Kرنge .

: map <char, int> count;

Step 2 : Queue mein push kr dnge
character ko.

Step 3 : q. front()

\rightarrow Repeating (count > 1)

q.pop()

\rightarrow Non-Repeating
ans store

\rightarrow q. empty()

? return #;

Program :-

```
class Solution {
```

```
public:
```

```
    string FirstNonRepeating (string A) {
```

```
        map <char, int> m;
```

```
        string ans = "";
```

```
        queue <char> q;
```

```
        for (int i=0; i<A.length(); i++) {
```

```
            char ch = A[i];
```

```
            q.push(ch);
```

```
            m[ch]++;
```

```
            while (!q.empty()) {
```

```
                if (m[q.front()] > 1)
```

```
                    q.pop();
```

```
                else {
```

```
                    ans.push_back(q.front());
```

```
                    break;
```

```
}
```

```
}
```

```
        if (q.empty()) {
```

```
            ans.push_back('#');
```

```
}
```

```
        return ans;
```

```
}
```

```
};
```

Q.

Circular Touring Taximeter Problem

I/P : $N = 4$

Period = {4, 6, 7, 4}

Distance = {6, 5, 3, 5}

O/P : L

Approach 1: Brute Force

(4,6)	(6,5)	(7,3)	(4,5)
-------	-------	-------	-------

0 1 2 3

Phle index '0' ke liye check kruna, fir
index '1' ke liye, aise krke 'N-1' tk ke liye
One by one check krti kruna.

T.C $\rightarrow O(n^2)$

Approach 2:

(4,6)	(6,5)	(7,3)	(4,5)
-------	-------	-------	-------

Algo: If travel possible from one block to other
 $(P-D \geq 0)$, then rear++;

if (front == rear)

Circle Complete

else \rightarrow travel not possible

front = rear + 1 ;

rear = front ;

NOTE: \rightarrow front = rear + 1 isliye kiye hai
kyuki,

			f
0	1	2	3
f, *	*	*	r

agar $p-d \geq 0$ for 0 index, then rear = 1
balance

~~balance~~ $p-d \geq 0$ for 1 " , then rear = 2

~~balance~~ $p-d < 0$ for 2 , then front = 3.

kyuki ab front++ se front '1'

hoga jo ki fayda nahi hai kuch

'1' ke liye check krne se, naahi

'2' ke liye kyuki '2' pe fail kr

chuka hai, toh ab start 3 se

hi check kona chahiye.

'1' ya '2' ke liye balance phle wala bhi
add hua hoga th bhi fail kr gya toh
bing balance add hue obviously
fail hi krega.

sohail and mohit launch (1) 100%
process next. ($0 \leq i \leq q$)

(0 < i <= j) ji

atguruji

Algorithm :-

if (travel possible from start to next block)
 rear++;

else

 front = rear + 1;

 start = front;

 rear = front;

if (front == rear)

cycle Complete

Dry Run

front	0	1	2	3
	(4,6)	(6,5)	(7,3)	(4,5)
rear	start			

$$P - D \geq 0 \rightarrow \text{false}$$

$$\Rightarrow 4 - 6 = -2 < 0$$

\Rightarrow front = rear + 1.

start = front;

rear = front;

0	front	1	2	3
(4,6)	(6,5)	(7,3)	(4,5)	
rear	start			

$$P - D \geq 0 \rightarrow \text{True}$$

$$6 - 5 = 1 \geq 0$$

$$\Rightarrow rear = 2$$

				front	
		(4,6)	(6,5)	(7,3)	(4,5)
start		rear			

Step 1)

initial front = balance = 1 (from last one remaining)

$$\text{balance} = 1 + 7 = 8.$$

↑
P

P - D ≥ 0

$\rightarrow \text{True}$

$$8 - 3 = 5 \geq 0$$

$$\text{rear} = 3$$

				front	
		(4,6)	(6,5)	(7,3)	(4,5)
start		rear			

$$\text{balance} = 5 + 4 = 9.$$

↑
P

P - D ≥ 0

$\rightarrow \text{True}$

$$9 - 5 = 4 \geq 0$$

$$\text{rear} = 0$$

				front	
		(4,6)	(6,5)	(7,3)	(4,5)
start		rear			

$$\text{balance} = 4 + 4 = 8.$$

↑
P

P - D ≥ 0

$\rightarrow \text{True}$

$$8 - 6 = 2 \geq 0$$

$$\text{rear} = 1$$

Now, rear = front \Rightarrow Cycle Complete

2nd example

front

0	1	2	3	4	5
(6,5)	(7,6)	(4,7)	(10,8)	(6,6)	(5,4)

start

rear

$$\text{int balance} = 0$$

$$\text{balance} = \text{balance} + P - D$$

$$= 0 + 6 - 5 = 1 \geq 0 \rightarrow \text{True}$$

$$\text{balance} = 1 + 7 - 6 = 2 \geq 0 \rightarrow \text{True}$$

rear++;
rear=1;

rear++;
rear=2;

$$\text{balance} = 2 + 4 - 7 = -1 \geq 0 \rightarrow \text{false}$$

front = rear+1;

front = 3;

rear = 3;

Start = 3;

0	1	2	3	4	5
(6,5)	(7,6)	(4,7)	(10,8)	(6,6)	(5,4)

start

rear

$$\text{balance} = 0 + 10 - 8 = 2 \geq 0 \rightarrow T$$

rear = 4

$$\text{balance} = 2 + 6 - 6 = 2 \geq 0 \rightarrow T$$

rear = 5

$$\text{balance} = 2 + 5 - 4 = 3 \geq 0 \rightarrow T$$

rear = 0

$$\text{balance} = 3 + 6 - 5 = 4 \geq 0 \rightarrow T$$

rear = 1

$$\text{balance} = 4 + 7 - 6 = 5 \geq 0 \rightarrow T$$

rear = 2

$$\text{balance} = 5 + 4 - 7 = 2 \geq 0 \rightarrow T$$

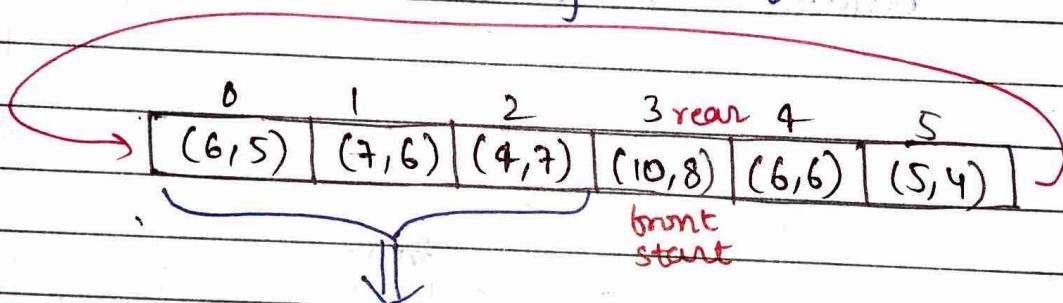
rear = 3

(front == rear) → Cycle Complete

NOTE:- In the above algorithm, in the worst case we need to visit the blocks twice.



for Single Visit



balance = -1
Petrol ki Kami

balance + Kami >= 0 → Cycle

Complete

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Program :-

```
class Solution {
public:
    int tour(petrolPump p[], int n) {
        int deficit = 0;
        int balance = 0;
        int start = 0;

        for(int i=0; i<n; i++) {
            balance += p[i].petrol - p[i].distance;
            if (balance < 0) {
                start = i+1;
                deficit += balance;
                balance = 0;
            }
        }

        if (balance + deficit >= 0)
            return start;
        else
            return -1;
    }
};
```

8 Interleave the first half of the queue with second half.

i/p \rightarrow [1, 2, 3, 4]

o/p \rightarrow [1, 3, 2, 4]

i/p \rightarrow [11, 12, 13, 14, 15, 16, 17, 18, 19, 20]

o/p \rightarrow [11, 16, 12, 17, 13, 18, 14, 19, 15, 20]

Approach 1:-

Step 1: \rightarrow fetch first half element from i/p queue & push into a new queue

i/p queue = [16 | 17 | 18 | 19 | 20]

New queue = [11 | 12 | 13 | 14 | 15]

Step 2: \rightarrow while (! newqueue.empty())

{

 int val = newqueue.front()

 newqueue.pop();

 queue.push(val);

 val = q.front();

 q.pop();

 q.push(val);

}

} \Rightarrow queue

T.C \rightarrow O(n), S.C \rightarrow O(n)

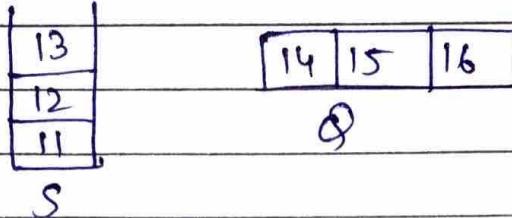
Approach 2:-

i/p $\rightarrow [11, 12, 13, 14, 15, 16]$

o/p $\rightarrow [11, 14, 12, 15, 13, 16]$.

Algorithm:-

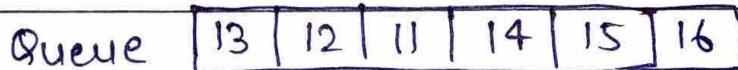
Step 1:- first half of Q in stack.



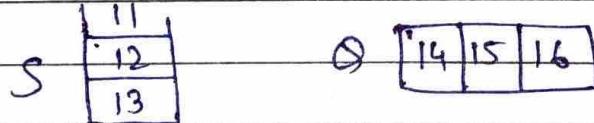
Step 2:- stack \rightarrow Queue



Step 3:- first half of Q Pop & Push



Step 4:- first half of Q in stack



while (!S.empty()) {

 int val = S.top()

 S.pop()

 q.push(val)

 val = q.front()

 q.pop()

 q.push(val)

}

\Rightarrow Queue = $[11 | 14 | 12 | 15 | 13 | 16]$

Q K-Queues in an array

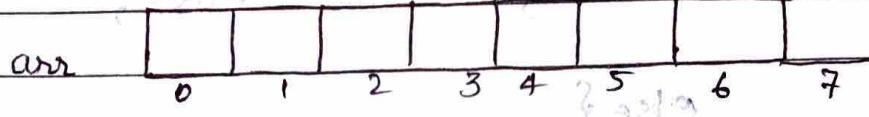
also known as not first out but last in

Approach 1 → Brute force

Same as N stacks in an array.

Approach 2 →

Let $K = 3$



Front[K] → [-1 | -1 | -1]

Rear[K] → [-1 | +1 | -1]

next[n] → [1 | 2 | 3 | 4 | 5 | 6 | 7 | -1]

freespot → [0]

→ Push Algo

Step: → Check overflow → freespot = -1

→ find index where we want to insert.

int index = freespot;

→ //update freespot

freespot = next[index]

NOTE:- Hmne front aur rear starting mein
'-1' liye hue hai toh 1st element alag
se handle krna pega.

→ //if first element
if ($\text{front}[\text{q}_n] == -1$)
 $\text{front}[\text{q}_n] = \text{index};$

else {

// Link next element of q_n in array
 $\text{next}[\text{rear}[\text{q}_n]] = \text{index};$

$\text{next}[\text{index}] = -1;$

// Point rear to index

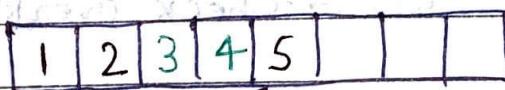
$\text{rear}[\text{q}_n] = \text{index};$

// Push element

$\text{arr}[\text{index}] = \text{x};$

Explanation :-

q1. push(1);



q2. push(2);

q2. push(3)

q2. push(4)

q2. push(5)

In dono element ko link

Karke unka track rkh
rha hai.

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→ Pop Algo

→ // is Empty → Underflow

→ // find index

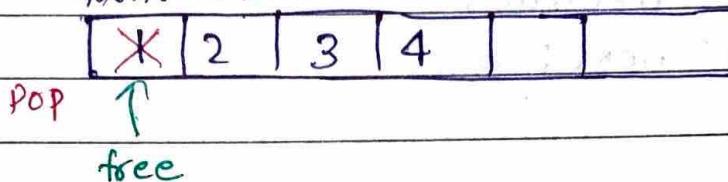
int index = front [qn]

→ // front ko aage badhao

→ front [qn] = next [index]

→ // free slots ko manage kro

front ↓ front



next [index] = free

free = index

Program :-

```
class kQueue {  
public:  
    int n;  
    int[K]; front = -1; rear = -1;  
    int* front;  
    int* rear;  
    int* arr;  
    int* freespot;  
    int* next;  
  
public:  
    kQueue (int n, int K){  
        this->n = n;  
        this->K = K;  
        front = new int [K];  
        rear = new int [K];  
        for (int i=0; i<K; i++){  
            front [i] = -1;  
            rear [i] = -1;  
        }  
        next = new int [n];  
        for (int i=0; i<n; i++){  
            next [i] = i+1;  
        }  
        next [n-1] = -1;  
        arr = new int [n];  
        freespot = 0;  
    }
```

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```
void enqueue(int data, int qn) {
    //overflow
    if (freeSpot == -1) {
        cout << "No Empty Space" << endl;
        return;
    }

    //find first free index
    int index = freeSpot;

    //update freespot
    freeSpot = next[index];

    //check whether first element
    if (front[qn-1] == -1) {
        front[qn-1] = index;
    } else {
        //link new element to the prev element
        next[rear[qn-1]] = index;
    }

    //update next
    next[index] = -1;
    //update rear
    rear[qn-1] = index;
    //push element
    arr[index] = data;
}
```

```
int dequeue (int qn) {  
    if (front [qn-1] == -1) {  
        cout << "Queue is Empty" << endl;  
        return -1;  
    }
```

```
// find index to pop  
int index = front [qn-1];
```

```
// front ko aage badhao  
front [qn-1] = next [index];
```

```
// freeSlots ko manage kro  
next [index] = freeSpot;  
freeSpot = index;  
return arr [index];
```

```
}
```

```
};
```

Q Sum of minimum and maximum elements of all subarrays of size K.

i/p : $\{2, \boxed{5}, \boxed{-1, 7, -3}, -1, -2\}$

$K=4$ $-1+7=6$ $-3+7=4$ $-3+7=4$ $-3+7=4$

O/p : $\{6, 4, 4, 4\} = \{18\}$

→ Brute-force approach

For ($0 \rightarrow <n$)

{ for (K times) T.C $\rightarrow O(n * K)$
 { max, min

}

Sum → store .

→ Approach 2 (T.C $\rightarrow O(n)$)

(i) deque(maxi) \rightarrow decreasing order in element honge.
maxi.front() \rightarrow max^m element in K-size window

(ii) deque(mini) \rightarrow increasing order in element honge.
mini.front() \rightarrow min^m element in K-size window