

Can Place Flower

Description:

You have a long flowerbed in which some of the plots are planted, and some are not. However, flowers cannot be planted in **adjacent** plots.

Given an integer array flowerbed containing 0's and 1's, where 0 means empty and 1 means not empty, and an integer n, return true *if n new flowers can be planted in the flowerbed without violating the no-adjacent-flowers rule and false otherwise.*

Example 1:

Input: flowerbed = [1,0,0,0,1], n = 1

Output: true

Example 2:

Input: flowerbed = [1,0,0,0,1], n = 2

Output: false

Constraints:

- $1 \leq \text{flowerbed.length} \leq 2 \times 10^4$
- flowerbed[i] is 0 or 1.
- There are no two adjacent flowers in flowerbed.
- $0 \leq n \leq \text{flowerbed.length}$

Algorithm:

1.) Initialize Counter:

- Create a variable count and set it to 0. This will keep track of the number of flowers that can be planted.

2.) Iterate Over Flowerbed:

- Use a for-loop to iterate over each plot in the flowerbed array.

3.) Check if Current Plot is Empty:

- For each plot, check if the current plot (flowerbed[i]) is 0 (empty).

4.) Check Adjacent Plots:

- If the current plot is empty, check the adjacent plots:
 - **Left Plot:** If i is 0 (first plot), consider it as empty; otherwise, check if `flowerbed[i - 1]` is 0.
 - **Right Plot:** If i is the last plot, consider it as empty; otherwise, check if `flowerbed[i + 1]` is 0.

5.) **Plant a Flower:**

- If both the left and right adjacent plots are empty (or boundary conditions are met), plant a flower at the current plot by setting `flowerbed[i]` to 1.
- Increment the count by 1.

6.) **Check if Requirement is Met:**

- After iterating through the `flowerbed`, check if count is greater than or equal to n .
- If true, return true; otherwise, return false.

Pseudocode:

function canPlaceFlowers(`flowerbed`: array of int, n : int) -> boolean:

count = 0

for i from 0 to length of `flowerbed` - 1:

if `flowerbed[i] == 0`:

emptyLeft = ($i == 0$) or (`flowerbed[i - 1] == 0`)

emptyRight = ($i == \text{length of } \text{flowerbed} - 1$) or (`flowerbed[i + 1] == 0`)

if emptyLeft and emptyRight:

`flowerbed[i] = 1`

 count += 1

return count >= n

Code:

```
class Solution {  
    public boolean canPlaceFlowers(int[] flowerbed, int n) {  
        int count = 0;  
        for(int i = 0; i < flowerbed.length; i++){  
            // Check if the current plot is empty  
            if(flowerbed[i] == 0){  
                // Check if the left and right plots are empty  
                boolean emptyLeft = (i == 0) || (flowerbed[i - 1] == 0);  
                boolean emptyRight = (i == flowerbed.length - 1) || (flowerbed[i + 1] == 0);  
  
                // If both plots are empty, we can plant a flower here  
                if(emptyLeft && emptyRight){  
                    flowerbed[i] = 1;  
                    count++;  
                }  
            }  
        }  
        return count >= n;  
    }  
}
```

Conclusion

The function effectively checks each position in the flowerbed to see if a flower can be planted there while ensuring that the adjacent plots are empty. By incrementing the count each time a flower is planted, it keeps track of how many flowers have been successfully planted. The final comparison of count with n determines the outcome.