

SUPPORT VECTOR MACHINE(SVM)

Ques: Train SVM classifier using sklearn digits dataset (i.e. from sklearn.datasets import load_digits) and then

- 1. Measure accuracy of your model using different kernels such as rbf, poly and linear.
- 2. Tune your model further using regularization and gamma parameters and try to come up with highest accuracy score.
- 3. Use 80% of samples as training data size.

Dataset Used: load_digits dataset from sklearn

Procedure:

- ➤ Using pandas, we first import the dataset into our workspace.
- ➤ The next step is to choose the independent and dependent variables that will be used in our regression model.
- > After that, we divided our data into two sets: training and test.
- ➤ Then, using the 'rbf' kernel, we must initialise our Support Vector Machine classifier and fit it to the X_train and y_train attributes.
- > Use the 'linear' and 'polynomial' kernels to repeat the previous process.
- ➤ Then, using the results predicted by X_test on the 'rbf', 'linear', and 'polynomial' kernels, we establish three variables to store the X_test result
- > Finally, we compute evaluation metrics for each of the three kernels.

CODE SNIPPETS AND EXPLAINATION

```
In [1]: #Importing the Libraries
  import pandas as pd
  import numpy as np
  import matplotlib.pyplot as plt
  from sklearn.datasets import load_digits
```

Importing the required Libraries

```
In [2]: #Importing the digits dataset
dataset = load_digits()
```

Importing the digits Dataset

```
In [3]: # Attributes in our dataset
dataset.keys()
Out[3]: dict_keys(['data', 'target', 'frame', 'feature_names', 'target_names', 'images', 'DESCR'])
```

Listing the Attributes in our Dataset

```
In [4]: # Printing the different class lables
dataset.target_names
Out[4]: array([0, 1, 2, 3, 4, 5, 6, 7, 8, 9])
```

Printing the Different Class Labels

```
In [5]: #Printing shape of each image
dataset.images.shape
Out[5]: (1797, 8, 8)
```

Print the image shape

In [6]: #Visualizing the third image

Visualizing the Third Image in the Dataset

```
In [7]: # Set of Independent and Dependent Attributes
X = pd.DataFrame(dataset.data)
y = dataset.target
```

Taking the Independent and Depending Attributes

```
In [8]: #Splitting the dataset into training and test set
    from sklearn.model_selection import train_test_split
    X_train, X_test, y_train, y_test = train_test_split(X, y, train_size=0.8, random_state=0)
```

Splitting the dataset into Training set and Test set

```
In [9]: # Training the Support Vector Machine Model using rbf kernel
    from sklearn.svm import SVC
    rbfClassifier = SVC(kernel='rbf', random_state=0, probability=True)
    rbfClassifier.fit(X_train, y_train)
Out[9]: SVC(probability=True, random_state=0)
```

Training the SVM Model using rbf kernel

```
In [10]: # Training the Support Vector Machine Model using linear kernel
    from sklearn.svm import SVC
    linClassifier = SVC(kernel='linear', random_state=0, probability=True)
    linClassifier.fit(X_train, y_train)
Out[10]: SVC(kernel='linear', probability=True, random_state=0)
```

Training SVM model using Linear kernel

```
In [11]: # Training the Support Vector Machine Model using poly kernel
    from sklearn.svm import SVC
    polClassifier = SVC(kernel='poly', random_state=0, probability=True)
    polClassifier.fit(X_train, y_train)
Out[11]: SVC(kernel='poly', probability=True, random state=0)
```

Training SVM model using poly kernel Model

```
In [12]: # Predicting results
    y_pred_rbf = rbfClassifier.predict(X_test)
    y_pred_lin = linClassifier.predict(X_test)
    y_pred_pol = polClassifier.predict(X_test)
```

Predicting Results for various Kernels

```
In [13]: from sklearn.metrics import confusion_matrix
cm_rbf = confusion_matrix(y_test, y_pred_rbf)
cm_lin = confusion_matrix(y_test, y_pred_lin)
cm_pol = confusion_matrix(y_test, y_pred_pol)
```

Confusion Matrix for various Kernels

```
In [14]: cm_rbf
Out[14]: array([[27, 0, 0, 0, 0, 0, 0, 0, 0,
             [0, 35, 0, 0, 0, 0, 0, 0, 0,
             [0, 0, 36, 0, 0, 0, 0,
                                     0,
             [0, 0, 0, 29, 0, 0, 0,
                                     0,
             [ 0, 0, 0, 0, 30,
                              0, 0,
                                     0,
             [0, 0, 0, 0, 0, 39, 0, 0,
                                            1],
                    0, 0, 0, 0, 44,
             [0, 0,
                                     0,
                                         0,
                                            0],
             [0, 0, 0, 0, 0, 0, 0, 39,
                                         0,
                                            0],
                     0, 0, 0, 0, 0, 0, 38, 0],
             [0, 1,
             [ 0, 0, 0, 0, 0, 1, 0, 0, 40]], dtype=int64)
```

Confusion Matrix for rbf Kernel

```
In [15]: cm_pol
Out[15]: array([[27, 0, 0, 0, 0, 0, 0,
                                       0, 0,
              [0, 35, 0, 0, 0, 0, 0,
                                       0, 0,
                                              0],
              [ 0, 0, 36, 0, 0, 0, 0,
                                       0, 0,
                                              0],
                     0, 29, 0, 0, 0,
              [0, 0,
                                       0, 0,
                  0, 0, 0, 30, 0, 0,
                                       0, 0,
              [ 0,
                             0, 39, 0,
                  0, 0, 0,
                                       0, 0,
               0,
                                              1],
                      0, 0,
                            0,
                                       0, 0,
                                0, 43,
               0,
                  1,
                                              0],
                                         0,
                     0, 0,
               0,
                   0,
                            0, 0, 0, 39,
               0, 1, 0, 0, 0, 0, 0, 0, 38, 0],
                                       0, 0, 40]], dtype=int64)
               0,
                      0,
                             0,
                                1,
                                   0,
```

Confusion Matrix for poly Kernel

Confusion Matrix for linear Kernel

```
In [16]: from sklearn.metrics import accuracy_score
    accuracy_rbf = accuracy_score(y_test, y_pred_rbf)
    accuracy_lin = accuracy_score(y_test, y_pred_lin)
    accuracy_pol = accuracy_score(y_test, y_pred_pol)
```

Calculating Accuracy for various Kernels

Printing Accuracy for Different Kernels

We can see here that the accuracy with rbf kernel is max and thus it is most suitable.

Accuracy(Linear) < Accuracy(Poly) < Accuracy(rbf)

```
from sklearn.metrics import mean_squared_error
print("Mean Squared Error with RBF kernel: \t", mean_squared_error(y_test, y_pred_rbf))
print("Mean Squared Error with Linear kernel: \t", mean_squared_error(y_test, y_pred_lin))
print("Mean Squared Error with Polynomial kernel:", mean_squared_error(y_test, y_pred_pol))

Mean Squared Error with RBF kernel: 0.225
Mean Squared Error with Linear kernel: 0.65555555555556
Mean Squared Error with Polynomial kernel: 0.2944444444444445
```

Mean Squared Errors with various Kernels

From here we can again infer that MSE in least for rbf kernel and hence it is the most suitable kernel for our dataset in Support Vector Classifier.

MSE(rbf) < MSE(Poly) < MSE(Linear)

| 9]: from sklearn.me print(classific | | | | | |
|--|----------|--------|----------|---------|--|
| F | recision | recall | f1-score | support | |
| 0 | 1.00 | 1.00 | 1.00 | 27 | |
| 1 | 0.97 | 1.00 | 0.99 | 35 | |
| 2 | 1.00 | 1.00 | 1.00 | 36 | |
| 3 | 1.00 | 1.00 | 1.00 | 29 | |
| 4 | 1.00 | 1.00 | 1.00 | 30 | |
| 5 | 0.97 | 0.97 | 0.97 | 40 | |
| 6 | 1.00 | 1.00 | 1.00 | 44 | |
| 7 | 1.00 | 1.00 | 1.00 | 39 | |
| 8 | 1.00 | 0.97 | 0.99 | 39 | |
| 9 | 0.98 | 0.98 | 0.98 | 41 | |
| accuracy | | | 0.99 | 360 | |
| macro avg | 0.99 | 0.99 | 0.99 | 360 | |
| weighted avg | 0.99 | 0.99 | 0.99 | 360 | |

| <pre>In [20]: print(classification_report(y_test, y_pred_pol))</pre> | |
|--|--|
|--|--|

| | precision | recall | f1-score | support |
|--------------|-----------|--------|----------|---------|
| | 1 00 | 1 00 | 1 00 | 27 |
| 0 | 1.00 | 1.00 | 1.00 | 27 |
| 1 | 0.95 | 1.00 | 0.97 | 35 |
| 2 | 1.00 | 1.00 | 1.00 | 36 |
| 3 | 1.00 | 1.00 | 1.00 | 29 |
| 4 | 1.00 | 1.00 | 1.00 | 30 |
| 5 | 0.97 | 0.97 | 0.97 | 40 |
| 6 | 1.00 | 0.98 | 0.99 | 44 |
| 7 | 1.00 | 1.00 | 1.00 | 39 |
| 8 | 1.00 | 0.97 | 0.99 | 39 |
| 9 | 0.98 | 0.98 | 0.98 | 41 |
| | | | | |
| accuracy | | | 0.99 | 360 |
| macro avg | 0.99 | 0.99 | 0.99 | 360 |
| weighted avg | 0.99 | 0.99 | 0.99 | 360 |

```
In [27]: print(classification_report(y_test, y_pred_lin))
                    precision recall f1-score support
                        1.00
                                1.00
                                        1.00
                                                    27
                                        0.96
                 1
                       0.94
                               0.97
                                                   35
                                1.00
                                        0.99
                 2
                       0.97
                                                   36
                       0.97
                                1.00
                                        0.98
                                                   29
                       0.97
                                1.00
                                        0.98
                                                   30
                 5
                       0.97
                               0.97
                                        0.97
                                                   40
                       1.00
                                0.98
                                        0.99
                                                   44
                 7
                       1.00
                                0.97
                                        0.99
                                                   39
                       0.97
                                0.95
                                         0.96
                                                   39
                       0.97
                                                   41
                                0.95
                                         0.96
                                         0.98
                                                   360
           accuracy
                      0.98
                               0.98
          macro avg
                                         0.98
                                                   360
        weighted avg
                        0.98
                                 0.98
                                         0.98
                                                   360
```

Here we have printed the classification report of Support Vector Classifier with all three kernels.

```
In [33]: rbfClassifierC=SVC(kernel='rbf' , C=0.3)
         rbfClassifierC.fit(X_train,y_train)
         rbfClassifierC.score(X_test,y_test)
Out[33]: 0.9805555555555555
In [34]: rbfClassifierC=SVC(kernel='rbf' , C=0.4)
         rbfClassifierC.fit(X_train,y_train)
         rbfClassifierC.score(X_test,y_test)
Out[34]: 0.9888888888888889
In [35]: rbfClassifierC=SVC(kernel='rbf' , C=0.5)
         rbfClassifierC.fit(X_train,y_train)
         rbfClassifierC.score(X_test,y_test)
Out[35]: 0.9888888888888888
In [36]: rbfClassifierC=SVC(kernel='rbf' , C=0.6)
         rbfClassifierC.fit(X_train,y_train)
         rbfClassifierC.score(X_test,y_test)
Out[36]: 0.9888888888888889
```

```
In [37]: rbfClassifierC=SVC(kernel='rbf' , C=0.7)
    rbfClassifierC.fit(X_train,y_train)
    rbfClassifierC.score(X_test,y_test)

Out[37]: 0.991666666666667

In [38]: rbfClassifierC=SVC(kernel='rbf' , C=0.8)
    rbfClassifierC.fit(X_train,y_train)
    rbfClassifierC.score(X_test,y_test)

Out[38]: 0.9916666666666667

In [39]: rbfClassifierC=SVC(kernel='rbf' , C=0.9)
    rbfClassifierC.fit(X_train,y_train)
    rbfClassifierC.score(X_test,y_test)

Out[39]: 0.99166666666666667
```

Here we have tried to tune in the C value for rbf kernel. Initially we have used 0.3 as we increase the C value and we can see that the accuracy increases till C=0.7, after that C remains constant and there is no significant increase in models accuracy and hence the C value can be taken as C=0.7.

Result and Conclusion:

Accuracy

RBF Kernel-

• Model Accuracy = 99.1667%

```
In [14]: cm_rbf
                        0,
                            0,
Out[14]: array([[27,
                                   0,
                                       0,
                                              0,
                    0,
                               0,
                                           0,
                                                   0],
               [ 0, 35, 0, 0, 0,
                                   0, 0, 0,
                                              0, 0],
                                              0,
               [0, 0, 36, 0, 0,
                                   0, 0, 0,
                                                   0],
               [0, 0, 0, 29, 0,
                                  0, 0, 0,
                                              0, 0],
               [ 0, 0, 0, 0, 30, 0, 0, 0,
                                              0, 0],
                                              0,
               [ 0, 0, 0, 0, 0, 39, 0, 0,
                                                  1],
               [0, 0, 0,
                           0, 0, 0, 44, 0, 0, 0],
               [0, 0, 0, 0, 0, 0, 39, 0, 0],
               [0, 1, 0, 0, 0, 0, 0, 38, 0],
                            0, 0, 1, 0, 0, 0, 40]], dtype=int64)
                        0,
               [0, 0,
In [19]: from sklearn.metrics import classification_report
         print(classification_report(y_test, y_pred_rbf))
                                  recall f1-score
                      precision
                                                    support
                   0
                           1.00
                                    1.00
                                             1.00
                                                         27
                   1
                           0.97
                                    1.00
                                              0.99
                                                         35
                   2
                           1.00
                                    1.00
                                             1.00
                                                         36
                   3
                           1.00
                                    1.00
                                              1.00
                                                         29
                   4
                           1.00
                                    1.00
                                             1.00
                                                         30
                   5
                           0.97
                                    0.97
                                              0.97
                                                         40
                   6
                           1.00
                                    1.00
                                             1.00
                                                         44
                   7
                           1.00
                                    1.00
                                             1.00
                                                         39
                   8
                           1.00
                                    0.97
                                              0.99
                                                         39
                   9
                           0.98
                                    0.98
                                             0.98
                                                         41
             accuracy
                                              0.99
                                                        360
           macro avg
                           0.99
                                    0.99
                                             0.99
                                                        360
         weighted avg
                           0.99
                                    0.99
                                             0.99
                                                        360
In [24]: print(classification_report(y_test,y_pred_rbf))
                      precision
                                  recall f1-score
                                                    support
                   0
                          1.00
                                    1.00
                                             1.00
                                                         27
                          0.97
                                    1.00
                                             0.99
                                                         35
                          1.00
                                   1.00
                                             1.00
                                                         36
                          1.00
                                   1.00
                                             1.00
                                                         29
                          1.00
                                   1.00
                                             1.00
                                                         30
                   5
                          0.97
                                   0.97
                                             0.97
                                                         40
                          1.00
                                   1.00
                                                         44
                                             1.00
                          1.00
                                   1.00
                                                         39
                                             1.00
                          1.00
                                   0.97
                                             0.99
                                                         39
                          0.98
                                   0.98
                                             0.98
                                                        41
                                             0.99
                                                        360
            accuracy
                          0.99
                                    0.99
                                             0.99
                                                        360
           macro avg
                          0.99
                                             0.99
        weighted avg
                                    0.99
                                                        360
    Identified 0
                                = 27
     True 0
                                = 27
     Identified 1
                                = 34
      True 1
                                = 35
      Identified 2
                                = 36
```

= 36

True 2

| • | identified 3 | = 29 |
|---|--------------|------|
| | | |

- True 3 = 29
- Identified 4 = 30
- True 4 = 30
- Identified 5 = 39
- True 5 = 40
- Identified 6 = 44
- True 6 = 44
- Identified 7 = 39
- True 7 = 39
- Identified 8 = 39
- True 8 = 39
- Identified 9 = 40
- True 9 = 41
- Precision of 0 = 1.00
- Precision of 1 = 0.97
- Precision of 2 = 1.00
- Precision of 3 = 1.00
- Precision of 4 = 1.00
- Precision of 5 = 0.97
- Precision of 6 = 1.00
- Precision of 7 = 1.00
- Precision of 8 = 1.00
- Precision of 9 = 0.98
- Recall of 0 = 1.00
- Recall of 1 = 1.00
- Recall of 2 = 1.00
- Recall of 3 = 1.00
- Recall of 4 = 1.00
- Recall of 5 = 0.97
- Recall of 6 = 1.00
- Recall of 7 = 1.00
- Recall of 8 = 0.97
- Recali of 9 0.96

Linear Kernel:

True 5

Model Accuracy = 97.77%

```
cm lin
array([[27, 0, 0, 0, 0, 0, 0, 0, 0,
                                       01,
      [0, 34, 0, 0, 0, 0, 0, 0, 1,
                                       01,
      [ 0, 0, 36, 0, 0, 0, 0, 0, 0,
      [0, 0, 0, 29, 0, 0, 0, 0, 0,
      [ 0, 0, 0, 0, 30, 0, 0, 0, 0,
      [0, 0, 0, 0, 0, 39, 0, 0, 0, 1],
      [ 0, 1, 0, 0, 0, 0, 43, 0, 0,
      [0, 0, 0, 0, 1, 0, 0, 38, 0, 0],
      [0, 1, 1, 0, 0, 0, 0, 0, 37, 0],
      [ 0, 0, 0, 1, 0, 1, 0, 0, 0, 39]], dtype=int64)
In [27]: print(classification_report(y_test, y_pred_lin))
                    precision recall f1-score support
                        1.00
                                 1.00
                                         1.00
                                                    27
                                                    35
                 1
                        0.94
                                 0.97
                                         0.96
                 2
                        0.97
                                 1.00
                                         0.99
                                                    36
                 3
                        0.97
                                 1.00
                                         0.98
                                                    29
                 4
                        0.97
                                 1.00
                                         0.98
                                                    30
                 5
                        0.97
                                 0.97
                                         0.97
                                                    40
                        1.00
                                 0.98
                                         0.99
                                                    44
                 7
                        1.00
                                 0.97
                                         0.99
                                                    39
                        0.97
                                 0.95
                                         0.96
                                                    39
                        0.97
                                 0.95
                                         0.96
                                                    41
           accuracy
                                          0.98
                                                   360
          macro avg
                        0.98
                                 0.98
                                          0.98
                                                   360
        weighted avg
                        0.98
                                 0.98
                                         0.98
                                                   360
                             = 27

    Identified 0

     True 0
                             = 27
    Identified 1
                              = 33

    True 1

                             = 35

    Identified 2

                             = 35

    True 2

                             = 36
   • Identified 3
                             = 28
   • True 3
                             = 29

    Identified 4

                             = 29
     True 4
                             = 30
   • Identified 5
                              = 39
```

= 40

- Identified 6 = 44
- True 6 = 44
- Identified 7 = 39
- True 7 = 39
- Identified 8 = 38
- True 8 = 39
- Identified 9 = 40
- True 9 = 41
- Precision of 0 = 1.00
- Precision of 1 = 0.97
- Precision of 2 = 1.00
- Precision of 3 = 1.00
- Precision of 4 = 1.00
- Precision of 5 = 0.97
- Precision of 6 = 0.98
- Precision of 7 = 0.97
- Precision of 8 = 0.95
- Precision of 9 = 0.95
- Recall of 0 = 1.00
- Recall of 1 = 0.96
- Recall of 2 = 0.99
- Recall of 3 = 0.98
- Recall of 4 = 0.98
- Recall of 5 = 0.97
- Recall of 6 = 0.99
- Recall of 7 = 0.99
- Recall of 8 = 0.96
- Recall of 9 = 0.96

Poly Kernel:

• Model Accuracy = 98.88%

Idantified 6

```
In [15]: cm_pol
Out[15]: array([[27, 0, 0, 0, 0, 0, 0,
                                     0, 0,
                                            0],
             [0,35,0,0,0,0,0,0,0,0],
             [0, 0, 36, 0, 0, 0, 0, 0, 0],
             [0, 0, 0, 29, 0, 0, 0, 0, 0, 0],
             [0, 0, 0, 0, 30, 0, 0, 0, 0, 0],
             [0, 0, 0, 0, 0, 39, 0, 0, 0, 1],
             [0, 1, 0, 0, 0, 0, 43, 0, 0, 0],
             [0, 0, 0, 0, 0, 0, 39, 0, 0],
             [0, 1, 0, 0, 0, 0, 0, 38, 0],
             [ 0, 0, 0, 0, 0, 1, 0, 0, 40]], dtype=int64)
In [20]: print(classification_report(y_test, y_pred_pol))
                    precision recall f1-score
                                              support
                               1.00
                        1.00
                                        1.00
                                                  27
                        0.95
                               1.00
                 1
                                       0.97
                                                  35
                               1.00
                 2
                        1.00
                                       1.00
                                                  36
                 3
                        1.00
                               1.00
                                        1.00
                 4
                        1.00
                               1.00
                                       1.00
                 5
                        0.97
                               0.97
                                       0.97
                                                  40
                 6
                       1.00
                              0.98
                                       0.99
                                                  44
                 7
                       1.00
                               1.00
                                       1.00
                                                  39
                 8
                       1.00
                              0.97
                                        0.99
                                                  39
                        0.98
                              0.98
                                        0.98
                                                  41
           accuracy
                                        0.99
                                                 360
           macro avg
                       0.99
                              0.99
                                        0.99
                                                 360
        weighted avg
                        0.99
                                0.99
                                        0.99
                                                 360

    Identified 0

                            = 27

    True 0

                            = 27

    Identified 1

                            = 35

    True 1

                            = 35

    Identified 2

                            = 36
     True 2
                            = 36
   • Identified 3
                            = 29

    True 3

                            = 29

    Identified 4

                            = 30
     True 4
                            = 30
     Identified 5
                            = 39

    True 5

                            = 40
```

= 11

- True 6 = 44
- Identified 7 = 39
- True 7 = 39
- Identified 8 = 39
- True 8 = 39
- Identified 9 = 40
- True 9 = 41
- Precision of 0 = 1.00
- Precision of 1 = 0.95
- Precision of 2 = 1.00
- Precision of 3 = 1.00
- Precision of 4 = 1.00
- Precision of 5 = 0.97
- Precision of 6 = 1.00
- Precision of 7 = 1.00
- Precision of 8 = 1.00
- Precision of 9 = 0.98
- Recall of 0 = 1.00
- Recall of 1 = 1.00
- Recall of 2 = 1.00
- Recall of 3 = 1.00
- Recall of 4 = 1.00
- Recall of 5 = 0.97
- Recall of 6 = 0.98
- Recall of 7 = 1.00
- Recall of 8 = 0.97
- Recall of 9 = 0.98



Question:

- 1. Load the data
- 2. Initialize K to your chosen number of neighbors
- 3. For each example in the data
- 3.1 Calculate the distance between the query example and the current example from the data.
- 3.2 Add the distance and the index of the example to an ordered collection
- 4. Sort the ordered collection of distances and indices from smallest to largest (in ascending order) by the distances
- 5. Pick the first K entries from the sorted collection
- 6. Get the labels of the selected K entries
- 7. If regression, return the mean of the K labels
- 8. If classification, return the mode of the K labels

Dataset Used:

diabetes dataset from https://www.kaggle.com/uciml/pima-indians-diabetesdatabase/version/1

Procedure:

- -Using pandas, we first import the dataset into our workspace.
- -The independent and dependent attributes to be employed in our classification model must then be decided.

- After that, we divided our data into two sets: training and test.
- After that, we must Feature Scale our dataset.
- -Scaling concerns should be accounted for in many attributes.
- Next, we determine the k value for which the classifier has the lowest error.
- After that, we use the best k value to fit our classifier model.
- After that, we construct a variable to record our expected result.
- -the X test set's classifier
- Last, we compute our assessment metrics.

Code Snippets and Explanation:

```
In [1]: #Importing Libraries
import numpy as np
import pandas as pd
import matplotlib.pyplot as plt

In [2]: #Importing the dataset
dataset = pd.read_csv("diabetes.csv")
X = dataset.iloc[:, :-1].values
y = dataset.iloc[:, -1].values
```

Importing the Libraries and Dataset

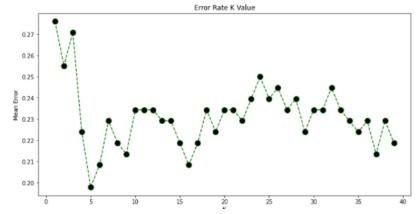
```
In [3]: #Splitting the datasets into training and test set
    from sklearn.model_selection import train_test_split
    X_train, X_test, y_train, y_test = train_test_split(X,y,test_size=0.25,random_state=0)

In [4]: #Feature Scaling
    from sklearn.preprocessing import StandardScaler
    sc_X = StandardScaler()
    X_train = sc_X.fit_transform(X_train)
    X_test = sc_X.transform(X_test)
```

Splitting the dataset into Training and testing sets and Feature scaling

Here we are splitting our dataset into training set and test set with 25% of our dataset values in test set and remaining 75% in training set.

```
In [5]: from sklearn.neighbors import KNeighborsClassifier
error = []
for i in range(1, 40):
    knn = KNeighborsClassifier(n_neighbors=i)
    knn.fit(x_train, y_train)
    pred_i = knn.predict(x_test)
    error.append(np.mean(pred_i != y_test))
plt.figure(figsize=(12, 6))
plt.plot(range(1, 40), error, color='green', linestyle='dashed', marker='o', markerfacecolor='black', markersize=10)
plt.title('Error Rate K Value')
plt.xlabel('K')
plt.xlabel('K')
plt.ylabel('Mean Error')
plt.show()
```



We're trying to figure out what the best value for K is. When we choose K as 5, we can observe that the error value is the lowest.

```
In [6]: #Fitting Classification model to the training set
    from sklearn.neighbors import KNeighborsClassifier
    classifier = KNeighborsClassifier(n_neighbors = 5, metric='minkowski')
    classifier.fit(X_train, y_train)
Out[6]: KNeighborsClassifier()
```

We're using training sets to fit our KNN classifier. Because of the previous outcome, we chose K value of 5.

```
In [7]: #Predicting the X_test result
y_pred = classifier.predict(X_test)
```

On the test set, we're creating a list of predictions based on the classifier's predictions. Our Confusion Matrix has also been created.

```
In [8]: #Printing the confusion matrix
        from sklearn.metrics import confusion matrix
       confusion_matrix(y_test, y_pred)
Out[8]: array([[114, 16],
              [ 22, 40]], dtype=int64)
 In [9]: #Printing the Accuracy and Mean Squared Error Value
         from sklearn.metrics import accuracy_score, mean_squared_error
         print("Accuracy value: \t", accuracy_score(y_test, y_pred))
         print("MSE value: \t", mean_squared_error(y_test, y_pred))
         Accuracy value:
                                0.8020833333333334
         MSE value: 0.1979166666666666
In [10]: #Printing the classification report
         from sklearn.metrics import classification_report
         print(classification_report(y_test, y_pred))
                      precision recall f1-score support
                         0.84 0.88 0.86
0.71 0.65 0.68
                                                       130
        macro avg 0.78 0.76 0.77 192
weighted avg 0.80 0.80 0.80 192
```

We've created our numerous evaluation matrixes here. Precision, recall, and f1 score are all included, as well as accuracy and mean squared error value. Our model has an accuracy of 80 percent and an MSE score of 0.1979.

```
def knn(data, query, k, distance_fn, choice_fn):
neighbor_distances_and_indices = []
```

3. For each example in the data

for index, example in enumerate(data):

3.1 Calculate the distance between the query example and the current

example from the data.

```
distance = distance_fn(example[:-1], query)
```

3.2 Add the distance and the index of the example to an ordere d collection

neighbor_distances_and_indices.append((distance, index))

- # 4. Sort the ordered collection of distances and indices from
 # smallest to largest (in ascending order) by the distances
 sorted_neighbor_distances_and_indices = sorted(neighbor_distances_and_indices)
 - # 5. Pick the first K entries from the sorted collection

k_nearest_distances_and_indices = sorted_neighbor_distances_and_indices[:k]

6. Get the labels of the selected K entries

k_nearest_labels = [data[i][1] for distance, i in k_nearest_distances
_and_indices]

- # 7. If regression (choice_fn = mean), return the average of the K labels
- # 8. If classification (choice_fn = mode), return the mode of the K labels

return k_nearest_distances_and_indices , choice_fn(k_nearest_lab els)

#function to calculate the mean used in case of regression def mean(labels):

return sum(labels) / len(labels)

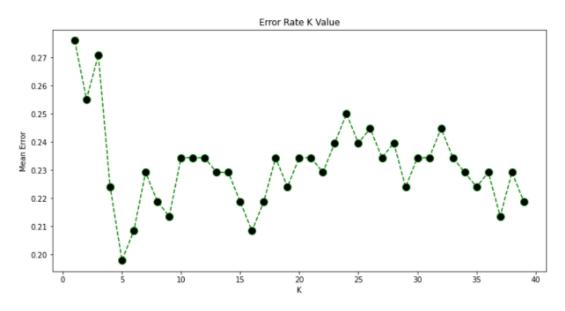
#function to calculate the mode used in case of classification def mode(labels):

return Counter(labels).most_common(1)[0][0]

#function to calculate the distance between two data points def euclidean_distance(point1, point2):

```
sum_squared_distance = 0
for i in range(len(point1)):
    sum_squared_distance += math.pow(point1[i] - point2[i], 2)
return math.sqrt(sum_squared_distance)
```

Result and Conclusion:



| | precision | recall | f1-score | support |
|--------------|-----------|--------|----------|---------|
| 0 | 0.84 | 0.88 | 0.86 | 130 |
| 1 | 0.71 | 0.65 | 0.68 | 62 |
| accuracy | | | 0.80 | 192 |
| macro avg | 0.78 | 0.76 | 0.77 | 192 |
| weighted avg | 0.80 | 0.80 | 0.80 | 192 |

Modal Accuracy:80%



Question:

To train a Multi-Layer Perceptron (MLP) model to classify the network traffic record whether it is a normal or attack...

- 1. Read and parse the dataset.
- 2. Create Multi-Layer Perceptron Model (MLP)
- 3. Train and evaluate a Multi-Layer Perceptron (MLP) model

Dataset Used:

NSL KDD – Intrusion Detection Dataset https://www.unb.ca/cic/datasets/nsl.html

Procedure:

- -Using pandas, we first import the dataset into our workspace.
- -Assign the column names to our dataset as it doesn't have one.
- Pick out and encode our specific variable.
- After encoding the specific variable, we want to dummy encode them on the way to keep away from ordinality among nominal information.
- We then want to re-assign our label information. All labels different than ordinary are assigned as attacks.
- We then want to divide the schooling set and check set information into set of structured attributes and impartial attributes.
- Next, we lay down the Multi-Layer Perceptron and byskip our enter records into enter layer of our neural network.
- Finally, we generate our check set consequences and evaluation metrices.

Code Snippets and Explanation:

```
In [1]: #Importing the Libraries
  import numpy as np
  import pandas as pd
  import matplotlib.pyplot as plt
```

Here we are importing the necessary libraries in our workspace.

Here we're uploading the dataset into our workspace and are assigning them with the column names because it isn't always preblanketed in the given dataset.

```
In [3]: for col_name in dataset_train.columns:
            if dataset_train[col_name].dtypes == 'object':
                unique_cat = len(dataset_train[col_name].unique())
                 print("Feature '{col_name}' has {unique_cat} categories". format(col_name=col_name, unique_cat=unique_cat))
         Feature 'protocol_type' has 3 categories
         Feature 'service' has 70 categories
         Feature 'flag' has 11 categories
Feature 'label' has 23 categories
In [4]: #Identifying Categorical Variables in test set
        for col name in dataset test.columns:
            if dataset_test[col_name].dtypes == 'object':
                unique_cat = len(dataset_test[col_name].unique())
                print("Feature '{col_name}' has {unique_cat} categories". format(col_name=col_name, unique_cat=unique_cat))
        Feature 'protocol_type' has 3 categories
        Feature 'service' has 64 categories
        Feature 'flag' has 11 categories
        Feature 'label' has 38 categories
```

Here we've identified all of the express attributes in our training set and take a look at set. We have additionally identified the range of

classes inculcating inside every attribute

```
In [5]: #Encoding Categorical Variables
    from sklearn.preprocessing import LabelEncoder, OneHotEncoder
    categorical_columns = ['protocol_type', 'service', 'flag']
    cat_train = dataset_train[categorical_columns]
    cat_test = dataset_test[categorical_columns]
```

Here we have created 2 dummy data frames to include the categorical attributes in them

```
In [6]: #Making column names for dummies
        #Protocol Type
        unique protocol = sorted(dataset train.protocol type.unique())
        string1 = 'Protocol type '
        unique_protocol2 = [string1 + x for x in unique_protocol]
        unique_service = sorted(dataset_train.service.unique())
        string2 = 'service '
        unique service2 = [string2 + x for x in unique service]
        #Flaa
        unique flag = sorted(dataset train.flag.unique())
        string3 = 'flag '
        unique flag2 = [string3 + x for x in unique flag]
        dumcols = unique_protocol2 + unique_service2 + unique_flag2
        #For test set
        unique service test = sorted(dataset test.service.unique())
        unique_service2_test = [string2 + x for x in unique_service_test]
        test_dumcols = unique_protocol2 + unique_service2_test + unique_flag2
```

Here we've created the dummy attributes to keep away from the ordinal introduction among those nominal specific attributes.

```
In [7]: #Dummy encoding the Categorical Variable
    train_categorical = cat_train.apply(LabelEncoder().fit_transform)
    test_categorical = cat_test.apply(LabelEncoder().fit_transform)
    enc = OneHotEncoder()
    train_categorical = enc.fit_transform(train_categorical)
    train_categorical_data = pd.DataFrame(train_categorical.toarray(), columns=dumcols)
    test_categorical = enc.fit_transform(test_categorical)
    test_categorical_data = pd.DataFrame(test_categorical.toarray(), columns=test_dumcols)
```

Here we've used the label encoder to fill withinside the dummy attributes in every of the specific attributes.

```
In [8]: #Adding 6 missing classes from service variable in test set
    train_service = dataset_train['service'].tolist()
    test_service = dataset_test['service'].tolist()

difference = list(set(train_service) - set(test_service))
    string = 'service_'

difference = [string + x for x in difference]
    print("Unknown classes in test set are: ")
    difference

Unknown classes in test set are:

Out[8]: ['service_http_2784',
    'service_red_i',
    'service_aol',
    'service_urh_i',
    'service_harvest',
    'service_http_8001']
```

While checking the specific variables we noticed that service characteristic in check set has 70 training whilst schooling set has sixty four training. Hence, we want to encompass the ones 6 dummy attributes with zero fee in every our schooling set. This is what we've got diagnosed and achieved here.

```
In [9]: for col in difference:
    test_categorical_data[col] = 0
print(test_categorical_data.shape)
print(train_categorical_data.shape)

(22544, 84)
  (125973, 84)
```

Here we have finalised our data frames with the dummy values of categorical attributes.

```
In [10]: #Joining the encoded dataframe with non-encoded one
    train = dataset_train.join(train_categorical_data)
    train.drop('flag', axis=1, inplace=True)
    train.drop('protocol_type', axis=1, inplace=True)
    train.drop('service', axis=1, inplace=True)

test = dataset_test.join(test_categorical_data)
    test.drop('flag', axis=1, inplace=True)
    test.drop('protocol_type', axis=1, inplace=True)
    test.drop('service', axis=1, inplace=True)
```

Next, we've got combined our original dataset with dummy attributes that we acquired in our specific assignment. Also right here we've got dropped the original specific attributes for you to inculcate only the non-specific attributes.

```
In [11]: print("Training Set Shape: \t", train.shape)
print("Test Set Shape: \t", test.shape)

Training Set Shape: (125973, 124)
Test Set Shape: (22544, 124)
```

Here we have checked the number of attributes in both the training set and test set to see if they are equal... we can see that they have 124 attributes each and hence are compatible.

Here we have categorised each of the label attribute either as "normal" or an "attack". All the labels which are normal are given a label of 0 and all those that indicate an attack are labelled as 1.

Since all the attributes in our dataset don't follow a common scale, we need to feature scale the dataset in order to avoid any preassumed weight amongst them. We have used standard scalar to do this and it scales down each attribute to a range in -1 to 1.

Here we have assigned the set of dependent and independent attributes. Also, we have printed the shape of each category that we have in order to check if they are compatible with each other.

```
In [17]: #Training the Model
    from sklearn.neural_network import MLPClassifier
    mlp = MLPClassifier(hidden_layer_sizes=(5, 5), max_iter=100)
    mlp.fit(X_train, y_train)

Out[17]: MLPClassifier(hidden_layer_sizes=(5, 5), max_iter=100)
```

Here we have laid our neural network and then passed our input and output set to it in-order for it to adjust the weight biases.

Here we have generated a vector y_pred that stores the result as predicted by our mlp classifier on test set. We have also generated the confusion matrix to check the performance of our classifier.

```
In [20]: accuracy_score(y_pred, y_test)
Out[20]: 0.9251685592618879
```

we have printed the accuracy of our model and printed the classification reported to finally check the performance of our model. We can see that the accuracy of the model is 92.51%.

| In [21]: | <pre>from sklearn.metrics import classification_report print(classification_report(y_test,y_pred))</pre> | | | | | |
|----------|--|-----------|--------|----------|---------|--|
| | | precision | recall | f1-score | support | |
| | (| 0.99 | 0.83 | 0.91 | 9711 | |
| | : | L 0.89 | 1.00 | 0.94 | 12833 | |
| | accuracy | / | | 0.93 | 22544 | |
| | macro av | g 0.94 | 0.91 | 0.92 | 22544 | |
| | weighted av | 0.93 | 0.93 | 0.92 | 22544 | |

Result and Conclusion:

Confusion Matrix:

Accuracy:

```
In [20]: accuracy_score(y_pred, y_test)
Out[20]: 0.9251685592618879
```

Accuracy:92.51%.

- ✓ Identified Normal = 9711
- ✓ Actual Normal = 9362
- ✓ Identified Attack = 12833
- ✓ Actual Attack = 13182
- √ True Normal = 8087
- ✓ True Attack = 12770
- √ False Normal = 1624
- ✓ False Attack = 63
- ✓ Precision Normal = 0.99
- ✓ Precision Attack = 0.89
- ✓ Recall Normal = 0.83
- ✓ Recall Attack = 1.00