## Осипов Н.С., ПМ - 1801 2.3.3.a2

## Метод секущих

## как дискретная модификация метода Ньютона; Простейшие аппроксимации частных производных.

```
ln[598] = secMeth[f_, x_, app_] := Module[{G = ConstantArray[0, {Length@x, Length@x}],}]
             x0 = ConstantArray[app, Length@x], \xi = app, xk, mode = 0, k = 1, Ginv, res, test},
            xk = x0;
            While mode == 0,
             For [i = 1, i \le Length@f, i++,
              For [j = 1, j \le Length@x, j++,
                G[[i, j]] = D[f[[i]], x[[j]]]];
             Ginv = Inverse@G;
             res = xk - Ginv.f;
             For [i = 1, i \le Length@x, i++,
              res = (res /. x[i] :> xk[i])];
             test = 0;
             For [i = 1, i \le Length@x, i++,
              If [Abs [res [i]] - xk[i]] < \xi, test ++]];
             If[test == Length@x, mode = 1, xk = res; k++]];
            {res, "iters = " <> ToString[k] }];
         exf1 = {x1^2 + x2, x1 + x2 + 6};
In[612]:=
         exx1 = {x1, x2};
         secMeth[exf1, exx1, 0.001]
          \{ \{-2., -4. \}, iters = 6 \}
Out[614]=
          (\{x1^2 + x2, x1 + x2 + 6\} /. x1 :> -2.000000000028333^) /. x2 :> -3.99999999971667^
In[628]:=
          \{1.41664 \times 10^{-10}, 0.\}
Out[628]=
         exf2 = \{7 * x1 * x2 + 2 * x1^2 - 4 * x2^2, x1^2 - 5 * x1 * x2 + x2 + x1 \};
In[618]:=
         exx2 = {x1, x2};
         secMeth[exf2, exx2, 0.001]
         \{\{-1., -2.\}, iters = 7\}
Out[620]=
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( \{ 7 * x1 * x2 + 2 * x1^2 - 4 * x2^2, x1^2 - 5 * x1 * x2 + x2 + 11 \} /. x1 :> -1.000000000749885 ) /.
In[625]:=
           x2 :> -1.999999994029627`
           \{6.72313 \times 10^{-9}, 2.98232 \times 10^{-9}\}
Out[625]=
          exf3 = {\sin[x1 + x2] - 1.6 * x1, x1^2 + x2^2 - 1};
In[629]:=
          exx3 = {x1, x2};
          secMeth[exf3, exx3, 0.001]
           \{\{0.616307, 0.787506\}, iters = 18\}
Out[631]=
           (\{\sin[x1+x2]-1.6*x1, x1^2+x2^2-1\}/.x1:>0.6163066467111622^)/.
In[632]:=
           x2 :> 0.7875062648775043`
           \left\{-1.50158 \times 10^{-12}, \ 1.67533 \times 10^{-12}\right\}
Out[632]=
          exf4 = {x1^2 + x2 - x3 + 7, x1 + x2 + x3 - 1, x1 + x2^2 + x3^2 - 63};
In[605]:=
          exx4 = {x1, x2, x3};
          secMeth[exf4, exx4, 0.01]
           \{\{2., -6., 5.\}, iters = 9\}
Out[607]=
           ((x1^2 + x2 - x3 + 7, x1 + x2 + x3 - 1, x1 + x2^2 + x3^2 - 63) /. x1 :> 2.0000004792643984) /.
In[633]:=
               x2:>-6.0000002396321985`) /. x3:>4.999999760367801`
           \{1.91706 \times 10^{-6}, 8.88178 \times 10^{-16}, 9.58529 \times 10^{-7}\}
Out[633]=
```