# MA374-Financial Engineering Laboratory Assignment 5

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### 1 Question 1

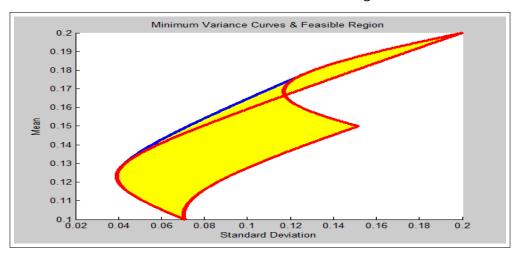
We are given three assets with the following mean return vector and covariance matrix:

$$M = (0.1 \ 0.2 \ 0.15)$$

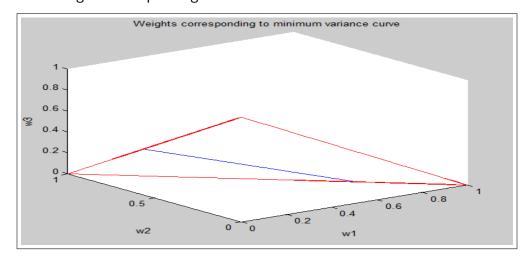
$$C = \left(\begin{array}{ccc} 0.005 & -0.010 & 0.004 \\ -0.010 & 0.040 & -0.002 \\ 0.004 & -0.002 & 0.023 \end{array}\right)$$

There is no short selling allowed.

### 1.1 The Markowitz Efficient Frontier and the Feasible Region



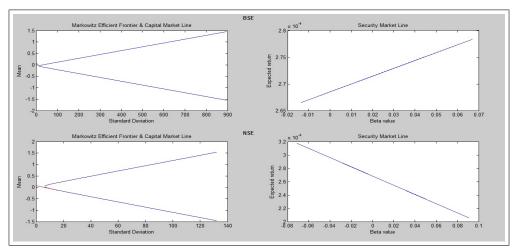
### 1.2 The weights corresponding to the minimum variance curve



# 2 Question 2

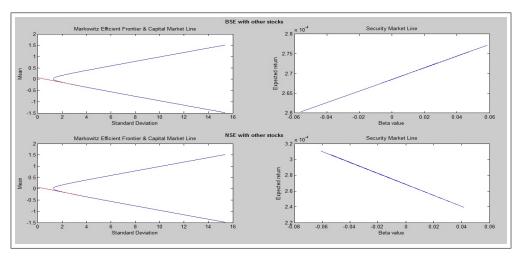
Here we had to calculate the following using data from online resources. The data has been enclosed in csv format for both BSE and NSE.

### 2.1 The Markov Efficient Frontier and The SML for BSE and NSE



### 2.2 The Markov Efficient Frontier and The SML for BSE and NSE

The Market Portfolio is the Portfolio with the following mean and standard deviation:



### 2.3 Comparison of Beta Values

	GAIL	Tata Moto	rs NTP	2	ITC	Tata St	eel In	fosys	HDFC		Bharti Airtel	BHEL	ICICI
Actual beta	0.83	1	1.52	0.71	0.4	49	1.5	0.87		1	0.88	1.63	1.68
Calculated beta	0.01489	0.040223	0.040223252		0.037429604	0.067	0.013108						
	Axis Bank B	harti Airtel	BHEL	Cana	ra Bank	Cipla	GAIL	ITC	M	lahin	dra & Mahindr	a HDFC	ICICI
Actual beta	Axis Bank B	harti Airtel 0.79			ra Bank 1.4			ITC 56	0.49	lahin	dra & Mahindr 0.9		

### 3 Matlab Codes

#### 3.1 Question 1

```
clear;
clc;
m = [0.1 \ 0.2 \ 0.15];
c = \begin{bmatrix} 0.005 & -0.010 & 0.004; & -0.010 & 0.040 & -0.002; & 0.004 & -0.002 \end{bmatrix}
    0.023;
u = ones(1,3);
w_{\text{opt}} = (u*inv(c))/(u*inv(c)*u');
m_{-}opt = w_{-}opt*m';
sig.opt = sqrt(w.opt*c*w.opt');
p = zeros(250,2);
k = zeros(250,3);
p(:,2) = m_{-}opt;
j = 0;
for i = 1:250
     w_{temp} = [0 \ 0 \ -1];
     \mathbf{while} \left( \mathbf{min} \left( \mathbf{w}_{-} \mathbf{temp} \right) < 0 \right)
           p(i,2) = m_{-}opt + ((-1)^{\hat{}} j) * j * 0.0001;
           w_{temp} = (det([1 u*inv(c)*m'; p(i,2) m*inv(c)*m'])*u*inv
               (c) + det([u*inv(c)*u' 1;m*inv(c)*u' p(i,2)])*m*inv(
               c))/det([u*inv(c)*u' u*inv(c)*m';m*inv(c)*u' m*inv(c
               )*m']);
           j = j+1;
     end
     k(i,:) = w_temp;
```

```
p(i,1) = \mathbf{sqrt}(w_{temp}*c*w_{temp});
end
q = zeros(100000,2);
w_{\text{temp}} = [0 \ 0 \ -1];
qq = rand(100000,3);
for i = 1:100000
     qq(i,:) = qq(i,:)/sum(qq(i,:));
     q(i,1) = \mathbf{sqrt}(qq(i,:)*c*qq(i,:)');
     q(i, 2) = qq(i, :) *m';
scatter(q(:,1),q(:,2),'yellow','*');
hold on:
scatter(p(:,1),p(:,2),'blue','.');
title ('Minimum_Variance_Curves_&_Feasible_Region');
xlabel('Standard_Deviation');
ylabel('Mean');
mm = m;
mm(:,3) = [];
cc = c;
cc(:,3) = [];
cc(3,:) = [];
uu = ones(1,2);
w_{\text{-}}opt = (uu*inv(cc))/(uu*inv(cc)*uu');
m_{opt} = w_{opt}*mm';
sig_opt = sqrt(w_opt*cc*w_opt');
p = zeros(500,2);
k3 = zeros(500,2);
p(:,2) = m_{-}opt;
j = 0;
for i = 1:500
     w_{temp} = [0 \ 0 \ -1];
     while (min(w_temp) < 0)
          p(i,2) = m_{-}opt + ((-1)^{\hat{j}}) * j * 0.0001;
          \mathbf{w}_{-}\mathbf{temp} = (\mathbf{det}([1 \ \mathbf{uu*inv}(\mathbf{cc})*\mathbf{mm'}; \mathbf{p}(\mathbf{i}, 2) \ \mathbf{mm*inv}(\mathbf{cc})*\mathbf{mm'}])
              *uu*inv(cc) + det([uu*inv(cc)*uu' 1;mm*inv(cc)*uu' p
              (i,2)]) *mm*inv(cc))/det([uu*inv(cc)*uu' uu*inv(cc)*
              mm';mm*inv(cc)*uu' mm*inv(cc)*mm']);
     j = j+1;
     end
     k3(i,:) = w_{temp};
     p(i,1) = \mathbf{sqrt}(w_{temp}*cc*w_{temp});
```

```
end
scatter(p(:,1),p(:,2),'red','.');
mm = m;
mm(:,2) = [];
cc = c;
cc(:,2) = [];
cc(2,:) = [];
uu = ones(1,2);
w_{-}opt = (uu*inv(cc))/(uu*inv(cc)*uu');
m_{\text{opt}} = w_{\text{opt}} * mm';
sig_opt = sqrt(w_opt*cc*w_opt');
p = zeros(250,2);
k2 = zeros(250,2);
p(:,2) = m_{-}opt;
j = 0;
for i = 1:250
     w_{temp} = [0 \ 0 \ -1];
     \mathbf{while} (\mathbf{min} (\mathbf{w_ttemp}) < 0)
          p(i,2) = m_{-}opt + ((-1)^{\hat{j}}) * j * 0.0001;
          \mathbf{w}_{-}\mathbf{temp} = (\mathbf{det}([1 \ \mathbf{uu*inv}(\mathbf{cc})*\mathbf{mm}'; \mathbf{p}(\mathbf{i}, 2) \ \mathbf{mm*inv}(\mathbf{cc})*\mathbf{mm}'])
               *uu*inv(cc) + det([uu*inv(cc)*uu' 1;mm*inv(cc)*uu' p]
               (i,2)) *mm*inv(cc))/det([uu*inv(cc)*uu'uu*inv(cc)*
              mm';mm*inv(cc)*uu' mm*inv(cc)*mm']);
     j = j+1;
     \mathbf{end}
     k2(i,:) = w_{temp};
     p(i,1) = \mathbf{sqrt}(w_{temp}*cc*w_{temp});
scatter(p(:,1),p(:,2),'red','.');
mm = m;
mm(:,1) = [];
cc = c;
cc(:,1) = [];
cc(1,:) = [];
uu = ones(1,2);
w_{\text{opt}} = (uu*inv(cc))/(uu*inv(cc)*uu');
m_{opt} = w_{opt}*mm';
sig_opt = sqrt(w_opt*cc*w_opt');
p = zeros(250,2);
k1 = zeros(250,2);
p(:,2) = m_{-}opt;
```

```
j = 0;
for i = 1:250
     w_{temp} = [0 \ 0 \ -1];
     \mathbf{while} (\mathbf{min} (\mathbf{w_ttemp}) < 0)
          p(i,2) = m_opt + ((-1)^j) * j * 0.0001;
          \mathbf{w}_{-}\mathbf{temp} = (\mathbf{det}([1 \ \mathbf{uu*inv}(\mathbf{cc})*\mathbf{mm'}; \mathbf{p}(\mathbf{i}, 2) \ \mathbf{mm*inv}(\mathbf{cc})*\mathbf{mm'}])
              *uu*inv(cc) + det([uu*inv(cc)*uu' 1;mm*inv(cc)*uu' p
              (i,2)]) *mm*inv(cc))/det([uu*inv(cc)*uu' uu*inv(cc)*
             mm';mm*inv(cc)*uu' mm*inv(cc)*mm']);
     j = j+1;
     end
     k1(i,:) = w_temp;
     p(i,1) = \mathbf{sqrt}(w_{temp}*cc*w_{temp});
end
scatter(p(:,1),p(:,2),'red','.');
hold off;
figure();
plot3 (k(:,1),k(:,2),k(:,3));
title ('Weights_corresponding_to_minimum_variance_curve');
xlabel('w1');
ylabel('w2');
zlabel('w3');
hold on;
plot3 (zeros (250,1), k1(:,1), k1(:,2), 'red');
plot3 (k2(:,1), zeros(250,1), k2(:,2), 'red');
plot3(k3(:,1),k3(:,2),zeros(500,1),'red');
hold off;
3.2 Question 2
clear;
clc;
[num, data] = xlsread('bsedata1.xlsx');
[n1 \ n2] = size(num);
for i = 1:(n1-1)
     m_{i}temp(i,:) = (num(i+1,:)-num(i,:))./num(i,:);
end
for i = 1:n2
    m(i) = geomean(1+m_temp(:,i))-1;
end
m = ((1+m).^252)-1;
```

```
c = cov(num);
u = ones(1, n2);
w_{\text{-}}opt = (u*inv(c))/(u*inv(c)*u');
m_{opt} = w_{opt}*m';
sig_opt = sqrt(w_opt*c*w_opt');
p1 = zeros(1500,2);
p1(1,1) = sig_opt;
p1(1,2) = m_{-}opt;
for i = 2:1500
     p1(i,2) = m_opt + (i-1) * 0.001;
     w_{temp} = (det([1 u*inv(c)*m'; p1(i,2) m*inv(c)*m'])*u*inv(c)
         + det([u*inv(c)*u' 1;m*inv(c)*u' p1(i,2)])*m*inv(c))/
        det([u*inv(c)*u' u*inv(c)*m';m*inv(c)*u' m*inv(c)*m']);
     p1(i,1) = \mathbf{sqrt}(w_{temp}*c*w_{temp});
end
p2 = zeros(1500,2);
p2(1,1) = sig_opt;
p2(1,2) = m_{-}opt;
for i = 2:1500
     p2(i,2) = m_{-}opt - (i-1)*0.001;
     w_{temp} = (det([1 u*inv(c)*m';p2(i,2) m*inv(c)*m'])*u*inv(c)
         + det([u*inv(c)*u' 1;m*inv(c)*u' p2(i,2)])*m*inv(c))/
        det([u*inv(c)*u' u*inv(c)*m';m*inv(c)*u' m*inv(c)*m']);
     p2(i,1) = \mathbf{sqrt}(w_{temp}*c*w_{temp});
end
subplot(2,2,1);
plot(p1(:,1),p1(:,2));
hold on;
plot (p2(:,1), p2(:,2));
title ('Markowitz_Efficient_Frontier_&_Capital_Market_Line');
xlabel('Standard_Deviation');
ylabel ('Mean');
r = 0.07;
\mathbf{w}_{-}\mathbf{temp} = ((\mathbf{m}_{-}\mathbf{r}*\mathbf{u})*\mathbf{inv}(\mathbf{c}))/((\mathbf{m}_{-}\mathbf{r}*\mathbf{u})*\mathbf{inv}(\mathbf{c})*\mathbf{u}');
m_m = w_t = w_t;
sig_m = sqrt(w_temp*c*w_temp');
x = [0, sig_m];
y = [0.07, m_m];
plot(x,y,'red');
```

```
rf = ((1+r)^{(1/252)} -1;
[num]=xlsread('sensex.xlsx');
for i = 1:(n1-1)
    mr(i) = (num(i+1) - num(i)) / num(i);
end
for i = 1:n2
    temp = cov(m_temp(:, i), mr');
    \mathbf{beta}(i) = \operatorname{temp}(1,2) / \operatorname{var}(\operatorname{mr});
end
temp = geomean(1+mr)-1;
er = rf + beta * (temp - rf);
subplot(2,2,2);
plot(beta, er);
title ('Security_Market_Line');
xlabel('Beta_value');
ylabel('Expected_return');
rowhead = { 'Actual_beta'; 'Calculated_beta'};
[num]=xlsread('bsebeta1.xlsx');
xlswrite('comparison_bsebeta.xlsx',data,'B1:K1');
xlswrite ('comparison_bsebeta.xlsx',rowhead,'A2:A3');
xlswrite('comparison_bsebeta.xlsx',num,'B2:K2');
xlswrite ('comparison_bsebeta.xlsx', beta, 'B3:K3');
clear;
clc;
[num, data] = xlsread('nsedata1.xlsx');
[n1 \ n2] = \mathbf{size}(num);
for i = 1:(n1-1)
    m_{temp}(i, :) = (num(i+1, :)-num(i, :))./num(i, :);
end
for i = 1:n2
    m(i) = geomean(1+m_temp(:,i))-1;
end
m = ((1+m).^252)-1;
c = cov(num);
u = ones(1, n2);
w_{-}opt = (u*inv(c))/(u*inv(c)*u');
m_{\text{opt}} = w_{\text{opt}} * m';
sig_opt = sqrt(w_opt*c*w_opt');
```

```
p1 = zeros(1500,2);
p1(1,1) = sig_opt;
p1(1,2) = m_{-}opt;
for i = 2:1500
     p1(i,2) = m_opt + (i-1)*0.001;
     \mathbf{w}_{-}\mathbf{temp} = (\mathbf{det}([1 \ \mathbf{u} * \mathbf{inv}(c) * \mathbf{m}'; p1(i,2) \ \mathbf{m} * \mathbf{inv}(c) * \mathbf{m}']) * \mathbf{u} * \mathbf{inv}(c)
           + det([u*inv(c)*u' 1;m*inv(c)*u' p1(i,2)])*m*inv(c))/
          det([u*inv(c)*u' u*inv(c)*m';m*inv(c)*u' m*inv(c)*m']);
     p1(i,1) = \mathbf{sqrt}(w_{temp}*c*w_{temp});
end
p2 = zeros(1500,2);
p2(1,1) = sig_opt;
p2(1,2) = m_{-}opt;
for i = 2:1500
     p2(i,2) = m_{opt} - (i-1) * 0.001;
     \mathbf{w}_{-}\mathbf{temp} = (\mathbf{det}([1 \ \mathbf{u} * \mathbf{inv}(c) * \mathbf{m}'; p2(i, 2) \ \mathbf{m} * \mathbf{inv}(c) * \mathbf{m}']) * \mathbf{u} * \mathbf{inv}(c)
           + \det([u*inv(c)*u' 1;m*inv(c)*u' p2(i,2)])*m*inv(c))/
          det([u*inv(c)*u' u*inv(c)*m';m*inv(c)*u' m*inv(c)*m']);
     p2(i,1) = \mathbf{sqrt}(w_{temp}*c*w_{temp});
end
subplot(2,2,3);
plot (p1(:,1), p1(:,2));
hold on;
plot (p2(:,1),p2(:,2));
title ('Markowitz_Efficient_Frontier_&_Capital_Market_Line');
xlabel('Standard_Deviation');
ylabel('Mean');
r = 0.07;
\mathbf{w}_{-}\mathbf{temp} = ((\mathbf{m}_{-}\mathbf{r}*\mathbf{u})*\mathbf{inv}(\mathbf{c}))/((\mathbf{m}_{-}\mathbf{r}*\mathbf{u})*\mathbf{inv}(\mathbf{c})*\mathbf{u}');
m_m = w_temp*m';
sig_m = sqrt(w_temp*c*w_temp');
x = [0, sig_m];
y = [0.07, m_m];
plot(x,y,'red');
rf = ((1+r)^{(1/252)} -1;
[num] = xlsread ('nifty.xlsx');
for i = 1:(n1-1)
     mr(i) = (num(i+1) - num(i)) / num(i);
end
```

```
\mathbf{for} \quad i = 1:n2
    temp = cov(m_temp(:, i), mr');
    \mathbf{beta}(i) = \operatorname{temp}(1,2) / \operatorname{var}(\operatorname{mr});
end
temp = geomean(1+mr) - 1;
er = rf + beta * (temp - rf);
subplot(2,2,4);
plot(beta, er);
title ('Security_Market_Line');
xlabel('Beta_value');
ylabel('Expected_return');
rowhead = { 'Actual_beta'; 'Calculated_beta'};
[num]=xlsread('nsebeta1.xlsx');
xlswrite('comparison_nsebeta.xlsx',data,'B1:K1');
xlswrite ('comparison_nsebeta.xlsx',rowhead,'A2:A3');
xlswrite('comparison_nsebeta.xlsx',num,'B2:K2');
xlswrite('comparison_nsebeta.xlsx',beta,'B3:K3');
ha = axes('Position', [0 \ 0 \ 1 \ 1], 'Xlim', [0 \ 1], 'Ylim', [0 \ 1], 'Box',
    'off', 'Visible', 'off', 'Units', 'normalized', 'clipping', '
   off');
text (0.5, 0.99, '\bf_BSE', 'HorizontalAlignment', 'center', '
   VerticalAlignment', 'top')
ha = axes('Position', [0\ 0\ 1\ 1], 'Xlim', [0\ 1], 'Ylim', [0\ 1], 'Box',
    'off', 'Visible', 'off', 'Units', 'normalized', 'clipping', '
   off');
text(0.5, 0.5, '\bf_NSE', 'HorizontalAlignment', 'center', '
    VerticalAlignment', 'top')
clear;
clc;
[num, data] = xlsread('otherdata1.xlsx');
[n1 \ n2] = size(num);
for i = 1:(n1-1)
    m_{temp}(i, :) = (num(i+1, :)-num(i, :))./num(i, :);
end
for i = 1:n2
    m(i) = geomean(1+m_temp(:,i))-1;
end
m = ((1+m).^252)-1;
c = cov(num);
```

```
u = ones(1, n2);
w_{\text{opt}} = (u*inv(c))/(u*inv(c)*u');
m_{opt} = w_{opt}*m';
sig_opt = sqrt(w_opt*c*w_opt');
p1 = zeros(1500, 2);
p1(1,1) = sig_opt;
p1(1,2) = m_{-}opt;
for i = 2:1500
      p1(i,2) = m_opt+(i-1)*0.001;
      \mathbf{w}_{-}\mathbf{temp} = (\mathbf{det}([1 \ \mathbf{u} * \mathbf{inv}(c) * \mathbf{m}'; p1(i,2) \ \mathbf{m} * \mathbf{inv}(c) * \mathbf{m}']) * \mathbf{u} * \mathbf{inv}(c)
             + det([u*inv(c)*u' 1;m*inv(c)*u' p1(i,2)])*m*inv(c))/
            det([u*inv(c)*u' u*inv(c)*m';m*inv(c)*u' m*inv(c)*m']);
      p1(i,1) = \mathbf{sqrt}(w_{temp}*c*w_{temp});
end
p2 = zeros(1500,2);
p2(1,1) = sig_opt;
p2(1,2) = m_{-}opt;
for i = 2:1500
      p2(i,2) = m_{-}opt - (i-1)*0.001;
      \mathbf{w}_{\mathbf{t}} = (\mathbf{det}([1 \ \mathbf{u} * \mathbf{inv}(\mathbf{c}) * \mathbf{m}'; \mathbf{p2}(\mathbf{i}, 2) \ \mathbf{m} * \mathbf{inv}(\mathbf{c}) * \mathbf{m}']) * \mathbf{u} * \mathbf{inv}(\mathbf{c})
             + \det([u*inv(c)*u' 1;m*inv(c)*u' p2(i,2)])*m*inv(c))/
            \mathbf{det} ([\mathbf{u} * \mathbf{inv}(\mathbf{c}) * \mathbf{u}' \ \mathbf{u} * \mathbf{inv}(\mathbf{c}) * \mathbf{m}' ; \mathbf{m} * \mathbf{inv}(\mathbf{c}) * \mathbf{u}' \ \mathbf{m} * \mathbf{inv}(\mathbf{c}) * \mathbf{m}']) ;
      p2(i,1) = \mathbf{sqrt}(w_{temp}*c*w_{temp});
end
figure();
subplot (2,2,1);
plot (p1(:,1), p1(:,2));
hold on;
plot (p2(:,1),p2(:,2));
title ('Markowitz_Efficient_Frontier_&_Capital_Market_Line');
xlabel('Standard_Deviation');
ylabel ('Mean');
r = 0.07;
\mathbf{w}_{-}\mathbf{temp} = ((\mathbf{m}_{-}\mathbf{r}*\mathbf{u})*\mathbf{inv}(\mathbf{c}))/((\mathbf{m}_{-}\mathbf{r}*\mathbf{u})*\mathbf{inv}(\mathbf{c})*\mathbf{u}');
m_m = w_t = w_t;
sig_m = sqrt(w_temp*c*w_temp');
x = [0, sig_m];
y = [0.07, m_m];
plot(x,y,'red');
```

```
rf = ((1+r)^{(1/252)} -1;
[num]=xlsread('sensex.xlsx');
for i = 1:(n1-1)
     mr(i) = (num(i+1)-num(i))/num(i);
end
for i = 1:n2
     temp = cov(m_temp(:, i), mr');
     \mathbf{beta}(i) = \operatorname{temp}(1,2) / \operatorname{var}(\operatorname{mr});
end
temp = geomean(1+mr) - 1;
er = rf + beta * (temp - rf);
\mathbf{subplot}(2,2,2);
plot(beta, er);
title('Security_Market_Line');
xlabel('Beta_value');
ylabel('Expected_return');
clear;
clc;
[num, data] = xlsread('otherdata1.xlsx');
[n1 \ n2] = size(num);
for i = 1:(n1-1)
     m_{temp}(i, :) = (num(i+1, :)-num(i, :))./num(i, :);
end
for i = 1:n2
    m(i) = geomean(1+m_temp(:,i))-1;
end
m = ((1+m).^252)-1;
c = cov(num);
u = ones(1, n2);
w_{\text{-}}\text{opt} = (u*inv(c))/(u*inv(c)*u');
m_{\text{opt}} = w_{\text{opt}} * m';
sig_opt = sqrt(w_opt*c*w_opt');
p1 = zeros(1500,2);
p1(1,1) = sig_opt;
p1(1,2) = m_{-}opt;
for i = 2:1500
     p1(i,2) = m_opt + (i-1)*0.001;
```

```
w_{temp} = (det([1 u*inv(c)*m';p1(i,2) m*inv(c)*m'])*u*inv(c)
            + \mathbf{det}([\mathbf{u}*\mathbf{inv}(\mathbf{c})*\mathbf{u}' \ 1;\mathbf{m}*\mathbf{inv}(\mathbf{c})*\mathbf{u}' \ \mathbf{p1}(\mathbf{i},2)])*\mathbf{m}*\mathbf{inv}(\mathbf{c}))/
           \mathbf{det} ([\mathbf{u} * \mathbf{inv}(\mathbf{c}) * \mathbf{u}' \ \mathbf{u} * \mathbf{inv}(\mathbf{c}) * \mathbf{m}' ; \mathbf{m} * \mathbf{inv}(\mathbf{c}) * \mathbf{u}' \ \mathbf{m} * \mathbf{inv}(\mathbf{c}) * \mathbf{m}']) ;
      p1(i,1) = \mathbf{sqrt}(w_{temp}*c*w_{temp});
end
p2 = zeros(1500,2);
p2(1,1) = sig_opt;
p2(1,2) = m_{-}opt;
for i = 2:1500
      p2(i,2) = m_{opt} - (i-1) * 0.001;
      w_{temp} = (det([1 u*inv(c)*m';p2(i,2) m*inv(c)*m'])*u*inv(c)
            + det([u*inv(c)*u' 1;m*inv(c)*u' p2(i,2)])*m*inv(c))/
           det([u*inv(c)*u' u*inv(c)*m';m*inv(c)*u' m*inv(c)*m']);
      p2(i,1) = \mathbf{sqrt}(w_{temp}*c*w_{temp});
end
subplot(2,2,3);
plot (p1(:,1), p1(:,2));
hold on;
plot (p2 (:,1),p2 (:,2));
title ('Markowitz_Efficient_Frontier_&_Capital_Market_Line');
xlabel('Standard_Deviation');
ylabel ('Mean');
r = 0.07;
\mathbf{w}_{-}\mathbf{temp} = ((\mathbf{m}_{-}\mathbf{r}*\mathbf{u})*\mathbf{inv}(\mathbf{c}))/((\mathbf{m}_{-}\mathbf{r}*\mathbf{u})*\mathbf{inv}(\mathbf{c})*\mathbf{u}');
m_m = w_t = w_t;
sig_m = sqrt(w_temp*c*w_temp');
x = [0, sig_m];
y = [0.07, m_m];
plot(x,y,'red');
rf = ((1+r)^{(1/252)} -1;
[num] = xlsread ('nifty.xlsx');
for i = 1:(n1-1)
      mr(i) = (num(i+1) - num(i)) / num(i);
end
\mathbf{for} \quad i = 1:n2
      temp = cov(m_temp(:,i),mr');
      \mathbf{beta}(i) = \operatorname{temp}(1,2) / \operatorname{var}(\operatorname{mr});
end
temp = geomean(1+mr) - 1;
er = rf + beta * (temp - rf);
```

```
subplot(2,2,4);
plot(beta,er);
title('Security_Market_Line');
xlabel('Beta_value');
ylabel('Expected_return');

ha = axes('Position',[0 0 1 1],'Xlim',[0 1],'Ylim',[0 1],'Box',
    'off','Visible','off','Units','normalized', 'clipping','
    off');
text(0.5, 0.99,'\bf_BSE_with_other_stocks','HorizontalAlignment
    ','center','VerticalAlignment', 'top')
ha = axes('Position',[0 0 1 1],'Xlim',[0 1],'Ylim',[0 1],'Box',
    'off','Visible','off','Units','normalized', 'clipping','
    off');
text(0.5, 0.5,'\bf_NSE_with_other_stocks','HorizontalAlignment',
    'center','VerticalAlignment', 'top')
```

#### 4 References

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